

## WebGL Game Development

Gain insights into game development by rendering complex 3D objects using WebGL

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## Sumeet Arora

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## About the Author


#### Abstract

Sumeet Arora is a tech entrepreneur. He founded Evon Technologies, a consultancy for mobile and web development, and Logic Simplified, a game development company. He holds the position of CTO at Evon and works as a consultant for Logic Simplified. He has worked as an architect consultant for scalable web portals for clients across the globe. His core expertise lies in 3D rendering technologies and collaboration tools. For the past four years, he has been working with various clients/companies on multiplatform content delivery. His own passion towards gaming technologies has helped him help his clients in launching games on various platforms on both web and mobile. Currently his company, Logic Simplified, helps new gaming ideas to launch in the market.


Thanks to my family and colleagues at Evon Technologies and Logic Simplified for assisting me with the graphics and sharing my workload in order to complete the book.

## About the Reviewers


#### Abstract

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Kevin and his wife Luciana are celebrating their fifth year of marriage and enjoy long walks on the beach and talking about Node.js, C\#, and Bitcoin.

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He received his Bachelor of Science degree in Computer Science from Brigham Young University, Idaho, as well as an Associate's Degree in Business Management from LDS Business College in Salt Lake City, Utah.

His fascination for game development began in his early teenage years, and his skills grew as he discovered the power of a library subscription, a curious and willing mind, and supportive parents and friends. Today, Rodrigo balances his time between the three great passions of his life - his family, software development, and video games (with the last two usually being mingled together).

> I would like to thank my best friend, and the love of my life, Lucimara, for supporting me in my many hobbies, her endless wisdom, and her contagious love for life. I also wish to thank my daughter Samira, who makes each day shine brighter.

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## Preface

This book is your foray into building in-browser 3D games. The book starts with an introduction to the basics of the low-level 3D rendering API, WebGL. We then transform the low-level API to an implementation of a sample 3D rendering library. We use this library to build components of a concept game, "5000 AD". We walk you step by step from using 3D assets to the implementation of techniques that are used to build a complete in-browser massive multiplayer online role-playing game.

## What this book covers

Chapter 1, Getting Started with WebGL Game Development, covers basic terminologies of 3D and the basics of WebGL, 3D mathematics, and 3D graphics. It also gives a walkthrough of the WebGL API and discusses the structuring of a WebGL application.

Chapter 2, Colors and Shading Languages, explains how to add colors, light, and material to objects in a scene. It discusses how to export 3D objects using tools such as Blender and also explains the basic Wavefront OBJ file format and the JSON file format. Also, we will learn about directional lights in this chapter.

Chapter 3, Loading the Game Scene, teaches us how to handle loading and rendering of multiple objects through coding. This chapter also teaches you to add point lights to your scene.

Chapter 4, Applying Textures, covers all of the topics on how to create, load, and apply textures to 3D objects. It also teaches advanced techniques such as filtering and cubemaps.

Chapter 5, Camera and User Interaction, focuses on evolving our own camera class for our game scene. We will also empower our users to view the game scene from different angles and positions by adding the mouse and keyboard interactivity.

Chapter 6, Applying Textures and Simple Animations to Our Scene, starts by simulating a first-person camera and takes it forward by giving weapons to our character. We also dive deep into different animations techniques used in game engines.

Chapter 7, Physics and Terrains, explains physics simulation and discusses how physics engines control component trajectories as well as work with collision detection in a game.

Chapter 8, Skinning and Animations, covers our study of character animation by understanding the skeleton, which is the base of the character, upon which the body and its motion are built. Then, we learn about skinning and how the bones of the skeleton are attached to the vertices.

Chapter 9, Ray Casting and Filters, unveils a very powerful concept in game development called ray casting, which is used to cover cases that cannot be handled by collision detection. This also covers framebuffers, another very important concept used in game development.

Chapter 10, 2D Canvas and Multiplayer Games, covers the use of 2D rendering in 3D games through canvas 2D, a very powerful 2D drawing API. We also discuss the technology behind HTML-based multiplayer games.

## What you need for this book

To learn game development in WebGL, all you need is your favorite text editor and any of the following browsers:

- Mozilla Firefox Version 4.0 and above (http : / /en. wikipedia.org/wiki/ Mozilla_Firefox)
- Google Chrome Version 9 and above (http://en.wikipedia.org/wiki/ Google_Chrome)
- Safari Version 6.0 and above (http : //en.wikipedia.org/wiki/ Safari_\%28web_browser\%29)


## Who this book is for

If you are a programmer who wants to transform the skill of blending imagination and thought in games, this is the book for you. You need to have a good understanding of object-oriented programming, JavaScript, and vector and matrix operations.

## Conventions

In this book, you will find a number of styles of text that distinguish between different kinds of information. Here are some examples of these styles, and an explanation of their meaning.

Code words in text, database table names, folder names, filenames, file extensions, pathnames, dummy URLs, user input, and Twitter handles are shown as follows:
"Open the SquareGeomtery.js file from client/primitive."
A block of code is set as follows:

```
<html>
<canvas id="canvasElement"></canvas>
</html>
<script>
this.canvas = document.getElementById("canvasElement");
this.ctx = this.canvas.getContext('2d');
</script>
```

Any command-line input or output is written as follows:

```
#node server.js
#npm install socket.io
```

New terms and important words are shown in bold. Words that you see on the screen, in menus or dialog boxes, for example, appear in the text like this: "We can enable the extension in the Settings menu in Google Chrome."


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## 1

## Getting Started with

## WebGL Game Development

We are in 5000 AD and you are wired in to your browser. Rivers have dried up and you are under constant attack by the mutated human race. You are the only hope. You have this book, and your tool is WebGL, a JavaScript API for rendering interactive 3D and 2D graphics. Your ancestors, the non-profit technology consortium Khronos Group, gave you this technology. This book has recipes to add rain when you need water, add trees when you need food, generate weapons to fight the mutated Mr. Red, and create your own army of beasts to defend your city. You know the technology that you have is powered by the GPU and is lightning fast. All you need are the recipes.

Wait, hold on a second. Are you a 3D expert? If not, let me teleport you to the current year so you can read this chapter, else stay wired in and move on to Chapter 2, Colors and Shading Language.

Since you are reading on, let's focus on the 3D terms that you need to understand for using the recipes in this book. This chapter will cover the following topics:

- Understanding WebGL
- Understanding basic 3D mathematics
- Learning the basics of 3D graphics
- Understanding WebGL's rendering pipeline
- A walkthrough of the WebGL API
- The structuring of a WebGL application and learning shaders for debugging your application


## Understanding WebGL

WebGL is a JavaScript API based on OpenGL ES 2.0. OpenGL ES 2.0 is the API for 3D rendering on smartphones running on the iPhone and Android platforms. WebGL enables web content to perform 3D rendering in HTML canvas in browsers that support it. Hence, to learn game development using WebGL, you need to understand JavaScript and HTML basics. If you have an understanding of the mathematics involved in 3D graphics, that's great. However, it is not a must to understand this book. The WebGL program consists of a JavaScript control code and a shader code. The shader code executes on the computer's GPU.

## Differentiating WebGL from the game engine

WebGL only provides 3D rendering capability. It is simple, straightforward, and insanely fast. It is good at what it does, that is, rendering 2D and 3D graphics. It is a low-level programming interface with a very small set of commands.

WebGL is not a game engine like Unity, Cocos2D, or Jade. A game engine has many other features, such as collision detection, ray casting, particle effects, and physics simulation. Using WebGL, you can create your own game engine.

WebGL provides functionalities to draw basic primitives such as lines, circles, and triangles that can be used to draw any complex 3D object. It does not provide a direct function to add a camera to your scene. However, a camera class can be evolved to do the same. This is what this book will help you with. It will help you create a library on top of WebGL tailored for creating games and gaming functions.

## Understanding basic 3D mathematics

Developing a WebGL game requires a good understanding of 3D mathematics. But we will not cover 3D mathematics in its entirety, since that would require a complete book in itself. In this section, we will cover some basic aspects of 3D mathematics that are required to understand WebGL rendering. We will also build an understanding of the 3D mathematics library that we intend to use in our game. In this section, we will cover a very powerful JavaScript library called glMatrix (http://glmatrix.net).

JavaScript or WebGL do not provide any in-built functions for vector and matrix operations. Hence, we use a third-party library to implement them in our code. glMatrix is designed to perform vector and matrix operations in JavaScript and is extremely fast. So, let's walk through the basics of these operations and also understand their corresponding implementation in glMatrix.

## Vectors

3D game engines use vectors to represent points in space, such as the locations of objects in a game or the vertices of a polygon mesh. They are also used to represent spatial directions, such as the orientation of the camera or the surface normals of a triangle mesh.

A point in 3D space can be represented by a vector using the $x, y$, and $z$ axes.
WebGL does not provide any functions for matrix or vector operations. Hence, we use third-party libraries for matrix manipulation.

Let's look at some vector operations provided by one of these libraries:

```
var out=vec3.create() //Creates an empty vector object.
var out1=vec3.create() //Creates an empty vector object.
var out2=vec3.create() //Creates an empty vector object.
var v2=vec3.fromValues(10, 12, 13); //Creates vector initialized
    with given values.
var v3=vec3.fromValues(2,3,4); //Creates vector initialized
    with given values.
vec3.cross(out, v2, v3) //Cross product of vector v2 & v3 placed
    in vector out.
vec3.normalize(out1, v2) // V2 is normalized. Converted to a unit
    vector and placed in out1.
var result=vec3.dot(v2, v3) // Calculates dot product of two
    vectors.
var v4= vec4.fromValues(x, y, z, w)// Creates a vector with w
    value
var v5= vec4(v2, w)
```



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## Matrices

Matrices are primarily used to describe the relationship between two coordinate spaces in 3D mathematics. They do this by defining a computation to transform vectors from one coordinate space to another, for example, object space to world space or world space to view/ camera space.

Some useful matrix operations are:

```
var mat=mat3.create() //Creates a new identity mat3
var out=mat3.create() //Creates a new identity mat3
mat3.identity(out) //set a mat3 to the identity matrix
var result=mat3.determinant(mat) //Calculates the determinant of a
    mat3
mat3.invert(out, mat) //Inverts a mat3
mat3.transpose(out, mat) //Transpose the values of a mat3
```


## Understanding transformations

You will encounter the word "transformation" in all computer graphics books. This word is mostly used to denote change in the object's state. We can apply scaling, rotation, sheer, or translation transformations to change the state of an object. We can apply a combination of the preceding transformations to change the state of the object. The combinations are generally classified as linear or affine transformations.

## Classifying into linear and affine transformations

Linear transformations are the most-used transformations in 3D games. Linear transformations such as scaling, rotation, and sheer will be used throughout your game development career. These transformations are transformations that preserve state, if applied in any order. So, if we scale an object and then rotate it, or first rotate it and then scale it, the end result would be the same. So, transformation is linear, if it preserves the basic operations of addition and multiplication by a scalar.
Some useful functions for linear transformation are:

```
var a=mat3.create();
var out=mat3.create();
var rad=1.4; //in Radians
var v=vec2.fromValues (2,2);
mat3.rotate(out, a, rad); //Rotates "a" mat3 by the given angle
    and puts data in out.
mat3.scale(out, a, v) //Scales the mat3 by the dimensions in the
    given vec2
```

An affine transformation is a linear transformation followed by translation.
Remember that $3 \times 3$ matrices are used for linear transformations and they do not contain translation. Due to the nature of matrix multiplication, any transformation that can be represented by a matrix multiplication cannot contain translation. This is a problem because matrix multiplication and inversion are powerful for composing complicated transformations. An example of affine transformation is as follows:

```
var a=mat3.create(); //Identity matrix created
var vertex=vec3.fromValues(1,1,1);
var scale=mat3.create(); //Identity Matrix created
var final=mat3.create(); //Identity Matrix created
var factor=vec2.fromValues (2,2); //Scaling factor of double create
    2x height and 2x width
mat3.scale(scale,a,factor); // a new scale create after
    multiplication
mat3.rotate(final,scale,.4);// new matrix scale created which
    contains scaling & rotation
var newVertex=final*vertex;
```

In the preceding code, we created a matrix, final, that contained both scaling and rotation operations. We created a composite transformation and applied it on a vertex to get its new position. Now, this final mat3 can be used to transform the vertices of a 3D object. It would be nice if we could find a way to somehow extend the standard $3 \times 3$ transformation matrix to be able to handle transformations with translation. We can do this by extending our vectors to four-dimensional homogeneous coordinates and using $4 \times 4$ matrices to transform them. A $4 \times 4$ matrix is given in the following diagram:

$$
\mathrm{F}=\left[\begin{array}{c:c} 
& \\
\mathrm{M} & \mathrm{~T} \\
& \\
\hdashline 0 & 1
\end{array}\right]\left[\begin{array}{ccc:c}
M_{a a} & M_{b a} & M_{c a} & T_{x} \\
M_{b a} & M_{b b} & M_{c b} & T_{y} \\
M_{c a} & M_{b b} & M_{c c} & T_{z} \\
\hdashline 0 & 0 & 0 & 1
\end{array}\right]
$$

$\mathbf{M}$ is the matrix that contains the transformation; the fourth column gives the translation.

Some useful functions for transformations are:

```
var a=mat4.create();//mat4 identity matrix
var final=mat4.create();//mat4 identity matrix
var rad=.5;
var v=vec3.fromValues(0.5,0.5,0.5);
var translate=vec3.fromValues(10,10,10);
mat4.rotateX(final, a, rad) //Rotates a matrix by the given angle
    around the X axis
mat4.rotateY(final, final, rad) //Rotates a matrix by the given
    angle around the Y axis
mat4.rotateZ(final, final, rad) //Rotates a matrix by the given
    angle around the Z axis
mat4.scale(final, final, v) //Scales the mat4 by the dimensions in
    the given vec3
mat4.translate(final, final, v) //Translate a mat4 by the given
    vector
```

Now, the final matrix contains composite transformations of rotation along the axis, scaling, and translation.

## Understanding transformations required to render 3D objects

In a game, when we load or initialize a 3D object, the coordinates of different parts of an object are defined with respect to its pivot point. Let us say our designer created a car in Maya and exported the model. When the model is exported, the coordinate of each wheel is defined with respect to the car body. When we translate or rotate our car, the same transformations have to be applied to the wheels. We then have to project the 3D object on a 2D screen. The projection will not only depend on the location of the camera but also on the lens of the camera. In the following section, we will discuss the two types of transformations, ModelView and projection, to help us implement the rendering of the model on the 2D screen.

## ModeIView transformation

Each model or object we want to draw on the scene has coordinates defined with respect to its own origin and axis; we call it object space. When an object is added to the scene and if its own origin coincides with the scene's origin, then its vertices need not be transformed for rendering; but if we want to move the object or rotate it, then we will have to transform its vertices to screen/world coordinates. ModelView transformation is used to transform an object's vertices to world coordinates. An example of this is shown in the following diagram:


Also, if we move our camera/view around the object, or rotate our camera, then we would need to transform its vertices, changing the world's origin to the camera's position as the origin.

In a nutshell, first model vertices have to be transformed with respect to the scene's origin and then transformed by switching the world's origin to the camera/view position. The final set of all these transformations is maintained as a single $4 \times 4$ matrix, called the ModelView transformation matrix. The new positions of the model's vertices are obtained via the cross product of each coordinate/vertex of the model with the ModelView transformation matrix, $V f=M v{ }^{*} V$. Here, Vf is the final vector, Mv is the $[4 \times 4]$ ModelView matrix, and V is the vector corresponding to each vertex. Each coordinate of a vertex is denoted as $[x, y, z, w]$, where you can put $w$ as 1 for all purposes of this chapter.

## Projection transformation

Projection transformation is like setting/choosing the lens of the camera. You want to determine the viewing volume of the scene. You want to determine how objects appear and whether the objects are inside the viewing volume or not. The field of view is the parameter that is used to define the viewing volume. Larger values mean you will cover more objects in your game scene; smaller values are like a telephoto lens (the objects will appear closer than they really are). There are two types of projections; orthographic and perspective. In orthographic projection, the objects are mapped directly on the screen without affecting their relative sizes. In perspective projection, the distant objects appear smaller. In gaming, we always use perspective projections. The following diagram explains how our primitive is projected on the screen:


Now, to transform vertices with respect to their distance and chosen lens, we use the projection matrix $V p=P^{*} V$. Here, Vp is the final vector, P is the [ $\left.4 \times 4\right]$ projection matrix, and V is the vector corresponding to each vertex.

The following is the code to create a projection transformation:

```
mat4.perspective(out, fovy, aspect, near, far)
```

The parameters used in the preceding code are:

- fovy: Field of view
- aspect: Scene aspect ratio
- near: Near plane to create the clipping region
- far: Far plane to create the clipping region

The following code uses the glMatrix library to calculate the perspective matrix using the preceding parameters:

```
var mat=mat4.create()
mat4.perspective(30, gl.viewportWidth / gl.viewportHeight, 0.1,
1000.0, pMatrix);
```


## Learning the basics of 3D graphics

We want to save our world in 5000 AD, and we have very little time. So, let's quickly jump into the code and understand the basics along with it.

## Understanding mesh, polygon, and vertices

A model in a 3D game is called a mesh. Each facet in a mesh is called a polygon. A polygon is made up of three or more corners, and each corner is called a vertex. The objective of the code provided in this chapter is to render a basic primitive quad. The code creates a mesh with a single polygon and the polygon has four vertices. A polygon with four vertices will form a quad. Each vertex is denoted by a location on the screen. A location on the screen can be represented by using 2 or 3 axes. Each location is defined by using vectors.

In the following example code, we have created an array of vertices with 12 float values ( 3 per vertex).The following diagram shows the mapping of the coordinates:


The following sample code initializes the vertices:

```
function initBuffers() {
vertices = [
    3.0, 3.0, 0.0, //Vertex 0
    -3.0, 3.0, 0.0, //Vertex 1
    3.0, -3.0, 0.0, //Vertex 2
    -3.0, -3.0, 0.0 //Vertex 3
];
}
```

The question might pop up that if we had to draw the mesh of a mutated human, as depicted in the following diagram, then there would have been many polygons and each polygon would have many vertices; so, do we have to define an array with all the vertices by hand?


Well, the mutated human displayed in the preceding screenshot is created using 3D tools such as Maya and Blender. We will export the vertices of the model in a file that is parsed by our JavaScript code, and our program will use the vertices from that file. So, ultimately your code will require vertices, but you will not have to provide them by hand.

## Using indices to save memory

For each vertex that we define, a numerical label is given; for example, "vertex 0 " is labeled as " 0 " and "vertex 1 " as " 1 ". These labels are called indices. In the following code, we have defined four vertices in the vertices array. The next line defines the indices array containing numbers $[0,2,3 . .$.$] , the numbers in the array are labels to$ each vertex in the vertices array:

```
function initBuffer() {
vertices = [
    3.0, 3.0, 0.0, //Vertex 0
    -3.0, 3.0, 0.0, //Vertex 1
    3.0, -3.0, 0.0, //Vertex 2
    -3.0, -3.0, 0.0 //Vertex 3
];
indices = [0,2,3,0,3,1];
}
```

If we render a sphere, the sphere mesh will be made up of polygons; if we use quads, we will not get a smooth surface. To get a smoother surface, we will require many quads. Hence, we use a polygon with minimum sides. A polygon can have a minimum of three sides, and hence, we prefer triangles. WebGL uses primitives such as points, lines, and triangles to generate complex 3D models.

When we think of a sphere, the vertices will be shared between triangles. We do not want to repeat the shared vertices in our vertex array in order to save memory. The following diagram displays a vertex shared between three triangles:


To explain the concept of shared vertices, we will render a square using two triangles. A triangle will have three vertices; hence, we will need to use 2 * 3 vertices. However, we realize that the two out of three vertices of each triangle are being shared. Hence, we need to declare only four vertices. The following diagram explains how we use two triangles with common vertices to render the square geometry:


Indices are numeric labels of vertices. They help us inform WebGL on how to connect vertices to form a polygon or a surface. In the preceding example, we draw one triangle with the vertices $[0,2,3]$ and the other triangle with the vertices $[0,3,1]$.

## Understanding WebGL's rendering pipeline

The following diagram expresses the actions that WebGL's rendering pipeline needs to perform to project any object on a 2D display screen. The first two steps (ModelView transformation and project transformation) are performed in the vertex shader. Each vertex of an object has to be transformed with respect to its location as well as the viewer's location (camera) on the scene. Then, the vertices that fall outside the viewing area are clipped (perspective divide). Viewport transformation defines the size and location of the final processed object, for example, whether the object should be enlarged or shrunk:


The current GPUs use a programmable rendering pipeline. The earlier graphics card did not allow us to directly change or manipulate the vertices but had built-in functions to rotate or scale them. The programmable rendering pipeline gives us full flexibility to modify vertices of our objects. We can write our own functions to control how our objects are rendered using vertex and fragment shaders. The following diagram describes the different components of the programmable rendering pipeline. We will cover the details of shaders in the A walkthrough of the WebGL API section.

|  | Vertex shader $\xrightarrow{\text { Varying variables }}$ | Primitive <br> assembly / <br> Rasterization $\square$ |
| :---: | :---: | :---: |
| - Control code <br> - Initialize WebGL <br> - Context compiling and linking of shaders <br> - Enabling vertex attributes <br> - Creating transformation matrix <br> - Association of buffer objects with attributes <br> - Association of Uniforms | Rendering process starts when we invoke the drawElements or drawArray WebGL API call. The vertex shader is executed once for each vertex in the vertex buffer object. Vertex shader calculates the position of each vertex of a primitive and stores it in varying gl_position. It also calculates the other attributes such as color that are normally associated with a vertex. | The triangles are assembled and passed to the rasterizer, which interpolates the pixels between the vertices in the triangles. Also, culling/clipping is perfomed in this step. We eliminate primitives that are hidden or partly/completely lie outside the viewing area. |
| Framebuffer | Pre-fragment shader | Fragment shader |
| Framebuffer is the default display in our case. | Pixel ownership test, depth test, dithering performed. | Fragment shader gets data from vertex shader in varying variables, gets primitives from the rasterization stage, and then interpolates color values for each pixel between vertices. |

## Framebuffers

A graphics accelerator is the hardware dedicated to drawing graphics; it has a region of memory to maintain the contents of the display screen. Every visible pixel is represented by several bytes of memory called display memory. This memory is refreshed a certain number of times per second for a flicker-free display. Graphic accelerators also provide offscreen memory, which is only used to store data. The allocation of display memory and offscreen memory is managed by the window system. Also, the part of the memory that can be accessed by WebGL/OpenGL is decided by the window system. There is a small set of function calls that ties WebGL to the particular system. This set of calls supports allocating and deallocating regions of graphics memory, as well as the allocating and deallocating of data structures called graphics contexts, which maintain the WebGL state.

The region of graphics memory that is modified as a result of WebGL rendering is called framebuffer. The default framebuffer is provided by the window system and it is the drawing surface that will be displayed on the screen. The calls to create the WebGL drawing surfaces let you specify the width and height of the surface in pixels, whether the surface uses color, depth, and stencil buffers, and the bit depths of these buffers. If the application is only drawing to an onscreen surface, the framebuffer provided by the window system is usually sufficient. However, when we need to render to a texture, we need to create offscreen framebuffers.

The following is the function used to clear/enable color, depth, and stencil buffers:
gl.clear(gl.COLOR_BUFFER_BIT | gl.DEPTH_BUFFER_BIT);

## A walkthrough of the WebGL API

This section will explain the basic functions of the WebGL API. We will first understand buffer objects. A WebGL application has two sections: JavaScript control code and shader functions. We will explain the WebGL API functions used in the control code as well as cover the code of a simple shader.

## Initializing the WebGL context

To render WebGL 3D content, we need an HTML canvas element. The following HTML code establishes a canvas object that will be used to render 3D content:

```
<canvas id="squareWithDrawArrays" style="border: none;"
    width="500" height="500"></canvas>
```

The first thing we do here is obtain a reference to the canvas. We store it in a variable called canvas. We pass the canvas object to our function initgl. This function sets up the WebGL context:

```
var canvas = document.getElementById("squareWithDrawArrays");
initGL(canvas)
```

In the initGL function, we obtain a WebGL context for a canvas by requesting the context named webgl from the canvas. If this fails, we try the names experimental-webgl, webkit-3d, and moz-webgl. If all the names fail, we display an alert to let the user know that the browser does not have WebGL support. We try different names because different browsers use different names for their WebGL implementation. This is shown in the following code:

```
functioninitGL(canvas) {
    var names = ["webgl", "experimental-webgl", "webkit-3d", "moz-
        webgl"];
    for (var i = 0; i<names.length; ++i) {
        try {
            gl = canvas.getContext(names[i]);
        }
        catch (e) { }
        if (gl) {
            break;
        }
    }
    if (gl == null) {
        alert("Could not initialise WebGL");
        return null;
    }
    gl.viewportWidth = canvas.width;
    gl.viewportHeight = canvas.height;
}
```


## Vertex buffer objects - uploading data to GPU

A vertex buffer object (VBO) provides methods for uploading vertex attributes (position, color, depth) directly to the video device for rendering. VBOs offer substantial performance gains because the data resides in the video device memory rather than the system memory, so it can be rendered directly by the video device. Buffer objects can be created using the createBuffer () function:

```
vertexBuffer = gl.createBuffer();
```

This only creates the object's name and the reference to the object. To actually create the object itself, you must bind it to the context.

The bindBuffer() function is invoked to tell on which of the buffer objects the subsequent functions will operate on. This function is called as follows:

```
gl.bindBuffer(gl.ARRAY_BUFFER, vertexBuffer);
```

The target hint can be ARRAY_BUFFER (vertex buffers).
There are many allocated buffer objects. We need to specify which buffer object we want to apply the next set of operations on. The bindBuffer () function is used to make a particular buffer object the current array buffer object or the current element array buffer object so that the subsequent operations are applied on that buffer object. The first time the buffer object's name is bound by calling the bindBuffer () function, the buffer object is allocated with the appropriate default state, and if the allocation is successful, this allocated object is bound as the current array buffer object or the current element array buffer object for the rendering context.

However, the actual memory is only allocated when we invoke the gl. bufferData() API call:

```
gl.bufferData(gl.ARRAY_BUFFER, new Float32Array(vertices),
    gl.STATIC_DRAW) ;
```

The third parameter in the bufferData API call specifies how to use the buffer object. The following table explains the different enum values and their usages. In our book, we will use the gl. STATIC_DRAW value, but in cases where you might need to animate individual vertices, you will use the gl.DYNAMIC_DRAW value:

| Enum value | Usage |
| :--- | :--- |
| STATIC_DRAW | The buffer object data will be specified by the application <br> once and used many times to draw primitives. |
| DYNAMIC_DRAW | The buffer object data will be specified by the application <br> repeatedly and used many times to draw primitives. |
| STREAM_DRAW | The buffer object data will be specified by the application <br> once and used a few times to draw primitives. |



The gl.bufferData () API call does not take reference of the buffer object as a parameter. We do not pass the object reference because operations are performed on the current array buffer object or the current element array buffer object.

We can unbind buffer objects using a bindBuffer () function call by specifying null as the buffer object parameter:

```
vertices = [
    3.0, 3.0, 0.0, //Vertex 0
    -3.0, 3.0, 0.0, //Vertex 1
    3.0, -3.0, 0.0, //Vertex 2
    -3.0, -3.0, 0.0 //Vertex 3
];
gl.bindBuffer(gl.ARRAY_BUFFER, null);// Deactivate the current
    buffer
vertexBuffer = gl.createBuffer();//Create a reference to the
    buffer object
gl.bindBuffer(gl.ARRAY_BUFFER, vertexBuffer);//Make the buffer the
    current active buffer for memory allocation(Subsequent command)
gl.bufferData(gl.ARRAY_BUFFER, new Float32Array(vertices),
    gl.STATIC_DRAW);//Allocate memory for the buffer object.
```


## Index buffer objects

Similar to vertex buffer objects, we have index buffer objects to store the indices in the GPU memory. The following code creates a vertex array and an index array. It then creates the corresponding vertex buffer object and index buffer objects:

```
vertices = [
                    3.0, 3.0, 0.0, //Vertex 0
    -3.0, 3.0, 0.0, //Vertex 1
    3.0, -3.0, 0.0, //Vertex 2
    -3.0, -3.0, 0.0 //Vertex 3
] ;
indices = [0,2,3,0,3,1];
indexBuffer = gl.createBuffer();// Create a reference to the
    buffer
gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, indexBuffer);// make the
    Index buffer the active buffer notice gl.ELEMENT_ARRAY_BUFFER
    for index buffers.
gl.bufferData(gl.ELEMENT_ARRAY_BUFFER, new Uint16Array(indices),
    gl.STATIC_DRAW);// Alocate memory for the index buffer
gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, null);
```


## Shaders

A WebGL program is divided in two components; the control code and the shader program. The control code is executed in the system's CPU while the shader code is executed in the system's GPU. Since the control code binds data to the GPU's memory, it is available for processing in the shader.

## The vertex shader

The vertex shader is a programmable unit that operates on incoming vertex values and their associated data (normal, color, and so on). The vertex processor usually performs graphic operations such as the following:

- Vertex transformation
- Normal transformation and normalization
- Texture coordinate generation
- Texture coordinate transformation
- Lighting
- Color material application


## Vertex transformation with a basic vertex shader

The following code is the most basic vertex shader code. In this example, we have provided two inputs to the shader from the control code:

- Attributes: Per-vertex data supplied using vertex arrays
- Uniforms: Constant data used by the vertex shader

The aVertexPosition attribute holds the vertex position and the mvMatrix and pMatrix uniforms hold the ModelView and the projection matrices respectively, as shown in the following code snippet:

```
<scriptid="shader-vs" type="x-shader/x-vertex">
    attribute vec3 aVertexPosition;
    uniform mat4 mvMatrix;
    uniform mat4 pMatrix;
    void main(void) {
        gl_Position = pMatrix * mvMatrix * vec4(aVertexPosition, 1.0);
    }
</script>
```

In the preceding code, we first applied a ModelView transformation on a single vector/vertex. We then applied the projection transformation and set the result to the varying gl_Position vector. The varying gl_Position variable is declared automatically. The gl_Position variable contains the transformed vertex of the object. It is called the per-vertex operation, since this code is executed for each vertex in the scene. We will discuss shortly how we pass the vertex position (attribute) and transformation matrix (uniform) to the vertex shader from the control code.

## The fragment shader

After the vertex shader has worked on vertex attributes (such as position), the next phase is the primitive assembly stage. In the primitive assembly stage, primitive objects such as lines and triangles are clipped and culled. If a primitive object lies partly outside the view frustum (the 3D region that is visible on the screen), then it is clipped; if it lies completely outside, then it is culled. The next phase is rasterization. In this phase, all primitives are converted to two-dimensional fragments, also called pixels. These fragments are then processed by the fragment shader.

A fragment shader performs the following functions:

- Operations on interpolated values
- Texture access
- Texture application
- Fog
- Color sum

The following listed code is the most basic fragment shader. In this code, we simply apply a constant color value to each fragment of our scene:

```
<scriptid="shader-fs" type="x-shader/x-fragment">
    precisionmediump float;
    void main(void) {
        gl_FragColor = vec4(1.0, 1.0, 1.0, 1.0);
    }
</script>
```

The gl_FragColor variable is declared automatically and the color for each fragment is set. For the purpose of making this shader extremely simple, we did not load any data to the shader; we generally passed these values to the fragment shader. The values are as follows:

- Varying variables: Outputs of the vertex shader that are generated by the rasterization unit for each fragment using interpolation
- Uniforms: Constant data used by the fragment shader
- Sampler: A specific type of uniform that represents textures used by the fragment shader


## Shader variable qualifiers

Shader variables can be qualified as uniform, attribute, varying, and constant.

## Attributes

Attribute-qualified variables are used for data that is passed to shaders frequently. Since every vertex has different attributes, we generally use this qualifier for vertex data. Now in our case (square example), each vertex has a different position, hence, we qualify the aVertexPosition vector as the attribute. If each vertex had a different color value, we would have qualified another vector aVertexColor as an attribute.

The following line of code qualifies a vector as an attribute in the vertex shader code:

```
attribute vec3 aVertexPosition;
```

The following code gets the reference/index of the shader variable. The variables (attributes) that are declared in the shaders are initialized in the main control code. In order to initialize them, we need to get a reference to them in the control code. The getAttriblocation function does just that, as shown in the following snippet:

```
function initShaders() {
    shaderProgram.vertexPositionAttribute =
    gl.getAttribLocation(shaderProgram, "aVertexPosition");//
    getting the reference to the attribute aVertexPosition from the
    flow code
}
```

Only floating point scalars, floating point vectors, or matrices can be qualified as an attribute.

## Uniforms

The uniform qualifier, just like the attribute qualifier, is used to pass data to the shaders. But the uniform value should not change per fragment/ primitive operation. A primitive can have many vertices, hence, a uniform cannot be used to qualify per vertex data. However, a primitive might have the same transformation that can be applied to all vertices, hence, the transformation matrix is stored in a variable qualified as a uniform.

The uniform qualified variable cannot be modified inside the shader. Also, vertex shaders and fragment shaders have a shared global namespace for uniforms, so, uniforms of the same name will be the same in vertex and fragment shaders. All data types and arrays of all data types are supported for uniform qualified variables.

Let's take a look at how we load uniform data to shaders.

The following lines of code qualify a matrix as a uniform in the fragment shader code:

```
uniform mat4 mvMatrix;
uniform mat4 pMatrix;
```

The following is the code to get the reference of the shader uniform variable:

```
function initShaders() {
................................
    shaderProgram.pMatrixUniform =
        gl.getUniformLocation(shaderProgram, "uPMatrix");
    shaderProgram.mvMatrixUniform =
        gl.getUniformLocation(shaderProgram, "uMVMatrix");
..........................
.............................
}
```

The following is the code to load data to a uniform:

```
function setMatrixUniforms() {
    gl.uniformMatrix4fv(shaderProgram.pMatrixUniform, false,
        pMatrix);
    gl.uniformMatrix4fv(shaderProgram.mvMatrixUniform, false,
        mvMatrix);
}
```

Please note that we chose to qualify the transformation matrix as a uniform because we know that the transformation matrix will not change for one particular primitive rendering operation.

## The varying qualifier

The varying qualifier is the only way a vertex shader can communicate results to a fragment shader. These variables form the dynamic interface between vertex and fragment shaders. Let's consider a case where each vertex of a primitive, such as a triangle, has a different color and we add light to our scene. Lights might change the color at each vertex. Now, in our vertex shader, we will calculate the new color value of each vertex and share the new color value to the fragment shader using a varying qualified vector; the fragment shader interpolates the color between vertices and sets the color of each fragment/ pixel. A vertex shader writes to a varying variable and that value is read in the fragment shader.

## Compiling and linking shaders

Shaders exist as independent programs. The following code retrieves the source of these programs by simple JavaScript functions such as getDocumentElementById. Then, the three WebGL functions, createShader, shaderSource, and compileShader, initialize and compile the shaders, as shown in the following code snippet:

```
function createShader(gl, id) {
    var shaderScript = document.getElementById(id);
    if (!shaderScript) {
        return null;
    }
    var str = "";
    var k = shaderScript.firstChild;
    while (k) {
        if (k.nodeType == 3) {
            str += k.textContent;
        }
        k = k.nextSibling;
    }
    var shader;
    if (shaderScript.type == "x-shader/x-fragment") {
        shader = gl.createShader(gl.FRAGMENT_SHADER);
    } else if (shaderScript.type == "x-shader/x-vertex") {
            shader = gl.createShader(gl.VERTEX_SHADER);
    } else {
    return null;
    }
    gl.shaderSource(shader, str);
    gl.compileShader(shader);
    if (!gl.getShaderParameter(shader, gl.COMPILE_STATUS)) {
        return null;
    }
    return shader;
}
function initShaders() {
    var fragmentShader = createShader(gl, "shader-fs");
    var vertexShader = createShader(gl, "shader-vs");
    shaderProgram = gl.createProgram();
    gl.attachShader(shaderProgram, vertexShader);
    gl.attachShader(shaderProgram, fragmentShader);
```

```
gl.linkProgram(shaderProgram);
if (!gl.getProgramParameter(shaderProgram, gl.LINK_STATUS)) {
    alert("Shaders cannot be initialized");
}
gl.useProgram(shaderProgram);
shaderProgram.vertexPositionAttribute =
    gl.getAttribLocation(shaderProgram, "aVertexPosition");
gl.enableVertexAttribArray
    (shaderProgram.vertexPositionAttribute);
shaderProgram.pMatrixUniform =
    gl.getUniformLocation(shaderProgram, "uPMatrix");
shaderProgram.mvMatrixUniform =
    gl.getUniformLocation(shaderProgram, "uMVMatrix");
}
```

The createShader () function parses our HTML document tree; it then loads the shader code in the string variable before assigning it to context for compiling. The parent function initShaders () first creates the program object and then attaches shaders to the program object. The final step is linking. Our two different shaders need to work together. The link step verifies that they actually match up. If the vertex shader passes data on to the fragment shader, the link step makes sure that the fragment shader actually accepts that input. The two shader sources are compiled into a program, which is passed to the useProgram () function to be used. The last few lines of the function get references/indexes to the attribute and uniform variables so that we can later associate attributes to the buffer objects.

## Associating buffer objects with shader attributes

We know how to allocate a buffer object and have understood how to get a reference to the shader attribute. Now, we need to associate the buffer object to the vertex shader attribute, so that the following shader code knows where to load its data from. The first line of the following code makes the buffer that we need to associate as the current buffer. The second line associates the current buffer (squareVertexPositionBuffer) with the shader attribute (shaderProgram. vertexPositionAttribute):

```
gl.bindBuffer(gl.ARRAY_BUFFER, squareVertexPositionBuffer);
gl.vertexAttribPointer(shaderProgram.vertexPositionAttribute,
    squareVertexPositionBuffer.itemSize, gl.FLOAT, false, 0, 0);
```

The parameters of the function glVertexAttribPointer are defined as follows:

```
void glVertexAttribPointer(Index,Size,Type,Norm,Stride,Offset)
```

The parameters of the function glvertexAttribPointer () are explained as follows:

- Index: This parameter specifies the reference to the vertex.
- Size: This parameter specifies the number of components specified in the vertex. Valid values are 1 to 4 .
- Type: This parameter specifies the data format. Valid values are Byte, UNSIGNED_BYTE, FLOAT, SHORT, UNSIGNED_SHORT, and FIXED.
- Norm: This parameter is used to indicate whether the non-floating data format type should be normalized when converted to a floating point value. Use the value false.
- Stride: The components of the vertex attribute specified by size are stored sequentially for each vertex. The stride parameter specifies the delta between data for vertex index I and vertex ( $\mathrm{I}+1$ ). If stride is 0 , the attribute data for all vertices is stored sequentially. If Stride is $>0$, then we use the stride value as the pitch to get vertex data for the next index.
- Offset: This is the byte position of the first element of each attribute array in the buffer. This parameter is used to create interleaved arrays.


## Drawing our primitive

We need to understand two drawing functions that we will use frequently. One of them is the drawArray () function:

```
gl.drawArrays(Mode, Offset, Count)
```

The parameters of the drawArray () function are explained as follows:

- Mode: This relates to the primitives you would like to render. Valid values are POINTS, LINES, LINE_STRIP, LINE_LOOP, TRIANGLES, TRIANGLE_STRIP, and TRIANGLE_FAN.
- Offset: This is the starting vertex index in the enabled vertex array.
- Count: This is the number of indices to be drawn.

The Mode parameter needs further explanation. When drawing 3D primitives/ models, we pass the vertices array. While drawing, the interconnection of vertices is decided by the mode parameter. The following diagram shows the array of vertices in the actively bound buffer:

The drawArrays () function will treat the vertices of the preceding diagram based on the Mode parameter. If you want to draw a wire mesh, you will use the LINE_XXXX mode values. If you want to draw solid geometries, you will use the TRIANGLE_XXXX mode values.

We have listed the drawArrays function call with different mode values, as follows:

```
gl.drawArrays(gl.LINES, 0, vertexPositionBuffer.numItems);
gl.drawArrays(gl.LINE_STRIP, 0, vertexPositionBuffer.numItems);
gl.drawArrays(gl.LINE_LOOP, 0, vertexPositionBuffer.numItems);
```

The following diagram shows how WebGL will draw the same set of vertices with the LINE_XXX option:

| V0 V1 <br> V2 V3 <br> V4  <br>  Lines <br>   |  |  |
| :---: | :---: | :---: |
| LINES draw a series of unconnected line segments. Three individual lines are drawn given by (VO, V1), (V2, V3), and (V4, V5). A total of Count / 2 segments are drawn. | LINE_STRIP draws a series of connected line segments. Three line segments are drawn given by (VO, V1), (V1, V2), and (V2, V3). A total of (Count - 1) line segments are drawn. | LINE LOOP works similar to GL_LINE_STRIP, except that a final line segment is drawn from Vn-1 to VO. Four line segments drawn are (V0, V1), (V1, V2), (V2, V3), (V3, V4), and (V4, VO). A total of Count line segments are drawn. |

The following code shows the different parameters passed to the drawArrays function to draw geometries:

```
gl.drawArrays(gl.TRIANGLES, 0, vertexPositionBuffer.numItems);
gl.drawArrays(gl.TRIANGLE_STRIP, 0,
    vertexPositionBuffer.numItems);
gl.drawArrays(gl.TRIANGLE_LOOP, 0, vertexPositionBuffer.numItems);
```

The following diagram shows how WebGL will draw the same set of vertices with the TRIANGLE_XXX option:

|  |  |  |
| :---: | :---: | :---: |
| TRIANGLES draw a series of separate triangles. Two triangles given by vertices (VO, VI, V2) and (V3, V4, V5) are drawn. A total of Count / 3 triangles are drawn. | TRIANGLE STRIP draws a series of connected triangles. Three triangles are drawn given by (V0, V1, V2), and (V2, V1, V3) (note the order). (Count - 2 ) triangles are drawn. | TRIANGLE FAN also draws a series of connected triangles. The triangles drawn are (V0, V1, V3), and (V1, V2, V3). (Count - 2) triangles are drawn. |

The following function shows the usage of drawArrays with the gl. Points mode value:

```
gl.drawArrays(gl.POINTS, 0, vertexPositionBuffer.numItems);
```

The following diagram shows how WebGL will draw the same set of vertices with the POINTS option:


The drawArrays function is effective when we have simple geometry; for complex geometry, we use the drawElements function call:

```
gl.drawElements(Mode, Count, Type, Offset)
```

The drawElements function uses the index buffer object and the drawArrays function uses the vertex buffer object to read the data. The parameters of the drawElements function are explained as follows:

- Mode: This is similar to the drawArrays function.
- Count: This specifies the number of indices to draw.
- Type: This specifies the type of element indices stored in indices. Valid values are UNSIGNED_BYTE, UNSIGNED_SHORT, and UNSIGNED_INT.
- Offset: This is the starting vertex index in the enabled vertex array.


## Drawing using vertex buffer objects

Please open the file 01-SquareWithDrawArrays.html in your favorite text editor. The HTML page has three script sections:

- The script section marked with id="shader-fs" and type="x-shader/xfragment " contains the fragment shader code
- The script section marked with id="shader-vs" and type="x-shader/xvertex" contains the vertex shader code
- The script section marked type="text/JavaScript" contains the control code

The HTML code invokes the start () function on loading its body. The start () function performs the following functions :

- Gets the canvas object using the document.getElementById ("squareWithD rawArrays"); function.
- Invokes the initGL (canvas) function that obtains the WebGL context using the canvas.getContext () function and stores it in a global variable, gl. All WebGL API functions are accessed through the context.
- Invokes the initShaders () function, which in turn invokes the getShader (context, type) function. The getShader () function loads both scripts in by parsing the document object. It loads the script in a string object, compiles it, and returns the shader object. Then, the initShaders () function creates a program object. It then attaches both the shaders (fragment and vertex) to the program object. Then, the program object is linked to the WebGL context and activated using the context's useProgram (shaderProgram) function. Then, the aVertexPosition shader attribute provides the location that is requested in the control code using the gl.getAttribLocation (shaderProgram, "aVertexPosition"); function. This location is stored in the vertexPositionAttribute variable of the shaderProgram object. This vertexPositionAttribute is then activated using the gl. enableVertexAttribArray () function. Then the location and both uniforms (ModelView transformation and projection transformation) are stored in the shader program object.
- Invokes the initBuffers () function. This function creates the vertices array with four vertices, creates a vertex buffer object, makes it the current buffer using the API function gl.bindBuffer ( $g l . A R R A Y \_B U F F E R$, vertexPositionBuffer), and creates the actual memory to store the vertices in the GPU memory using the API function gl. bufferData (gl. ARRAY_BUFFER, new Float32Array(vertices), gl.STATIC_DRAW). Then, it clears or paints the canvas using the gl.clearColor (red, green, blue, al pha) function. It also enables depth-testing (this will be discussed shortly).
- The final drawing happens in the drawScene () function. First, it sets the size of the viewport equal to the size of the canvas object using the gl.viewport(0, 0, gl.viewportWidth, gl.viewportHeight); API function. Then, it clears the COLOR and DEPTH framebuffers (to be discussed shortly). It initializes the projection perspective matrix using the mat 4. perspective(40, gl.viewportWidth / gl.viewportHeight, 0.1, 1000.0, pMatrix) function.
- The drawScene () function then initializes the ModelView matrix mat 4. identity (mvMatrix) ; and applies a translation transform to the ModelView matrix. The matrix now contains one transformation which would move an object to $z=-7$ in the world coordinate.
- The drawScene () function then makes the vertexPositionBuffer parameter the current buffer using the gl.bindBuffer (gl.ARRAY_BUFFER, vertexPositionBuffer) function and associates the current buffer object to the shader attribute using the gl . vertexAttribPointer () function. The setMatrixUniforms () function associates the ModelView matrix and projection matrix to the corresponding shader program uniforms using the gl.uniformMatrix4fv() function.

Finally, we invoke the drawArrays () function, which basically draws the square with two triangles using the vertices [ $\mathrm{v} 0, \mathrm{v} 1, \mathrm{v} 2]$ and $[\mathrm{v} 2, \mathrm{v} 0, \mathrm{v} 3]$ since the drawing mode was TRIANGLE_STRIP.

Hence, for every WebGL application, the basic program flow would be similar to the following:

- Create the WebGL context
- Load, compile, link, and attach shaders
- Initialize vertex buffers and index buffers
- Apply transform and associate buffer objects to shader attributes
- Call the drawArrays or drawElements functions


## Drawing using index buffer objects

Open the 01-SquareWithDrawIndexArrays.html file in your favorite text editor, which has the following code:

```
function initBuffers() {
    vertexPositionBuffer = gl.createBuffer();
    indexBuffer = gl.createBuffer();
    gl.bindBuffer(gl.ARRAY_BUFFER, vertexPositionBuffer);
    gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, indexBuffer);
    vertices = [
                1.0, 1.0, 0.0, //vo
                -1.0, 1.0, 0.0, //v1
                1.0, -1.0, 0.0, //v2
            -1.0, -1.0, 0.0 //v3
    ];
    indices = [0,2,3,0,3,1];
    gl.bufferData(gl.ARRAY_BUFFER, new Float32Array(vertices),
        gl.STATIC_DRAW);
    vertexPositionBuffer.itemSize = 3;
    vertexPositionBuffer.numItems = 4;
    gl.bufferData(gl.ELEMENT_ARRAY_BUFFER, new Uint16Array(indices),
        gl.STATIC_DRAW);
    gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, null);
}
```

In this code, we change the initBuffer () function to create index buffers. First, we initialize our array of indices and then create a new buffer of type gl. ELEMENT_ ARRAY_BUFFER, ; we then allocate memory for it using the bufferData () function. The process is shown in the following code snippet:

```
function drawScene() {
    gl.viewport(0, 0, gl.viewportWidth, gl.viewportHeight);
    gl.clear(gl.COLOR_BUFFER_BIT | gl.DEPTH_BUFFER_BIT);
    mat4.perspective(40, gl.viewportWidth / gl.viewportHeight, 0.1,
        1000.0, pMatrix);
    mat4.identity(mvMatrix);
    mat4.translate(mvMatrix, [0.0, 0.0, -7.0]);
    gl.bindBuffer(gl.ARRAY_BUFFER, vertexPositionBuffer);
    gl.vertexAttribPointer(shaderProgram.vertexPositionAttribute,
        vertexPositionBuffer.itemSize, gl.FLOAT, false, 0, 0);
```

```
    setMatrixUniforms();
    gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, indexBuffer);
    gl.drawElements(gl.TRIANGLES, indices.length,
    gl.UNSIGNED_SHORT,0);
```

\}

In the drawscene () function, we make the indexBuffer parameter our current g1.ELEMENT_ARRAY_BUFFER constant. Then, we use a drawElements () function with the TRIANGLES mode option.

## Debugging a WebGL application

A WebGL application is divided into control code and shader code. We can easily debug the control code using a simple JavaScript API, console.log (canvas).

The JavaScript API console. $\log ()$ is not compatible with some browsers, but you can use the wrapper library at https://code.google.com/p/console-js/for usage across browsers.

We cannot debug a shader code with a simple JavaScript API. If something goes wrong, all we would see is a black window. Fortunately for us, there is a great Chrome extension named WebGL inspector (http://benvanik.github.io/WebGLInspector/) to help us debug our applications.

Simply install the extension in Google Chrome from https://chrome.google.com/ webstore/detail/webgl-inspector/ogkcjmbhnfmlnielkjhedpcjomeaghda. We can enable the extension in the Settings menu in Google Chrome. Please refer to the following screenshot:

| Chrome | Extensions | $\square$ Developer mode |
| :---: | :---: | :---: |
| History <br> Extensions <br> Settings <br> Help | AdBlock 2.6.16 <br> The most popular Chrome extension, with over 15 million users! Blocks ads all over the web. Permissions Visit website Allow in incognito Options <br> Skype Click to Call $\quad$ 5.6.0.8442 <br> Skype Click to Call Permissions Allow in incognito $\square$ Allow access to file URLs <br> WebGL Inspector $\quad 1.13$ <br> Debug, diagnose, and explore WebGL scenes. Permissions Visit website Allow in incognito Allow access to file URLs | Enabled <br> Enabled <br> Installed by a third party. <br> Enabled <br> Keyboard shortcuts |

This extension helps debug, diagnose, and explore WebGL games. After enabling it, whenever we render any WebGL scene, a tag GL will appear on the address bar on the right-hand side. When we click on it, two tabs, Capture and UI, appear on the right-hand side of the screen. The UI tab opens the debugging window, as shown in the following screenshot:


The debugging window shows us complete information about the buffers, textures, and variable state of the application.

## Summary

In this chapter, we got to grips with basic terms such as vertices, indices, vectors, and mesh. We covered a very basic shader and rendered a square using the simple WebGL API. We covered basic variable qualifiers (attribute, uniform, and varying) of the shader language. We covered the basics of loading and compiling a shader program. The core concept of allocating a buffer (vertex buffer objects and index buffer objects) and the processing of attributes in a shader was also covered.

We also discussed components of the WebGL's rendering pipeline, such as vertex shaders, the rasterizer, and fragment shaders.

In the next chapter, we will improve our shader by adding light and material to the objects in the scene.

## 2 <br> Colors and Shading Languages

We have been teleported to 5000 AD. We know the basics, but we still have to create our survival kit to fight Mr. Green. Our survival kit's raw materials will be some basic code packets. These code packets will form the core rendering engine of our WebGL game. Although we will take the simplest approach, we will keep evolving and structuring these particular code packets as we move along.

Before we dive into shading models, we will cover how to render complex geometries. A very important aspect of 3D gaming is the ability to render 3D models exported from tools such as Blender. We will learn how to export basic 3D models and also understand the basic Wavefront OBJ file format. We will learn how to parse the OBJ file format to convert to the JSON format. Then, we will load the JSON file format in our game.

Our survival kit in 5000 AD will cover the following topics:

- Adding colors to primitive objects
- Exporting 3D objects from tools such as Blender
- Understanding directional lights
- Making our objects respond to light and reflection algorithms
- Shading models


## Understanding colors

Similar to most graphics systems, WebGL also uses the RGBA model to illuminate pixels on a screen. The alpha channel (A) is the extended attribute to denote the opacity of an object. We will use this value for advanced techniques, such as blending, in the following chapters. Each value of RGBA ranges from 0.0 (none) to 1.0 (full intensity) in WebGL. The value of 1.0 for the alpha channel will denote that the object is opaque and the value of 0.0 will denote that the object is transparent.

We will store color values in the vec4 data type as follows:

```
var color=
    vec4.fromValues(0.0,0.0,1.0,1.0);//(red,green,blue, alpha)
//Blue color with full intensity
var color=
    vec4.fromValues(1.0,0.0,0.0,1.0);//Red color with full intensity
```

Colors in WebGL are used to represent object material properties, light properties, and painting/clearing of the WebGL context.

Like vertices' positions, color values are stored for shaders in vertex buffer objects.

## Coloring our square

Our example uses per-vertex coloring. Per-vertex coloring is rarely used in gaming applications. It is mostly used in engineering applications, but it is a good example to start with as you might run into cases where you need to use per-vertex coloring in games.

In our previous examples, we discussed that each vertex had a position. These positions were stored in flat arrays. In our example of the square, we had four vertices shared between two triangles. Now, we will assign color [R, G, B] values to each vertex so that we get the square colored as shown in the following screenshot:


## Coloring using the vertex color

Open the 02-SqaureDrawIndexArrayColor.html file in your favorite text editor.
The shader code for the vertex color is as follows:

```
<script id="shader-vs" type="x-shader/x-vertex">
    attribute vec4 aVertexColor;
    //Attribute hold color for each vertex
    varying lowp vec4 vColor;
    //Varying qualifier to pass vertex color to fragment shader
    void main(void) {
        vColor = aVertexColor; //Assign attribute value to varying to
            be used in shader
    }
</script>
<script id="shader-fs" type="x-shader/x-fragment">
    precision mediump float;
    varying lowp vec4 vColor;//Varying qualifier to get values from
            vertex shader
    void main(void) {
        gl_FragColor = vColor;//Assign value to be used in shader
    }
</script>
```

The preceding code denotes changes to the vertex and fragment shaders used previously in our examples. Three changes in the vertex shader are as follows:

- We create an attribute (avertexColor) to get the vertex color value from the control JavaScript code.
- We create a varying variable to pass this color value to the fragment shader. You might wonder why we did not create a uniform qualifier and pass it directly to the fragment shader from the control code. We will do this in cases where the whole primitive has the same color value. In our case, the primitive is the triangle, and each vertex has a different value. We only use the uniform qualifier for variables whose value does not change across a primitive (across the face of a triangle). Therefore, in our case, we created an attribute which received each value of the vertex from the buffer. Then, we passed this value to the fragment shader using the varying variable. Remember, varying is the only qualifier used to pass values from the vertex shader to the fragment shader. The varying values are interpolated by the hardware, as explained in Chapter 1, Getting Started with WebGL Game Development.
- We assign the value of the aVertexColor attribute to the varying variable vColor.

Two changes in the fragment shader are as follows:

- We create a varying variable, vcolor, whose value we will receive from the fragment shader.
- We assign the value to the predefined gl_FragColor variable.

The control code for the vertex color is as follows:

```
function initBuffers() {
..
// Array of color values, one for each vertex
    var colors = [
        1.0, 1.0, 1.0, 1.0, // white
        1.0, 0.0, 0.0, 1.0, // red
        0.0, 1.0, 0.0, 1.0, // green
        0.0, 0.0, 1.0, 1.0 // blue
    ];
...
...
    ...
    //New Buffer to hold colors
    colorBuffer = gl.createBuffer();
    //Created reference to the new buffer, made it the active buffer
        for further operations
    gl.bindBuffer(gl.ARRAY_BUFFER, colorBuffer);
    //Allocated memory for the buffer and stored color values
    gl.bufferData(gl.ARRAY_BUFFER, new Float32Array(colors),
        gl.STATIC_DRAW);
}
```

The preceding code denotes changes to the initBuffer() function. In the earlier initBuffer () function, we created and allocated a buffer for indices and the vertex positions. In the new initBuffer () function, we allocated memory to store the color data as well. Also, note that the buffer type is ARRAY_BUFFER to store color values; we use ELEMENT_ARRAY_BUFFER to store only indices.

The following code gets the reference to the aVertexColor attribute and enables it. The variables are declared in shaders but are initialized in the control flow code. Hence, we obtain a reference to them, as shown in the following code:

```
function initShaders() {
    shaderProgram.vertexColorAttribute =
            gl.getAttribLocation(shaderProgram, "aVertexColor");// Getting
            the reference to the attribute aVertexColor from the flow code
    gl.enableVertexAttribArray(shaderProgram.vertexColorAttribute);
    //Enabling the vertex color attribute.
}
```

We just added two lines. The first line activates the buffer object and the second line associates the buffer object to the vertex shader attribute aVertexColor through the reference vertexColorAttribute. The following is the code for the drawScene () function:

```
function drawScene() {
    //Activate the buffer object colorBuffer for operations
    gl.bindBuffer(gl.ARRAY_BUFFER,colorBuffer);
    //Associating buffer object(colorBuffer) with shader attribute
        aVertexColor whose refrence is in vertexColorAttribute
    gl.vertexAttribPointer(shaderProgram.vertexColorAttribute, 4,
        gl.FLOAT, false, 0, 0);
    gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, indexBuffer);
    gl.drawElements(gl.TRIANGLES, indices.length,
        gl.UNSIGNED_SHORT,0);
}
```

We assigned four color values to each vertex. But, each vertex corresponds to each fragment (pixel on our screen). Hence, the magic happens in the rendering pipeline. We assign a color value to each vertex, and WebGL interpolates it by taking the corresponding calculated color for the vertices surrounding the corresponding fragment (pixel). Hence, you see a gradient from blue to red, green to white, and so on, as shown in the following diagram:


The in-between colors are interpolated values by the GPU.

## Learning more about colors

In the preceding example, we learned about how to color a simple object by providing a color for each vertex, but in a game, to color an object, we do not generally use vertex colors, but we add a material to an object instead. A material can be modeled by defining parameters such as textures and color. In this chapter, we will model our materials only with color. Material colors are usually modeled as triplets in the RGB (Red, Green, and Blue) space.

However, the material does not solely decide how the object will appear in your game. The final color of a fragment is defined by how the object is oriented in the scene and lights in the scene. A light is defined by parameters such as direction, position, and colors. Hence, the final color of a fragment is decided by material, orientation (normals), and light intensity.

## Understanding surface normals for lighting calculations

A surface normal (or just normal) is a vector that is perpendicular to a surface at a particular position. Surface normals and vector normals are explained in the following diagram:


A normal is defined as the cross-product of any two nonparallel vectors that are tangent to the surface at a point. We have to have a normal for each vertex of an object. To calculate the normal of a vertex, we will need to do as depicted in the following diagram:


Hence, for the vertex V2, its normal would be as follows:
V2 = (V1 - V2) x (V2 - V3)

The value of the first vector is as follows:

$$
\text { Vector } 1=\text { V1 - V2 }
$$

The value of the second nonparallel vector is as follows:
Vector 2 = V2-V3
V1, V2, and V3 are the three vertices of a triangle primitive.
The calculation of the normal at a vertex shared by multiple triangles/ primitives is a little complicated as both primitives contribute to its calculation. The following diagram shows a vertex, V4, shared between triangles $\mathbf{1}$ and $\mathbf{2}$ :


Hence, if two primitives, (V1, V2, V4) and (V2, V4, V3), share a common vertex, V4, then we will calculate $\mathbf{N} 1$ from the primitive $1(V 1, V 2, V 3)$ and $\mathbf{N} 2$ from the primitive 2 (V2, V3, V4), and the final normal N on vertex V4 would be the vector sum of $\mathbf{N} 1$ and $\mathbf{N} 2$.

## Calculating normals from vertices and indices

Open the 02 -NormalCalculation.html file in your favorite text editor. A normal is the cross-product of the vectors with common vertices as discussed in the preceding section. The following code calculates the normals array from the vertices and indices arrays:

```
function calculateVertexNormals(vertices,indices){
    var vertexVectors=[];
    var normalVectors=[];
    var normals=[];
    for(var i=0;i<vertices.length;i=i+3){
        var vector=
            vec3.fromValues(vertices[i],vertices[i+1],vertices[i+2]);
        var normal=vec3.create();//Initialized normal array
        normalVectors.push(normal);
        vertexVectors.push(vector);
    }
```

```
for(var j=0;j<indices.length;j=j+3)//Since we are using triads
    of indices to represent one primitive
{
    //v1-v0
    var vectorl=vec3.create();
    vec3.subtract (vector1, vertexVectors[indices[j+1]],
        vertexVectors[indices[j]]);
    //v2-v1
    var vector2=vec3.create();
    vec3.subtract(vector2,vertexVectors[indices[j+2]],
        vertexVectors[indices[j+1]]);
    var normal=vec3.create();
    //cross-product of two vectors
    vec3.cross(normal, vector1, vector2);
    //Since the normal caculated from three vertices is the same for
        all the three vertices(same face/surface), the contribution
        from each normal to the corresponding vertex is the same
    vec3.add(normalVectors[indices[j]],
        normalVectors[indices[j]],normal);
    vec3.add(normalVectors[indices[j+1]],
        normalVectors[indices[j+1]],normal);
    vec3.add(normalVectors[indices[j+2]],
        normalVectors[indices[j+2]],normal);
}
for(var j=0;j<normalVectors.length;j=j+1){
    vec3.normalize(normalVectors[j],normalVectors[j]);
    normals.push(normalVectors[j][0]);
    normals.push(normalVectors[j] [1]);
    normals.push(normalVectors[j] [2]);
}
return normals;
}
```

In the preceding code, the calculateVertexNormals function takes the vertices and indices arrays. The triads of elements of the vertex array define a single vertex; hence, we create a vec3 object of each triad. Each triad of the indices array defines vertices of a triangle; hence, when we iterate over the array, we get all the vertices of the triangle from the vertexVectors array. From these vertices, we calculate the normal for that particular vertex. As all three vertices belong to the same face/ surface/triangle, the normal of each vertex is the same. Therefore, we calculate only one normal and add it to all the normals of the three vertices. The last loop iterates over the normalVector array, normalizes it, and then unpacks the vec3 object to generate the normal array. We only need the direction of the normal and not its magnitude, since normals are unit vectors.

## Understanding normal transformation

The normal is often used in 3D rendering to determine a surface's orientation towards a light source. The following diagram demonstrates the use of the normal to calculate the angle of reflection. We have the direction of light and the surface normal and we need to calculate the direction of the reflected light:


In the upcoming sections, we will discuss how normals are used in reflection/ illumination models. These models will be used to calculate color values of the individual fragments of an object.

Like vertices, normals have to be transformed. The normals we calculated in the preceding section are in object space. If the model is translated or rotated, we have to transform the vertices to world space. Similarly, normals have to be transformed to world space as well. To transform normals, we first need to find the transpose of the inverse of the ModelView matrix with the help of the following code:

```
var normalMatrix = mat3.create();
mat4.toInverseMat3(mvMatrix, normalMatrix);
mat3.transpose(normalMatrix);
gl.uniformMatrix3fv(shaderProgram.nMatrixUniform, false,
    normalMatrix);//Pass the normal(of the MV matrix) to the shader
    as a uniform
```

Then, we multiply the ModelView matrix with the normals of the object in the vertex shader using the following code:

```
vec3 transformedNormal = nMatrix * aVertexNormal;
```


## Different types of lights used in games

In gaming, we add light sources. These light sources can have different lighting effects on our scene and objects. The distinct features of an object only appear if we have added a light to our scene. A scene should have at least one light. The appearance of an object will depend on the direction and position of the light. The following light sources are classified by their distance and direction.

## Directional lights

A directional light is produced by a light source placed at an infinite distance from the object/scene. All of the light rays emanating from the light strike the polygons in the scene from a single parallel direction and with equal intensity.

Sunlight is an example of a directional light. It is defined by properties such as color, intensity, and direction.

## Point lights

A point light is produced by a light source that gives off equal amounts of light in all directions. Primitives that are closer to the light appear brighter than those that are further away. The intensity varies with distance.

In a game, we will need point lights, similar to the street lamps shown as positional lights in Chapter 3, Loading the Game Scene. Point lights are defined by properties such as color, intensity, location, and falloff function.

## Spotlights

A spotlight is produced by a light source that radiates light in a cone with maximum intensity at the center, gradually tapering off towards the sides of the cone. The simplest spotlight would just be a point light that is restricted to a certain angle around its primary axis of direction.

A car headlight would be an example of a spotlight. It is defined by properties such as color, intensity, location, an axis of direction, a radius about that axis, and possibly a radial falloff function.

The three light sources are shown in the following diagram:


## Ambient lighting

All game scenes have at least one ambient light that produces a uniform illumination. The properties of ambient light are as follows:

- It is generated by a nondirectional light source
- It simulates light that has been reflected so many times from so many surfaces that it appears to come equally from all directions
- Its intensity is constant over a polygon's surface
- The position of the viewer is not important
- Its intensity is not affected by the position or orientation of the polygon in the world
- It is generally used as a base lighting in combination with other lights

The following formula calculates the intensity of light after reflection from an object which has ambient properties:
I = Іa Ка

The parameters of the preceding formula are as follows:

- I: Intensity
- Ia: The intensity of the ambient light
- Ka: The object's ambient reflection coefficient; 0.0 to 1.0 for each of the $\mathrm{R}, \mathrm{G}$, and B values


## Diffuse reflection (Lambertian reflection)

Diffuse reflection is the reflection of light from a surface such that an incident ray is reflected at many angles rather than just one angle. The properties of diffuse reflection are as follows:

- The brightness of a polygon depends on theta - the angle between the surface normal ( N ) and the direction of the light source ( L )
- The position of the viewer depends on whether we use a directional light or a point light

The following formula calculates the intensity of the reflected diffuse light from an object with a diffuse material component:

$$
\mathrm{I}=\mathrm{Ip} \mathrm{Kd}\left(\mathrm{~N}^{\prime} . \mathrm{L}^{\prime}\right)
$$

The parameters of the preceding formula are as follows:

- I: Intensity
- Ip: The intensity of the point light
- Kd: The object's diffuse reflection coefficient; 0.0 to 1.0 for each of the R, G, and $B$ values
- $N^{\prime}$ : The normalized surface normal/vertex normal
- $L^{\prime}$ : The normalized direction to the light source
- .: Represents the dot product of the two vectors


## Specular reflection

Specular reflection is the reflection of shiny surfaces. You will see a highlight on the object/model. A shiny metal or plastic surface has a high specular component while chalk or carpet has a very low specular component. The following diagram shows the effect of different light components on geometry:


## Understanding object materials

A material is a description of the surface of a 3D object. The properties detail a material's diffuse reflection, ambient reflection, and specular highlight characteristics. The diffuse and ambient properties of the material describe how a material reflects the ambient and diffuse lights in a scene. As most scenes contain much more diffuse light than ambient light, diffuse reflection plays the largest part in determining the color of a primitive. Diffuse and ambient reflections work together to determine the perceived color of an object and are usually identical values. For example, to render Mr. Green, you create a material that reflects only the green component of the diffuse and ambient lights. When placed in a scene with a white light, Mr. Green appears to be green. However, in a room that has only blue light, Mr. Green would appear to be black because its material does not reflect the blue light.

Specular reflection creates highlights on objects making them appear shiny. It is defined by two properties that describe the specular highlight color as well as the material's overall shininess. You establish the color of the specular highlights by setting the specular property to the desired RGBA color - the most common colors are white or light gray. The values you set in the power property control how sharp the specular effects are.

## Rendering 3D objects

To put our earlier knowledge to use, first we need to learn how to render 3D objects. We will first create a 3D object, a cube or any geometry, in Blender, a free and open source 3D creation software (http://www.blender.org/).

We will then export this 3D model as a Wavefront object file. The Wavefront .obj format will then be parsed via a Python script and will be converted and saved as a JSON file. We use the JSON format as it can be easily parsed by JavaScript. We can parse an OBJ file in JavaScript as well but it would be time-consuming and slow.

## Exporting a 3D object from Blender

The following are the steps we need to perform to export an object from Blender:

1. Open Blender and go to Add | Mesh | Cube, as shown in the following screenshot:

Chapter 2

2. Select Cube and go to File \| Export | Wavefront(.obj), as shown in the following screenshot:


- On the left-hand side of the Export OBJ window (refer to the following screenshot), select the following options:
- Include Edges
- Include UVs
- Write Materials
- Triangulate Faces
- Polygroups
- Objects as OBJ Objects
- Objects as OBJ Groups


3. Provide a file name and path to save your OBJ file and you are done.


Two files will be generated, one an OBJ file and the other an MTL file. The OBJ file contains the geometry information and the MTL file contains the material information.

Note that we have selected the Triangulate Faces option. This will split each polygon into a set of three vertices.

## Understanding and loading the Wavefront (OBJ) format

Open the exported .obj file in your favorite text editor. The following is the code of an .obj file; the inline comments are added to give you a better understanding.

We will only explain the section of the file format relevant to this chapter. We will cover texture data in Chapter 4, Applying Textures.

The following code snippet is taken from a .obj file of a monkey model exported from Blender:

```
# Blender v2.64 (sub 0) OBJ File: ''
# www.blender.org
# Material File name
mtllib Monkey.mtl
# The object name exported.
o Monkey
#These are vertex information of the above object
v 0.585466 0.897006 0.581131
v -0.289534 0.897006 0.581131
```

Texture coordinates, in ( $u, v,[w]$ ) format, vary between 0 and 1 . The $w$ coordinate is optional. We will cover this later in Chapter 4, Applying Textures.

The following code snippet from the .obj file lists the vertex normal and the vertex texture data:

```
vt 0.500 1 [0]
# Vertex normals information
vn 0.707 0.000 0.707
vn 0.707 0.000 0.707
...
# Start mapping from the material file; Default None if no material
applied
usemtl [Material name]
# Smoothing is on or off (For Shaders)
s off
#Indices of a surface in our case triangle
f 47 1 3
# We checked to "triangulate" while exporting, hence we have triads in
faces
f 47 3 45
# Vertex/Texture Mapping
```

```
f 3/1 4/2 5/3
#Vertex/Texture Mapping/Normal information
f 6/4/1 3/5/3 7/6/5
#Vertex//Normal
f 6//1 3//3 7//5
```

In the preceding file, the key concept to understand is the three data elements, $\mathrm{v}, \mathrm{vn}$, and vt :

- v : This refers to the vertex indices of an object.
- vn: This refers to the vertex normal information.
- vt: This holds the texture information. We will not use this data element now. It will be discussed in Chapter 4, Applying Textures.

The important element is $£$, faces. A face in an OBJ file defines the properties of each polygon. It has indices of the vertices/normals/textures defined in the preceding file. In the preceding example, a face has three vertices as we had selected the option Triangulate Faces while exporting the file. If we exported without triangulation, we would have had four vertices per face.

The relation between $v, v n$, and $v t$ in $f$ is shown in the following table:

| Cases | Description |
| :---: | :---: |
| Case 1: $\ddagger 1212$ | The element f holds only the vertex information of the face. |
| Case 2: f 2/2 3/5 4/5 | The pair maps the vertices to texture coordinates; the second vertex maps to the second texture coordinate. |
| $\begin{aligned} & \text { Case 3: f } 2 / 2 / 2 \text { 3/2/ } \\ & 43 / 3 / 4 \end{aligned}$ | The value $2 / 2 / 2$ would mean the second vertex is mapped to the second texture coordinate in the vt array and the second element is the normal index in the normal array vn. |
| Case 4: $£ 2 / / 2$ 3//4 3//4 | The value 2 / / 2 would mean the second vertex is mapped to the second normal in the $v$ and $v n$ data elements. |

## Understanding the material file format (MTL)

Open the exported MTL file in your favorite text editor. The following is the code of an MTL file; the inline comments are added to build a better understanding:

```
# Blender MTL File: 'None'
# Material Count: 1
#Material name definition
newmtl [MaterialName]
#Specifies the specular exponent for the current material. This
defines the focus of the specular highlight.
Ns 96.078431
```

```
#The ambient color of the material is declared using Ka. Color in RGB
where value is between 0 and 1.
Ka 0.000000 0.000000 0.000000
#The diffuse color is declared using Kd.
Kd 0.640000 0.640000 0.640000
#The specular color is declared using Ks.
Ks 0.500000 0.500000 0.500000
#Ni optical_density #Specifies the optical density for the surface.
This is also known as index of refraction.
Ni 1.000000
d 1.000000
illum 2
```

The illum data element in the .mtl file helps us understand the illumination model that needs to be applied when using this material. It can be a number from 0 to 10 . The illumination models are summarized as follows:

| Value | Description |
| :--- | :--- |
| 0 | Color on and ambient off |
| 1 | Color on and ambient on |
| 2 | Highlight on |
| 3 | Reflection on and ray trace on |
| 4 | Transparency: glass on; reflection: ray trace on |
| 5 | Reflection: fresnel on and ray trace on |
| 6 | Transparency: refraction on; reflection: fresnel off and ray trace on |
| 7 | Transparency: refraction on; reflection: fresnel on and ray trace on |
| 8 | Reflection on and ray trace off |
| 9 | Transparency: glass on; reflection: ray trace off |
| 10 | Casts shadows onto invisible surfaces |

## Converting the OBJ file to the JSON file format

The JSON file format does not have any particular specification in WebGL. We store our object data in JSON because it is the easiest way to parse in JavaScript. Although we can write our own script to create a JSON file from the OBJ file, we would prefer to use an existing script to do the same:

- Install Python 3.x from https: //www.python.org/downloads/. (Macintosh generally has Python installed.)
- Download the script convert_obj_three.py from https://github.com/ mrdoob/three.js/blob/master/utils/converters/obj/convert_obj_ three. py. (The script is already attached with the chapter code files.)

Use exported files from Blender, objectname.obj and objectname.mt1, in the following command.

If you are using a Mac, open Terminal, or if you are using Windows, open Command Prompt and enter the following command:

```
python convert_obj_three.py -i objectname.obj -o objectname.json
```


## The JSON file

Open the Cube. j son file from the model folder in your favorite text editor.
The following code is of the Cube.json file:

```
{
"metadata" :
    {
        "formatVersion" : 3.1,
        "sourceFile" : "Cube.obj",
        "generatedBy" : "OBJConverter",
        "vertices" : 8,
        "faces" : 12,
        "normals" : 0,
        "colors" : 0,
        "uvs" : 0,
        "materials" : 1
    },
    "scale" : 1.000000,
    "materials": [{
        "DbgColor" : 15658734,
        "DbgIndex" : 0,
        "DbgName" :"",
        "colorAmbient" : [0.0, 0.0, 0.0],
        "colorDiffuse" : [0.80000000000000004, 0.80000000000000004,
            0.800000000000000004],
        "colorSpecular" : [0.800000000000000004, 0.80000000000000004,
            0.800000000000000004],
        "illumination" : 2,
        "specularCoef" : 0.0,
        "transparency" : 1.0
    }],
    "vertices": [-0.446862,0.067651,0.815504,........],
    "morphTargets": [],
    "morphColors": [],
    "normals": [],
    "colors": []
    "uvs": [[]],
```

```
    "faces":
        [2,1,0,4,0,2,1,4,5,0,2,5,6,2,0,2,5,2,1,0,2,6,7,3,0,2,6,
        3,2,0,2,0,3,7,0,2,0,7,4,0,2,0,1,2,0,2,0,2,3,0,2,7,6,5,
        0,2,7,5,4,0]
}
```

The JSON file contains the complete information of the object. It contains information of the materials as well as the vertices and faces arrays. Each triad of elements in the vertices array will form a face. Also note that it supplies information on the number of materials used to render the object. In our case, it is ' 'materials ' ' : 1 in the metadata section. However, the "materials": [] object in the JSON file is an array. In the preceding example, this array has a single element.

Understanding the faces array is pretty exciting. First, note that there are arrays containing UV, color, and the normal information array as well. As the name faces denotes, it stores information on the faces of the polygon. A face will have information on its vertices and the primitive can be a quad or a triangle. The faces array can hold information such as a normal index denoting the face normal, material index, and color, as well as UV indices. All indices point to their corresponding arrays. So, a typical face set would be something like the following code snippet:

```
v1,v2,v3,[v4],[material_index],[face_uv],[face_vertex_uv,
    face_vertex_uv,face_vertex_uv,
    face_vertex_uv],[face_normal],[face_vertex_normal,
    face_vertex_normal, face_vertex_normal,
    face_vertex_normal],[face_color], [face_vertex_color,
    face_vertex_color,face_ve\overline{r}tex_color, fāce_vertex_color],
```

The square brackets [] denote an optional element. Hence, from the preceding string, we understand that a face information set may or may not have all this information. So, how do we know whether our face set has all this information?

We learn about our face set after reading the first element of the array. The value of the first element of the array will range from 1 to 255 . We will first convert this number to an octet. Each bit of the octet has information about the face. The combination of bits helps us understand the number of elements we have to read to get the information for that face, as demonstrated in the following code snippet:

```
00 00 00 00 = TRIANGLE
00 00 01 = QUAD
00 00 10 = FACE_MATERIAL
00 01 00 = FACE_UV
00 10 00 = FACE_VERTEX_UV
01 00 00 = FACE_NORMAL
1000 00 = FACE_VERTEX_NORMAL
00 00 00 = FACE_COLOR
00 00 00 = FACE_VERTEX_COLOR
```

The first element can be one of the elements present in the following table:

| Value | Binary format | Description |
| :--- | :--- | :--- |
| 0 | 00000000 | This face is a triangle, and the next three values will be <br> its vertices. |
| 2 | 00000001 | This is a quad. Hence, the next four elements will be <br> vertices of a quad. |
| 3 | 00000010 | As the last bit is 0, it is a triangle, and the second bit <br> is 1 which means it will face the material index. The <br> first three values will denote the vertex indices (of <br> the earlier vertex array), and the next value will give <br> the material index of the material array (v1, v, v3, <br> material Index). Each element of the material array <br> has information (specular, diffuse, ambient, and so on) <br> of the material used on the object. |
| 4 | As the last bit is 1, it is a quad, and the second bit is <br> 1 which means it will face the material index. Hence, <br> we will read the next five elements (v1, v2, v3, v4, <br> material Index). |  |
| As the last bit is 0, it is a triangle. The second bit is 0 <br> (no material) and the third bit is 1, which means it has <br> a face UV. Hence, we will read the next four elements <br> (v1, v2, v3, faceUVIndex). |  |  |

The following code snippet is taken from a .json file. It shows different data elements and their corresponding meanings:

```
"faces": [
    // triangle
    // 00 00 00 00 = 0
    // 0, [vertex_index, vertex_index, vertex_index]
    0, 0,1,2,
    // quad
    // 00 00 00 01 = 1
    // 1, [vertex_index, vertex_index, vertex_index, vertex_index]
    1, 0,1,2,3,
    // triangle with material
    // 00 00 00 10 = 2
    // 2, [vertex_index, vertex_index, vertex_index],
    // [material_index]
    2, 0,1,2, 0,
    // triangle with material, vertex uvs and face normal
    // 00 10 01 10 = 38
    // 38, [vertex_index, vertex_index, vertex_index],
```

```
    // [material_index], [vertex_uv, vertex_uv, vertex_uv],
    // [face_normal]
    38, 0,1,2, 0, 0,1,2, 0,
    // triangle with material, vertex uvs and vertex normals
    // 00 10 10 10=42
    // 42, [vertex_index, vertex_index, vertex_index],
    // [material_index],[vertex_uv, vertex_uv, vertex_uv],
    // [vertex_normal, vertex_normal, vertex_normal]
    42, 0,1,2, 0, 0,1,2, 0,1,2,
    // quad with everything
    // 11 11 11 11 = 255
    // 255, [vertex_index, vertex_index, vertex_index,
        vertex_index],
    // [material_index],[face_uv],
    //[face_vertex_uv, face_vertex_uv, face_vertex_uv,
        face_vertex_uv],
    // [face_normal],[face_vertex_normal, face_vertex_normal,
    // face_vertex_normal, face_vertex_normal],[face_color]
    // [face_vertex_color, face_vertex_color,
    // face_vertex_color, face_vertex_color],
    255, 0,1,2,3, 0, 0, 0,1,2,3, 0, 0,1,2,3, 0, 0,1,2,3,
]
```


## Parsing the JSON faces array

Open the parseJSon.js file from the primitive folder in your favorite editor. The following function checks whether the bit position is set in an integer:

```
function isBitSet( value, position ) {
    return value & ( 1 << position ) ;
}
```

The following code reads the first element of the array, checks each bit, and stores the Boolean value of the status in the corresponding variable:

```
function parseJSON(data) {
    var faceArray=[];
    var i, j, fi,offset, zLength, nVertices,colorIndex, normalIndex,
        uvIndex, materialIndex,type,isQuad,hasMaterial,hasFaceUv,
        hasFaceVertexUv,hasFaceNormal, hasFaceVertexNormal,
        hasFaceColor, hasFaceVertexColor,vertex, face, color, normal,
        uvLayer, uvs, u, v,
    faces = data.faces,
    vertices = data.vertices,
    normals = data.normals,
    colors = data.colors,
```

```
nUvLayers = 0;
// Count the number of UV elements
for ( i = 0; i < data.uvs.length; i++ ) {
    if ( data.uvs[ i ].length ) nUvLayers ++;
}
offset = 0;
zLength = faces.length;
while ( offset < zLength ) {
    type = faces[ offset ++ ];
    isQuad = isBitSet( type, 0 );
    hasMaterial = isBitSet( type, 1 );
    hasFaceUv = isBitSet( type, 2 );
    hasFaceVertexUv = isBitSet( type, 3 );
    hasFaceNormal = isBitSet( type, 4 );
    hasFaceVertexNormal = isBitSet( type, 5 );
    hasFaceColor = isBitSet( type, 6 );
    hasFaceVertexColor = isBitSet( type, 7 );
```

The following code checks whether the first bit is 0 and then reads the next four values. If it is a triangle, it reads the next three values. For each face definition in the faces array, we create a JavaScript object. The object's predefined properties such as vertices, material Index, and normal Index are then initialized with the data from the array:

```
if ( isQuad ) {
    face = new Face();
    face.a = faces[ offset++ ];
    face.b = faces[ offset++ ];
    face.c = faces[ offset++ ];
    face.d=faces[ offset++ ];
    nVertices = 4;
} else {
    face = new Face();
    face.a = faces[ offset++ ];
    face.b = faces[ offset++ ];
    face.c = faces[ offset++ ];
    nVertices = 3;
}
```

The following code checks for the material and increments the offset:

```
if ( hasMaterial ) {
    materialIndex = faces[ offset++ ];
    face.materialIndex = materialIndex;
}
```

The following code checks whether it has face normals and then reads and stores the index of the normal array. Every face will have a normal:

```
//Just iterating and moving offset index forward. UV not relevant to
this chapter.
if ( hasFaceUv ) {
    for ( i = 0; i < nUvLayers; i++ ) {
        uvIndex = faces[ offset++ ];
    }
}
//Just iterating and moving offset index forward. UV not relevant to
this chapter.
if ( hasFaceVertexUv ) {
    for ( i = 0; i < nUvLayers; i++ ) {
            for ( j = 0; j < nVertices; j++ ) {
                uvIndex = faces[ offset++ ];
        }
    }
}
if ( hasFaceNormal ) {
    normalIndex = faces[ offset++ ] * 3;
    normal = vec3.fromValues(normals[ normalIndex++ ],normals[
        normalIndex++ ],normals[ normalIndex ]);
    face.normal = normal;
}
```

The following code checks whether it has vertex normals and then reads and stores the normal array indices for each vertex of the face. Every vertex of a face will have a normal:

```
if ( hasFaceVertexNormal ) {
    for ( i = 0; i < nVertices; i++ ) {
        normalIndex = faces[ offset++ ] * 3;
        normal = vec3.fromValues(normals[ normalIndex++ ],normals[
            normalIndex++ ],normals[ normalIndex ]);
        face.vertexNormals.push( normal );
    }
}
```

The following code checks whether it has the face color and then reads and stores the index of the color array. Each face will have a color:

```
if ( hasFaceColor ) {
    colorIndex = faces[ offset++ ];
    face.colorIndex = colorIndex;
}
```

The following code checks whether it has vertex colors and then reads and stores the color array's indices for each vertex of the face. Every vertex of the face will have a color:

```
if ( hasFaceVertexColor ) {
    for ( i = 0; i < nVertices; i++ ) {
        colorIndex = faces[ offset++ ];
        face.vertexColors.push( colorIndex );
    }
}
faceArray.push( face );
}
```

The following function, get IndicesFromFaces (), iterates over the faces array and populates the indices array:

```
return faceArray;
}
function getIndicesFromFaces(faces) {
var indices=[];
for(var i=0;i<faces.length;++i){
indices.push(faces[i].a);
indices.push(faces[i].b);
indices.push(faces[i].c);
    }
return indices;
}
```



This JSON array format discussed here is not an industry standard. This format was created by developers of three.js (a WebGL library). This JSON format is capable of storing objects as well as the complete scene.

## Loading the JSON model

Open the 02-Loading-Model-JSON.html file in your favorite editor.
The vertex shader remains the same as in the example
02-SqaureDrawIndexArrayColor.html.
The following code defines a simple fragment shader. We have added a vec4 variable, materialDiffusecolor, and qualified it as uniform. We pass the value of the variable from the control.

The changes in the fragment shader code to load the JSON model are as follows.
Note that in the previous example (02-SqaureDrawIndexArrayColor.html), we passed the color as an attribute and then passed it as a varying qualifier to the fragment shader. But in this example, we pass the color as a uniform qualifier, as shown in the following code:

```
<script id="shader-fs" type="x-shader/x-fragment">
    precision mediump float;
    uniform vec4 materialDiffuseColor;
    void main(void) {
        gl_FragColor = materialDiffuseColor;
    }
</script>
```

We did so because the color of each vertex was different; we pass values as an attribute when the property of each vertex is different for the same primitive. If the value of any vertex property does not change for a primitive, then we pass that value as uniform. In this particular example, the color of each vertex remains the same. The object is shaded with the same diffuse color for all vertices.

The changes in the control code to load the JSON model are as follows:

```
function start() {
    var canvas = document.getElementById("squareWithDrawArrays");
    initGL(canvas)
    initShaders();
    loadModel();
    document.onkeydown = handleKeyDown;
}
function loadModel(){
    $.getJSON("model/Cube.json",function(data) {
        vertices = data.vertices;
        var faces=parseJSON(data);
```

```
        indices = getIndicesFromFaces(faces);
        if(data.materials.length>0){
            diffuseColor=data.materials[0].colorDiffuse;
            diffuseColor.push(1.0);//Added alpha channel
        }
        initScene();
    });
}
function initScene(){
    initBuffers();
    gl.clearColor(0.6, 0.6, 0.6, 1.0);
    gl.enable(gl.DEPTH_TEST);
    drawScene();
}
```

The start () function invokes the loadModel () function. The loadModel () function invokes the jQuery library's \$. getJSON () function. The jQuery response handler converts the response string to a JSON object. From the JSON object, we directly assign vertices to the vertices array and faces to our indices array. Then, we check the length of the materials array (as explained earlier, an object can have multiple materials, but in our case, we have a single material) and then assign the colorDiffuse variable from the first material object to the diffuseColor global variable. Then, the start () function invokes the initScene () function that initializes the vertex buffer and the index buffer.

```
function initShaders() {
...
    shaderProgram.materialDiffuseColor =
        gl.getUniformLocation(shaderProgram, "materialDiffuseColor");
}
```

In the preceding code, in the initShaders () function, we added a new variable, shaderProgram.materialDiffuseColor, that holds the reference to the materialDiffuseColor uniform in the fragment shader.

```
function setMatrixUniforms() {
    gl.uniform4f(shaderProgram.materialDiffuseColor,diffuseColor[0],
        diffuseColor[1],diffuseColor[2],diffuseColor[3]);
}
```

In the setMatrixUniforms () function, we associate the values of the diffuseColor components to the reference of the materialDiffuseColor uniform using the uniform4f() function.

```
function drawScene() {
...
    mat4.rotateY(mvMatrix,rotateY);
    mat4.rotateZ(mvMatrix,rotateZ);
}
```

The drawScene () function remains nearly the same, except we have added two functions to add rotation transformation to the ModelView matrix by angles, rotateY and rotatez, along the $y$ and $z$ axes. The values of variables are controlled by the handlekeys (e) function, which is invoked when any of the arrow keys are pressed.

## Rendering without light

Open the 02 -Loading-Model-JSON.html file in your browser and you will see an outcome similar to the following screenshot. The render does not show distinct object features. We exported a monkey model from Blender in an OBJ file and converted it to JSON. Select Monkey from the Select Model option. The output of the 02 -Loading-Model-JSON.html file is shown in the following screenshot:


The preceding screenshot certainly does not look like a monkey. Why? Because we did not add any light, illumination, or a shading model to our scene. If these effects are not added, the effect of 3D realism on a 2D screen cannot be achieved.

Making a scene realistic depends on the use of light effects. Do not forget to note that the number of lights and the choice of shading algorithms impact the game performance. We will discuss a few illuminations and shading models, but we will restrict ourselves from using the most used model for gaming. Also, in games, we add textures baked in lighting so that the number of lights used is minimal (we mostly avoid specular reflections). We will cover these textures in Chapter 4, Applying Textures.

## Understanding the illumination/reflection model

The appearance of an object depends on the direction in which the light is reflected. This also depends on the changes in the color and intensity of light after reflection. The algorithms used to calculate the direction, intensity, and color of reflected light are called reflection models. Reflection models use the color components (ambient, diffuse, and specular) of a light source as well as the object material to calculate the color of a fragment. Although we will cover these components in depth in subsequent chapters, let us quickly get a basic understanding of how each component contributes to the final color calculation of a fragment.

The ambient component illuminates every object equally and is reflected in all directions equally. It simply means that the direction and distance of the light are not used to calculate the ambient color component.

The diffuse component is directional in nature. The final diffuse color calculation involves the distance of the light source and the angle the light direction subtends with the surface normal.

The specular component is used to highlight an area of the object (shininess caused by reflection). It is also calculated using the direction and distance of the light source.

Rendering images with more realistic reflection models is called Bidirectional Reflectance Distribution Functions (BRDFs). A BRDF model for computing the reflection from a surface takes into account the input direction of the incoming light and the outgoing direction of the reflected light. The elevation and azimuth angles of these direction vectors are used to compute the relative amount of light reflected in the outgoing direction. BRDF models are constantly evolving to give more realistic effects.

The following are some common BRDF models:

- The Lambertian model: This perfectly represents diffuse (matte) surfaces with a constant BRDF.
- The Phong reflectance model: This is a phenomenological model akin to plastic-like specularity.
- The Blinn-Phong model: This resembles Phong but allows certain quantities to be interpolated and reduces computational overhead.
- The Torrance-Sparrow model: This is a general model that represents surfaces as distributions of perfect specular microfacets.
- The Cook-Torrance model: This is a specular-microfacet model (Torrance-Sparrow) that accounts for wavelength and thus color shifting.
- The Ward's anisotropic model: This is a specular-microfacet model with an elliptical-Gaussian distribution function dependent on the surface tangent orientation (in addition to the surface normal).

We will cover the Lambertian (for diffuse light/materials) and Blinn-Phong models for specular effect. The reason they are most favored is because of lesser computational overhead.

## Lambertian reflectance/diffuse reflection

Lambertian reflectance is the property that defines an ideal diffusely reflecting surface. The apparent brightness of such a surface to an observer is the same regardless of the observer's angle of view. The luminous intensity obeys Lambert's cosine law.

This technique causes all closed polygons (such as a triangle within a 3D mesh) to reflect light equally in all directions when rendered. In effect, a point rotated around its normal vector will not change the way it reflects light. However, the point will change the way it reflects light if it is tilted away from its initial normal vector. The reflection is calculated by taking the dot product of the surface's normal vector and a normalized light-direction vector pointing from the surface to the light source. This number is then multiplied by the color of the surface and the intensity of the light hitting the surface, as shown in the following formula:

$$
\mathrm{I}_{\mathrm{D}}=-\mathrm{L} \cdot \mathrm{NCI}_{\mathrm{L}}
$$

Here, $I^{D}$ is the intensity of the diffusely reflected light (surface brightness), $C$ is the color, and $I^{L}$ is the intensity of the incoming light. -L.N is calculated as follows:

$$
-\mathrm{L} . \mathrm{N}=|-\mathrm{L}||\mathrm{N}| \cos \alpha=\cos \alpha
$$

Here, $|-L|$ and $|N|$ are equal to 1 , which are unit vectors, and $a$ is the angle between the direction of the two vectors. The intensity will be highest if the normal vector points in the same direction as the light vector $\cos (0)=1$ (the surface will be perpendicular to the direction of the light), and lowest if the normal vector is perpendicular to the light vector $\cos (п / 2)=1$ (the surface runs parallel with the direction of the light). Also, $N$ can be the normal vector or the face vector depending on the shading model used.

The following is the formula to calculate C (color):

$$
\mathrm{C}=\mathrm{C}_{\mathrm{L}} \mathrm{C}_{\mathrm{M}}
$$

Here, $C_{L}$ is the color of light and $C_{M}$ is the color of material.
The code for the Lambert reflectance model is as follows:

```
//Transform the Normal Vertex/Face Vector with normal
    matrix(transpose of inverse of mVMatrix
vec3 N = normalize(vec3(uNMatrix * vec4(aVertexNormal, 1.0)));
//Normalize light
vec3 L = normalize(uLightDirection);
//Lambert's cosine law
float lambertTerm = dot(N,-L);
//Final Color
vec4 colorDiffuse = uMaterialDiffuse * uLightDiffuse * lambertTerm;
vFinalColor = colorDiffuse;
vFinalColor.a = 1.0;
```


## The Blinn-Phong model

In diffuse reflections, light is reflected in all directions. However, in specular reflection/highlights, the angle of view is important. There are many models used for specular reflection calculations, and amongst them, the most popular is the Phong model. However, the Phong model has a shortcoming as it does not work when the angle between $\mathbf{V}$ (eye vector) and $\mathbf{R}$ (light reflection vector) is greater than 90 degrees, as shown in the following diagram:


The Blinn-Phong shading model (also called the Blinn-Phong reflection model or the modified Phong reflection model) is a modification to the Phong reflection model. In the Blinn model, the model is required to compute the half vector. The half-angle vector $(\mathbf{H})$ is the direction halfway between the view direction and the light position. The Blinn model compares the half-angle vector to the surface normal. It then raises this value to a power representing the shininess of the surface:

$$
\begin{aligned}
& \mathrm{H}=(\mathrm{L}+\mathrm{V}) / \mathrm{I} \mathrm{~L}+\mathrm{V} \mid \\
& \mathrm{Blinn} \text { term }=(\mathrm{H} . \mathrm{N})^{\mathrm{s}}
\end{aligned}
$$

Here, $s$ is the shininess of the surface.
The code for the Blinn-Phong model is as follows:

```
vec3 halfDir = normalize(lightDir + viewDir);
float specAngle = max(dot(halfDir, normal), 0.0);
specular = pow(specAngle, 16.0);
vFinalColor = vec4(ambientColor + lambertian * diffuseColor +
    specular * specColor, 1.0);
```

The preceding code describes the way a surface reflects light as a combination of the diffuse reflection of rough surfaces with the specular reflection of shiny surfaces.

## Understanding shading/interpolation models

We discussed earlier that information about the surface of a model, such as the positions of points on the surface and the normal vectors at those points, are stored only for each vertex of a triangle mesh. When a single triangle is rendered, information known at each vertex is interpolated across the face of the triangle. Sometimes we calculate the diffuse and specular illumination only at the vertices of a mesh, and at other times we apply the entire illumination formula at every individual pixel drawn in the display. A shading model defines whether we will apply the illumination model only for the vertex or apply the illumination model for every pixel of the face. If calculated at the vertex level, then the values of the pixels between vertices are linearly interpolated. Remember that if we want to apply the illumination model per vertex, then we will have to compute it in the vertex shader. The vertex shader is executed for each vertex. Hence, it is computationally expensive. Therefore, we would prefer to apply it per pixel in the fragment shader.

The three most common shading models are as follows:

- Flat shading
- Gouraud shading
- Phong shading


## Flat shading

Flat shading shades each polygon of an object based on the angle between the face surface normal and the direction of the light source, its respective colors, and the intensity of the light source. It is usually used for high-speed rendering where more advanced shading techniques are too computationally expensive.

Flat shading gives low-polygon models a faceted look. We do not use flat shading for gaming applications.

## Gouraud shading

In this shading algorithm, we calculate the surface normal of each vertex in a polygonal 3D model or average the surface normals of the polygons that meet at each vertex. We apply lighting computations based on a reflection model, for example, the Blinn-Phong reflection model, and then they are performed to produce color intensities at the vertices. For each screen pixel that is covered by the polygonal mesh, color intensities can then be interpolated from the color values calculated at the vertices.

Gouraud shading's strength and weakness lies in its interpolation. If a polygon covers more pixels on the screen space than the number of vertices it has, the interpolating color values from samples of expensive lighting calculations at vertices is less processor-intensive than performing the lighting calculation for each pixel. However, effects such as specular highlights might not be rendered correctly. The following diagram explains Gouraud shading:


Let's now summarize the steps:

1. Determine the normal at each polygon vertex
2. Apply an illumination model (Lambertian, Blinn-Phong) to each vertex to calculate the vertex intensity
3. Linearly interpolate the vertex intensities over the surface polygon

## Phong shading

Phong shading interpolates surface normals across rasterized polygons and computes pixel colors based on the interpolated normals and a reflection model.

The Phong interpolation method works better than Gouraud shading when applied to a reflection model that has small specular highlights such as the Phong reflection model. The following diagram explains Phong shading:


Let's now summarize the steps:

1. Compute a normal, N , for each vertex of the polygon.
2. From the bilinear interpolation, compute a normal, N, for each pixel. (This must be renormalized each time.)
3. From N, compute an intensity, I, for each pixel of the polygon.

## Differentiating the shading models

The difference in the output of the shading algorithms is shown in the following diagram. The Gouraud Lambert shaders do not have any specular highlight but Gouraud Blinn-Phong uses specular color. Also, note that the object features are more distinct around the edges in Phong Blinn-Phong shaders:


## Implementing Gouraud shading on a Lambertian reflection model

Open the 02 -Loading-Model-Gouraud-Lambert.html file in your favorite text editor. We have covered only directional lights in our implementation for now and will cover positional lights in Chapter 3, Loading the Game Scene.

The shader code for the Gouraud shading for the Lambertian reflection model is as follows:

```
<script id="shader-fs" type="x-shader/x-fragment">
precision mediump float;
varying vec3 vColor;
void main(void) {
    gl_FragColor = vec4(vColor, 1.0);
}
</script>
<script id="shader-vs" type="x-shader/x-vertex">
attribute vec3 aVertexPosition;
attribute vec3 aVertexNormal;
uniform mat4 mVMatrix;
uniform mat4 pMatrix;
uniform mat4 nMatrix;
uniform vec3 uAmbientColor;
uniform vec3 uLightingDirection;
uniform vec3 uDirectionalColor;
uniform vec3 materialDiffuseColor;
uniform vec3 materialAmbientColor;
varying vec3 vColor;
void main(void) {
    gl_Position = pMatrix * mVMatrix * vec4(aVertexPosition, 1.0);
    vec3 transformedNormal = vec3(nMatrix *
        vec4(aVertexNormal,1.0));
    vec3 normal=normalize(transformedNormal);
    vec3 unitLightDirection = normalize(uLightingDirection);
    float lambertTerm = max(dot(normal, -unitLightDirection), 0.0);
    vColor = uAmbientColor*materialAmbientColor+
        materialDiffuseColor * uDirectionalColor * lambertTerm;
}
</script>
```

In the preceding code, in the vertex shader, we pass the material ambient color, light ambient color, material diffuse color, and light diffuse color in the materialAmbientColor, uAmbientColor, materialDiffuseColor, and uDirectionalColor uniforms respectively. In the first line, we calculate the new transformed vertices and store them in the gl_position variable. Then, we calculate transformedNormal. The transformed normal is derived by multiplying the normal matrix with the vertex normal. The normal matrix (nMatrix) is the transpose of the inverse of the ModelView matrix. Then, we derive normal, the unit vector of transformedNormal, using the normalize function. From the normal vector and uniform light direction, we get the Lambert term. Then, the final vertex color is calculated from the ambient and diffuse colors and is passed to the fragment shader.

In the preceding code, we first calculate the transformed normal, and from the transformed normal and light direction, we get the Lambert term:

> Lambert term = Vertex normal - Light direction

The control code for the Gouraud shading for the Lambertian reflection model is as follows:

```
function loadModel(url){
    rotateZ=0.0;
    rotateY=0.0;
    $.getJSON(url,function(data) {
        vertices = data.vertices;
        var faces=parseJSON(data);
        indices = getIndicesFromFaces(faces);
        if(data.materials.length>0){
            diffuseColor=data.materials[0].colorDiffuse;
            ambientColor=data.materials[0].colorAmbient;
        }
        normals=calculateVertexNormals(vertices,indices);
        initScene();
    });
}
```

The loadModel (url) function parses the JSON file, retrieves the vertices data, and gets indices data using the parseJSON () function. We also retrieve the ambient and diffuse colors of the model defined in the parse JSON file. We calculate the vertex normals array using the calculateNormals (vertices, indices) function defined in the utils.js library.

```
function initShaders() {
    shaderProgram.vertexNormalAttribute =
        gl.getAttribLocation(shaderProgram, "aVertexNormal");
```

```
    gl.enableVertexAttribArray(shaderProgram.vertexNormalAttribute);
...
    shaderProgram.nMatrixUniform =
        gl.getUniformLocation(shaderProgram, "nMatrix");
    shaderProgram.ambientColorUniform =
        gl.getUniformLocation(shaderProgram, "uAmbientColor");
    shaderProgram.lightingDirectionUniform =
        gl.getUniformLocation(shaderProgram, "uLightingDirection");
    shaderProgram.directionalColorUniform =
        gl.getUniformLocation(shaderProgram, "uDirectionalColor");
    shaderProgram.materialDiffuseColor =
        gl.getUniformLocation(shaderProgram, "materialDiffuseColor");
    shaderProgram.materialAmbientColor =
        gl.getUniformLocation(shaderProgram, "materialAmbientColor");
}
```

In the preceding code, we activate another vertex buffer, aVertexNormal, to store the normal of our vertices. We also get a reference to various uniforms, such as nMatrix, to hold the normal matrix and other uniform variables of light direction, material colors, and light colors.

```
function initBuffers() {
    vertexNormalBuffer = gl.createBuffer();
    gl.bindBuffer(gl.ARRAY_BUFFER, vertexNormalBuffer);
    gl.bufferData(gl.ARRAY_BUFFER, new Float32Array(normals),
            gl.STATIC_DRAW);
    vertexNormalBuffer.itemSize = 3;
    vertexNormalBuffer.numItems = 24;
}
```

In the initBuffers () function, we add another buffer to hold the normal data. We calculated this data using vertices and indices of the model.

```
function setMatrixUniforms() {
    var invertMatrix = mat4.create();
    mat4.invert(invertMatrix, mvMatrix);
    var normalMatrix = mat4.create();
    mat4.transpose(normalMatrix, invertMatrix)
    gl.uniformMatrix4fv(shaderProgram.nMatrixUniform, false,
        normalMatrix);
```

```
    gl.uniform3f(shaderProgram.materialDiffuseColor,diffuseColor[0],
        diffuseColor[1],diffuseColor[2]);
gl.uniform3f(shaderProgram.materialAmbientColor, ambientColor[0],
    ambientColor[1], ambientColor[2]);
gl.uniform3f(shaderProgram.ambientColorUniform,1.0,1.0,1.0);
var lightingDirection = [-0.25,-0.25,-1.0];
gl.uniform3fv(shaderProgram.lightingDirectionUniform,
    lightingDirection);
gl.uniform3f(shaderProgram.directionalColorUniform,0.2,0.0,0.0) ;
}
```

In the preceding code, we first calculate the normal matrix from mvMatrix. A normal matrix is the transpose of the inverse of a matrix. We pass the matrix as a uniform so that we can calculate new transformed normal vectors for illumination calculations. We then pass our different uniform values using the uniform3£ or uniform 3 fv function. In these functions, 3 stands for the number of elements we want to pass and $f$ stands for the data type. The uniform 3 f function is explained in the following code line:

```
void uniform[1234][fi] (uint location,x,[y],[z])
```

Here, [1234] denotes the number of elements and [fi] denotes that we are passing a float or an integer.

Examples are given in the following code lines:

```
gl.uniform3f( shaderProgram.ambientColorUniform, 1.2,1.3,1.4)
gl.uniform4i( shaderProgram.ambientColorUniform, 1,1,1,7)
```

The uniform3fv function is explained in the following code line:

```
void uniform[1,234][fi]v(uint location, Array value)
```

Here, $[1,234]$ denotes the number of elements in the value parameter and [fi] denotes that we are passing a float or an integer.

Examples are given in the following code lines:

```
gl.uniform3fv(shaderProgram.lightingDirectionUniform,
    lightingDirection);
```

The uniformMatrix 3 fv function is explained in the following code line:

```
void uniformMatrix[234]fv(uint location, bool transpose, Array)
```

Here, [234] denotes $2 \times 2$ arrays, $3 \times 3$ arrays, and $4 \times 4$ arrays. The transpose parameter will automatically transpose the matrix while passing its values to the shader, and in the function names (uniformMatrix3fv, uniformMatrix3iv), the f or $i$ denotes that we are passing a float or an integer:

```
function drawScene() {
    gl.viewport(0, 0, gl.viewportWidth, gl.viewportHeight);
    gl.clear(gl.COLOR_BUFFER_BIT | gl.DEPTH_BUFFER_BIT);
    mat4.perspective(pMatrix,40, gl.viewportWidth /
        gl.viewportHeight, 0.1, 1000.0);
    mat4.identity(mvMatrix);
    mat4.translate(mvMatrix,mvMatrix, [0.0, 0.0,-3.0]);
    //mat4.scale(mvMatrix,mvMatrix, [10,10,10]);
    mat4.rotateY(mvMatrix,mvMatrix,rotateY) ;
    mat4.rotateX(mvMatrix,mvMatrix,rotateZ);
    gl.bindBuffer(gl.ARRAY_BUFFER, vertexPositionBuffer);
    gl.vertexAttribPointer(shaderProgram.vertexPositionAttribute,
        vertexPositionBuffer.itemSize, gl.FLOAT, false, 0, 0);
    gl.bindBuffer(gl.ARRAY_BUFFER, vertexNormalBuffer);
    gl.vertexAttribPointer(shaderProgram.vertexNormalAttribute,
        vertexNormalBuffer.itemSize, gl.FLOAT, false, 0, 0) ;
    setMatrixUniforms();
    gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, indexBuffer);
    gl.drawElements(gl.TRIANGLES, indices.length,
        gl.UNSIGNED_SHORT,0);
}
```

Let's go over the drawScene function once again. First, we create a perspective matrix with 40 as the field of view (FOV), gl. viewportWidth or gl. viewportHeight as the aspect ratio, 0.1 as the near plane, and 1000.0 as the far plane. We will discuss these parameters in the Understanding perspective transformations section in Chapter 5, Camera and User Interaction. We initialize the ModelView matrix as the identity matrix. We translate and rotate mvMatrix with variable angles controlled by key presses. We associate the shader variable vertexPositionAttribute with vertexPositionBuffer and vertexNormalAttribute with vertexNormalBuffer, and then invoke the drawElements functions after specifying the indexBuffer variable as the active gl. ELEMENT_ARRAY_BUFFER constant. The OBJ file has $3 n$ indices, $n$ being the number of triangles to be drawn; hence, we use gl. TRIANGLES as the mode in the drawElements function call.

## Implementing Gouraud shading - Blinn-Phong reflection

Open the 02 -Loading-Model-Gouraud-Blinn-Phong.html file in your favorite text editor.

The shader code for the Gouraud shading for the Blinn-Phong reflection model is as follows:

```
<script id="shader-vs" type="x-shader/x-vertex">
attribute vec3 aVertexPosition;
attribute vec3 aVertexNormal;
uniform mat4 mVMatrix;
uniform mat4 pMatrix;
uniform mat4 nMatrix;
uniform vec3 uAmbientColor;
uniform vec3 uLightingPosition;
uniform vec3 uDirectionalColor;
uniform vec3 uSpecularColor;
uniform vec3 materialDiffuseColor;
uniform vec3 materialAmbientColor;
uniform vec3 materialSpecularColor;
varying vec3 vColor;
void main(void) {
    vec4 vertexPos4 = mVMatrix * vec4(aVertexPosition, 1.0);
    vec3 vertexPos = vertexPos4.xyz;
    vec3 eyeVector=normalize(-vertexPos);
    vec3 transformedNormal = vec3(nMatrix *
        vec4(aVertexNormal,1.0));
    vec3 normal=normalize(transformedNormal);
    vec3 lightDirection = normalize(uLightingPosition);
    float specular = 0.0;
    float lambertTerm = max(dot(normal, -lightDirection), 0.0);
    if(lambertTerm>0.0)
    {
        vec3 halfDir = normalize(-lightDirection + eyeVector);
        float specAngle = max(dot(halfDir, normal), 0.0);
        specular = pow(specAngle, 16.0);
    }
    gl_Position= pMatrix *vertexPos4;
    vColor = uAmbientColor*materialAmbientColor+ uDirectionalColor
        *materialDiffuseColor * lambertTerm+uSpecularColor
        *materialSpecularColor*specular;
}
</script>
```

The preceding code is the implementation of the Blinn-Phong illumination applied at each vertex normal (Gouraud shading). Hence, the complete calculation is done in the vertex shader. In the control code, we associate aVertexPosition and aVertexNormal with vertex buffers. In the Blinn-Phong model, we pass light properties, such as ambient, diffuse, specular, and direction, as uniforms from the control code. Material properties such as ambient, diffuse, and specular are also passed as uniforms. The eyeVector is the negative of the transformed vertex position. Hence, we first calculate the transformed vertex position and store it in the vertexpos 4 variable. The important thing to note is that the transformation matrix is the $4 \times 4$ matrix as it stores the translation as well as the rotations. Hence, we convert the vertex position to vector 4 . We only need xyz and we ignore the $w$ element to get the new vertex position which is then held in vertexPos. The eyeVector is the negative unit vector of the vertex position. The unit vector is calculated using the normalize() function. Hence, the eyeVector is equal to normalize(-vertexpos). Then, we calculate the transformed normal unit vector and store it in a variable normal. Then, we calculate the Lambert term using the normal and light direction. If the Lambert term is greater than 0 , then we only calculate the Blinn term.

To calculate the Blinn term, we need to first calculate the unit half vector. The half vector is the unit vector of the sum of the light vector and eye vector. The angle between the half vector and the vertex normal is calculated by the dot product of the two. Then, the Blinn term is calculated as specAngle to the power shininess. Finally, the color is calculated using the following equation:

```
vColor = uAmbientColor * materialAmbientColor+ uDirectionalColor
    *materialDiffuseColor * lambertTerm+uSpecularColor *
    materialSpecularColor * specular;
```

Then, vcolor is directly passed to the fragment shader.
The control code for the Gouraud shading for the Blinn-Phong reflection model is as follows. In the following code snippet, we retrieve the ambient color from the JSON file:

```
function loadModel(url){
    ambientColor=data.materials[0].colorAmbient;
}
```

In the following code snippet, we obtain the reference of the light and material ambient colors from the shader code:

```
function initShaders() {
    shaderProgram.specularColorUniform =
        gl.getUniformLocation(shaderProgram, "uSpecularColor");
...
    shaderProgram.materialSpecularColor =
        gl.getUniformLocation(shaderProgram, "materialSpecularColor");
}
```

In the following code snippet, we set the value of the material and light specular colors:

```
function setMatrixUniforms() {
...
    gl.uniform3f(shaderProgram.materialSpecularColor,
        specularColor[0], specularColor[1],specularColor[2]);
    gl.uniform3f(shaderProgram.specularColorUniform,1.0,1.0,1.0);
}
```


## Implementing Phong shading - Blinn-Phong reflection

Open the 02 -Loading-Model-Phong-Blinn-Phong.html file in your favorite text editor. It contains the following code:

```
<script id="shader-fs" type="x-shader/x-fragment">
precision mediump float;
varying vec3 transformedNormal;
varying vec3 vertexPos;
uniform vec3 uAmbientColor;
uniform vec3 uLightingPosition;
uniform vec3 uDirectionalColor;
uniform vec3 uSpecularColor;
uniform vec3 materialDiffuseColor;
uniform vec3 materialAmbientColor;
uniform vec3 materialSpecularColor;
void main(void) {
    vec3 normal=normalize(transformedNormal);
```

```
    vec3 eyeVector=normalize(-vertexPos);
    vec3 lightDirection = normalize(uLightingPosition);
    float specular = 0.0;
    float directionalLightWeighting = max(dot(normal, -
        lightDirection), 0.0);
    if(directionalLightWeighting>0.0)
    {
        vec3 halfDir = normalize(-lightDirection + eyeVector);
        float specAngle = max(dot(halfDir, normal), 0.0);
        specular = pow(specAngle, 4.0);
    }
    vec3 iColor = uAmbientColor*materialAmbientColor+
        uDirectionalColor *materialDiffuseColor *
        directionalLightWeighting+uSpecularColor*
        materialSpecularColor*specular;
    gl_FragColor = vec4(iColor, 1.0);
}
</script>
<script id="shader-vs" type="x-shader/x-vertex">
attribute vec3 aVertexPosition;
attribute vec3 aVertexNormal;
uniform mat4 mVMatrix;
uniform mat4 pMatrix;
uniform mat4 nMatrix;
varying vec3 transformedNormal;
varying vec3 vertexPos;
void main(void) {
    vec4 vertexPos4 = mVMatrix * vec4(aVertexPosition, 1.0);
    vertexPos = vertexPos4.xyz;
    transformedNormal = vec3(nMatrix * vec4(aVertexNormal,1.0));
    gl_Position= pMatrix *vertexPos4;
}
</script>
```

As discussed earlier, in Phong shading, the normals are calculated after the object is rasterized and calculations are performed for every pixel. Hence, we calculate the vertex and the normal transformations in the vertex shader and then add the transformed values to the fragment shader. Then, the color calculation of the Lambert and Blinn terms are performed in the fragment shader.

## Summary

In this chapter, we first discussed simple coloring of objects using vertex colors. In our example, we passed vertex colors and vertex positions to the shader. The shader then interpolated color values of vertices across primitives.

We learned how to export objects from Blender in the OBJ format and render the objects by converting them to the JSON format. The JSON format we used stored indices, colors, normals, and UV maps in the faces array.

We also learned that vertex normals are used for illumination models.
We learned about different illumination models such as Lambert and Blinn-Phong. Lambert is used to render objects with diffuse materials and diffuse light. BlinnPhong is used to render objects with a specular material. These illumination models are used in shading algorithms such as Gouraud and Phong.

In the next chapter, we will render a complete scene of 5000 AD .

## Loading the Game Scene

In the previous chapter, we learned how to load objects exported from Blender and learned about directional lights. We learned many WebGL API calls and now in this chapter, we will put our knowledge to good use. In this chapter, we will not discuss any new WebGL call but we will use our knowledge to create a small game scene. But, before we do that, we will need to perform some code updates.

The code we developed in Chapter 2, Colors and Shading Languages, is not capable of handling multiple objects, and so, we will structure that code first.

The following are the topics that we will cover in this chapter:

- Code changes to support multiple objects
- WebGL, a state machine
- Request animation frames
- Load the scene
- Positional lights
- Multiple lights and shaders


## Supporting multiple objects

Our starting point will be a new class Geometry. The objective of the class is to hold the geometry of our 3D models. We will first understand what type of information associated with each 3D model.

Each 3D model is represented by its Geometry class. Each Geometry object has information listed as follows:

- Vertices: Read from the JSON object.
- Normals: Read from the JSON object or calculated from the vertices and indices arrays.
- UV map: Read from the JSON object.
- Per vertex colors: Read from the JSON object.
- Materials: Read from the JSON object.
- Indices: Generated from the faces array.
- Faces: The array of the Face objects. Each Face object represents polygon that forms the geometry.


The classes Face and Geometry are taken from the three. js library (https://github.com/mrdoob/three.js/ blob/master/src/core/), and we have modified them to suit our architecture. We did this since the JSON format we have used in our book is also taken from the three.js library.

## Implementing Face.js

Open the Face.js file from the primitive folder in your editor. We have also added a new function clone so that we can create a new Face object with its data elements. The constructor defines variables to store information such as vertex index, normal of a polygon, and so on. The Face. js file has the following code:

```
Face = function ( a, b, c, normal, color, materialIndex ) {
    this.a = a;// Index to the first vertex of the polygon
    this.b = b;// Index to the second vertex of the polygon
    this.c = c; //Index to the third vertex of the polygon
    this.normal = normal ;// The index to face normal
    this.vertexNormals = [ ];//Indexes to each vertex normal of the
        face
    this.vertexColors = color instanceof Array ?color : [];//Colors
        of each vertex
    this.colorIndex = color;
    this.vertexTangents = [];
    this.materialIndex = materialIndex !== undefined ?
        MaterialIndex : 0;
};
Face.prototype = {
    constructor: Face,
```

```
    clone: function () {
    var face = new Face(this.a, this.b, this.c );
    if(!(this.normal===undefined))
            face.normal=vec3.clone(this.normal );
    face.colorIndex= this.colorIndex;
    face.materialIndex = this.materialIndex;
    var i;
    for ( i = 0; i < this.vertexNormals.length; ++i){
            face.vertexNormals[ i ] = vec3.clone(this.vertexNormals
                [ i ]);
    }
    for ( i = 0; i<this.vertexColors.length;++i ){
            face.vertexColors[ i ] = this.vertexColors[ i ];
        }
    return face;
    }
};
```

The class variables $a, b$, and $c$ hold indexes to the vertices array defined in the Geometry class. The vertexNormals array holds indices to the normal array defined in the Geometry class for each vertex of that face, as shown in the following code:

```
face.vertexNormals["a"]=3;//3 is the index to the normal array in
    the geometry class for the vertex "a" of the face.
```


## Implementing Geometry.js

Open the Geomtery.js file from the primitive folder in your editor. The following code is the constructor of the Geometry class. Note the faces array; it holds the objects of the faces for that model:

```
Geometry = function () {
    this.vertices = [];
    this.colors = [];
    this.normals = [];
    this.indices=[];
    this.faces = [];
    this.materials=[];
};
```

We have moved the function getIndicesFromFaces (faces) from the parseJSON. js file to the Geometry.js file and renamed it to indicesFromFaces, since it populates the class variable indices. It now processes the class variable faces of the Geometry class to update its class variable indices as shown in the following code:

```
indicesFromFaces:function (){
    for(var i=0;i<this.faces.length;++i){
        this.indices.push(this.faces[i].a);
        this.indices.push(this.faces[i].b);
        this.indices.push(this.faces[i].c);
    }
},
```

We also moved the calculateVertexNormals function from the utils.js file to the geometry.js file. This function is described in depth in the Understanding surface normals for lighting calculations section of Chapter 2, Colors and Shading Languages. The only difference in the following code is that it processes class variables vertices and indices instead of the function parameters:

```
calculateVertexNormals:function(){
    var vertexVectors=[];
    var normalVectors=[];
    var j;
    for(var i=0;i<this.vertices.length;i=i+3){
        var vector=vec3.fromValues(this.vertices[i],
            this.vertices[i+1],this.vertices[i+2]);
        var normal=vec3.create();//Intialiazed normal array
        normalVectors.push(normal);
        vertexVectors.push(vector);
    }
    for(j=0;j<this.indices.length;j=j+3)//Since we are using triads
        of indices to represent one primitive
    {
        //v1-v0
        var vectorl=vec3.create();
        vec3.subtract(vector1,vertexVectors[this.indices[j+1]],
            vertexVectors[this.indices[j]]);
        //v2-v1
        var vector2=vec3.create();
        vec3.subtract(vector2,vertexVectors[this.indices[j+2]],
            vertexVectors[this.indices[j+1]]);
        var normal=vec3.create();
        //cross product of two vector
        vec3.cross(normal, vector1, vector2);
```

```
        //Since the normal calculated from three vertices is same for
        all the three vertices(same face/surface), the contribution
        from each normal to the corresponding vertex is the same
        vec3.add(normalVectors[this.indices[j]],
        normalVectors[this.indices[j]],normal);
        vec3.add(normalVectors[this.indices[j+1]],
        normalVectors[this.indices[j+1]],normal);
        vec3.add(normalVectors[this.indices[j+2]],
        normalVectors[this.indices[j+2]],normal);
    }
    for(j=0;j<normalVectors.length;j=j+1) {
    vec3.normalize(normalVectors[j],normalVectors[j]);
    this.normals.push(normalVectors[j][0]);
    this.normals.push(normalVectors[j][1]);
    this.normals.push(normalVectors[j] [2]);
    }
},
```

We have added two new functions to the Geometry class: clone and morphedVertexNormalsFromObj. The clone function simply copies variables of the Geometry class to create a new geometry object.

The other function morphedVertexNormalsFromObj is important. The exported obj file from Blender contains information on normals of every vertex of every face of the model. In such cases, we do not need to calculate the normal. This information is also encoded in our JSON file. While we parse our JSON file, we populate each face with its vertex normals. The following code snippet is taken from the parseJSon. js file to confirm the preceding statement:

```
if ( hasFaceVertexNormal ) {
    var aVertices=["a","b","c","d"]
    for ( i = 0; i < nVertices; i++ ) {
        var aVertex=aVertices[i];
        normalIndex = faces[ offset ++ ] * 3;
        normal = vec3.fromValues(normals[ normalIndex ++ ],
            normals[ normalIndex ++ ], normals[ normalIndex ]);
        face.vertexNormals[aVertex]= normal;
    }
}
```

The face contains normal data per vertex. The final normal of the shared vertex has contribution from each face. Hence, the normal of the vertex a is the vector sum of NA, NB, and NC, as shown in the following diagram:


The function morphedvertexNormalsFromObj calculates the final normal of each vertex, as shown in the following code:

```
morphedVertexNormalsFromObj:function() {
    var vertexVectors=[];
    var normalVectors=[];
    for(var i=0;i<this.faces.length;i=i+1){
        //This condition checks if face normal is defined. Then, we
            first clone the face normal for each vertex. The OBJ file
            gives vertex normals.
        if(!(this.faces[i].normal==undefined) &&&this.faces[i].
            vertexNormals.length==0){
            this.faces[i].vertexNormals["a"]=vec3.clone
                (this.faces[i].normal);
            this.faces[i].vertexNormals["b"]=vec3.clone
                (this.faces[i].normal);
            this.faces[i].vertexNormals["c"]=vec3.clone
                (this.faces[i].normal);
    }
    if(normalVectors[this.faces[i].a]===undefined)
    {
            normalVectors[this.faces[i].a]=vec3.clone
                (this.faces[i].vertexNormals["a"]);
    }
    else{
            vec3.add(normalVectors[this.faces[i].a],normalVectors
                [this.faces[i].a],this.faces[i].vertexNormals["a"])
    }
    //Repeat the above code for b and c vertex as well.
```

```
    }
    this.normals=[];
    for(var j=0;j<normalVectors.length;j=j+1){
    vec3.normalize(normalVectors[j],normalVectors[j]);
    this.normals.push(normalVectors[j][0]);
    this.normals.push(normalVectors[j] [1]);
    this.normals.push(normalVectors[j][2]);
    }
},
```

In the preceding code, we iterated over the faces array. If a face normal is defined and vertex normals are not defined for that face, we copy the face normal on each vertex normal ( $a, b, c$ ). In the following diagram, the vertex normals will be the same as the face normal:


Elements of the normal array have one-to-one correspondence to the vertices array. Hence, if a normal is already defined for the vertex index this. faces [i] . a, then add the new normal to the existing normal, or simply copy the normal at that vertex index. This can be done using the following code:

```
if(normalVectors[this.faces[i].a] ===undefined)
{
    normalVectors[this.faces[i].a]=vec3.clone(this.faces[i].
        vertexNormals["a"]);
}
else{
    vec3.add(normalVectors[this.faces[i].a],normalVectors
        [this.faces[i].a],this.faces[i].vertexNormals["a"])
}
```

In the last loop, we iterate over the newly created normalvectors array. First, we normalize the vector and then copy each element to the normals array of the Geometry class.

## Implementing parseJSON.js

We have only done a few changes in the parseJSON.js file present in the primitive folder. Open it in your favorite editor. Earlier, this class returned the initialized faces array from the parsed JSON, but now, it initializes the Geometry object that in turn holds the faces array, as shown in the following code:

```
var geometry=new Geometry();
```

Now, instead of initializing individual data elements, we initialize variables of the Geometry class. Also, before returning the Geometry object, we initialize its data members by invoking the functions that we explained earlier. This is shown in the following code:

```
geometry.vertices=vertices;
geometry.materials=data.materials;
geometry.indicesFromFaces();
//Normal information is present in JSON object then invoke
    morphedVertexNormalsFromObj else invoke calculateVertexNormals.
if(data.normals.length>0) {
    geometry.morphedVertexNormalsFromObj();
}else{
    geometry.calculateVertexNormals();
}
```


## Implementing StageObject.js

The new class StageObject that we have added basically holds information to render geometry on the stage or on our scene. We have used the word "Stage" for our game space. The purpose of this class is to initialize a Geometry object and initialize buffer objects for that Geometry class. Also, this class contains the location and rotation of the object with respect to our scene. The following code is the constructor of the StageObject class:

```
StageObject=function(){
    this.name="";
    this.geometry=new Geometry();
    this.location=vec3.fromValues(0,0,0);
    this.rotationX=0.0;
    this.rotationY=0.0;
    this.rotationZ=0.0;
    this.ibo=null;//Index buffer object
    this.vbo=null;//Buffer object for vertices
    this.nbo=null;//Buffer Object for normals
    this.diffuseColor=[1.0,1.0,1.0,1.0];
```

```
    this.ambientColor=[1.0, 1.0, 1.0];
    this.specularColor=[0.000000000000001, 0.00000000000000001,
    0.00000000000000001];
};
```

Notice the class variables ibo, nbo, and vbo. These variables will hold reference to the index buffer object and vertex buffer objects for that geometry.

The loadObject function of the class invokes the parseJSON object and initializes color values for the geometry. This function also initializes the name of the geometry from the metadata information from the parsed JSON object. If you look into the code from Chapter 2, Colors and Shading Languages, this code has been moved from the HTML file to this class:

```
loadObject: function (data){
    this.geometry=parseJSON(data);
    this.name=data.metadata.sourceFile.split(".")[0];
    if(this.geometry.materials.length>0){
        if(!(this.geometry.materials[0].colorDiffuse===undefined))
        this.diffuseColor=this.geometry.materials[0].colorDiffuse;
        if(!(this.geometry.materials[0].colorAmbient===undefined))
        this.ambientColor=this.geometry.materials[0].colorAmbient;
        if(!(this.geometry.materials[0].colorSpecular===undefined))
        this.specularColor=this.geometry.materials[0].colorSpecular;
    }
},
```

The createBuffers function initializes buffer objects for this geometry. Earlier, we had an initBuffers function that initialized buffer objects. But now, since we will have to load multiple models from multiple JSON files, we have moved this code to initialize buffers for each geometry:

```
createBuffers:function(gl){
    this.vbo = gl.createBuffer();
    this.ibo = gl.createBuffer();
    this.nbo = gl.createBuffer();
    gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, this.ibo);
    gl.bufferData(gl.ELEMENT_ARRAY_BUFFER, new
        Uint16Array(this.geometry.indices), gl.STATIC_DRAW);
    gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, null);
    gl.bindBuffer(gl.ARRAY_BUFFER, this.vbo);
    gl.bufferData(gl.ARRAY_BUFFER, new
        Float32Array(this.geometry.vertices), gl.STATIC_DRAW);
    this.vbo.itemSize = 3;
```

```
    this.vbo.numItems = this.geometry.vertices.length/3;
    gl.bindBuffer(gl.ARRAY_BUFFER, this.nbo);
    gl.bufferData(gl.ARRAY_BUFFER, new
    Float32Array(this.geometry.normals), gl.STATIC_DRAW);
    this.nbo.itemSize = 3;
    this.nbo.numItems = this.geometry.normals.length/3;
},
```

The last function of this class is clone. This function creates copy of its local variables and returns a new StageObject. The clone function invokes the clone function of the Geometry class and the later invokes the clone function of the Face class, as shown in the following code:

```
clone:function() {
    var stageObject=new StageObject();
    stageObject.geometry=this.geometry.clone();
    var i;
    for(i=0;i<this.diffuseColor.length;++i) {
        stageObject.diffuseColor[i]=this.diffuseColor[i];
    }
    for(i=0;i<this.ambientColor.length;++i) {
        stageObject.ambientColor[i]=this.ambientColor[i];
    }
    for(i=0;i<this.specularColor.length;++i){
        stageObject.specularColor[i]=this.specularColor[i];
    }
    stageObject.rotationX=this.rotationX;
    stageObject.rotationY=this.rotationY;
    stageObject.rotationZ=this.rotationZ;
    stageObject.loaded=true;
    return stageObject;
}
```


## Implementing Stage.js

The stage class holds the array of stage objects as well as the initialized WebGL context in the variable gl, as shown in the following code:

```
Stage = function (gl) {
    this.stageObjects=[];
    this.gl=gl;
};
```

The addModel function does two things; it pushes the stageObject to the array and also initializes the buffers by invoking the createBuffers function of the stageObject:

```
addModel:function(stageObject){
    if(!(this.gl===undefined)) {
        stageObject.createBuffers(this.gl);
    }
    this.stageObjects.push(stageObject);
},
```

The following are a few changes that we performed in the preceding code:

- The parseJson function now returns the Geometry object instead of the faces array.
- The geometry object calculates normal data from the vertexNormals array stored in the faces array. The Stage0bject class holds the reference of the Geometry object and is responsible for creating buffers for the object.
- The stage class holds references to all the stageObjects.


## Using the architectural updates

Open the 03-Loading-Object-Architectural-Updates.html file in your favorite editor. Let's now look at the changes in our main code to use the previous changes. The end result is not any different than the output of Chapter 2, Colors and Shading Languages. But, the code changes will now enable us to load multiple models that we will see in the next section.

In this section, we have just reconstructed our code to handle multiple JSON objects. Hence, there are no changes in the shader script.

## Understanding the main code

The functions initgl, initShaders, and getShaders have no changes. The start function initializes the Stage object and invokes the addStageObject function to load our JSON model, as shown in the following code:

```
function start() {
    var canvas = document.getElementById("squareWithDrawArrays");
    initGL(canvas);
    initShaders();
```

```
    stage=new Stage(gl);
    addStageObject("model/Monkey.json", [0.0,0.0,0.0],0.00,0.0,0.0);
    initScene();
}
```

The addStageObject function has three parameters: url, location, and the rotation of the object. After the JSON file is loaded, we initialize the stageobject, add it to the main stage object, and invoke the drawScene function, as shown in the following code:

```
function addStageObject(url,location,rotationX,
    rotationY,rotationZ){
    $.getJSON(url,function(data){
        var stageObject=new StageObject();
        stageObject.loadObject(data);
        stageObject.location=location;
        stageObject.rotationX=rotationX;
        stageObject.rotationY=rotationY;
        stageObject.rotationZ=rotationZ;
        stage.addModel(stageObject);
        //Invoke drawScene once the object is loaded.
        drawScene();
    });
}
```

The following code is to initialize general scene uniforms that have been split in two functions; one for light uniforms and the second for perspective, ModelView matrices:

```
function setMatrixUniforms() {
    gl.uniformMatrix4fv(shaderProgram.pMatrixUniform, false,
        pMatrix) ;
    gl.uniformMatrix4fv(shaderProgram.mvMatrixUniform, false,
        mvMatrix);
    var invertMatrix = mat4.create();
    mat4.invert(invertMatrix, mvMatrix);
    var normalMatrix=mat4.create();
    mat4.transpose(normalMatrix, invertMatrix)
    gl.uniformMatrix4fv(shaderProgram.nMatrixUniform, false,
        normalMatrix);
}
function setLightUniform(){
    gl.uniform3f(shaderProgram.ambientColorUniform,0.1,0.1,0.1);
    gl.uniform3f(shaderProgram.specularColorUniform,1.0,1.0,1.0);
    var lightingDirection = [0,-1.25,-1.25];
    gl.uniform3fv(shaderProgram.lightingDirectionUniform,
        lightingDirection);
    gl.uniform3f(shaderProgram.directionalColorUniform,0.5,0.5,0.5);
}
```

Finally, we are left with our drawScene function. Since we are rendering a single object, we only referenced the first object of the stageObjects array. We activated its buffers using the vertexAttribPointer API call for vertices and normals. Then, we initialized the material's color (diffuse, specular, and ambient) uniforms. Now, instead of using the global JavaScript variables vertexBuffer and indexBuffer, we use the stageObject array's buffer objects such as stageObject.ibo, stageObject. vbo, and stageObject. nbo. The following is the code for the drawScene function:

```
function drawScene() {
    gl.viewport(0, 0, gl.viewportWidth, gl.viewportHeight);
    gl.clear(gl.COLOR_BUFFER_BIT | gl.DEPTH_BUFFER_BIT);
    mat4.perspective(pMatrix,degToRadian(55), gl.viewportWidth /
        gl.viewportHeight, 0.1, 1000.0);
    setLightUniform();
    var i=0;
    mat4.translate(mvMatrix,mvMatrix,
        stage.stageObjects[i].location);
    mat4.rotateX(mvMatrix,mvMatrix,stage.stageObjects[i].rotationX);
    mat4.rotateY(mvMatrix,mvMatrix,stage.stageObjects[i].rotationY);
    mat4.rotateZ(mvMatrix,mvMatrix,stage.stageObjects[i].rotationZ);
    setMatrixUniforms();
    gl.bindBuffer(gl.ARRAY_BUFFER, stage.stageObjects[i].vbo);
    gl.vertexAttribPointer(shaderProgram.vertexPositionAttribute,
        stage.stageObjects[i].vbo.itemSize, gl.FLOAT, false, 0, 0);
    gl.bindBuffer(gl.ARRAY_BUFFER,stage.stageObjects[i].nbo);
    gl.vertexAttribPointer(shaderProgram.vertexNormalAttribute,
        stage.stageObjects[i].nbo.itemSize, gl.FLOAT, false, 0, 0);
    gl.uniform3f(shaderProgram.materialDiffuseColor,
        stage.stageObjects[i].diffuseColor[0],
        stage.stageObjects[i].diffuseColor[1],
        stage.stageObjects[i].diffuseColor[2]);
    gl.uniform3f(shaderProgram.materialAmbientColor,
        stage.stageObjects[i].ambientColor[0],
        stage.stageObjects[i].ambientColor[1],
        stage.stageObjects[i].ambientColor[2]);
    gl.uniform3f(shaderProgram.materialSpecularColor,
        stage.stageObjects[i].specularColor[0],
        stage.stageObjects[i].specularColor[1],
        stage.stageObjects[i].specularColor[2]);
    gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER,
        stage.stageObjects[i].ibo);
    gl.drawElements(gl.TRIANGLES,
        stage.stageObjects[i].geometry.indices.length,
        gl.UNSIGNED_SHORT,0) ;
}
```


## Understanding WebGL - a state machine

WebGL does not render or work on multiple buffers at a single point in time. When we load multiple objects, we will have multiple buffers. To render all those buffers, we will have to activate each one of them one by one. WebGL is like a state machine; you can always retrieve the active buffer information and the state of the rendering pipeline using functions such as getParameter, getBufferParameter, and isBuffer as shown in the following code:

```
gl.getParameter(gl.ARRAY_BUFFER_BINDING)// It retrieves a
    reference to the currently\boxtimesbound VBO
gl.getParameter(gl.ELEMENT_ARRAY_BUFFER_BINDING)// It retrieves a
    reference to the currently bound IBO
gl.getBufferParameter(gl.ARRAY_BUFFER,gl.BUFFER_SIZE);//Get is the
    size of the requested buffer
gl.getBufferParameter(gl.ARRAY_BUFFER,gl.BUFFER_STATUS);//Get is
    the status of the requested buffer
```

The functions can be used for vertex and index buffer objects. Hence, the preceding functions can be used with gl.ELEMENT_ARRAY_BUFFER as a parameter.

## Using mvMatrix states

Since we will have multiple objects in the scene, each object will have their own local transformations. Hence, we will not like to lose our initial mvMatrix's state. Our initial mvMatrix has our viewer's transformation, which will be applied to each object and then each of their local transformation will be applied. We store our object's local transformation in the StageObject class' variables' location with the $x, y$, and $z$ values as rotationX, rotationY, and rotationZ respectively. Before applying these transformations, we push our matrix to a stack and pop it once the rendering of the object has finished, as shown in the following diagram:


In subsequent chapters, when we will be dealing with complex geometries with multiple objects, we will use matrix stacks to store the parent object's transformations before applying transformations to child objects. This way, the child objects will be rendered with respect to their parent object. The following code implements the matrix stack:

```
var matrixStack = [];
function pushMatrix() {
    var copy = mat4.create();
        mat4.copy(copy,mvMatrix);
    matrixStack.push(copy);
}
function popMatrix() {
    if (matrixStack.length == 0) {
        throw"Invalid popMatrix!";
    }
    mvMatrix = matrixStack.pop();
}
```


## Also, let's look at how we use this stack in our drawScene function:

```
function drawScene() {
    for(var i=0;i<stage.stageObjects.length;++i){
.............................
        pushMatrix();
        mat4.translate(mvMatrix,mvMatrix,
            stage.stageObjects[i].location);
        mat4.rotateX(mvMatrix,mvMatrix,
            stage.stageObjects[i].rotationX);
        mat4.rotateY(mvMatrix,mvMatrix,
            stage.stageObjects[i].rotationY);
        mat4.rotateZ(mvMatrix,mvMatrix,
            stage.stageObjects[i].rotationZ);
....//Rendering code(Buffer Activation and drawElements
            call................
        popMatrix();
    }
}
```


## Understanding request animation frames

Most HTML5-enabled browsers have implemented a new function window. requestAnimationFrame (). This function is a better alternative to the setTimeout and setInterval functions. The function is designed to invoke rendering functions in your gaming application, such as the drawScene function in our case. It executes in a safe way. It executes the target function only when the browser/tab has focus, which saves precious GPU resources. Using this function, we can obtain a rendering cycle that goes as fast as the browsers allow.

To use this function, we included a new file in our code, webgl-utils.js (https:// code.google.com/p/webglsamples/source/browse/book/extension/webglutils.js). This small library has many useful functions but we will use only one function from it. We like this library since it has implemented this function in a crossbrowser fashion. If a browser does not support it, then it invokes the setTimeout function. The following is the code snippet from the webgl-utis.js library:

```
window.requestAnimFrame = (function() {
    return window.requestAnimationFrame ||
        window.webkitRequestAnimationFrame ||
        window.mozRequestAnimationFrame ||
        window.oRequestAnimationFrame |
        window.msRequestAnimationFrame ||
        function(/* function FrameRequestCallback */ callback, /*
            DOMElement Element */ element) {
        window.setTimeout(callback, 1000/60);
    };
}) ();
```

The following code demonstrates its implementation in our application. The initscene function invokes the tick function that later invokes itself by the requestAnimFrame function at a fixed frame rate:

```
function initScene(){
    tick();
}
function tick(){
    requestAnimFrame(tick) ;
    drawScene();
}
```



The tick function will be extended in Chapter 5, Camera and User Interaction, to calculate the elapsed time for animation and timing strategies.

## Loading the scene

Our objective is to create a scene of 5000 AD similar to the following screenshot:


We will use these objects to draw the scene. These objects were created using Blender and exported as shown in Chapter 2, Colors and Shading Languages.


Open the 03 -Loading-Scene.html file in your favorite editor. If you observe the scene, you will see that there are four buildings, six street lamps, and two railings. Hence, we added the cloneObjects function that clones the objects and adds them to the scene. The cloneObjects function invokes the function clone of the SceneObject's class, which invokes the clone function of the Geometry class. The following is the code snippet from the 03 -Loading-Scene .html file:

```
function start() {
    addStageObject("model/obj/terrain.json",
        [0.0,0.0,0.0],0.00,0.0,0.0);
    addStageObject("model/obj/building.json",
        [55.0,0.0,170],0.0,0.0,0.0);
    addStageObject("model/obj/giantPillar.json",
        [-60.0,0.0,-200],0.0,0.0,0.0);
    addStageObject("model/obj/pillarBroken.json",
        [10.0,0.0,-200.00],0.0,0.0,0.0);
    addStageObject("model/obj/streetlamp.json",
        [20.0,0.0,200.00],0.0,0.0,0.0);
    addStageObject("model/obj/cityLine.json",
        [12.0,0.0,-335.0],0,3.14,0.0);
    addStageObject("model/obj/railing.json",
        [0.0,5.0,200.0],0.0,0.0,0.0);
    addStageObject("model/obj/dump.json",
        [-40.0,0.0,-30.0],0.0,0.0,0.0);
    initScene();
}
function addStageObject(url,location,rotationX,
    rotationY,rotationZ){
    $.getJSON(url,function(data) {
        cloneObjects(stageObject)
    });
}
function cloneObjects(stageObject){){
    if(stageObject.name=="building"){
        var buildingl=stageObject.clone();
        building1.location=[-85.0,0.0,170.0];
...........
        stage.addModel(building1);
        .....
    }
```

```
    if(stageObject.name=="streetlamp") {
    ........
    var streetlamp1=stageObject.clone();
    streetlamp1.location=[20.0,0.0,70.0];
    streetlamp1.rotationX=degToRadian(-90);
    stage.addModel(streetlamp1);
    }
    if(stageObject.name=="railing") {
        var railing1=stageObject.clone();
        var railing2=stageObject.clone();
        railing1.location=[40.0,2.0,0.0];
        railing1.rotationY=degToRadian(-120);
        railing2.location=[-30.0,5.0,-100.0];
        railing2.rotationY=degToRadian(-65);
        stage.addModel(railing1);
        stage.addModel(railing2);
    }
    if(stageObject.name=="dump") {
        ........
    }
}
```

Also, we do not wait for all objects to load before invoking the drawScene function. It is invoked at a regular frame rate from the tick function. The drawScene function also stores the state of the mvMatrix variable on stack before applying transforms for each object.

## Understanding positional lights

In the scene that we developed in the preceding section, we would like two of the lamps to light up. There is already one global light in the scene but we want two positional lights now.

The directional lights are parallel since they are assumed to be at an infinite distance and are generally the global light in a scene. The intensity of a directional light on a vertex is not dependent on its distance but on its orientation. Hence, only the normal direction is used to calculate its intensity. For positional lights, both the distance and orientation are involved in the intensity calculations.

The difference between directional and positional lights is that the directional lights are defined by a direction vector, whereas positional lights are defined by their locations in $x, y$, and $z$ coordinates. The difference between directional and positional lights is shown in the following diagram:


For positional lights, we calculate the light direction for a particular vertex and the result is stored in the varying, uLightRayLamp1. This variable is then used by the fragment shader. The rest of the calculation remains the same as with the directional light. Hence, for positional lights, we calculate the light direction for each vertex. We call this a ray.

We pass the position of light as a uniform to the vertex shader. Then, the vector is calculated per vertex and is passed to the fragment shader as a varying variable.

The following code explains the uLightPositionLamp1 uniform that is passed to the vertex shader, and using the variable we calculate the uLightRayLamp1 varying for use in the fragment shader:

```
vec4 newLightPosition1=mVMatrix * vec4(uLightPositionLamp1, 1.0);
uLightRayLamp1=vertexPos-newLightPosition1.xyz;
```


## Lighting up the scene with lamps

Open the 03 -Loading-Scene-with-Lamps.html file in your favorite editor. The following sections in the chapter will explore the code changes to add positional lights to our stage.

## The vertex shader

The following code shows the steps to be performed to calculate the light ray on a vertex for two positional lights (street lamps in our scene). We added two uniforms for light positions (uLightPositionLamp1 and uLightPositionLamp2). First, the position (uLightPositionLamp1) of the light is transformed by multiplying it by the ModelView matrix (newLightPosition1). Then, the ray is calculated by subtracting the transformed light position (newLightPosition1) from the transformed vertex position (vertexPos). The light ray is stored in a varying variable (uLightRayLamp1) to be passed to the fragment shader:

```
<script id="shader-vs" type="x-shader/x-vertex">
    varying vec3 vertexPos;
    uniform vec3 uLightPositionLamp1;
    uniform vec3 uLightPositionLamp2;
    varying vec3 uLightRayLamp1;
    varying vec3 uLightRayLamp2;
    void main(void) {
        vec4 vertexPos4 = mVMatrix * vec4(aVertexPosition, 1.0);
        vertexPos = vertexPos4.xyz;
        vec4 newLightPosition1=mVMatrix * vec4(uLightPositionLamp1,
            1.0);
        vec4 newLightPosition2=mVMatrix * vec4(uLightPositionLamp2,
            1.0);
        uLightRayLamp1=vertexPos-newLightPosition1.xyz;
        uLightRayLamp2=vertexPos-newLightPosition2.xyz;
        transformedNormal = vec3(nMatrix * vec4(aVertexNormal,1.0));
        gl_Position= pMatrix *vertexPos4;
    }
</script>
```

The rest of the calculation in the fragment shader is the same as that for directional light, where the light ray represents the direction.

## The fragment shader

In the following code, the upositionalColor1 and upositionalColor2 uniforms are the diffuse colors of the positional light. The uLightRayLamp 1 and uLightRayLamp2 uniforms are the varying passed from the vertex shader. The directionalLightweighting1 float data type is a Lambert term calculated from the normalized light ray vector. The final diffuse light intensity (iDiffuse) is calculated after adding the diffuse intensity of the positional light to the diffuse intensity from other lights. This is shown in the following code:

```
<script id="shader-fs" type="x-shader/x-fragment">
    precision mediump float;
    varying vec3 transformedNormal;
    varying vec3 vertexPos;
    uniform vec3 uAmbientColor;
    uniform vec3 uLightingDirection;
    uniform vec3 uDirectionalColor;
    uniform vec3 uSpecularColor;
    uniform vec3 uPositionalColorl;
    uniform vec3 uPositionalColor2;
    uniform vec3 materialDiffuseColor;
    uniform vec3 materialAmbientColor;
    uniform vec3 materialSpecularColor;
    varying vec3 uLightRayLamp1;
    varying vec3 uLightRayLamp2;
    void main(void) {
        vec3 normal=normalize(transformedNormal);
        vec3 eyeVector=normalize(-vertexPos);
        vec3 lightDirection = normalize(uLightingDirection);
        vec3 lightDirection1 = normalize(uLightRayLamp1);
        vec3 lightDirection2 = normalize(uLightRayLamp2);
        vec3 iAmbient=uAmbientColor*materialAmbientColor;
        vec3 iDiffuse=vec3(0.0,0.0,0.0);
        vec3 ispecular=vec3(0.0,0.0,0.0);
        float specular = 0.0;
        float directionalLightWeighting = max(dot(normal, -
            lightDirection), 0.0);
        iDiffuse+=uDirectionalColor *materialDiffuseColor *
            directionalLightWeighting;
        float directionalLightWeighting1 = max(dot(normal, -
                lightDirection1), 0.0);
            iDiffuse+=uPositionalColor1 *materialDiffuseColor *
                directionalLightWeighting1;
            float directionalLightWeighting2 = max(dot(normal, -
            lightDirection2), 0.0);
```

```
    iDiffuse+=uPositionalColor2 *materialDiffuseColor *
        directionalLightWeighting2;
    if(directionalLightWeighting>0.0)
    {
        vec3 halfDir = normalize(-lightDirection + eyeVector);
        float specAngle = max(dot(halfDir, normal), 0.0);
        specular = pow(specAngle, 4.0);
        iSpecular+=uSpecularColor*materialSpecularColor*specular;
    }
    vec3 iColor =iAmbient+ iDiffuse+iSpecular;
    gl_FragColor = vec4(iColor, 1.0);
    }
</script>
```


## Understanding the main code

We changed our initshaders function to get the reference of the new uniform variables. We then added this function to our shaders (diffuseColor and position of lights):

```
function initShaders() {
........................
    shaderProgram.uLightPositionLamp1 =
        gl.getUniformLocation(shaderProgram, "uLightPositionLamp1");
    shaderProgram.uPositionalColor1 =
        gl.getUniformLocation(shaderProgram, "uPositionalColor1");
    shaderProgram.uLightPositionLamp2 =
        gl.getUniformLocation(shaderProgram, "uLightPositionLamp2");
    shaderProgram.uPositionalColor2 =
        gl.getUniformLocation(shaderProgram, "uPositionalColor2");
}
Function setLightUniform sets the values of position and diffuse color
of the lights that we have added to our shaders.
function setLightUniform(){
.....................
    var lightingPosition = [20.00,5.00,200.00];
    gl.uniform3fv(shaderProgram.uLightPositionLamp1,
            lightingPosition);
    gl.uniform3f(shaderProgram.uPositionalColor1,
            lightColor[0],lightColor[1],lightColor[2]);
    var lightingPosition1 = [20.00,5.00,-100.0];
    gl.uniform3fv(shaderProgram.uLightPositionLamp2,
            lightingPosition1);
    gl.uniform3f(shaderProgram.uPositionalColor2,1.0,1.0,1.0);
}
```

To show the use of animation in our scene, we have added a little effect by blinking the first light. This will also clearly show you which objects are affected by the positional light. If you notice in the setLightUniform function, we did not give a constant value to our upositional Color uniform but we added a variable lightColor. The value of the color changes after every two seconds. The totalelapsedTime variable is calculated in the animate function. The animate function is invoked from the tick function, as shown in the following code:

```
var lastTime = 0;
var totalElapsedTime=0;
function animate() {
    var timeNow = new Date().getTime();
    if (lastTime != 0) {
        totalElapsedTime+= (timeNow - lastTime);
        if(totalElapsedTime>=2000){
            if(lightColor[0]==0.5){
                lightColor=[0.0,0.0,0.0];
            }
            else{
                    lightColor=[0.5,0.5,0.5];
            }
            totalElapsedTime=0;
        }
    }
    lastTime = timeNow;
}
function tick(){
    requestAnimFrame(tick);
    drawScene();
    animate();
}
```


## Multiple lights and shaders

The provided solution in the previous section to add lights to our scene is not a scalable solution because if we wanted to add four or more lights, we would have had to add more uniforms to our shader. WebGL limits the amount of storage for uniforms. If we exceed the limit, we would get a compile-time or a runtime error. You can query the number of allowed uniforms using the following functions:

```
gl.getParameter(gl.MAX_VERTEX_UNIFORM_VECTORS);
gl.getParameter(gl. MAX_FRAGMENT_UNIFORM_VECTORS);
```

Also, the ambient color from all lights need not be calculated in the shaders as the ambient component is independent of distance and orientation of the object. We can sum the ambient color from all lights and pass the sum to the shader. Even if we use a single ambient color uniform in our shader for all lights, we would need two to three uniforms (position/direction, diffuseColor, specularColor) per light.

## Adding multiple lamps

Open the 03-Loading-Scene-With-Lamps-Arrays.html file in your favorite editor. The solution to the problem is adding arrays to our shaders. There are two important things to note about the use of arrays in the shading language. The first is that many WebGL implementations will not allow an array to be indexed with a variable or with an unknown value at compile time. That is, WebGL only mandates that array indexing is to be supported by constant integral expressions.

The other note about arrays is that there is no syntax in the shading language to initialize an array at the creation time. The elements of the array need to be initialized one by one, and also, arrays cannot be qualified as const. So, even if you declare an array as int a[] ; you need to specify the size as int a[5] ; before indexing it.

When we discuss arrays, loops automatically come into the picture. There are a variety of restrictions placed on the types of loops supported in the shading language. To boil it down to its simplest form, the for loops in WebGL must have an iteration count that is known at the compile time.

You should generally be cautious when using loops in WebGL. The basic restrictions are as follows:

- There must be only one loop iteration variable and it must be incremented or decremented using a simple statement (i++, i--, i+=constant, i-=constant)
- The stop condition must be a comparison between the loop index and the constant expression
- We must not change the value of the iterator in the loop

So, let's take a look at our shaders now.

## The vertex shader

We declared a constant number of the positional light (NUM_POSITIONAL_LIGHTS). We declared a uniform array (uLightPosition [NUM_POSITIONAL_LIGHTS]) to hold the reference to positions of the lights. We declared a varying to hold a calculated light ray (uLightRay [NUM_POSITIONAL_LIGHTS]) per vertex. Then, we iterated over the array to calculate the light ray for each positional light. The code snippet for the vertex shader is as follows:

```
<script id="shader-vs" type="x-shader/x-vertex">
    attribute vec3 aVertexPosition;
    attribute vec3 aVertexNormal;
    uniform mat4 mVMatrix;
    uniform mat4 pMatrix;
    uniform mat4 nMatrix;
    varying vec3 transformedNormal;
    varying vec3 vertexPos;
    const int NUM_POSITIONAL_LIGHTS = 2;
    uniform vec3 uLightPosition[NUM_POSITIONAL_LIGHTS];
    varying vec3 uLightRay[NUM_POSITIONAL_LIGHTS];
    void main(void) {
        vec4 vertexPos4 = mVMatrix * vec4(aVertexPosition, 1.0);
        vertexPos = vertexPos4.xyz;
        for(int i = 0; i < NUM_POSITIONAL_LIGHTS; i++){
            vec4 newLightPosition=mVMatrix * vec4(uLightPosition[i],
                1.0);
            uLightRay[i]=vertexPos-newLightPosition.xyz;
        }
        transformedNormal = vec3(nMatrix * vec4(aVertexNormal,1.0));
        gl_Position= pMatrix *vertexPos4;
    }
</script>
```


## The fragment shader

The fragment shaders have two constants: one for the number of directional lights (NUM_DIRECTIONAL_LIGHTS) and the other is the number of positional lights (NUM_POSITIONAL_LIGHTS). Then, we declare three array uniforms (uDirectionalDiffuseColor, uDirectionalSpecularColor, and uLightDirection) for directional lights and two array uniforms (uPositionalDiffuseColor and upositionalSpecularColor) for positional lights. We also declare a varying (uLightRay) whose values are passed from the vertex shader.

We start our calculation by initializing the iDiffuse and iSpecular components to 0 . Then, we iterate over the list of directional/positional lights to calculate the diffuse/specular component. We then add their corresponding values to the iDiffuse and ispecular variables to get the sum total of all the lights in the scene. The code snippet for the fragment shader is as follows:

```
<script id="shader-fs" type="x-shader/x-fragment">
    precision mediump float;
    varying vec3 transformedNormal;
    varying vec3 vertexPos;
    const int NUM_DIRECTIONAL_LIGHTS = 1;
    uniform vec3 uLightDirection[NUM_DIRECTIONAL_LIGHTS];
    const int NUM_POSITIONAL_LIGHTS = 2;
    varying vec3 uLightRay[NUM_POSITIONAL_LIGHTS];
    uniform vec3 uAmbientColor;
    uniform vec3 uDirectionalDiffuseColor[NUM_DIRECTIONAL_LIGHTS];
    uniform vec3 uDirectionalSpecularColor[NUM_DIRECTIONAL_LIGHTS];
    uniform vec3 uPositionalDiffuseColor[NUM_POSITIONAL_LIGHTS];
    uniform vec3 uPositionalSpecularColor[NUM_POSITIONAL_LIGHTS];
    uniform vec3 materialDiffuseColor;
    uniform vec3 materialAmbientColor;
    uniform vec3 materialSpecularColor;
    void main(void) {
        vec3 normal=normalize(transformedNormal);
        vec3 eyeVector=normalize(-vertexPos);
        vec3 iAmbient=uAmbientColor*materialAmbientColor;
        vec3 iDiffuse=vec3(0.0,0.0,0.0);
        vec3 iSpecular=vec3(0.0,0.0,0.0);
        float specular = 0.0;
        for(int i = 0; i < NUM_DIRECTIONAL_LIGHTS ; i++){
            vec3 lightDirection = normalize(uLightDirection[i]);
            float directionalLightWeighting = max(dot(normal, -
            lightDirection), 0.0);
            iDiffuse+=uDirectionalDiffuseColor[i] *materialDiffuseColor
                    * directionalLightWeighting;
            if(directionalLightWeighting>0.0)
        {
            vec3 halfDir = normalize(-lightDirection + eyeVector);
            float specAngle = max(dot(halfDir, normal), 0.0);
            specular = pow(specAngle, 4.0);
            iSpecular+=uDirectionalSpecularColor[i]*
                materialSpecularColor*specular;
            }
    }
```

```
        for(int i = 0;i < NUM_POSITIONAL_LIGHTS ; i++){
            vec3 lightDirection = normalize(uLightRay[i]);
            float directionalLightWeighting = max(dot(normal, -
                lightDirection), 0.0);
            iDiffuse+=uPositionalDiffuseColor[i] *materialDiffuseColor *
                directionalLightWeighting;
            if(directionalLightWeighting>0.0)
            {
                vec3 halfDir = normalize(-lightDirection + eyeVector);
                float specAngle = max(dot(halfDir, normal), 0.0);
            specular = pow(specAngle, 4.0);
            ispecular+=uPositionalSpecularColor[i] *
                materialSpecularColor*specular;
        }
}
vec3 iColor =iAmbient+ iDiffuse+iSpecular;
gl_FragColor = vec4(iColor, 1.0);
}
</script>
```


## Implementing Light.js

We have added a new class to hold the components of light. Although the Light class has both direction and position variables defined, it is expected that we will use either of them in an object, as shown in the following code:

```
Light = function ( ) {
    this.specularColor=[0,0,0];
    this.diffuseColor=[0,0,0];
    this.ambientColor= [0,0,0];
    this.direction=[];
    this.position=[];
};
Light.prototype = {
    constructor: Light
}
```


## Applying Lights.js

This class holds the objects of all the lights added to our game scene. We have defined a function getDataByType () to return the array of the component of the light. For example, if we invoke lights.getDataByType ("ambient"), it will sum all the components ( $\mathrm{R}, \mathrm{G}, \mathrm{B}$ ) of the light ambient colors to return an array of three values ( $\mathrm{r}, \mathrm{g}, \mathrm{b}$ ). If we invoke lights.getDataByType ("position") and if we have defined three positional lights, it will return an array with nine elements ([x0, y0, z0, $x 1, y 1, z 1, x 2, y 2, z 2]$, the positions of the three lights in a single array). Similarly for the directional light, it will return a single array. If we invoke lights. getDataByT ype ("diffuse", "position"), it will return a diffuse component (R, G, B) of each positional light concatenated in a single array. The Light class is as follows:

```
Lights = function ( ) {
    this.lights=[];
};
Lights.prototype = {
    constructor: Lights,
    addLight:function(light){
        this.lights.push(light);
    },
    getDataByType:function(type,lightType){
        var sum=[];
        if(type=="position"){
            for(var i=0;i<this.lights.length;++i){
                    if(this.lights[i].position.length>0){
                sum=sum.concat(this.lights[i] [type])
            }
            }
        } else if(type=="direction"){
            for(var i=0;i<this.lights.length;++i){
                    if(this.lights[i].direction.length>0){
                    sum= sum.concat(this.lights[i] [type])
            }
            }
        }
        else if(type=="ambientColor"){
            sum=[0,0,0];
            for(var i=0;i<this.lights.length;++i){
                sum[0]=sum[0]+this.lights[i].ambientColor[0];
                    sum[1] =sum[1]+this.lights[i].ambientColor[1];
            sum[2] =sum[2] +this.lights[i].ambientColor[2];
            }
        }
```

```
        else{
        for(var i=0;i<this.lights.length;++i){
            if(this.lights[i][lightType].length>0){
                sum= sum.concat(this.lights[i][type])
            }
        }
        }
        return sum;
    }
}
```


## Understanding the main code

We have added code in the initShaders function to get reference to the six uniform arrays. We have used this function in our shaders as follows:

```
function initShaders(){
    shaderProgram.uAmbientColor = gl.getUniformLocation
        (shaderProgram, "uAmbientColor");
    shaderProgram.uLightDirection = gl.getUniformLocation
        (shaderProgram, "uLightDirection");
    shaderProgram.uPositionalDiffuseColor = gl.getUniformLocation
        (shaderProgram, "uPositionalDiffuseColor");
    shaderProgram.uPositionalSpecularColor = gl.getUniformLocation
        (shaderProgram, "uPositionalSpecularColor");
    shaderProgram.uDirectionalDiffuseColor = gl.getUniformLocation
        (shaderProgram, "uDirectionalDiffuseColor");
    shaderProgram.uDirectionalSpecularColor = gl.getUniformLocation
        (shaderProgram, "uDirectionalSpecularColor");
    shaderProgram.uLightPosition = gl.getUniformLocation
        (shaderProgram, "uLightPosition");
}
```

We also have modified the setLightUniform () function to initialize our light objects and added each light to our lights object. We then initialized our uniforms' variable, which is returned from lights.getDataByType, with single dimensional arrays. In the following code, the WebGL function we used to initialize the uniforms is gl . uniform3fv. The following is the code for the setLightUniform () function:

```
function setLightUniform(){
    var light=new Light();
    light.ambientColor=[0.1,0.1,0.1];
    light.diffuseColor=[0.5,0.5,0.5] ;
    light.specularColor=[1.0,1.0,1.0];
    light.direction=[0,-1.25,-1.25] ;
    var lightl=new Light();
    light1.diffuseColor=[lightColor[0],lightColor[1],
        lightColor[2]];
    light1.specularColor=[0.0,0.0,0.0];
    light1.position=[20.0,5.0,-100.0];
    var light2=new Light();
    light2.diffuseColor= [1.0,1.0,1.0];
    light2.specularColor= [0.0,0.0,0.0] ;
    light2.position=[20.0,5.0,200.0];
    var lights=new Lights();
    lights.addLight(light);
    lights.addLight(light1);
    lights.addLight(light2);
    gl.uniform3fv(shaderProgram.uAmbientColor,
        lights.getDataByType("ambientColor"));
    gl.uniform3fv(shaderProgram.uDirectionalDiffuseColor,
        lights.getDataByType("diffuseColor","direction"));
    gl.uniform3fv(shaderProgram.uDirectionalSpecularColor,
        lights.getDataByType("specularColor", "direction"));
    gl.uniform3fv(shaderProgram.uPositionalDiffuseColor,
        lights.getDataByType("diffuseColor","position"));
    gl.uniform3fv(shaderProgram.uPositionalSpecularColor,
        lights.getDataByType("specularColor","position"));
    gl.uniform3fv(shaderProgram.uLightPosition,
        lights.getDataByType("position")) ;
    gl.uniform3fv(shaderProgram.uLightDirection,
        lights.getDataByType("direction")) ;
}
```


## Summary

This chapter focused on making our code capable to handle the loading and rendering of multiple objects. The other important aspect we covered in this chapter was the use of stacks to maintain the state of mvMatrix for object transformation operations and rendering.
The other major code update was addition of the rendering of our scene at a predefined frame rate. We also learned about positional lights and how to handle multiple lights in any scene. Also keep in mind that using lights in a scene is a GPU-intensive operation and if you have added a specular component to your light, then the calculations become more intensive. The overall performance of your game will depend on the intelligent use of lights in your scene.

We will play more with textures in our next chapter and will learn how to beautify the scenes even more.

## 4

## Applying Textures

In Chapter 3, Loading the Game Scene, we saw that our scene did not look very realistic. The reason was the use of one solid color on all the polygons of the object. Remember that we apply textures to surfaces to achieve the desired look and feel. This chapter covers the following topics on how to create, load, and apply textures to your scene:

- Texturing basics
- Loading textures and using them in fragment shaders
- Texture filtering and wrapping
- Loading objects exported from Blender
- Mipmapping
- Cubemap textures


## Texturing basics

There are mainly three types of textures: 2D textures (most common), Cubemap textures, and 3D textures. 3D textures are rarely used in gaming applications and are mostly used in volumetric effects such as light rays and realistic fog. We will not discuss 3D textures in this book as they are mostly procedural. To explain better, there is some software that can help you create or modify textures. Some of this software, such as PixPlant (http://www.pixplant.com/), is young and still evolving.

## Understanding 2D textures and texture mapping

A 2D texture is a two-dimensional array of image data, a regular JPG or PNG image. The individual data elements of a texture are called texels. In 3D graphics, we use the term texels instead of image pixels. Texels are represented in different formats such as gl. RGB, gl . RGBA, gl. LUMINANCE, or gl. ALPHA along with their data types. Rendering with 2D textures requires a texture coordinate, which is an index into the image. Texture coordinates for 2 D textures are given by a set of 2 D coordinates, $(\mathrm{s}, \mathrm{t})$. The values for $s$ and $t$ range from 0.0 to 1.0. We can define values for ( $\mathrm{s}, \mathrm{t}$ ) outside the range 0.0 to 1.0 , but then the texture's behavior will be defined by the wrapping mode. We will cover the wrapping mode later in the chapter. The 2D coordinates, $s$ and $t$, of a texture are shown in the following figure:


So, in a nutshell, each texel is indexed using a 2D index, called a texture coordinate, and each vertex of the mesh has a texture coordinate associated with it. The texture coordinates for each vertex in a polygon define what part of the image appears on that polygon.

So, let's keep to the philosophy of the book by learning the basics through code. The following code focuses on our new initBuffers function from Chapter 1, Getting Started with WebGL Game Development, in which we color our square with a texture. We earlier learned that we define a Vertex Buffer Object to store the vertex data in the GPU memory. The vertex data we used earlier consisted of vertex coordinates, colors per vertex, and normals per vertex. Here, we will create a new buffer for texture coordinates per vertex:

```
function initBuffers() {
    vertices = [
        1.0, 1.0, 0.0, //V0
        -1.0, 1.0, 0.0, //V1
        1.0, -1.0, 0.0, //V2
```

```
        -1.0, -1.0, 0.0 //V3
        ];
        indices = [0,2,3,0,3,1];
    var textureCoordinates = [
        1.0, 1.0,
        0.0, 1.0,
        1.0, 0.0,
        0.0, 0.0
    ];
}
```

In the preceding code, we have four vertices vo to v3, and we have the corresponding texture coordinates array. For each vertex, we have defined a vertex coordinate. The mapping is explained in the following figure:


We specify texture coordinates as fractions and not the exact image pixel size so that we keep our code independent of the texture size. The preceding figure explains that the vertex V0, the upper-right corner of the square, maps to (1.0, 1.0) of the texture coordinate and other coordinates are similarly mapped. This concept of mapping a vertex to texture coordinates is called texture mapping.

A mesh may be made up of many polygons, so a question may pop up in your mind: do we have to map each vertex to texture by hand? Well, no, we do not map each vertex by hand, as our 3D tools give us the texture to vertex mapping information and we only have to parse it.

## Comprehending texture filtering

In texture filtering, the rendering engine determines the texture color for a texture-mapped pixel. The simplest algorithm selects the color from the nearby texel. This algorithm produces aliasing effects when the text is applied on different shapes, sizes, and angles. There are many algorithms evolved for anti-aliasing in order to minimize blurriness, shimmering, and blocking. The question is why does it even happen? Basically, during texture mapping, a texture lookup takes place to determine where each pixel center falls on the texture (texel to pixel mapping). As the object on which the texture is applied is at an arbitrary distance and orientation from the camera/viewer, one pixel on the screen might not correspond directly to a single texel. Some form of filtering has to be applied to determine the best color for the pixel.

There can be different types of correspondences between a pixel on the screen and the texel(s) it represents. Let's take an example of a 2D texture that is mapped on to a plane surface. At some viewing distance, the size of one screen pixel is exactly the same as one texel. If we move the plane closer to the camera/viewer, the texels appear larger than screen pixels and need to be scaled up. The process of scaling up the texture is known as texture magnification. If we move the plane away from the texture, each texel appears smaller than a pixel and so one pixel covers multiple texels. In this case, an appropriate color has to be picked up based on the covered texels via texture minification. We will learn multiple filtering techniques as we move along.

However, for now, we need to understand one concept: that each texel of the texture might not correspond to one pixel and that we apply filters to determine the best color for that pixel.

## Loading textures

Let's first understand a few important WebGL API functions before diving into the code.

The gl.pixelStorei function sets pixel storage modes for readPixels and unpacks textures with texImage2D and texSubImage2D. The gl.pixelStorei function is declared as follows:
void gl.pixelStorei (GLenum pname, GLint param)
Let's see what each parameter of this function does:

- pname: This parameter specifies the pixel storage type; it must be either gl. PACK_ALIGNMENT, gl.UNPACK_ALIGNMENT, or gl.UNPACK_FLIP_Y_WEBGL
- param: This parameter specifies the Boolean value for the pack or unpack alignment

The gl. pixelStorei function is not used for a particular texture but is a global setting for all textures used in our current graphics context. We will use this function to flip the texture in our game, as shown in the following function call:

```
gl.pixelStorei(gl.UNPACK_FLIP_Y_WEBGL, true);
```

Normally, the texture coordinates in images start from the top-left corner. The $y$ value increases as we move downwards, but WebGL starts from the bottom-left corner and the $y$ value increases as we move upwards. The gl. pixelstorei function instructs WebGL to store the image with the $y$ coordinate flipped.

Our gaming application must bind the texture object to be able to operate on it. Once the texture objects are bound, subsequent operations such as gl.texImage2D and gl.texParameteri affect the bound texture object. The following function makes the specified texture the current texture for further operations:

```
void gl.bindTexture(target, GLuint texture)
```

Let's see what each parameter of this function does:

- target: This parameter binds the texture object to the texture target, gl.TEXTURE_2D or gl.TEXTURE_CUBE_MAP
- texture: This parameter is the handle to the texture object

The primary function that is used for loading textures is gl.texImage2D. This function is very powerful for the purpose of gaming, and is declared as follows:

```
void gl.texImage2D(target, level, internalFormat, format, type,
    const void* pixels)
```

Let's see what each parameter of this function does:

- target: This parameter specifies the texture target, either gl.TEXTURE_2D or one of the cubemap face targets (for example, gl.TEXTURE_CUBE_MAP_ POSITIVE_X, or gl.TEXTURE_CUBE_MAP_NEGATIVE_X, among others).
- level: This parameter specifies which mip level to load. The base level is specified by 0 followed by an increasing level for each successive mipmap.
- internalFormat: This parameter specifies the internal format for the texture storage; this can be gl.RGBA, gl.RGB, gl.LUMINANCE_ALPHA, gl. LUMINANCE, or gl.ALPHA.
- format: This parameter specifies the format of the pixel data. The following symbolic values are accepted: GL_RED, GL_RG, GL_RGB, GL_BGR, GL_RGBA, and GL_BGRA.
- type: This parameter specifies the type of the incoming pixel data and can be gl.UNSIGNED_BYTE, gl.UNSIGNED_SHORT_4_4_4_4, gl.UNSIGNED_ SHORT_5_5_5_1, or gl.UNSIGNED_SHORT_5_6_5.
- pixels: This parameter contains the actual pixel data for the image. The data must contain (width multiplied by height) the number of pixels with the appropriate number of bytes per pixel based on the format and type specification.

We are only using the simplest overloaded function as it is also capable of loading the texture data from the HTML video element. The second parameter, level, is the parameter used for loading mipmap levels which we will use in the next code packet.

To set texture parameters for the current texture unit, the gl . texParameteri function is used, which is declared as follows:

```
Void gl.texParameteri(GLenum target, GLenum pname, GLint param)
```

Let's see what each parameter of this function does:

- target: This parameter specifies the target texture, which must be one of the following: GL_TEXTURE_1D, GL_TEXTURE_2D, GL_TEXTURE_3D, GL_ TEXTURE_1D_ARRAY, GL_TEXTURE_2D_ARRAY, GL_TEXTURE_RECTANGLE, or GL_TEXTURE_CUBE_MAP
- pname: This parameter specifies the symbolic name of a single-valued texture parameter and can be one of the following: GL_DEPTH_STENCIL_ TEXTURE_MODE, GL_TEXTURE_BASE_LEVEL, GL_TEXTURE_COMPARE_FUNC, GL_ TEXTURE_COMPARE_MODE, GL_TEXTURE_LOD_BIAS, GL_TEXTURE_MIN_FILTER, GL_TEXTURE_MAG_FILTER, GL_TEXTURE_MIN_LOD, GL_TEXTURE_MAX_LOD, GL_TEXTURE_MAX_LEVEL, GL_TEXTURE_SWIZZLE_R, GL_TEXTURE_SWIZZLE_G, GL_TEXTURE_SWIZZLE_B, GL_TEXTURE_SWIZZLE_A, GL_TEXTURE_WRAP_S, GL_TEXTURE_WRAP_T, or GL_TEXTURE_WRAP_R
- param: This parameter specifies the value of pname

The gl.texParameteri function sets the texture filtering mode for each texture used in our application. It operates on the currently bound texture and sets the filter mode for the texture. This also means that for every texture we load, we will have to specify the filter mode for it.

We will learn all filter modes as we move but for now, we will be using the nearestneighbor interpolation method. Take a look at the following code:

```
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MAG_FILTER,
    gl.NEAREST);
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
    gl.NEAREST);
```

Nearest-neighbor interpolation is the fastest and crudest filtering method. It simply uses the color of the texel closest to the pixel center for the pixel color. However, the rendering of textures is not as good as expected. It results in a large number of artifacts such as blockiness in case of magnification and aliasing/shimmering in minification.

The preceding two lines of code set the nearest-neighbor interpolation filter for both magnification and minification.

We will introduce a new data type in the ESSL code, sampler2D, to reference the texture data in the shader and texture lookup functions.

## A new data type - sampler

A sampler data type can be sampler1D, sampler2D, and sampler3D. A variable of the sampler can only be defined in one of two ways. It can be defined as a function parameter or as a uniform variable, shown as follows:

```
uniform sampler2D texture1;
void Function(in sampler2D myTexture);
```

Samplers do not have a value. They cannot be set by expressions in a shader. They can only be passed to a function as an in parameter. Putting it together, a sampler value can be set in the shader code.

The sampler can only be used as a parameter in one of the GLSL standard library's texture lookup functions. These functions access the texture referred to by the sampler. They take a texture coordinate as parameters.

We will cover only two functions for now, texture and textureoffset. The texture function is declared as follows:

```
vec texture(sampler sampler, vec texCoord);
```

The process of fetching data from a texture, at a particular location, is called sampling. This function returns the samples of the texture associated with the sampler, at the location texCoord. The size of the vec type of texCoord depends on the dimensionality of the sampler. A 1D sampler takes a float size whereas a 2D sampler takes a vec2 size.

```
vec textureOffset(sampler sampler, vec texCoord, vec offset);
```

We can add a texel offset to the texture coordinates, sampled with texture functions. This is useful for sampling from a collection of images, all on a single texture.

## Applying a texture to the square

In our code example, we will simply add a texture to the square we rendered in Chapter 1, Getting Started with WebGL Game Development. We will now just summarize the changed code snippets that we added to render the square with a texture instead of a predefined color. Open the 04 -SquareWithTexture. html file in your favorite text editor and review the following changes:

1. We added the texture map array to the initBuffers function.
2. We created a buffer, made the buffer the active buffer using bindBuffer, and allocated memory for the buffer. Note that the texture coordinates are defined for each vertex, as shown in the following code snippet:
```
function initBuffers() {
    verticesTextureBuffer = gl.createBuffer();
    gl.bindBuffer(gl.ARRAY_BUFFER, verticesTextureBuffer);
```

```
    var textureCoordinates = [
    1.0, 1.0,
    0.0, 1.0,
    1.0, 0.0,
    0.0, 0.0
    ];
    gl.bufferData(gl.ARRAY_BUFFER,
    new Float32Array(textureCoordinates), gl.STATIC_DRAW);
}
```


## The vertex shader

A new attribute, aTextureCoord, is defined to hold the texture coordinates assigned from the flow code. A new varying, vTextureCoord, is defined to pass the texture coordinate to the fragment shader. Remember, the only way to pass the bind data from the flow code to the shader variable is by defining an attribute and to pass the data from the vertex shader to the fragment shader is by defining a uniform. Then, we assign the value of aTextureCoord to vTextureCoord so that this value can be used by the fragment shader. All we are doing is accepting the texture coordinates as a per-vertex attribute and passing it straight out in a varying variable, as shown in the following code snippet:

```
<script id="shader-vs" type="x-shader/x-vertex">
    attribute vec2 aTextureCoord;
    varying highp vec2 vTextureCoord;
    void main(void) {
        vTextureCoord = aTextureCoord;
    }
</script>
```


## The fragment shader

In the following code, we declare two variables; one is a sampler that holds the reference to texture that we loaded in the main control flow. The second variable is vec2varyingvTextureCoord, which is passed from the vertex shader. The important function is texture2D, which accesses the sampler at the texel defined by the vTextureCoord variable and gets the color value for that texel.

```
<script id="shader-fs" type="x-shader/x-fragment">
    uniform sampler2D uSampler;
    varying highp vec2 vTextureCoord;
    void main(void) {
```

Applying Textures

```
        gl_FragColor = texture2D(uSampler, vec2(vTextureCoord.s,
        vTextureCoord.t));
    }
</script>
```

In the initShaders function, the new variable we have added is textureCoordAttribute. It references the aTextureCoord attribute of the vertex shader, as shown in the following code:

```
function initShaders() {
    ...
    shaderProgram.textureCoordAttribute =
        gl.getAttribLocation(shaderProgram, "aTextureCoord");
    gl.enableVertexAttribArray(shaderProgram.textureCoordAttribute);
}
```

The createTexture () function creates the texture reference. To actually create the texture object itself, you must bind it to the current texture context. We do that after we load the texture. We create the image object and once the image is loaded, the onload event invokes handleTextureLoaded. We then bind the texture to actually create the object using the bindTexture function. This function also makes the texture object the current active texture buffer. The texImage2D function loads the texture in GPU memory and associates it with the active texture object. The texImage2D function loads the img object at level of detail o (mipmap level), and we specify the input texture format, gl. RGBA, and the storage format. The next call, texParameteri, defines the filter mode for our texture. We use the nearest-neighbor interpolation algorithm to filter for magnification and minification. Then, we invoke the drawscenedrawScene function, as shown in the following code:

```
function initTextures() {
    texture = gl.createTexture();
    image = new Image();
    // Assigning onLoad Event before setting the source, since the
    //onload will never be invoked if we assign the source earlier.
    image.onload = function() {
        handleTextureLoaded(image, texture);}
    image.src = "cubetexture.png";
}
function handleTextureLoaded(img, texture) {
    gl.bindTexture(gl.TEXTURE_2D, texture);
```

```
    gl.texImage2D(gl.TEXTURE_2D, 0, gl.RGBA, gl.RGBA,
        gl.UNSIGNED_BYTE, img);
    gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MAG_FILTER,
        gl.NEAREST);
    gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
        gl.NEAREST);
    gl.bindTexture(gl.TEXTURE_2D, null);
    gl.clearColor(0.0, 0.0, 0.0, 1.0);
    gl.enable(gl.DEPTH_TEST);
    drawScene();
}
```



The drawScene function is modified to initialize the shader variables. In the following code, we have added two new variables, one attribute, aTextureCoord, in the vertex shader and the other uniform, uSampler, in the fragment shader. The first line makes verticesTextureBuffer the current buffer by the bindBuffer call. Then, the vertexAttribPointer function is invoked to map the buffer to the shader variable, aTextureCoord, through its reference textureCoordAttribute. The next lines are interesting. WebGL can deal with up to 32 textures during any given call to functions such as gl. drawElements. These textures are numbered from textureo to texture31. The first line tells WebGL that texture 0 is the one we loaded, and the second line defines the current texture object. The third line passes the value 0 to a shader uniform. In other words, the uniform shader, usampler, will hold the reference to the first texture, as shown in the following code:

```
function drawScene() {
    gl.bindBuffer(gl.ARRAY_BUFFER, verticesTextureBuffer);
    gl.vertexAttribPointer(shaderProgram.textureCoordAttribute, 2,
        gl.FLOAT, false, 0, 0);
    gl.activeTexture(gl.TEXTURE0);
    gl.bindTexture(gl.TEXTURE_2D, texture);
    gl.uniformli(gl.getUniformLocation(shaderProgram,
        "uSampler"), 0);
}
```


## Texture wrapping

As seen in the previous example in the Applying a texture to the square section, let's first take a quick look at the texture mapping coordinates.

```
var textureCoordinates = [
    1.0, 1.0,
    0.0, 1.0,
    1.0, 0.0,
    0.0, 0.0
];
```

The texture coordinates lie in the range 0.0 to 1.0. However, imagine if we use values like -1 to 2.0 or 1.5 to 2.0 . Now, these values lie outside the previous range. Which texel from the texture should WebGL pick? Let's think for a second and evaluate our options. If the $s$ value goes outside the range, we could say that if $s>1.0$, then $s=1.0$ and if $s<0.0$, then $s=0$. Here, we are clamping, which means that we are always picking the border values if the value goes outside the range. Or, if we say the texture is cylindrical and $s=1.2$, then the integer value is dropped and we get the value 0.2 . So, texture wrapping describes which texel to pick if the values lie outside the range [0.0, 1.0]. The wrapping mode is specified separately for both $s$ and $t$ values.

The following table lists the different wrapping modes that we can use in the texParameteri API call:

| Wrapping mode | Description |
| :--- | :--- |
| CLAMP_TO_EDGE | If the sorted values exceed the range 0 to 1, then the <br> border values will be taken. |
| REPEAT | This is the default texture wrapping mode. It gives <br> a tiled look to the texture, just like a brick wall. The <br> integer of the $s$ or $t$ value is ignored, for example: $(0.5$, <br> 1.6) becomes $(0.5,0.6)$. |
| MIRRORED_REPEAT | In this mode, if the integer part of the real number <br> (s or $t)$ is even, the integer part is ignored. If the integer <br> part is odd, then the integer part is ignored and the <br> fraction is subtracted from 1, for example: $(2.4,3.2)$ <br> becomes $(0.4,0.8)$ and $(3.2,2.4)$ becomes $(0.8,0.6)$. |

The following figure shows the outputs of the different wrapping modes:


## Testing the texture wrapping mode

The code in the 04 -SquareWithTextureWrapping. html file gives us options to try texture wrapping for both $s$ and $t$ values separately. Open the file in your favorite text editor. We will see the various changes that we made in the code.

## The HTML

We have added two select boxes to list different wrapping modes for $s$ and $t$ values, with IDs sclamp and tclamp respectively, as shown in the following code snippet:

```
<div>
    <label for="sclamp">Clamping Mode S</label>
    <select id="sclamp" name="sclamp">
        <option value="REPEAT">REPEAT</option>
        <option value="CLAMP_TO_EDGE">CLAMP_TO_EGDE</option>
        <option value="MIRRORED_REPEAT">MIRRORED_REPEAT</option>
    </select>
    <label for="tclamp">Clamping Mode T</label>
    <select id="tclamp" name="tclamp">
```

```
<option value="REPEAT">REPEAT</option>
<option value="CLAMP_TO_EDGE">CLAMP_TO_EGDE</option>
<option value="MIRRORED_REPEAT">MIRRORED_REPEAT</option>
    </select>
</div>
```


## The event handlers

We use the jQuery library to help with programming the web page. Here are the onchange event handlers for both select boxes:

```
<script type="text/javascript" src="js/jquery.js"></script>
function start() {
    $("#sclamp").change(redrawWithClampingMode);
    $("#tclamp").change(redrawWithClampingMode);
}
```


## The redrawWithClampingMode function

We make the texture as the current/active texture by using the bindTexture API call. We retrieve the selected value of the select boxes using jQuery API selectors. Then, depending on the selected value, we set the value of the parameter gl.TEXTURE_WRAP_S or gl.TEXTURE_WRAP_T using the texParameteri API call for the different wrapping mode. Then, we invoke the drawScene function after clearing the current texture buffer, as shown in the following code snippet:

```
function redrawWithClampingMode() {
    gl.bindTexture(gl.TEXTURE_2D, texture);
    var sValue=$("#sclamp option:selected").val();
    var tValue=$("#tclamp option:selected").val();
    switch(sValue) {
        case"REPEAT":
            gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_WRAP_S,
                gl.REPEAT);
            break;
        case"CLAMP_TO_EDGE":
            gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_WRAP_S,
                gl.CLAMP_TO_EDGE);
            break;
        case"MIRRORED_REPEAT":
            gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_WRAP_S,
                gl.MIRRORED_REPEAT);
            break;
    }
```

```
    switch(tValue) {
    case"REPEAT":
            gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_WRAP_T,
                gl.REPEAT);
            break;
        case"CLAMP_TO_EDGE":
            gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_WRAP_T,
                gl.CLAMP_TO_EDGE);
            break;
        case"MIRRORED_REPEAT":
            gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_WRAP_T,
                gl.MIRRORED_REPEAT);
            break;
    }
    gl.bindTexture(gl.TEXTURE_2D, null);
    drawScene();
}
```


## Exporting models from Blender

The most exciting part is here. In this section, we will export objects with textures from Blender. However, first we need to understand the structure of the newly exported object and the material file. Let's go through the exported cube with textures. Open the Box.obj file present in the model directory in your favorite text editor. The content of the file is as follows:

```
# Blender v2.67 (sub 0) OBJ File: ''
# www.blender.org
mtllib Box.mtl
o Box
v -0.738564 -0.738564 0.738564
v 0.738564 -0.738564 0.738564
v 0.738564 0.738564 0.738564
v -0.738564 0.738564 0.738564
v 0.738564 0.738564 -0.738564
v -0.738564 0.738564 -0.738564
v 0.738564 -0.738564 -0.738564
v -0.738564 -0.738564 -0.738564
vt 0.375000 0.000000
vt 0.625000 0.000000
vt 0.625000 0.250000
vt 0.375000 0.250000
vt 0.625000 0.500000
vt 0.375000 0.500000
vt 0.375000 0.750000
vt 0.625000 1.000000
```

```
vt 0.375000 1.000000
vt 0.625000 0.750000
vt 0.875000 0.000000
vt 0.875000 0.250000
vt 0.125000 0.000000
vt 0.125000 0.250000
vn 0.000000 -0.000000 1.000000
vn 0.000000 1.000000 0.000000
vn 0.000000 0.000000-1.000000
vn 0.000000-1.000000-0.000000
vn 1.000000 0.000000 0.000000
vn -1.000000 -0.000000-0.000000
g Box_Box_initialShadingGroup.004
usemtl initialShadingGroup.004
s off
f 1/1/1 2/2/1 3/3/1
f 4/4/2 3/3/2 5/5/2
f 6/6/3 5/5/3 8/7/3
f 2/8/4 1/9/4 7/10/4
f 2/2/5 7/11/5 5/12/5
f 8/13/6 1/1/6 6/14/6
f 4/4/1 1/1/1 3/3/1
f 6/6/2 4/4/2 5/5/2
f 5/5/3 7/10/3 8/7/3
f 1/9/4 8/7/4 7/10/4
f 3/3/5 2/2/5 5/12/5
f 1/1/6 4/4/6 6/14/6
```

Let's understand this file format. The Box.obj file has six types of elements defined, which are as follows:

- mtllib: This element defines the name of the material file attached. We will cover this in more detail shortly.
- o: This element defines the objects exported. Remember that we can have many objects in a single OBJ file. In our case, we have a single object, that is, Box.
- v : This element defines the vertices in the object. This file shows eight vertices for a cube. The exporter tries to reduce redundancy of vertices.
- vt: This element defines the vertex texture coordinates ( $x, y$ values) of the texture listed in the Box.mtl file. The two values corresponding to vt are called UV coordinates and are listed in each row. This is the reason that we also refer to texture mapping as UV mapping. The Box.obj file defines 15 UV coordinates.
- vn: This element defines the normals of the cube. It defines eight normals.
- s: This element allows us to enable or disable smooth shading. The value, off, denotes that smooth shading has been disabled.
- f : This element defines each vertex of a face/primitive in the $\mathrm{v} / \mathrm{n} / \mathrm{t}$ format depicted as follows:

```
f v/n/t v/n/t v/n/t
f 1/1/1 2/2/1 3/3/1
```

These three values ( $\mathrm{v}, \mathrm{n}$, and t ) show that each face of the Box object is defined by three vertices, or a triangle. The value $1 / 1 / 1$ means that you pick the first vertex from the vertices list, the first normal from the normal list, and the first texture coordinate from the texture coordinates list. In short, we can say, each vertex of a face is defined by the vertex index, normal index, and texture coordinate index $(\mathrm{v} / \mathrm{n} / \mathrm{t})$. The relation between the vertex and the texture coordinate is thus defined in the face definition.

Now, open Box.mtl in your favorite text editor. The content of the file is as follows:

```
# Blender MTL File: 'None'
# Material Count: 1
newmtl initialShadingGroup.004
Ns 96.078431
Ka 0.000000 0.0000000 0.000000
Kd 0.000000 0.000000 0.000000
Ks 0.500000 0.500000 0.500000
Ni 1.000000
d 0.000000
illum 2
map_Kd boxDiffuse.jpg
```

The ка element defines the ambient color, kd defines the diffuse color, and ks defines the specular color. The map_kd element defines the name of the file with the texture. The texture mapping is defined in the Box.obj file. The following figure shows the texture map to texture a cube:


## Converting Box.obj to Box.json

To import the Box.obj file with JavaScript in our code, we need to convert it to the JSON format as shown in the following command-line code:

```
python ./convert_obj_three.py -i ./Box.obj -o ./Box.json
```


## Understanding the JSON file with UV coordinates

Let's understand our JSON file format with texture coordinates. Open Box.json in your favorite text editor. The content of the file is as follows:

```
{
    "metadata" :
    {
        "formatVersion" : 3.1,
        "sourceFile" : "Box_Blender.obj",
        "generatedBy" : "OBJConverter",
        "vertices" : 8,
        "faces" : 12,
        "normals" : 6,
        "colors" : 0,
        "uvs" : 14,
        "materials" : 1
    },
    "scale" : 1.000000,
    "materials": [ {
        "DbgColor" : 15658734,
        "DbgIndex" : 0,
        "DbgName" :"initialShadingGroup.004",
        "colorAmbient" : [1.0, 1.0, 1.0],
        "colorDiffuse" : [1.0, 1.0, 1.0],
        "colorSpecular" : [0.5, 0.5, 0.5],
        "illumination" : 2,
        "mapDiffuse" : "boxDiffuse.jpg",
        "opticalDensity" : 1.0,
        "specularCoef" : 96.078431,
        "transparency" : 0.0
    }],
    "vertices": [...],
    "morphTargets": [],
    "morphColors": [],
    "normals": [0, -0, 1, 0, 1,0,0,0,-1,0,-1,-0, 1,0,0,-1,-0,-0],
    "colors": [],
    "uvs": [ [0.375,0,0.625,0,0.625,0.25,0.375,0.25,0.625,0.5,0.375,0.5,
0.375,0.75,0.625,1,0.375,1,0.625,0.75,0.875,0,0.875,0.25,0.125,0,0.12
5,0.25]],
```

```
"faces": [42,0,1,2,0,0,1,2,0,0,0,42,3,2,4,0,3,2,4,1,1,1,42,5,4,7,0,5,
4,6,2,2,2,42,1,0,6,0,7,8,9,3,3,3,42,1,6,4,0,1,10,11,4,4,4,42,7,0,5,0,
12,0,13,5,5,5,42,3,0,2,0,3,0,2,0,0,0,42,5,3,4,0,5,3,4,1,1,1,42,4,6,7,0
,4,9,6,2,2,2,42,0,7,6,0,8,6,9,3,3,3,42,2,1,4,0,2,1,11,4,4,4,42,0,3,5,0
,0,3,13,5,5,5]
}
```

We see three new entries in this JSON file. Apart from the regular vertices and normals array, we notice a new uvs array. It is a simple one dimensional array with each pair defining one texture or one UV coordinate. Also, notice the materials array, which has one material defined, with a new entry of mapDiffuse that refers to the diffuse map image, boxDiffuse.jpg.

The faces array looks a little different now from what we saw in Chapter 2, Colors and Shading Languages. It starts with a value of 42 . If we remember from Chapter 2, Colors and Shading Languages, the first value of the array defines the structure of the faces of each cube, so let's dive deep into it.

Let's first convert 42 into binary, which is 00101010 . Starting from the last digit, we have listed what each bit means:

| Digit | Denotes | Meaning |
| :--- | :--- | :--- |
| 0 | isQuad | The digit value 0 means it is not a quad, but a triangle. <br> Three elements will give vertex indices of the face. |
| 1 | hasMaterial | The digit value 1 means we have a material associated <br> with the polygon. Hence, the fourth value would give <br> us the material index. <br> The JSON format stores the UV coordinate per face or <br> per vertex. If it is per face, we call it a face UV. This <br> essentially conveys that all the vertices of the face map <br> to the same UV coordinate. |
| 0 | hasFaceUV | The digit value of 1 means that the next two values <br> will give the texture coordinates (UV). <br> The digit value of 0 means that there is no face normal. |
| 0 | hasFaceNormal | hasFaceVertexNormal <br> 1The digit value of 1 means that the next three values <br> will give normal values for the vertices. <br> The digit value of 0 means that there is no face color. |
| 0 | hasFaceColor | The dit <br> hasFaceVertexColor <br> The digit value of 0 means that there is no face <br> vertex color. |

So let's sum it up; three values for the vertex index, one value for the material index, two values for the texture index, and three values for the normal index. A total of one (to define the structure) plus nine values will define a face for this particular JSON file.

## Parsing UV coordinates from the JSON file

Now, we will walk you through the code to show the changes that we need to perform to load the JSON file with a texture. But, first let's understand the biggest challenge we are going to face to load the JSON file in order to have the minimum memory footprint.

## The challenge and the algorithm

First, let's review the basic principles of WebGL texture mapping:

- Each texture coordinate is mapped to a vertex and vice versa. So, if we have eight vertices defined in the vertex buffer, we need eight texture coordinates. If we have 16 vertices defined in the vertex buffer, we need 16 texture coordinates. Take a look at the previous code snippets of this chapter and you will notice we had four UV values for four vertices of the square. This applies to all vertex attributes, such as colors and normals, among others.
- We used the index buffer so that we do not have to repeat vertices in the vertex buffer. We did this so that the memory we assign for the vertex buffer in the GPU is of the smallest footprint. However, there is no rule that says that the vertices cannot be redundant. We can repeat vertices, but then we would have to change the indexing in the indices array.
- There is no relation of the texture coordinates with the indices defined.

Why are we discussing this? Notice in the Box.json file that you have eight vertices but 15 texture coordinates. This will happen with any visual designing tool, be it Blender, Maya, or 3ds Max, the number of vertices will never match the number of texture coordinates. The export tools will always generate a minimum number of vertices and texture coordinates and their relation will be expressed in the face information such as the Box. obj file. We have more UV coordinates than vertex coordinates because a vertex can be shared between many faces and we can have different UV coordinates for each face. This is explained and implemented in depth in the upcoming sections.

Again, texture coordinates are relative to the vertex data and not the index data. The indexing is independent of texturing.

Suppose you have the following vertex array made of three vertices (three components each):

```
var vertices = [x0, y0, z0, x1, y1, z1, x2, y2, z2];
```

Also, there is a texture coordinate array made of three coordinates (two components each):

```
var t-co-ordinates = [s0, t0, s1, t1, s2, t2];
```

We associate the vertex $0(x 0, y 0, z 0)$ with the texture coordinate $0(s 0, t o)$. The index data is a way of specifying the vertices. In our previous example, if we would like to render the triangle twice, we would specify an index array as follows:

```
var indices[] \(=\{0,1,2,0,1,2\} ;\)
```

The index data is independent of texture coordinates or other vertex attributes such as colors and normals, among others. Hence, we do not bind texture coordinates to the index data.

So, if we have a situation like in our case, where the number of texture coordinates does not match the number of vertices, then we have to create redundant vertex information or texture information and re-arrange our indices.

Now, we need to prepare our vertex array, index array, normal array, and texture coordinates array from the face information before making the drawElements call.

## Revisiting vertices, normals, and the indices array

Let's summarize how we created our vertices, normals, and the indices arrays so far. We were simply copying our vertices from the JSON object to the vertices array.

The parseJSON function in the parseJSON.js file, present in the primitive directory, was reading the Box.json file and creating face objects, as shown in the following code snippet:

```
Face = function (a, b, c, normal, color, materialIndex) {
    this.a = a;
    this.b = b;
    this.c = c;
    this.normal = normal ;
    this.vertexNormals = [ ];
    this.vertexColors = color instanceof Array ?color : [];
    this.colorIndex = color;
    this.vertexTangents = [];
    this.materialIndex = materialIndex !==
        undefined ? materialIndex : 0;
};
```

Each face object had the structure, shown in the preceding code snippet, with $a, b$, and $c$ as the indices to the vertices for that face. We simply iterated over the faces array of the Geometry class and copied the $a, b$, and $c$ values of each face object into our indices array using the indicesFromFaces function of our Geometry class (defined in primitive/Geometry.js), as shown in the following code snippet:

```
indicesFromFaces: function () {
    for(var i=0; i<this.faces.length; ++i) {
        this.indices.push(this.faces[i].a);
        this.indices.push(this.faces[i].b);
        this.indices.push(this.faces[i].c);
    }
}
```

For normals, we wrote a function, calculateVertexNormals, in the Geometry class. We did not use the normal array from the Box. json file because normals are associated with vertices and not indices or faces. The Box. json file gave a normal for each vertex with respect to that face. Hence, if a vertex was being used in two faces, then we had two normals for the same vertex and to get the final normal for that vertex, we had to add them up. However, we decided not to use that information and we calculated our normal array from indices and vertices.

## Restructuring for texture coordinates

First, let's study the changes we need to perform to read the UV information of faces in our parseJson.js file:

```
fi = geometry.faces.length;
if ( hasFaceUv ) {
    for ( i = 0; i < nUvLayers; i++ ) {
        uvLayer = data.uvs[ i ];
        uvIndex = faces[ offset ++ ];
        geometry.faceUvs[ i ][ fi ] = uvIndex;
    }
}
if ( hasFaceVertexUv ) {
    for ( i = 0; i < nUvLayers; i++ ) {
        uvLayer = data.uvs[ i ];
        uvs = [];
        var aVertexIndices=["a","b","c","d"];
        for ( j = 0; j < nVertices; j ++ ) {
            uvIndex = faces[ offset ++ ];
            uvs[ aVertexIndices[j]] = uvIndex;
        }
        geometry.faceVertexUvs[ i ][ fi ] = uvs;
    }
}
```

The first if condition in the preceding code checks whether the JSON has the face's UV coordinates, then stores the index to the uvs array in the corresponding face index. Hence for each face, we will have a UV coordinate. This case will not prove untrue for an OBJ file as the OBJ format stores UV coordinates per face vertex. However, there are other formats where this case might be helpful.

The second if condition checks whether the JSON file has face UV coordinates per vertex, then stores the index of the texture coordinate for each vertex in a uvs array. Then, it stores the UV index array in the corresponding face index of the faceVertexUvs array.

The outer i loop of the second if condition is for the material index. An object can have multiple materials. In our case, we have a single material, but in most cases, you might find multiple materials for a geometry. Hence, faceUvs [material Index] [faceIndex] is a double dimensional array declared in the Geometry class and faceVertexUvs [material index] [faceIndex] [vertexIndex] is a three dimensional array.

## Algorithm one to create new arrays

Let's take a look at the verticesFromFaceUvs function from Geometry.js, which is present in the primitive directory. We have commented out the function since we do not use it in our examples - it is just for our reference.

The verticesFromFaceUvs function takes vertices, uvs, and material Index as parameters. The values of vertices and uvs are derived from the JSON object. They are redundant data. The actual arrays from the JSON file are passed into the function, as shown in the following code snippet:

```
/* verticesFromFaceUvs: function(vertices, uvs, materialIndex) {
    var vertexVectors = []; // will hold the redundant indexes to
        the vertex array
    var redundantVertexVectors = []; // Will hold the redundant
        indexes to the uv array
    var redundantUVs[]; // Create vector vertex from vertices for
        easy indexing
    for(var i=0; i<vertices.length; i=i+3) {
        var vector = vec3.fromValues(vertices[i], vertices[i+1],
            vertices[i+2]);
        vertexVectors.push(vector);
    }
    // One faceVertexUV corresponds to one face
    for(var i=0; i<this.faceVertexUvs[materialIndex].length; ++i) {
        var face=this.faces[i]; // Pick one face
```

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```
    var textureIndices = this.faceVertexUvs[materialIndex][i]; //
        Pick the corresponding vertexUV map
    var aVertexIndices = ["a", "b", "c"];
    for(var i=0; i<aVertexIndices.length; ++i) {
        var aVertexIndex = aVertexIndices[i];
        // For each vertex in face, copy the vertex to the vertex
            redundant array.
        redundantVertexVectors.push(face[aVertexIndex]);
        // For each vertex in face, copy the vertexUV map to the uv
            redundant array.
        redundantUVs.push(textureIndices[aVertexIndex]);
    }
    }
    for(var i=0; i<redundantVertexVectors.length; ++i) {
    var vector=vertexVectors[redundantVertexVectors[i]];
    // Copy X value of the vertex to vertices
    this.vertices.push(vector[0]); // Copy Y value of the vertex
        to vertices
    this.vertices.push(vector[1]); // Copy Z value of the vertex
        to vertices
    this.vertices.push(vector[2]); // Copy s value from the UV
        array. Since uv=[s0, t0, s1, t1, s2, t2 ]
    this.uvs.push(uvs[redundantUVs[i]*2]);
    this.uvs.push(uvs[redundantUVs[i]*2+1]);
    this.indices.push(i+1); // indices=[1,2,3, 4,5,6, 7,8,9, ...]
    }
}, */
```

However, while it is the simplest approach you could take, it's been commented out and is there simply for our reference. It is not really the best approach as it is inefficient. The first for loop iterates over non-redundant vertices information and clubs triplets to create a single vector and pushes the vector on the vertexvectors array. We do this because indices point to a coordinate and not its individual $x, y$, or $z$ components. The first for loop is shown as follows:

```
for(var i=0; i<vertices.length; i=i+3) {
    var vector = vec3.fromValues(vertices[i], vertices[i+1],
        vertices[i+2]);
    vertexVectors.push(vector);
}
```

The second for loop iterates over the faceVertexUvs array. Remember that each element of the faceVertexUvs array corresponds to a face element of the faces array in the Geometry class. Hence, you could iterate over either of them, as shown in the following code snippet:

```
var face=this.faces[i]; // Pick one face
var textureIndices = this.faceVertexUvs[materialIndex][i]; // Pick
    the corresponding vertexUV map
```

Retrieve one face element from the faces array and one element from the faceVertexUv array. The face element would contain indices to the vertices array that make up a polygon, in our case triangle. Each UV element (textureIndices) would contain indices to the UV array for each vertex. Hence, we iterate over these elements to retrieve the value for each vertex denoted by $a, b$, and $c$, and store the value for each vertex in the redundantVertex and redundantUvs arrays. We copy each vertex index and UV index into their corresponding redundant array as follows:

```
redundantVertexVectors.push(face[aVertexIndex]); // For each
    vertex in face, copy the vertex to the vertex redundant array.
redundantUVs.push(textureIndices[aVertexIndex]); // For each
    vertex in face, copy the vertexUV map to the uv redundant array.
```

So, basically we copied each vertex and UV coordinate in an order as specified in the faces and faceVertexUv arrays. This means we would not even need the indices array and can use the drawArrays call without any indices. On the other hand, we can create the indices array by simply storing elements starting from zero to the number of faces multiplied by 3 . Here, we are repeating each possible vertex and UV coordinate as per the faces. As mentioned earlier, this would be a pretty inefficient approach, so this code is commented out. Thus, if an object had 1200 faces, then our vertex array would be $1200 * 3$ elements and the UV array would have $1200^{*} 2$ elements. Take a look at the following figure:


$$
\left[\begin{array}{l}
\text { Algorithm one is not the right way to proceed. It is good for } \\
\text { objects such as a plane where the vertex information might } \\
\text { not be redundant and indices might not be that valuable, } \\
\text { but for most objects in games, vertices are reused. Hence, } \\
\text { using this algorithm is not a very bright idea and so, we } \\
\text { have commented out the function. }
\end{array}\right]
$$

## Algorithm two to create new arrays

In this algorithm, let's first understand the problem again. We need the same number of vertices as the UVs before we invoke the drawElements function call. So, we know that each face has a vertex index and faceVertexUvs has a UV index from that geometry. So, we have a relation between UV coordinates and vertices as each faceVertexUv element corresponds to a face element.

Our new algorithm is pretty simple. If a vertex index is pointing to two different UV coordinates, then clone that vertex. Each vertex clones at the same index as the UV coordinates. If a UV coordinate is pointing to two different vertices, then clone the UV coordinate. We will make some information redundant and it would be much better than making complete copies for each face.

How do we achieve that? Let's look at the algorithm we designed:

```
verticesFromFaceUvs: function(vertices, uvs, materialIndex) {
    var vertexVectors = [];
    var redundantVertexVectors = [];
    var vertexCovered = [];
    //Copy vertices to a vec3 array
    for (var i = 0; i < vertices.length; i = i + 3) {
        var vector = vec3.fromValues(vertices[i], vertices[i + 1],
            vertices[i + 2]);
        vertexVectors.push(vector);
    }
    var count = 0;
    //Iterating over all uv indices for each vertex in a face.
    for (var i = 0; i < this.faceVertexUvs[materialIndex].length;
        ++i) {
        var face = this.faces[i];
        var textureIndices = this.faceVertexUvs[materialIndex][i];
        var aVertexIndices = ["a", "b", "c"];
        //Iterating over the each vertex of the face.
        for (var j = 0; j < aVertexIndices.length; ++j) {
            var aVertexIndex = aVertexIndices[j];
```

```
            //If the new vertex corresponding to texture coordinate
                points to same vertex as in redundant array or the
                corresponding vertex is not defined in the redundant
                array.
            if (redundantVertexVectors[textureIndices[aVertexIndex]] ==
                        face[aVertexIndex] || redundantVertexVectors[
                        textureIndices[aVertexIndex]] === undefined) {
                        redundantVertexVectors[textureIndices[aVertexIndex]] =
                face[aVertexIndex];
                face[aVertexIndex] = textureIndices[aVertexIndex];
                }
            else {
                    // The texture coordinate holds the index of a
                different vertex duplicate the uv coordinate
                    uvs [materialIndex] .push(uvs [materialIndex] [
                textureIndices[aVertexIndex] * 2]);
                    uvs [materialIndex] . push(uvs [materialIndex] [
                textureIndices[aVertexIndex] * 2 + 1]);
                    var newIndex = Math.floor(uvs[materialIndex].length / 2) -
                    1;
            redundantVertexVectors[newIndex] = face[aVertexIndex];
            face[aVertexIndex] = newIndex;
            textureIndices[aVertexIndex] = newIndex;
            }
        }
    }
    for (var i = 0; i < redundantVertexVectors.length; ++i) {
        var vector = vertexVectors[redundantVertexVectors[i]];
        this.vertices.push(vector[0]);
        this.vertices.push(vector[1]);
        this.vertices.push(vector[2]);
    }
    this.uvs = uvs;
}
```

In the preceding code, we created a new vertex array (redundantVertexVectors) by copying the index of the previous array at a new index location as per the UV index.

It is difficult to express the algorithm in words, so let's do a dry run for the custom set of data.

## Understanding the algorithm using a dry run

First, we will create a set of data for dry run as follows:

```
vertices = [x0, y0, z0, x1, y1, z1, x2, y2, z2, x3, y3, z3, x4,
    y4, z4]
uvs = [s0, t0, s1, t1, s2, t2, s3, t3, s4, t4, s5, t5, s6, t6]
faces = [[a=0, b=1, c=2], [a=1, b=2, c=3]......]
faceVertexUvs = [[[a=4, b=5, c=6], [a=4, b=6, c=4] .....]]
redundantVertexVectors = []
```

Initially, the redundantVertexVectors array is empty. Let's add a loop, For $i=0$, aVertexIndex="a":

```
textureIndices = faceVertexUvs[i], face=faces[i].
textureIndices["a"]~4, face[ aVertexIndex]~0.
```

Take a look at the following code lines:

```
redundantVertexVectors[textureIndices[aVertexIndex]] =
    face[aVertexIndex]
redundantVertexVectors[4] = 0
face[aVertexIndex] = textureIndices[aVertexIndex]
face["a"] = 4
```

Now, the new arrays will look like the following:

```
faces=[[a=4,b=1,c=2],[a=1,b=2,c=3] ........]
faceVertexUvs=[[[a=4,b=5,c=6],[a=4,b=6,c=4] ......]]
redundantVertexVectors=[,,,,0]
```

Let's add another loop, For $i=0$, $a V e r t e x$ Index="b" with the following if condition:

```
if(redundantVertexVectors[textureIndices[aVertexIndex]] ==
    face[aVertexIndex] ||
        redundantVertexVectors[textureIndices[aVertexIndex]] ===
        undefined)
    textureIndices["b"]~5 face[ aVertexIndex]~1,
    redundantVertexVectors[5] === undefined
if(undefined == 4 || redundantVertexVectors[5] == -undefined)
    redundantVertexVectors[textureIndices[aVertexIndex]] =
        face[aVertexIndex]
    redundantVertexVectors[5] = 1
    face[aVertexIndex] = textureIndices[aVertexIndex]
    face["b"]=5
    faces=[[a=4,b=5,c=2], [a=1,b=2,c=3] . . . . . . .]
    faceVertexUvs=[[[a=4,b=5,c=6],[a=4,b=6,c=4].... . .]]
    redundantVertexVectors=[,, , ,0,1]
```

Let's add a loop, For i=0, aVertexIndex="c":

```
faces=[[a=4,b=5,c=6] , [a=1,b=2,c=3] . . . . . . .]
faceVertexUvs=[[[a=4,b=5,c=6],[a=4,b=6,c=4].... . .] ]
redundantVertexVectors=[,,,,0,1,2]
```

Let's add a loop, For $i=1$, aVertexIndex="a" with the following if condition:

```
if(redundantVertexVectors[textureIndices[aVertexIndex]]==face[aVertex
Index]||redundantVertexVectors[textureIndices [aVertexIndex]]===undefi
ned)
```

Here, redundantVertexVectors [textureIndices [aVertexIndex] ] ~ redundantVertexVectors [4] $\sim 0$ and it is defined. As this condition matches, the if condition returns true. Hence, the redundant vertex array remains the same but the new index of the new vertex is changed in the faces array, as shown in the following code:

```
faces=[[a=4,b=5,c=6],[a=4,b=2,c=3] ........]
faceVertexUvs=[[[a=4,b=5,c=6],[a=4,b=6, c=4] ... . .]]
redundantVertexVectors=[, , , ,0,1,2]
```

You must have noticed that no vertex was repeated for this case but simply a new index was assigned in accordance to an existing vertex.

Let's add another loop, For i=1, aVertexIndex="b" with the following if condition:

```
if(redundantVertexVectors[textureIndices[aVertexIndex]]==face [aVertex
Index]||redundantVertexVectors[textureIndices[aVertexIndex]]===undefi
ned)
```

Here, redundantVertexVectors [textureIndices [aVertexIndex] ] ~ redundantVertexVectors [6] ~ 2 and faces [1] ["b"] is equal to 2, which again is the same. Hence, the redundant array will not change, only face ["b"] will point to the new index, as shown in the following code:

```
faces=[[a=4,b=5,c=6],[a=4,b=6,c=3] . . . . . .]
faceVertexUvs=[[[a=4,b=5,c=6],[a=4,b=6, c=4] ... . . ] ]
redundantVertexVectors=[,, ,,0,1,2]
```

Let's add a loop, For $i=1$, aVertexIndex=" $c$ " with the following if condition:

```
if(redundantVertexVectors[textureIndices[aVertexIndex]]==face[aVertex
Index]||redundantVertexVectors[textureIndices[aVertexIndex]]===undefi
ned)
```

Here, redundantVertexVectors [textureIndices [aVertexIndex] ] ~
redundantVertexVectors [4] ~ 0 and faces [1] ["c"] is equal to 3 which makes the if condition false. Hence, in the else condition, the following code will be added:

```
uvs [materialIndex].push(uvs [materialIndex]
    [textureIndices[aVertexIndex]*2]);
uvs[materialIndex].push(uvs [materialIndex]
    [textureIndices[aVertexIndex] *2+1]);
    var newIndex=Math.floor(uvs [materialIndex].length/2)-1;
    redundantVertexVectors[newIndex] = face[aVertexIndex];
    face[aVertexIndex] = newIndex;
    textureIndices[aVertexIndex] = newIndex;
```

Here, uvs [0]. push (uvs [0] [4*2~8]) ~uvs [0] .push (s4), uvs [0] .push
(uvs [0] [4*2+1~9]) ~uvs[0].push(t4), and var newIndex = Math.floor (uvs [materialIndex].length/2) -1~7. The new length of the UV array minus one, redundantVertexVectors[7] = 4,face["c"] = 7, and textureIndices $[" \mathrm{c} "]=7$. The resultant arrays are as follows:

```
uvs=[s0,t0, s1,t1, s2,t2, s3,t3, s4,t4, s5,t5, s6,t6, s4,t4]
faces=[[a=4,b=5,c=6],[a=4,b=6,c=7] ........]
faceVertexUvs=[[[a=4,b=5,c=6],[a=4,b=6, c=7] .... . .] ]
redundantVertexVectors=[, , , 0,1,2,4]
```

As you keep iterating through this function, you will realize which condition has the minimum redundancy and you will have the following new arrays:

- A new redundantVertexVectors array with indices to the original vector array. We will use this array to create our new vertices array as follows:

```
for(var i=0; i<redundantVertexVectors.length; ++i) {
    var vector=vertexVectors[redundantVertexVectors[i]];
    this.vertices.push(vector[0]);
    this.vertices.push(vector[1]);
    this.vertices.push(vector[2]);
}
```

- A new UV array with some redundant UV coordinates.
- A faces array where each face element has indices of the new array for each vertex.

Now, we can create our indices array like we did before, by using the indicesFromFaces function of the Geometry class with new vertices and face indexes. We will also use the calculateVertexNormals function of our Geometry class to calculate normals for the new vertices and indices.

The two algorithms that we just discussed to create new vertices and indices arrays are not standard algorithms. We can always write better algorithms to reduce the size of the vertices array.

## Rendering objects exported from Blender

If you have reached this far, you have learned the main recipe to fight mutated Mr. Green. Understanding the JSON format and then recreating the vertices and indices arrays is exciting and at the same time, is your biggest weapon to build the most beautiful objects with textures. So let's quickly walk through the code to load JSON objects.

## Changes in our JSON parser

Open primitive/parseJson.js in your editor. This file has two major changes. The first change populates the faceUvs and faceVertexUVs arrays of the Geometry class with the JSON data, as shown in the following code snippet:

```
fi = geometry.faces.length;
if ( hasFaceUv ) {
    for ( i = 0; i < nUvLayers; i++ ) {
        uvLayer = data.uvs[ i ];
        uvIndex = faces[ offset ++ ];
        geometry.faceUvs[ i ][ fi ] = uvIndex;
    }
}
if ( hasFaceVertexUv ) {
    for ( i = 0; i < nUvLayers; i++ ) {
        uvLayer = data.uvs[ i ];
        uvs = [];
        var aVertexIndices=["a","b","c","d"];
        for ( j = 0; j < nVertices; j ++ ) {
            uvIndex = faces[ offset ++ ];
            //u = uvLayer[ uvIndex * 2 ];
            //v = uvLayer[ uvIndex * 2 + 1 ];
            uvs[ aVertexIndices[j] ] = uvIndex;
        }
        geometry.faceVertexUvs[ i ][ fi ] = uvs;
    }
}
```

The second change invokes geometry call functions to create vertices, indices, normals, and UV coordinate arrays, as shown in the following code snippet:

```
geometry.materials = data.materials;
geometry.verticesFromFaceUvs(data.vertices, data.uvs, 0);
geometry.indicesFromFaces();
```


## Changes in our Geometry object

Open primitive/Geometry.js in your favorite editor. We added a new function, verticesFromFaceUvs, to re-create vertices from the UV arrays as discussed previously in the chapter.

## Loading a textured object

Let's now load an object with texture mapping exported from Blender. Open 04-Loading-Model-Textures.html in your editor. The code of the shaders remains the same as the previous code snippets (04-SquareWithTexture.html) of this chapter. A new attribute, vec2 aTextureCoord, to hold texture coordinates and a new varying, vTextureCoord, is added to the vertex shader to pass the coordinate to the fragment shader. In the fragment shader, the code was changed to calculate the new fragment color value. It is used in the texture access function, texture2D, to extract the color value from the uniform, uSampler, as shown in the following code snippet:

```
gl_FragColor = vec4(iColor, 1.0)*texture2D(uSampler,
    vec2(vTextureCoord.s, vTextureCoord.t));
```

In the main control code for the textured object, the load model function takes the URL of the JSON model. It first invokes the parseJSon function which returns the geometry object pre-populated with the vertex data information. Then, it retrieves the texture URL from the geometry object, geometry.materials [materialIndex] . mapDiffuse, and it invokes initTexture with the texture URL. The initTexture function loads the texture and sets global parameters such as gl.UNPACK_FLIP_Y_ WEBGL to flip the texture to match the texture coordinates of WebGL in the handleTextureLoaded function. Then, the code loads the texture into the GPU memory and sets texture parameters, as shown in the following code snippet:

```
function initTextures(imageMap) {
    texture = gl.createTexture();
    image = new Image();
    image.onload = function() { handleTextureLoaded(image, texture);
    }
    image.src = path+imageMap;
}
```

```
function handleTextureLoaded(img, texture) {
    gl.bindTexture(gl.TEXTURE_2D, texture);
    gl.pixelStorei(gl.UNPACK_FLIP_Y_WEBGL, true);
    gl.texImage2D(gl.TEXTURE_2D, 0, gl.RGBA, gl.RGBA,
        gl.UNSIGNED_BYTE, img);
    gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MAG_FILTER,
        gl.NEAREST);
    gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
        gl.NEAREST);
    gl.bindTexture(gl.TEXTURE_2D, null);
    initScene();
}
function loadModel(url){
    rotateX=0.0;
    rotateY=0.0;
    $.getJSON(path+url, function(data) {
        geometry=parseJSON(data);
        if(geometry.materials.length>0) {
            if(!(geometry.materials[0].colorDiffuse===undefined))
                diffuseColor=geometry.materials[0].colorDiffuse;
            if(!(geometry.materials[0].colorAmbient===undefined))
                ambientColor=geometry.materials[0].colorAmbient;
            if(!(geometry.materials[0].colorSpecular===undefined))
                specularColor=geometry.materials[0].colorSpecular;
        }
        initTextures(geometry.materials[materialIndex].mapDiffuse);
    });
}
```

The initBuffers function creates vertex buffers ( gl . ARRAY_BUFFER) for vertices, normals, and texture coordinates. It initializes the buffers with geometry variables (vertices, normals, and UVs). Then, it creates the index buffer (gl .eLEMENT_ARRAY_ BUFFER) and loads geometry. indices into it, as shown in the following code snippet:

```
function initBuffers() {
    vertexPositionBuffer = gl.createBuffer();
    indexBuffer = gl.createBuffer();
    gl.bindBuffer(gl.ARRAY_BUFFER, vertexPositionBuffer);
    gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, indexBuffer);
    gl.bufferData(gl.ARRAY_BUFFER,
        new Float32Array(geometry.vertices), gl.STATIC_DRAW);
    vertexPositionBuffer.itemSize = 3;
    vertexPositionBuffer.numItems = geometry.vertices.length/3;
```

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```
    vertexNormalBuffer = gl.createBuffer();
    gl.bindBuffer(gl.ARRAY_BUFFER, vertexNormalBuffer);
    gl.bufferData(gl.ARRAY_BUFFER,
    new Float32Array(geometry.normals), gl.STATIC_DRAW);
vertexNormalBuffer.itemSize = 3;
vertexNormalBuffer.numItems = 24;
gl.bufferData(gl.ELEMENT_ARRAY_BUFFER,
    new Uint16Array(geometry.indices), gl.STATIC_DRAW);
gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, null);
verticesTextureBuffer = gl.createBuffer();
gl.bindBuffer(gl.ARRAY_BUFFER, verticesTextureBuffer);
gl.bufferData(gl.ARRAY_BUFFER,
    new Float32Array(geometry.uvs[materialIndex]),
    gl.STATIC_DRAW);
}
```

The drawScene function remains the same, except in the drawElements call where we pass geometry.indices which was initialized in the parseJSON function, as shown in the following code snippet:

```
function drawScene() {
    ...
    gl.activeTexture(gl.TEXTUREO);
    gl.bindTexture(gl.TEXTURE_2D, texture);
    gl.uniformli(gl.getUniformLocation(shaderProgram, "uSampler"),
        0);
    setMatrixUniforms();
    gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, indexBuffer);
    gl.drawElements(gl.TRIANGLES, geometry.indices.length,
        gl.UNSIGNED_SHORT, 0);
}
```

When we load the image in our browser, we see that the texture is pixelated. We had briefly discussed filter modes earlier and in the next section, we will dive deep into the different filter modes.

## Understanding mipmapping

First, let's understand what texture filtering and mipmapping are. Take a close look at the following images. The image on the left shows the image of a monkey model with aliasing effects (look at the eyes of the monkey). On the right, we have an image of the same model with no such effects. When the object moves closer to the camera or moves further away from it, the texture associated with that object appears blocky or pixelated. Let's first understand why this happens. In our shader, we pass the image coordinates of the image. Now the shader interpolates texel values (texture pixels) and decides which pixel of the image to pick to be shaded on the screen. When the object is close to the viewer, each texel might become larger than the screen pixel. When the object is very far from the viewer, the screen pixel might become larger than the texel. Now, when it comes to selecting the texel, the rendering engine needs to decide which algorithm to follow to select the texel. The algorithms have to be decided by us, the programmers. Each algorithm has its pros and cons. Some are very accurate but processor-intensive, and some are inaccurate but fast. In this section, we will learn about each of them, and then we can decide which one to use for rendering a particular object, depending on their importance in the game. The best part is you get to apply various filtering modes for different textures.


## Implementing mipmapping

We provide optimized collections of images that accompany a main texture to increase the rendering speed and reduce aliasing artifacts. These optimized images are collectively called a mipmap set. If the texture has a basic size of $1024 \times 1024$ pixels, then the associated mipmap set may contain a series of nine images, and each takes up one-fourth of the total area of the previous image: $512 \times 512$ pixels, $128 \times 128,64 \times$ $64,32 \times 32,16 \times 16,8 \times 8,4 \times 4,2 \times 2$, and $1 \times 1$. These images are generally computed by the rendering engine. The renderer will switch to a suitable mipmap image when the texture is viewed from a distance or is of a small size. Artifacts like blurring, shimmering, and blocking are minimized considerably when images of different sizes are used. Also the rendering speed is considerably enhanced as the engine uses smaller texture sizes for objects at far-off distances.

The function used to automatically generate a mipmap set in the WebGL API is gl.generateMipmap (gl.TEXTURE_2D).

It will generate mipmap for the current texture buffer object. WebGL can generate the mipmap images automatically, but in this case, we manually upload a series of images in order to have more control. In the function, gl.texImage2D, the second parameter is level. This level parameter refers to the level of detail. So, we can upload multiple images for multiple mipmap levels and assign them to the same texture buffer object, as shown in the following code snippet:

```
gl.bindTexture(gl.TEXTURE_2D, texture);
gl.pixelStorei(gl.UNPACK_FLIP_Y_WEBGL, true);
gl.texImage2D(gl.TEXTURE_2D, 0, gl.RGBA, gl.RGBA,
    gl.UNSIGNED_BYTE, img);
gl.texImage2D(gl.TEXTURE_2D, 1, gl.RGBA, gl.RGBA,
    gl.UNSIGNED_BYTE, img256);
gl.texImage2D(gl.TEXTURE_2D, 2, gl.RGBA, gl.RGBA,
    gl.UNSIGNED_BYTE, img128);
gl.texImage2D(gl.TEXTURE_2D, 3, gl.RGBA, gl.RGBA,
    gl.UNSIGNED_BYTE, img64);
gl.texImage2D(gl.TEXTURE_2D, 4, gl.RGBA, gl.RGBA,
    gl.UNSIGNED_BYTE, img32);
```

In the preceding code, the current buffer object is texture. We upload multiple mipmap images (img, ..., img32) for the same buffer object with different level of detail (LOD) values.

## Understanding the filtering methods

Now let's understand how mipmap sets are used in filtering methods available in the WebGL API.

## Nearest-neighbor interpolation

Nearest-neighbor interpolation is the fastest and simplest filtering method. It simply uses the color of the texel closest to the pixel center for the pixel color. While being fast, it results in a large number of artifacts. Its usage is shown as follows:

```
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
    gl.NEAREST);
```


## Linear interpolation

In the linear interpolation method, the four nearest texels to the pixel center are sampled and their colors are combined by the weighted average of their distance. This removes the blockiness seen during magnification. There is a smooth gradient of color change from one texel to the next. It is also called bilinear filtering. Its usage is shown as follows:

```
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER, gl.LINEAR);
```


## Nearest-neighbor with mipmapping

In the nearest-neighbor with mipmapping algorithm, the nearest mipmap level is first chosen, then the nearest texel center is used to get the pixel color. This reduces the aliasing and shimmering significantly but does not help with blockiness. Its usage is shown as follows:

```
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
    gl.NEAREST_MIPMAP_NEAREST);
```


## Bilinear filtering with mipmapping

In bilinear filtering, the four nearest texels to the pixel center are sampled at the closest mipmap level. The colors of the texels are combined by weighted average of their distance. This removes the blockiness seen during magnification. So, instead of an abrupt color change, there is now a smooth gradient of color change from one texel to the next. Its usage is shown as follows:

```
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
    gl.LINEAR_MIPMAP_NEAREST);
```


## Trilinear filtering

Trilinear filtering is a solution to a common problem seen in bilinearly filtered mipmapped images. A very noticeable change is observed in quality when the WebGL renderer switches from one mipmap level to the next. Trilinear filtering first does a texture lookup and then applies either bilinear or nearest filtering on the two closest mipmap levels. It then linearly interpolates the resulting values. This results in a smooth degradation of the texture quality as the distance from the viewer increases rather than a series of sudden drops.

When two mipmaps are selected and we want to apply the nearest-neighbor algorithm, we use the following code snippet:

```
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
    gl.NEAREST_MIPMAP_LINEAR);
```

When two mipmaps are selected and we want to apply the bilinear algorithm, we use the following code:

```
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
    gl.LINEAR_MIPMAP_LINEAR);
```

Mipmapping and its corresponding filtering modes can only be applied to POT (power of two) images, that is, images that have a height and width in the power of two $(64 \times 64,256 \times 128$, and so on). We can apply only the nearest and linear filtering modes to non-POT images.

## Applying filtering modes

To apply filtering modes to our texture, we will add three dropdowns:

- Distance: This drop-down will help us move the object closer or farther from the viewer
- Magnification Filtering: This drop-down holds the magnification filtering modes
- Minification Filtering: This drop-down holds the minification filtering modes

Open the 04-ApplyingFilteringModes.html file in your editor. We have changed the code to add the drop-downs, as shown in the following code snippet:

```
<div>
    <label>Minification Filter</label>
    <select id = "minificationFilter">
        <option value = "NEAREST">NEAREST</option>
        <option value = "LINEAR">LINEAR</option>
```

```
            <option value =
            "NEAREST_MIPMAP_NEAREST" >NEAREST_MIPMAP_NEAREST</option>
        <option value =
            "LINEAR_MIPMAP_NEAREST">LINEAR_MIPMAP_NEAREST</option>
        <option value =
            "NEAREST_MIPMAP_LINEAR" >NEAREST_MIPMAP_LINEAR</option>
        <option value =
            "LINEAR_MIPMAP_LINEAR" >LINEAR_MIPMAP_LINEAR</option>
    </select>
    <label>Maginification Filter</label>
    <select id="magnificationFilter">
        <option value="NEAREST">NEAREST</option>
        <option value="LINEAR">LINEAR</option>
    </select>
</div>
<div>
    <label>Select Distance</label>
    <select id="distanceList">
        <option value="-1">1</option>
        <option value="-12">12</option>
    </select>
</div>
```

We have added the change function to handle change events in the start function using jQuery selectors, as shown in the following code snippets:

```
function start() {
    ...
    $("#minificationFilter").change(changeValues);
    $("#magnificationFilter").change(changeValues);
    $("#distanceList").change(changeValues);
}
```

We have added a function, changeValues, to set the texture parameters' filtering modes and to set the value of the global variable, distance. We retrieve the values of the drop-down using jQuery selectors. The texture buffer is made the current buffer using the API call, bindTexture, for subsequent gl.texParameteri calls. The switch case statement sets the gl.TEXTURE_MIN_FILTER and gl.TEXTURE_MAG_ FILTER parameters for the current texture. Then, we invoke the drawScene function to see the effect of these parameters, as shown in the following code snippet:

```
function changeValues() {
    gl.bindTexture(gl.TEXTURE_2D, texture);
    var minification=$("#minificationFilter option:selected").val();
```

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```
    var magnification=$("#magnificationFilter
        option:selected").val();
    distance=parseInt($("#distanceList option:selected").val());
    switch(minification) {
        case "NEAREST":
            gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
                gl.NEAREST);
            break;
    case "LINEAR":
    gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
            gl.LINEAR);
            break;
        case "NEAREST_MIPMAP_NEAREST":
            gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
                gl.NEAREST_MIPMAP_NEAREST);
            break;
        case "LINEAR_MIPMAP_NEAREST":
            gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
                gl.LINEAR_MIPMAP_NEAREST);
            break;
        case "NEAREST_MIPMAP_LINEAR":
            gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
                gl.NEAREST_MIPMAP_LINEAR);
            break;
    case "LINEAR_MIPMAP_LINEAR":
            gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
                gl.LINEAR_MIPMAP_LINEAR);
        break;
}
switch(magnification) {
    case "NEAREST":
        gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MAG_FILTER,
            gl.NEAREST);
        break;
    case "LINEAR":
        gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MAG_FILTER,
            gl.LINEAR);
        break;
}
gl.bindTexture(gl.TEXTURE_2D, null);
drawScene();
}
```

Change the drawScene function to translate mvMatrix by the distance variable set in the changeValues function. This translation is like moving the camera closer or farther from the model. The required change is shown as follows:

```
mat4.translate(mvMatrix, mvMatrix, [0.0, 0.0, distance]);
```


## Understanding cubemaps and multi-texturing

So far, we have used only 2D textures in our model. However, at the beginning of the chapter, we also mentioned another kind of texture called cubemaps. Cubemaps are often used in games to approximate an environmental reflection on the surface of a model. Let's say you have a shiny mirror in your game and you want to show the reflection of the left wall, or when the mirror rotates, you want to show the reflection of the right wall. The biggest application of cubemaps in gaming is skylight illumination and skyboxes.

A cube texture map consists of six two-dimensional images that correspond to the faces of a cube. The $s, t$ and $p$ coordinates represent a direction vector emanating from the center of the cube that points toward the texel to be sampled, as shown in the following figure:


For cubemap sampling, first we need to select a face, and then use 2D coordinates to sample a color value from the selected image. Which face to sample is determined by the sign of the coordinate with the largest absolute value. The other two coordinates are divided by the largest coordinate and remapped to the range 0 to 1 using formulas. Well, we do not need to do any of the calculations or even need to know the formulas. The GPU does all that for us. We only need to specify the 2D textures of the six sides of the cubemap. We specify each face of the cubemap with positive-Z, positve- Y , positive- X , negative- X , negative- Y , and negative- Z directions. The texImage2D function is called as follows:

```
gl.texImage2D(gl.TEXTURE_CUBE_MAP_NEGATIVE_X, 0, gl.RGBA, gl.RGBA,
    gl.UNSIGNED_BYTE, image);
```


## Cubemap coordinates

We do not provide the cubemap coordinates to the shader. In fact, the cubemap colors are sampled using the vertex normals using the following function:

```
textureCube(uCubeSampler, transformedNormal);
```

The texturecube function samples the color from the location where the normal from the object surface intersects the cubemap. The uCubeSampler uniform references the cubemap texture.

## Multi-texturing

So far, we have been rendering using a single texture. However, there are times where we may want to have multiple textures that contribute to a fragment to create more complex effects. For such cases, we use WebGL's ability to access multiple textures in a single draw call. This is known as multi-texturing. In this chapter, we earlier read that WebGL can refer 32 active textures and each texture is represented by textureo through texture 2 . We can assign these textures to sampler uniforms in our fragment shader and use them simultaneously to color a fragment.

## Loading cubemaps

In our code, we will show how to use cubemaps and discuss multi-texturing. So far, we have used a single texture in our code examples. However, in this code, we will load two textures. The first will be our 2D texture and the second will be our cubemap applied to the same object.

The following figure shows the different images used for the cubemaps and the corresponding object on which they are applied:


## Understanding the shader code

Open 04-ApplyingCubeMaps.html in your favorite editor. The vertex shader remains the same as in our previous examples of this chapter. The changes in the fragment shader are as follows:

```
uniform samplerCube uCubeSampler;
```

A new uniform variable of the samplercube type is defined in the code. The value of gl_FragColor is deduced as follows:

```
gl_FragColor = vec4(iColor, 1.0) * texture2D(uSampler,
    vec2(vTextureCoord.s, vTextureCoord.t)) *
    textureCube(uCubeSampler, transformedNormal);
```

Now, gl_fragColor has a new component, textureCube (uCubeSampler, transformedNormal). The texture calls the textureCube function, which samples the color values from the uniform, uCubeSampler. The transformedNormal parameter is passed as a varying from the vertex shader. We were already using this for lighting calculations.

We have also added two functions: loadCubeMap and loadFace. These functions initialize our cubemap texture. We first create a memory reference in GPU for the cubemap texture using the bindTexture call. We now pass gl.TEXTURE_CUBE_MAP as the first parameter instead of gl.TEXTURE_2D. We use the nearest-neighbor interpolation filtering mode for minification and the bilinear interpolation for magnification. Then, we load 2D textures for each face of the cubemap. Each face is loaded in the GPU and is associated with the faces of the cubemap by specifying the target as gl.TEXTURE_CUBE_MAP_POSITIVE_X or gl.TEXTURE_CUBE_MAP_ POSITIVE_Y in the gl.texImage2D API call. After each texture is loaded, we invoke the drawScene function to see the effect, as shown in the following code snippet:

```
function loadFace(target, url) {
    var image = new Image();
    image.onload = function() {
        gl.bindTexture(gl.TEXTURE_CUBE_MAP, cubeTex);
        gl.texImage2D(target, 0, gl.RGBA, gl.RGBA, gl.UNSIGNED_BYTE,
            image);
        gl.bindTexture(gl.TEXTURE_CUBE_MAP, null);
        drawScene();
    }
    image.src = url;
};
function loadCubeMap() {
    cubeTex = gl.createTexture();
```

```
    gl.bindTexture(gl.TEXTURE_CUBE_MAP, cubeTex);
    gl.texParameteri(gl.TEXTURE_CUBE_MAP, gl.TEXTURE_MAG_FILTER,
        gl.NEAREST);
gl.texParameteri(gl.TEXTURE_CUBE_MAP, gl.TEXTURE_MIN_FILTER,
        gl.LINEAR);
loadFace(gl.TEXTURE_CUBE_MAP_POSITIVE_X,
        'cubemap/positive_x.jpg');
loadFace(gl.TEXTURE_CUBE_MAP_NEGATIVE_X,
        'cubemap/negative_x.jpg');
loadFace(gl.TEXTURE_CUBE_MAP_POSITIVE_Y,
        'cubemap/positive_Y.jpg');
loadFace(gl.TEXTURE_CUBE_MAP_NEGATIVE_Y,
        'cubemap/negative_Y.jpg');
loadFace(gl.TEXTURE_CUBE_MAP_POSITIVE_Z,
    'cubemap/positive_z.jpg');
loadFace(gl.TEXTURE_CUBE_MAP_NEGATIVE_Z,
        'cubemap/negative_z.jpg');
}
```

In the drawScene function, we initialize our two textures as follows:

```
function drawScene() {
    gl.activeTexture(gl.TEXTURE0) ;
    gl.bindTexture(gl.TEXTURE_2D, texture);
    gl.uniform1i(gl.getUniformLocation(shaderProgram, "uSampler"),
        0) ;
    gl.activeTexture(gl.TEXTURE1);
    gl.bindTexture(gl.TEXTURE_CUBE_MAP, cubeTex);
    gl.uniform1i(gl.getUniformLocation(shaderProgram,
        "uCubeSampler"), 1);
    ...
}
```

In the preceding code, we activate our first texture, and then we associate our current 2 D texture by using the parameter 0 in the gl.uniform1i (..., 0 ) call. Similarly, we activate our second texture gl.activeTexture (gl.TEXTURE1) and then associate our cubemap texture as 1 in the gl.uniform1i (..., 1) call.

Notice the effect of the following cubemap texture (hall in Rome) and 2D texture applied on the cube model as shown in the following figure:


## Summary

In gaming applications, textures are the key factors that affect the performance as well as the look of the game. The size of the texture and intelligent use of concepts, such as mipmapping, will decide how your game would perform. Also, we learned how to map texture coordinates to vertex coordinates, which is a very important concept to control the overall memory footprint of your objects in the GPU. If you plan to use open source WebGL libraries to create your games, these concepts will come in handy as you might have to tweak them to get the last bit of performance from your game.

In the next chapter, we will learn about the different types of camera used in 3D games. We will also write a new Camera class to view our world in 5000 AD with different perspectives.

## 5

## Camera and User Interaction

It is impossible to imagine a 3D game without a camera. WebGL does not provide a camera class. We have learned that WebGL is a low-level API, but it gives us a rendering API to help us write one of our own implementations. This chapter is focused on evolving our own camera class for our game scene. We will also empower our users to view the game scene from different angles and positions by adding mouse and keyboard interactivity. We will also implement different types of cameras used in gaming. The topics we will cover are as follows:

- ModelView transformations
- Perspective transformations
- The basic camera
- The free camera
- Controlling the camera with the keyboard and mouse
- The orbit camera


## Understanding ModelView transformations

In all our previous chapters, we used model transformations. We used glMatrix (http://glmatrix.net/) functions to calculate translation and rotation. Let's look at what we are talking about here:

```
// Create an identity matrix
var mvMatrix=mat4.create();
// Translate the matrix by objects location and replace the matrix
    with the result(mat4.translate(out,in,vec3))
    mat4.translate(mvMatrix, mvMatrix,
        stage.stageObjects[i].location);
```

```
// Rotate the matrix by objects rotation X and replace the matrix
    with the result(mat4.rotateX(out,in,vec3))
    mat4.rotateX(mvMatrix, mvMatrix,
        stage.stageObjects[i].rotationX);
    mat4.rotateY(mvMatrix, mvMatrix,
        stage.stageObjects[i].rotationY);
    mat4.rotateZ(mvMatrix, mvMatrix,
        stage.stageObjects[i].rotationZ);
```

In the preceding code, we created a ModelView matrix, mvMatrix, which stores the translation and rotation of the object. We passed this matrix to our fragment shader using our own function, setMatrixUniforms. When we invoked drawElements, each vertex of the object was transformed in the vertex shader because of the multiplication of each vertex location with the mvMatrix, as shown in the following code:

```
vec4 vertexPos4 = mvMatrix * vec4(aVertexPosition, 1.0);
```

So why is this matrix called a ModelView matrix when it stores only the model transformations? Well, this is because until now, we have not considered the view matrix. We have only been viewing our objects from one angle and location. The view matrix and object matrix are combined to render our scene ( $v^{\prime}=M v$ ). Let's define these two transformations.

## Applying the model transformation

We use the modeling transformation to position and orient the model. For example, we can translate, rotate, or scale the model or perform a combination of these operations. These three operations are depicted in the following figure:


## Understanding the view transformation

The viewing transformation is analogous to the positioning and aiming of a camera. In our code examples, the current matrix is set to the identity matrix using mat4.identity (mvMatrix). This step is necessary as most of the transformation commands multiply the current matrix by the specified matrix and then set the result to be the current matrix. So essentially, we can say that until now we were setting our view matrix to the identity matrix. So, let's dive deep into the view matrix and its calculations.

The view matrix is the most misunderstood concept in 3D game programming. The camera transformation matrix defines the position and orientation of the camera in the world space. However, we use the view matrix to transform the model's vertices from world space to view space. The camera matrix and view matrix are not the same.

To understand it, let's define the two terms separately:

- Camera transformation matrix: This is exactly like the model matrix. We treat our camera like an object. It has a location and can be rotated in a scene. The final transformation matrix is our camera matrix.
- View matrix: This matrix is used to transform the vertices of a model from world space to view space. This matrix is the inverse of the camera transformation matrix. In the real world, you move the camera but in 3D rendering, we say that the camera does not move but the world moves in the opposite direction and orientation. Hence, to transform the model to view space, we use the inverse of the camera matrix.


## Understanding the camera matrix

The camera transformation matrix is exactly the same as the model transformation matrix, except that we do not use the scale component to calculate it. Let's reiterate the components used to calculate a model transformation matrix. A model matrix is calculated using the translation, rotation, and scale functions. In the camera matrix, we generally do not have a scale functions.

Hence, if $R$ represents the rotation matrix of the camera and $T$ represents the translation matrix in world space, then the final transformation matrix $M$ can be computed by multiplying the two matrices, $M=T^{*} R$. To get the position of the camera in world-space (also called the eye position), from the matrix $M$, you simply take the fourth row of the resulting $4 \times 4$ matrix, $M=\left(M_{41}, M_{42^{\prime}}, \mathrm{M}_{43^{\prime}}, \mathrm{M}_{44}\right)$.

## Comprehending the components of a camera matrix

A camera matrix is represented by four orthogonal unit vectors. These vectors define the orientation and position of the camera in the scene. The look vector represents the direction the camera is pointing to. The up vector denotes the upward direction. The right vector points to the right of the camera, and finally the position element says where the camera is positioned in the world. The breakdown of the final view matrix is as follows:

| Right.x | Up.x | Look.x | O.Of |
| :--- | :--- | :--- | :--- |
| Right.y | Up.y | Look.y | O.Of |
| Right.z | Up.z | Look.z | 0.0f |
| Positon.x | Positon.y | Positon.z | $1.0 f$ |

The following figure shows the three orthogonal vectors (Up, Look, and Right). The vectors are orthogonal if their dot product is 0 (perpendicular to each other).


Once we set our four orthogonal vectors, we can calculate our camera matrix, as follows:

```
var cameraMatrix= -mat4.create();
    mat4.multiplyVec4(cameraMatrix, [1, 0, 0, 0], this.right);
    mat4.multiplyVec4(cameraMatrix, [0, 1, 0, 0], this.up);
    mat4.multiplyVec4(cameraMatrix, [0, 0, 1, 0], this.normal);
    mat4.multiplyVec4(cameraMatrix, [0, 0, 0, 1], this.position);
```


## Converting between the camera matrix and view matrix

We calculate the view matrix by computing the inverse of the camera transformation matrix, $V=\mathrm{M}^{-1}$, as shown in the following code snippet:

```
var viewMatrix=mat4.create();
mat4.invert(viewMatrix, cameraMatrix);
```

If we have the view matrix, we can calculate the camera transformation matrix by computing the inverse view matrix. Using the camera matrix, we can derive the position and orientation of the camera, $\mathrm{M}=\mathrm{V}^{-1}$, as shown in the following code snippet:

```
mat4.invert(cameraMatrix, viewMatrix);
```

Now let's look at a simple function that we evolved to compute the view matrix:

```
var m = mat4.create();
mat4.inverse(m, cameraMatrix) ;
return m;
```

We do not recommend that you use the preceding code to create the view matrix. However, the code is important as we will use the explanation to calculate the model matrix of stage objects. We have used a handy function in the glMatrix library, the lookAt function to calculate the view matrix. We will use this function in our game.

## Using the lookAt function

In this section, we will understand how glmatrix calculates the view matrix from the orthogonal vectors. Take a look at the following code:

```
var matView=mat4.create();
var lookAtPosition=vec3.create();
vec3.add(lookAtPosition, this.pos, this.dir);
mat4.lookAt(matView, this.pos, lookAtPosition, this.up);
```

The lookAt function takes three parameters and then computes our matView matrix (view matrix). The first parameter is position that represents the position of the camera, the second parameter is lookAtPosition that denotes the point in the world scene that our camera is looking at, and the third parameter is the up vector. For a generic camera, lookAtPosition is calculated by adding the position, this.pos, and the look vector of the camera, this. dir in our case.

The following algorithm explains how the lookAt function computes the view matrix:

```
Vector3 zaxis = normal( lookAtPosition - this.pos); // The
    "look-at" vector.
Vector3 xaxis = normal(cross(this.up, zaxis)); // The
    "right" vector.
Vector3 yaxis = cross(zaxis, xaxis); // The "up" vector.
// Create a 4 x 4 orientation matrix from the right, up, and at
    vectors
        Matrix4 orientation = {
            xaxis.x, yaxis.x, zaxis.x, 0,
            xaxis.y, yaxis.y, zaxis.y, 0,
            xaxis.z, yaxis.z, zaxis.z, 0,
                0, 0, 0, 1
        };
        // Create a 4 x 4 translation matrix by negating the eye
            position.
        Matrix4 translation = {
            1, 0, 0, 0,
            0, 1, 0, 0,
            0, 0, 1, 0,
                -pos.x, -pos.y, -pos.z, 1
        };
        // Combine the orientation and translation to compute the view
            matrix
        return ( translation * orientation );
```

The function first calculates our three vectors (look, up, and right). If you look at the figure above the direction, the look vector represents the $z$ axis of the camera and the up vector represents the $y$ axis. First, we calculate the $z$ axis (the look or direction vector) by subtracting the position of the camera from lookAtPosition. As we mentioned earlier, each vector is orthogonal, so if we have two vectors, we can calculate the third. In order to calculate the $x$ axis, we find the cross product of the look and the up vectors (yaxis = cross (zaxis, xaxis)). Now we readjust our $y$ axis with respect to our computed $z$ and $x$ axes.

The function then creates the orientation matrix and translation matrix using the position and orthogonal vectors. Then, we calculate the view matrix by multiplying the translation with the orientation matrix.


The preceding algorithm is already implemented in the lookAt function in glMatrix. We have presented this algorithm to explain the logic to calculate the vectors (direction, up, and right) from lookAtPosition, the camera position, and the up vector. This logic will be instrumental in understanding the implementation of orbit cameras.

## Understanding the camera rotation

To rotate the camera, we need to rotate the up, look, or the right vector. To do this, we create a matrix describing our rotation and transform the relevant vectors using it.

We will call the rotation around the look vector (or $z$ axis) Roll. The rotation around the up vector (or $y$ axis) is called Yaw. The rotation around the right vector ( $x$ axis) is called Pitch. The following is a picture of an aircraft showing Roll, Pitch, and Yaw in terms of the aircraft's local axes:


Most developers use the airplane figure to represent pitch, yaw, and roll, as the terms are mostly used in flight dynamics.

## Using quaternions

We represent our rotations in an orthogonal matrix, whose rows or columns are orthogonal vectors. We can also represent our 3D rotations using Euler angles. Euler angles help us define the rotation in the three-dimensional world space using only three numbers (yaw, roll, and pitch). However, doing the mathematics using Euler angles results in a problem called gimbal lock when animating objects. So, we generally use other formats to store object rotations. To understand gimbal lock, let's look at the preceding image. If the aircraft pitches up 90 degrees, the aircraft and platform's Yaw axis becomes parallel to the Roll axis, and changes about the yaw can no longer be compensated for. Well, it is difficult to explain gimbal lock. We would surely observe one in our game development career if we stick to the matrices to represent rotations. For instance, when you try to animate the rotation of a player's arm, you will observe that while incrementing angles along one single plane, the rotation would stop or start at a different angle at a particular instance. However for now, we assume that there are gimbal locks. If you want to know more, refer to http://en.wikipedia.org/wiki/Gimbal_lock.

When using matrices for rotations, we need some other formats to represent rotations in our game. We prefer to use a quaternion to avoid a gimbal lock.

A quaternion represents two things. It has the $x, y$, and $z$ components, which represents the axis about which a rotation will occur. It also has a $w$ component, which represents the amount of rotation that will occur about its axis. In short, a quaternion is a vector and a float.

A quaternion is technically four numbers, three of which have an imaginary component $(i$ is defined as sqrt $(-1)$ ). Well, with quaternions, $i$ equals $j$ equals $k$ equals sqrt ( -1 ). The quaternion itself is defined as $q=w+x i+y j+z k$ where $w, x, y$, and $z$ are all real numbers. We will store a quaternion in a class with four member variables: float $w, x, y$, and $z$.

Well, we are saved from all the math involved as our glmatrix library gives us all the functions required for our computations. Let's look at a few functions:

```
quat.rotateX(out, a, rad) // Rotates a quaternion by the given
    angle about the X axis
quat.rotateY(out, a, rad) // Rotates a quaternion by the given
    angle about the Y axis
quat.rotateZ(out, a, rad) // Rotates a quaternion by the given
    angle about the Z axis
quat.setAxisAngle(out, axis, rad) // Sets a quat from the given
    angle and rotation axis, then returns it.
quat.setAxisAngle(out, [1,0,0], rad) // Sets a quat from the given
    angle and X axis, then returns it.
vec3.transformQuat(out, a, q) // Transforms the vec3 with a quat
mat3.fromQuat(out, q) // Calculates a 3 x 3 matrix from the given
    quaternion
quat.fromMat3(out, m) // Creates a quaternion from the given 3 x 3
    rotation matrix.
```

So basically, if you look at the preceding functions, we can get a matrix from a quaternion and create a quaternion from a rotation matrix. We can rotate our vector using a quaternion. We can create a quaternion for rotation around an axis using the setAxisAngle function of our quat class. We will soon be putting these functions to action.

## Understanding perspective transformations

Although we touched upon perspective transformations in Chapter 1, Getting Started with WebGL Game Development, and have been using our perspective matrix throughout our code, we would like to discuss it in depth here.

Nearly all 3D games use a perspective projection to render their scene. Like the real world, this simulates the application of a perspective to objects rendered within the game so that objects that are further away appear smaller than objects that are nearer.

In addition to this obvious size effect, more subtle effects of perspective are picked up intuitively by us, and we will add a substantial feeling of depth to the rendered scene. The sides of a cube would seem to narrow slightly as the distance from the viewer increases, thereby allowing us to automatically determine the exact position in which the cube is situated.

## Understanding the viewing frustum

The viewing volume of a camera takes the shape of a frustum which is a rectangular cone with its tip cut off, as shown in the following figure:


Objects that fall inside the volume of the frustum are visible through the camera. Objects that fall outside the view volume are hidden.

The near and far clip planes decide the visibility of the object. Objects nearer to the camera than the near clip plane and the objects further than the far clip plane are excluded from rendering. In addition to the clip planes, the frustum is defined by the viewing angle and the aspect ratio. The viewing angle defines the angle, in degrees, between the camera and the $y$ axis.

Changing the angle will cause the overall shape of the frustum to expand or compress, thereby causing apparent changes in the size of objects.

The following figure shows two viewing frustums from the side view. The first has a viewing angle of 40 degrees and the other has an angle of 18.5 degrees. The distance of the near and far clip planes is the same in both cases.


A distant object will appear larger but will disappear if moved away from the $x$ axis in the smaller field of view (FOV). The objects will disappear quickly if moved away from the camera but will be visible when moved farther away from the $x$ axis in the larger field of view.

The value we would specify for the viewing angle will vary from one game to the next. An angle within the range of 45 and 60 degrees are usually safe to use.
The aspect ratio is calculated by dividing the frustum's width by its height. The aspect ratio is used to calculate the viewing angle on the $x$ axis. The aspect ratio, the viewing angle, and the distances of the near and far planes are used to calculate the projection matrix. The projection matrix is used to depict 3D objects on a 2D screen.

## Defining the view frustum

Now, let's again look at the glmatrix function we have used throughout our code:

```
mat4.perspective(this.projMatrix, degToRadian(this.fieldOfView),
    aspectRatio, this.nearClippingPlane, this.farClippingPlane)
```

The four parameters that we discussed are passed to the preceding function. The field of view, the aspect ratio (width/height of our canvas), and the distances of the near and far clipping planes are passed to create our perspective transformation matrix.

## Using the basic camera

Let's now write our class for the basic camera. What have we learned so far? There are two transformation matrices: the view matrix and the projection matrix. To calculate the view matrix, we need four parameters: up, direction, left, and position. These parameters define the camera's orientation and position in space.

To compute the projection matrix, we need four parameters as well: field of view (radians), aspect ratio of the 2D screen, and the near and far clip planes.

Hence, in our basic camera class, we will need getters/setters for our four parameters and a function to calculate the view and projection matrices. Although the camera class in games would need more functions such as pitch and yaw, we will first create a base class.

## Implementing the basic camera

Our base camera class has variables and basic functionality defined, which will be used in all our different camera implementations. In different types of 3D games, we generally require three types of cameras: free, target, and orbit.

- A free camera can rotate and move freely in any direction. This camera type is used in games where you want to look at the whole scene without any particular context or target. It is mostly used as a first-person camera where you want to use the camera to view the scene as if the player was viewing it.
- A target camera, though, can move freely in any direction but it will always face a target. The target is generally defined by a vector. This camera is generally used as a third-person camera. We want to see the player moving in the scene; hence, the camera follows the person.
- An orbit camera is a specific type of target camera that can rotate in any direction around the target and allows for limited rolling.

We have implemented our base class in camera.js present in the primitive directory. Open the file in your favorite text editor and let's walk through the code to understand it:

```
Camera =function ()
{
    // Raw Position Values
    this.left = vec3.fromValues(1.0, 0.0, 0.0); // Camera Left
        vector
    this.up = vec3.fromValues(0.0, 1.0, 0.0); // Camera Up vector
    this.dir = vec3.fromValues(0.0, 0.0, 1.0); // The direction its
        looking at
```

```
    this.pos = vec3.fromValues(0.0, 0.0, 0.0); // Camera eye
    position
    this.projectionTransform = null;
    this.projMatrix;
    this.viewMatrix;
    this.fieldOfView = 55;
    this.nearClippingPlane =0.1;
    this.farClippingPlane = 1000.0;
};
```

In the preceding constructor, we have declared and initialized all the properties that we need to create the view and projection matrices.

The following code lists all the getters for the up, left, and position vectors. Also, we have created getters to access the computed projection and view matrix.

```
Camera.prototype.getLeft =function ()
{
    return vec3.clone(this.left);
}
Camera.prototype.getPosition =function ()
{
    return vec3.clone(this.pos);
}
Camera.prototype.getProjectionMatrix =function ()
{
    return mat4.clone(this.projMatrix);
}
        Camera.prototype.getViewMatrix =function ()
{
    return mat4.clone(this.viewMatrix);
}
Camera.prototype.getUp =function ()
{
    return vec3.clone(this.up);
}
```

The following code lists the getters for field of view and clipping planes. The field of view getter returns the value in degrees.

```
Camera.prototype.getNearClippingPlane =function ()
{
    return this.nearClippingPlane;
}
Camera.prototype.getFieldOfView =function ()
{
    return this.fieldOfView;
}
```

The next set of functions are setters for the clipping planes and field of view. The near clip plane has to be a positive value. The field of view value has to be between 0 and 180 degrees. The far clipping plane should not be set to an extremely large value. This can create depth buffer precision problems such as z-fighting. For more information about the depth buffer, refer to http://www.opengl.org/resources/ faq/technical/depthbuffer.htm.

```
Camera.prototype.setFarClippingPlane =function (fcp)
{
    if (fcp > 0)
    {
        this.farClippingPlane = fcp;
    }
}
Camera.prototype.setFieldOfView =function (fov)
{
    if (fov > 0 && fov < 180)
    {
        this.fieldOfView = fov;
    }
}
Camera.prototype.setNearClippingPlane =function (ncp)
{
    if (ncp > 0)
    {
        this.nearClippingPlane = ncp;
    }
}
```

The apply function takes the aspect ratio as a parameter and computes the matrices, as shown in the following code:

```
Camera.prototype.apply =function (aspectRatio)
{
    var matView=mat4.create();
    var lookAtPosition=vec3.create();
    vec3.add(lookAtPosition,this.pos, this.dir);
    mat4.lookAt(matView, this.pos, lookAtPosition, this.up);
    mat4.translate(matView,matView,vec3.fromValues(-this.pos[0], -this.
pos[1], -this.pos[2]));
    this.viewMatrix = matView;
    // Create a projection matrix and store it inside a globally
accessible place.
    this.projMatrix=mat4.create();
    mat4.perspective(this.projMatrix, degToRadian(this.fieldOfView),
aspectRatio, this.nearClippingPlane, this.farClippingPlane)));
}
```

Our basic camera does not take the lookAtPosition (target object's position) value but the lookAt function of glMatrix requires one. Hence, we first calculate the lookAtPosition value from the position and the direction vectors by adding them up. Then, we invoke the lookAt function to calculate our view matrix. The projection matrix is calculated using the perspective function of glMatrix.

## Understanding the free camera

The FreeCamera class that we are going to write will be controlled by the keyboard. We would like to move forward, backward, left, right, and rotate on its axes. Let's first define the actions that we want our free camera to perform with the corresponding key combinations. The key combinations and the respective actions to be performed are shown in the following table:

| Key combination | Action to be performed |
| :--- | :--- |
| Left arrow | Move to the left along the $x$ axis |
| Right arrow | Move to the right along the $x$ axis |
| S | Move to the left along the $y$ axis |
| W | Move to the right along the $y$ axis |
| Up arrow | Move to the left along the $z$ axis |
| Down arrow | Move to the right along the $z$ axis |
| Shift + A | Tilt to the left |
| Shift + left arrow | Rotate counter clockwise |
| Shift $+D$ | Tilt to the right |
| Shift + right arrow | Rotate clockwise |
| Shift + up arrow | Look down |
| Shift + down arrow | Look up |

We don't want the users of the FreeCamera class to set the up, left, and direction vectors either. It would be very confusing for the user to provide the value for these vectors. Hence, we decided that the user would provide two settings to our camera class:

- Position: This setting will define the position of the camera.
- "look at" position: This setting will define the point on the scene that the camera looks at. If we set the "look at" point, then the behavior becomes more like a target camera. We have explained how other vectors are adjusted when we set the "look at" position.

We will calculate the up, left, and direction vectors using the preceding setting values.
Also, we have added two more properties to the FreeCamera class: the angular and linear velocities. Although we will not use these parameters in our present implementation of the camera class, they will be very useful when we discuss animations in Chapter 6, Applying Textures and Simple Animations to Our Scene.

## Implementing the free camera

Open freecamera.js in your favorite text editor. The first step is to inherit the Camera class in FreeCamera so that it gets access to basic functions, such as apply, and all the properties such as up, left, direction, position, and FOV that are important for any type of camera.

```
FreeCamera = inherit(Camera, function ()
{
    superc(this);
    // Delta Values for Animations
    this.linVel = vec3.fromValues(0.0, 0.0, 0.0); // Animation of
positions
    this.angVel = vec3.fromValues(0.0, 0.0, 0.0); // Animations of
rotation around (side Vector, up Vector, dir Vector)
});
```

The preceding code uses the inherit function defined in the utils.js file present in the primitive directory. The inherit function uses JavaScript prototyping for inheritance. Let's touch upon the inheritance of the Camera class quickly. Open utils.js in your favorite text editor. In the file, you will find two functions: inherit and superc. The inherit function takes the name of the parent class and the constructor of the child class as parameters and uses prototyping for inheritance.

JavaScript is a prototype-based language, which means that every object can be a prototype of another object. The process forms a prototype chain, which is a linked list of objects, from which an object inherits the properties and methods of its parent object.

A nonstandard magical property, __ proto _, is a mimic of the internal Prototype property. We can modify __proto__ to dynamically change the prototype chain of an existing object. See the following figure to understand the hierarchy:


The following code shows how we break the chain by setting the $\qquad$ property:

```
function inherit(parentObject, child)
    {
        child.prototype.__proto__ = parentObject.prototype;
        child.prototype.__parent = parentObject;
        return child;
    }
```

Then, the superc function invokes the apply prototype function. It is invoked by the constructor of the child class. Using the apply function, we can write a method once, and then inherit it in another object, without having to rewrite the method for the new object. The superc function is defined as follows:

```
function superc(obj)
    {
        var tmpparent = obj.__parent;
        // Temporarily change our parent to be our parent's parent to
        // avoid infinite recursion.
        if (!(obj.__parent===undefined) &&&
            o.__parent.prototype.__parent) {
            obj.__parent = obj.__parent.prototype.__parent;
        }
        tmpparent.prototype.constructor.apply(obj);
        delete obj.__parent;
    }
```

We won't discuss more JavaScript inheritance here, but you can read about it at https://developer.mozilla.org/en-US/docs/Web/JavaScript/Guide/ Inheritance_and_the_prototype_chain.

We initialize two properties: lineVel (linear velocity) and angVel (angular velocity) in the constructor. Now, let's discuss the implementation of our two most important initialization functions: setLookAtPoint and setPosition. The setPosition function is straightforward. It takes an array of the $[x, y, z]$ location coordinates of the camera, creates a new vector, and initializes our pos variable inherited from the parent Camera class.

By adjusting the position of the free camera, the camera's rotational angles are not affected. Hence, we can simply copy the values of the newVec variable to its position (pos) class variable, as shown in the following code snippet:

```
/**
    Set the new location of the camera.
    @param {Array} newVec An absolute value of where to
```

```
place the camera.
*/
    FreeCamera.prototype.setPosition =function (newVec)
{
    this.pos=vec3.fromValues (newVec [0], newVec [1], newVec [2])
}
```

The setLookAtPoint function uses the position vector and uses point (newVec) values to calculate the up, left, and direction vectors. The code starts with a check to see whether the position or lookAtPoint is at the world origin. If it is, it should not do anything, but simply use the values for up $[0,1,0]$, left $[1,0,0]$, and dir $[0,0$, 1] from the parent constructor. If any of the values are different, then calculate the direction vector by subtracting the value of the position from the look at point vector (vec3.subtract(this.dir, newVec, this.pos)) and normalizing the direction vector (vec3.normalize(this.dir, this.dir)) to a unit vector.

Then, we adjust our left and up vectors. We calculate the left vector assuming that the up vector is $[0,1,0]$ and compute the cross product between the direction and up vectors (vec3.cross (this.left, vec3.fromValues (0, 1, 0), this.dir )). Then, we calculate the up vector by computing the cross product of the left and direction vectors (vec3.cross (this.up, this.dir, this.left)).

All the mathematics involved is based on the fact that all the three vectors are perpendicular to each other, that is, they are orthogonal. If we have two vectors, we can calculate the third by calculating the cross product of the two vectors. The cross product yields a vector that is perpendicular to the original two vectors. The setLookAtPoint function is defined as follows:

```
FreeCamera.prototype.setLookAtPoint =function (newVec)
{
        // if the position hasn't yet been changed and they want the
        // camera to look at [0,0,0], that will create a problem.
    if (isVectorEqual(this.pos, [0, 0, 0]) && isVectorEqual(newVec, [0,
0, 0]))
    {
    }
    else
    {
        // Figure out the direction of the point we are looking at.
        vec3.subtract(this.dir, newVec, this.pos);
            vec3.normalize(this.dir, this.dir);
        // Adjust the Up and Left vectors accordingly
        vec3.cross(this.left, vec3.fromValues(0, 1, 0), this.dir );
        vec3.normalize(this.left, this.left);
        vec3.cross(this.up, this.dir, this.left);
        vec3.normalize(this.up, this.up);
    }
}
```

The next very important function is rotateOnAxis; this function is the base function for pitch, yaw, and roll functionalities. It takes two parameters: the axis vector (axisVec) and an angle in radians. The axis vector holds the axis (up, left, and direction) on which we want the rotation. In this function, we will not use the rotation matrix but use quaternions described earlier. We will use the setAxisAngle function of our quat class to compute the rotation along an axis and store it in our quate variable: quat.setAxisAngle (quate, axisVec, angle). Then, we transform our three vectors with the rotation quaternion. Rotation using quaternions is much faster than using the rotation matrix, as the rotation matrix would use 9/16 elements but quaternions use four elements ( $i, j, k$, and $w$ ). The rotateOnAxis function is defined as follows:

```
FreeCamera.prototype.rotateOnAxis =function (axisVec, angle)
{
    // Create a proper Quaternion based on location and angle
    var quate=quat.create();
    quat.setAxisAngle(quate, axisVec, angle)
    // Create a rotation Matrix out of this quaternion
    vec3.transformQuat(this.dir, this.dir, quate)
    vec3.transformQuat(this.left, this.left, quate)
    vec3.transformQuat(this.up, this.up, quate)
    vec3.normalize(this.up, this.up);
    vec3.normalize(this.left, this.left);
    vec3.normalize(this.dir, this.dir);
}
```

For functionalities such as pitch, yaw, and roll, we will invoke the rotateOnAxis function to calculate our new vectors. For pitch, we will pass the left vector as a parameter (axisVec) to rotateOnAxis, as pitch is rotation around the $x$ axis. For yaw, we will pass the up vector, as yaw is rotation around the $y$ axis, and for roll, we will pass the direction vector for roll. These three functions are defined in the following code snippet:

```
FreeCamera.prototype.yaw =function (angle) {
    this.rotateOnAxis(this.up, angle);
}
FreeCamera.prototype.pitch =function (angle) {
    this.rotateOnAxis(this.left, angle);
}
FreeCamera.prototype.roll =function (angle) {
    this.rotateOnAxis(this.dir, angle);
}
```

We also added a moveForward function. It moves the camera forward in the direction it is pointing. We pass the distance as the parameter(s) and then multiply our direction vector with this scalar and add or subtract the result from the position. The moveForward function is defined as follows:

```
FreeCamera.prototype.moveForward = function(s) {
    var newPosition = [this.pos[0] - s*this.dir[0], this.pos[1] -
        s*this.dir[1], this.pos[2] - s*this.dir[2]];
    this.setPosition(newPosition);
}
```

The next set of functions will be used in animation in Chapter 6, Applying Textures and Simple Animations to Our Scene. The objective of these functions is to move our camera at a constant rate with the scene or use it as a first-person camera to move the camera along with the model. These functions either move or rotate the camera at a fixed or angular velocity, as shown in the following code:

```
FreeCamera.prototype.setAngularVel =function (newVec){
    this.angVel[0] = newVec[0];
    this.angVel[1] = newVec[1];
    this.angVel[2] = newVec[2];
}
FreeCamera.prototype.getAngularVel =function (){
    return vec3.clone(this.angVel);
}
FreeCamera.prototype.getLinearVel =function (){
    return vec3.clone(this.linVel);
}
FreeCamera.prototype.setLinearVel =function (newVec){
    this.linVel[0] = newVec[0];
    this.linVel[1] = newVec[1];
    this.linVel[2] = newVec[2];
}
FreeCamera.prototype.update =function (timeStep)
{
    if (vec3.squaredLength(this.linVel) == 0 &&
        vec3.squaredLength(this.angularVel) == 0)
    return false;
    if (vec3.squaredLength(this.linVel) > 0.0)
    {
```

```
        // Add a velocity to the position
        vec3.scale(this.velVec, this.velVec, timeStep);
        vec3.add(this.pos, this.velVec, this.pos);
    }
    if (vec3.squaredLength(this.angVel) > 0.0)
    {
        // Apply some rotations to the orientation from the angular
        velocity
        this.pitch(this.angVel[0] * timeStep);
        this.yaw(this.angVel[1] * timeStep);
        this.roll(this.angVel[2] * timeStep);
    }
    return true;
}
```



```
The preceding free camera code does not calculate the view matrix. Each functionality just updates our vectors. We calculate our view matrix in the apply function defined in the parent class.
```

Now, let's use our free camera in the scene that we created in Chapter 3, Loading the Game Scene.

## Using our free camera

We want to view the scene from Chapter 3, Loading the Game Scene, from different angles and positions as shown in the following screenshot:


Here, on the left-hand side, is the view from the city line, parallel to the road, and to the right-hand side is the top view.

Now, let's add a camera to our scene. Open 05-Loading-Scene-With-Camera.html in your favorite text editor. There is no change in our shader code.

## Implementing the control code

The first change is in our start function. We have initialized our camera object in the function before adding objects to the scene. We set the position and the "look at point" position of the camera. You will have to change the values in accordance to the scene you plan to develop for your game, as shown in the following code snippet:

```
cam=new FreeCamera();
cam.setPosition(new Array(0.0, 25.0, 150.0));
cam.setLookAtPoint(vec3.fromValues(0.0, 0.0, 1.0));
```

Before we understand the other changes, let's first understand the order of multiplication of the perspective, model, and view transformations. First the view matrix is multiplied with the model transformation matrix, $M v=V^{*} M$.

Then, the projection matrix is multiplied with the Mv matrix, $M v P=P^{*} V^{*} M$.
The vertices are transformed in the vertex shader:

```
vec4 vertexPos4 = mVMatrix * vec4(aVertexPosition, 1.0);
gl_Position= pMatrix *vertexPos4;
```

Hence, the complete transformation of vertices happens in the order MVP* vertex $=P^{*} V^{*} M^{*}$ Vertex.

We initialize our mvMatrix as an identity matrix in the initScene function, as follows:

```
mat4.identity(mvMatrix);
```

In the calculateMvMatrix function that we added, we invoke the camera's apply function to calculate and set our view and projection matrices. We pass the aspect ratio of our scene ( $\mathrm{gl} . \mathrm{width} / \mathrm{gl}$. height) to the apply function. Then, we multiply our cam.viewMatrix with our mvMatrix (identity matrix). As multiplying by an identity matrix has no effect, our mvMatrix now holds the view matrix:

```
function calculateMvMatrix(){
    cam.apply(gl.viewportWidth / gl.viewportHeight);
    mat4.multiply(mvMatrix, mvMatrix, cam.viewMatrix);
    }
```

We invoke the calculateMvMatrix function after saving our mvMatrix on the stack. Although our mvMatrix only holds the identity matrix for now, it is always a good practice to store the mvMatrix on the stack before any operation to save its state.

```
function drawScene() {
    setLightUniform();
    pushMatrix();
    calculateMvMatrix();
    for(var i=0; i<stage.stageObjects.length; ++i){
        pushMatrix();
        mat4.translate(mvMatrix, mvMatrix,
            stage.stageObjects[i].location);
        mat4.rotateX(mvMatrix, mvMatrix,
            stage.stageObjects[i].rotationX);
        mat4.rotateY(mvMatrix, mvMatrix,
            stage.stageObjects[i].rotationY);
        mat4.rotateZ(mvMatrix, mvMatrix,
            stage.stageObjects[i].rotationZ);
        setMatrixUniforms();
            gl.drawElements(gl.TRIANGLES,
            stage.stageObjects[i].geometry.indices.length,
            gl.UNSIGNED_SHORT, 0);
        popMatrix();
    }
    popMatrix();
}
```

In the preceding drawScene function, we have only shown the lines from code that are of relevance here. To start with, we push the mvMatrix on the stack, then compute the mvMatrix to hold the view matrix. Before transforming each scene object, we store the mvMatrix on the stack, then apply our model transformation on the view matrix. Keep in mind that we maintain the order by first multiplying the model matrix with the view matrix. Then, we invoke the drawElements call to transform the vertices with the new mvMatrix in the shader code. Then, pop the view matrix from the stack. When all objects are rendered, we pop our identity matrix from the matrixStack array to reinitialize our view matrix.

Hence, when we compute the view matrix, each time we invoke drawScene, the computed view matrix is stored on the stack and is used for each model transformation in the loop.

The last change is in setMatrixUniforms, where we use our projection matrix from the camera object.

```
function setMatrixUniforms() {
    gl.uniformMatrix4fv(shaderProgram.pMatrixUniform, false,
    cam.projMatrix);
}
```


## Adding keyboard and mouse interactions

Generally we move our characters using the mouse and keyboard, but in our case, we will rotate or move the camera instead. Keyboard interactions are easier to build compared to mouse interactions. In mouse interactions, we have to calculate the angle of rotation based on the mouse movement on the 2D screen, while in the case of the keyboard, we have to directly modify our camera position with each key press. When a key is pressed, we move the camera by multiplying pi with a constant factor (this.cam.roll(-Math.PI * 0.025)) for each step.

So, let's quickly look at the KeyBoardInteractor.js file present in the primitive directory:

```
function KeyBoardInteractor(camera, canvas){
    this.cam = camera;
    this.canvas = canvas;
    this.setUp();
}
KeyBoardInteractor.prototype.setUp=function(){
    var self=this;
    this.canvas.onkeydown = function(event) {
        self.handleKeys (event);
    }
}
```

The constructor of the KeyBoardInteractor class takes the canvas and camera objects as parameters. It invokes the setup function, which attaches a key handler to our canvas object, in our case handlekeys.

The handleKeys handler is pretty simple. If the keyboard keys are pressed along with the Shift key, then the handler invokes the yaw, pitch, or roll function of our camera object, rotating the corresponding vectors with a constant value (this . cam.roll (-Math.PI * 0.025)). If the Shift key is not pressed, then the handler gets the current position of the camera (var pos = this.cam.getPosition()) and then changes it by adding or subtracting the respective constant value of the $x, y$, and $z$ axes of the position property of the camera object (this.cam. setPosition([pos[0]+10, pos[1], pos[2]]); here, 10 indicates the changed $x$ value of the camera so as to move along positive $x$ axis).

```
KeyBoardInteractor.prototype.handleKeys=function (event) {
    if(event.shiftKey) {
        switch(event.keyCode) {//determine the key pressed
            case 65://a key
                        this.cam.roll(-Math.PI * 0.025);//tilt to the left
                break;
            case 37://left arrow
                    this.cam.yaw(Math.PI * 0.025);//rotate to the left
                    break;
            case 68://d key
                this.cam.roll(Math.PI * 0.025);//tilt to the right
                    break;
            case 39://right arrow
                    this.cam.yaw(-Math.PI * 0.025);//rotate to the right
                    break;
            case 83://s key
            case 40://down arrow
                    this.cam.pitch(Math.PI * 0.025);//look down
                    break;
            case 87://w key
            case 38://up arrow
                    this.cam.pitch(-Math.PI * 0.025);//look up
                    break;
        }
    }
    else {
        var pos = this.cam.getPosition();
        switch(event.keyCode) {//determine the key pressed
            case 65://a key
            case 37://left arrow
                            this.cam.setPosition([pos[0]-10, pos[1],
                            pos[2]]);//move - along the X axis
                        break;
            case 68://d key
            case 39://right arrow
```

```
                this.cam.setPosition([pos[0]+10, pos[1],
                        pos[2]]);//more + along the X axis
                break;
            case 83://s key
                this.cam.setPosition([pos[0],pos[1]-10,
                        pos[2]]);//move - along the Y axis (down)
                break;
            case 40://down arrow
                this.cam.setPosition([pos[0], pos[1],
                        pos[2]+10]);//move + on the Z axis
                break;
            case 87://w key
                this.cam.setPosition([pos[0], pos[1]+10,
                    pos[2]]);//move + on the Y axis (up)
                break;
            case 38://up arrow
                this.cam.setPosition([pos[0], pos[1],
                    pos[2]-10]);//move - on the Z axis
                break;
        }
    }
}
```


## Handling mouse events

The mouse interaction is a little tricky as we have to derive a formula to calculate the angle rotation from the distance covered by the mouse when it is dragged. Open primitive/MouseInteractor.js in your favorite text editor and take a look at the following code:

```
MouseInteractor.prototype.mousePosX=function(x){
    return 2 * (x / this.canvas.width) - 1;
}
MouseInteractor.prototype.mousePosY=function(y) {
    return 2 * (y / this.canvas.height) - 1;
}
```

Our formula is simple. Our current camera angle is a function of the mouse position and the canvas size, as shown in the following code snippet:

```
MouseInteractor.prototype.setUp=function() {
    var self=this;
    this.canvas.onmousedown = function(ev) {
        self.onMouseDown(ev);
    }
```

```
    this.canvas.onmouseup = function(ev) {
        self.onMouseUp(ev);
    }
    this.canvas.onmousemove = function(ev) {
        self.onMouseMove(ev);
    }
}
MouseInteractor.prototype.onMouseUp = function(evnt){
    this.dragging = false;
}
MouseInteractor.prototype.onMouseDown = function(evnt){
    this.dragging = true;
    this.x = evnt.clientx;
    this.y = evnt.clientY;
    this.button = evnt.button;
}
```

The setup function initializes event handlers for the onMouseUp, onMouseDown, and onMouseMove events. The onMouseDown event enables the dragging flag and onMouseUp disables it. The onMouseDown event also stores the x and y coordinates in the x and y class variables. These variables are used to calculate the delta, the difference in the current, and previous mouse positions in the onMousemove event.

```
MouseInteractor.prototype.onMouseMove = function(event){
    this.lastX = this.x;
    this.lastY = this.y;
    this.x = event.clientX;
    this.y = event.clientY;
    if (!this.dragging) return;
    this.shift = event.shiftKey;
    if (this.button == 0) {
        if(this.shift){
            var dx=this.mousePosX(this.x) -this.mousePosX(this.lastX)
            var dy=this.mousePosY(this.y) -this.mousePosY(this.lastY)
            this.rotate(dx,dy);
        }
        else{
            var dy = this.y - this.lastY;
            this.translate(dy);
        }
    }
}
```

The mouse move action is defined in the onMouseMove event. It stores the class variables' this. $x$ and this. $y$ values in this.lastx and this.lasty and then retrieves the current $x$ and $y$ coordinates. The code then checks whether dragging is enabled. If enabled, it checks to see if the Shift key is pressed. If Shift is pressed, it invokes the rotate function, otherwise it invokes the translate function.

The delta rotation angle along the $x$ and $y$ axes is the difference of the angle calculated at the two mouse locations (last and current).

In our code, translation is the function of difference of the mouse movement along the $y$ axis of the canvas; we can always improve the function to involve movement along the $x$ axis. The translate function is defined as follows:

```
MouseInteractor.prototype.translate = function(value) {
    var translateSensitivity=30 * this.SENSITIVITY;
    var c = this.camera;
    var dv = translateSensitivity * value / this.canvas.height;
    c.moveForward(dv);
}
```

The translate function multiplies the delta value by a translate sensitivity factor and then calculates the final dv value by dividing it with the canvas height. We used a generic function to calculate the camera translation from the mouse delta movement. You can use any sensitivity values and evolve any function that suits your game. The rotate function is defined as follows:

```
MouseInteractor.prototype.rotate = function(dx, dy) {
    var camera = this.camera;
    camera.yaw(this.SENSITIVITY*dx);
    camera.pitch(this.SENSITIVITY*dy);
}
```

The rotate function simply invokes the Camera class's yaw and pitch functions to rotate the camera along the $x$ and $y$ axes.

## Comprehending the orbit camera

A camera that rotates around the target and looks at it at all times is called an orbit camera. An orbit camera can also be understood as a camera that moves along the surface of a sphere. Hence, the location of a camera is defined by three parameters:
Azimuth, Elevation, and Radius, as shown in the following figure:


However, in our code, we will not use the terms Azimuth and Elevation, but will stick to using yaw and pitch. We do so as Azimuth and Elevation are absolute angles but yaw and pitch use incremental angles.

The third parameter is the radius. We use the term "distance" instead. In orbit cameras, we generally define boundaries by using the minimum and maximum distances from the target.

Let's understand the orbit camera better through code in the following sections.

## Implementing the orbit camera

For the calculations of the orbit camera, remember the rule that the left vector of the orbit camera will always be perpendicular to the global $y$ axis (that is, the global up vector).

Open primitive/orbitcamera.js in your favorite text editor. In the implementation of the orbit camera, we have added three new parameters:

- closestDistance: This parameter defines the closest the camera can go to the orbit point.
- FarthestDistance: This parameter defines the farthest distance the camera can go away from the orbit point.
- orbitPoint: If you remember, in our free camera, we only used lookAtPoint to calculate the initial vector (up, dir, and left). In the case of the orbit camera, we will need to store the orbit point and use it throughout to calculate all the vectors.

```
OrbitCamera = inherit(Camera, function ()
{
    superc(this);
    // this value cannot be set to less than 0.
    this.closestDistance = 0;
    // typically larger than the closest distance, but set to
    // O here since the user will likely overwrite it anyway.
    // this value will always be greater or equal to the closest
    // distance.
    this.farthestDistance = 0;
    // the point in space the camera will 'orbit'.
    this.orbitPoint = vec3.fromValues(0, 0, 0);
});
```

The next function is getDistance; it returns the distance between the orbit point and position, as shown in the following code snippet:

```
OrbitCamera.prototype.getDistance = function (){
    return vec3.distance(this.pos, this.orbitPoint);
}
```

The gocloser function takes the distance parameter and moves the camera closer to the orbit point. We move the camera towards the orbit point relative to the position of the camera. The value of vec3.scale (shiftAmt, this.dir, distance) is basically the value we get by multiplying the direction vector with the distance. The camera will not move if we attempt to move it closer than the closest allowed distance. A negative value for gocloser could be allowed and would mean moving farther using a positive value, but this could create some confusion and is therefore not permitted. The gocloser function is defined as follows:

```
OrbitCamera.prototype.goCloser = function (distance)
{
    if (distance > 0)
    {
```

```
    // scale it
    var shiftAmt =vec3.create();
    vec3.scale(shiftAmt,this.dir, distance);
    var renameMe =vec3.create();
        vec3.subtract(renameMe,this.pos, this.orbitPoint);
    var maxMoveCloser = vec3.length(renameMe) - this.
getClosestDistance();
        if (vec3.length(shiftAmt) <= maxMoveCloser)
        {
            vec3.add(this.pos,this.pos, shiftAmt);
        return true;
        }
    }
    return false;
}
```

Similar to gocloser, the goFarther function sets the camera at a new radius (distance) and position. What is different from gocloser is that in goFarther we first multiply the direction vector with a negative scalar (vec3.scale (negativeDist, this.dir, -1$)$ ), and then we multiply the new direction vector with the distance scalar (vec3.scale (shiftAmt, negativeDist, distance)). Then, we calculate the new position by adding the calculated vector (shiftAmt) to the position, after checking whether the new position (newpos) exceeds the maximum distance. The goFarther function is defined as follows:

```
OrbitCamera.prototype.goFarther = function (distance)
{
    if (distance > 0)
    {
        //
        var shiftAmt = vec3.create();
        var negativeDist=vec3.create();
        vec3.scale(negativeDist,this.dir, -1);
        vec3.scale(shiftAmt,negativeDist, distance);
        var newpos =vec3.create();
        vec3.add(newpos,this.pos, shiftAmt);
        var distanceBetweenCamAndOP = vec3.distance(newpos, this.
orbitPoint);
        if (distanceBetweenCamAndOP <= this.getFarthestDistance())
        {
            this.pos = newpos;
            return true;
        }
    }
    return false;
}
```

The setPosition function is important to set the initial position of the camera. It first calculates the distance of the new position from the orbit point. The distance should be between the maximum and minimum distance. After we set the new position, we will need to update our vectors. We first calculate the direction vector by subtracting the orbit point from the position vector (vec3.subtract (camPosToOrbitPoint, this.orbitPoint, this.pos)).

There can be a case where the direction vector is parallel to the global $y$ axis. In that case, we do not need to calculate the left vector. It will remain the same (as it will lead to a zero vector). Hence, we first find the cross product of our direction vector stored in camPosToOrbitPoint with the global up vector [0,1,0] (vec3. cross (tempv ec, camPosToorbitPoint, vec3.fromValues ( $0,1,0$ ) ). If the result is zero, we just normalize the direction vector and calculate the up vector from the left and direction vectors (vec3.cross (this.up, this.dir, this.left)). However, if they are not parallel, we first calculate our left vector by multiplying the direction vector with the global up vector $[0,1,0]$ (vec3.cross (this.left, vec3.fromValues ( $0,1,0$ ), this.dir) ), and then from the left and direction vector, we calculate the up vector.

```
OrbitCamera.prototype.setPosition = function (position) {
    var distFromNewPosToOP = vec3.distance(this.orbitPoint,
        position);
    if (distFromNewPosToOP >= this.getClosestDistance() &&&
        distFromNewPosToOP <= this.getFarthestDistance()) {
        this.pos[0] = position[0];
        this.pos[1] = position[1];
        this.pos[2] = position[2];
        var camPosToOrbitPoint =vec3.create();
        vec3.subtract(camPosToOrbitPoint,this.orbitPoint, this.pos);
        var tempVec=vec3.create();
        vec3.cross(tempVec, camPosToOrbitPoint,
            vec3.fromValues(0, 1, 0));
        if (isVectorEqual([0, 0, 0],tempVec)) {
            vec3.normalize(this.dir ,camPosToOrbitPoint);
            vec3.cross(this.up ,this.dir, this.left);
        }
        else {
            vec3.subtract(this.dir,this.orbitPoint, this.pos);
            vec3.normalize(this.dir,this.dir);
            vec3.cross(this.left,vec3.fromValues(0, 1, 0), this.dir);
            vec3.cross(this.up,this.dir, this.left);
        }
    }
}
```

In the preceding code, our complete calculation relied on the rule that the left vector is perpendicular to the global up vector. Hence, we did not calculate the left vector when the direction vector became parallel to the global up vector $[0,1,0]$. However, in this case, the cross product of the global up and direction vectors would become zero. So, remember that the left vector for the orbit camera is a cross product between the global up vector and direction vector (vec3.fromValues ( $0,1,0$ ) ).

It is time to discuss our yaw and pitch implementations in the orbit camera. Let's talk of pitch first. The first use case is when the orbit point and camera position is the same. Then pitch will not change the left vector; it will only change the direction and up vectors. But, if the orbit points and position vectors are different, then we have to calculate all three vectors. Let's quickly look at the algorithm for the calculation of the new position and our vectors.

## Understanding the pitch function for the orbit camera

We'll now see the pitch function for the orbit camera. If the orbit point and position are the same, perform the following steps:

1. Create a rotation quaternion around the left axis as follows:
quat.setAxisAngle(quate, this.left, angle);
2. The position of the camera will not change because the rotation is occurring in the same place. (the orbit point and position are the same), only the direction will change with the rotation. The transform direction with the new rotation quaternion is defined as follows:
vec3.transformQuat(this.dir, this.dir, quate);
3. Calculate the unit direction vector as follows:
vec3.normalize(this.dir, this.dir);
4. Calculate the up vector from the left and new direction vectors as follows:
vec3.cross(this.up, this.dir, this.left);
5. Normalize the up vector as follows:
vec3.normalize(this.up, this.up);
If the orbit point and camera position are different, then perform the following steps:
6. Create a rotation quaternion around the left axis as follows:
```
quat.setAxisAngle(quate, this.left, angle);
```

2. Calculate the new position after transforming the old position with the quaternion. This calculates the new position relative to the origin.
vec3.transformQuat (newpos,this.pos, quate) ;
3. Transform the position relative to the origin to relative to the orbit point as follows:
```
vec3.add(this.pos,newpos, this.orbitPoint);
```

4. Calculate the direction vector from the orbit point and new position and also calculate the unit direction as follows:
```
vector.(vec3.subtract(this.dir,this.orbitPoint, this.pos);
vec3.normalize(this.dir, this.dir));
```

5. Calculate the up vector using the cross product of the direction and left vectors. Compute the unit up vector and normalize it as shown in the following code:
```
vec3.cross(this.up,this.dir, this.left);
vec3.normalize(this.up,this.up)) ;
```

6. Calculate the left vector using the cross product of the up and direction vectors. Compute the unit left vector and normalize it as shown in the following code:
```
vec3.cross( this.left ,this.up, this.dir);
vec3.normalize(this.left ,this.left))
```

The complete pitch function is defined as follows:

```
OrbitCamera.prototype.pitch = function (angle) {
    if (isVectorEqual(this.pos, this.orbitPoint)) {
        var quate=quat.create();
        quat.setAxisAngle(quate, this.left, angle);
        vec3.transformQuat(this.dir, this.dir, quate);
        vec3.normalize(this.dir,this.dir);
        vec3.cross(this.up,this.dir, this.left);
        vec3.normalize(this.up, this.up);
    }
    else {
        vec3.subtract(this.pos,this.pos, this.orbitPoint);
        var quate =quat.create();
        quat.setAxisAngle(quate,this.left, angle);
        var newpos = vec3.create();
        vec3.transformQuat(newpos, this.pos,quate);
        vec3.add(this.pos, newpos, this.orbitPoint);
        vec3.subtract(this.dir, this.orbitPoint, this.pos);
        vec3.normalize(this.dir, this.dir);
```

```
        vec3.cross(this.up, this.dir, this.left);
        vec3.normalize(this.up, this.up);
        vec3.cross( this.left , this.up, this.dir);
        vec3.normalize(this.left , this.left);
    }
}
```


## Understanding the yaw function for the orbit camera

The orbit camera's yaw function algorithm is as follows:
If the orbit point and position are the same, perform the following steps:

1. We calculate the rotation quaternion from the global up vector $[0,1,0]$ and not from the camera up vector as follows:
quat.setAxisAngle (quate, [0, 1, 0], angle);
2. The camera position does not change. We transform each vector with the quaternion like we do in the free camera as follows:
vec3.transformQuat(this.dir, this.dir, quate);
vec3.transformQuat (this.left, this.left, quate);
vec3.transformQuat (this.up, this.up, quate);
3. Compute unit vectors for all three vectors.

If the orbit point and camera position are different, perform the following steps:

1. Create a rotation quaternion around the global up vector as follows:
quat.setAxisAngle(quate, [0,1,0], angle);
2. Calculate the new position after transforming the old position with a quaternion. This calculates a new position relative to the origin.
vec3.transformQuat (newpos, this.pos, quate) ;
3. Transform the position from relative to origin to relative to orbit point as follows:
vec3.add(this.pos, newpos, this.orbitPoint);
4. Calculate the direction vector from the orbit point and new position, and calculate the unit direction vector as follows:
vec3.subtract (this.dir, this.orbitPoint, this.pos);
vec3.normalize(this.dir,this.dir);
5. Calculate the up vector after transforming it with the quaternion as follows:
```
vec3.transformQuat(this.up, this.up, quate);
```

6. Calculate the left vector using the cross product of up and direction vectors. Compute the unit left vector (vec3.cross ( this.left, this.up, this. dir); vec3.normalize(this.left, this.left)):
OrbitCamera.prototype.yaw $=$ function (angle) \{
if (isVectorEqual(this.pos, this.orbitPoint)) \{ var quate=quat.create(); quat.setAxisAngle(quate, [0, 1,0$]$, angle); vec3.transformQuat(this.dir, this.dir, quate) vec3.transformQuat(this.left, this.left, quate) vec3.transformQuat (this.up, this.up, quate) vec3.normalize(this.up,this.up); vec3.normalize(this.left,this.left); vec3.normalize(this.dir,this.dir);
\}
else \{
var camPosOrbit =vec3.create(); vec3.subtract (camPosOrbit,this.pos, this.orbitPoint); var quate=quat.create(); quat.setAxisAngle(quate, [0, 1, 0], angle); var newpos = vec3.create(); vec3.transformQuat(newpos, camPosOrbit, quate); vec3.add(this.pos,newpos, this.orbitPoint); vec3.subtract(this.dir,this.orbitPoint, this.pos); vec3.normalize(this.dir,this.dir); vec3.transformQuat (this.up, this.up, quate) vec3.normalize(this.up,this.up) ; vec3.cross(this.left,this.up, this.dir); vec3.normalize(this.left,this.left);
\}
\}

The next function is setDistance where we set the initial camera location. It simply copies the orbitpoint to position and then invokes goFarther.

```
OrbitCamera.prototype.setDistance = function (distance)
{
    if (distance >= this.getClosestDistance() && distance <= this.
getFarthestDistance())
    {
        // place the camera at the orbit point, then goFarther
        vec3.copy(this.pos,this.orbitPoint);
        this.goFarther(distance);
    }
}
```


## Using an orbit camera

Open 05-Loading-Scene-OrbitCamera.html in your favorite text editor. The only change we have in this file is to replace the free camera object with the orbit camera object. Also, set the basic properties for the orbit camera.

```
cam=new OrbitCamera();
cam.setFarthestDistance(300);
cam.setClosestDistance(60);
cam.setOrbitPoint([0.0, 20.0, 0.0]);
cam.setDistance(100);
```

We added some changes to primitive/KeyboardInteractor.js to handle the orbit camera.

If the camera object is of the OrbitCamera type, then only two keys are functional, the up and down arrow keys. We invoke the gocloser and goFarther functions of the camera object.

```
if(this.cam instanceof OrbitCamera) {
    switch(event.keyCode) {//determine the key pressed
        case 65://a key
        case 37://left arrow
            break;
        case 68://d key
        case 39://right arrow
            break;
        case 83://s key
            break;
        case 40://down arrow
                    this.cam.goFarther(10);//move + on the Z axis
                    break;
        case 38://up arrow
                    this.cam.goCloser(10);//move - along the Y axis (down)
                    break;
    }
}
```

The changes in primitive/MouseInteractor.js are listed as follows:

```
MouseInteractor.prototype.translate = function(value) {
...
    if(c instanceof OrbitCamera) {
        if(dv>0) {
            c.goFarther(dv);
        }
```

```
        else{
            c.goCloser(-dv);
        }
    }
    else{
    c.moveForward(dv);
    }
}
```

If the camera object is of the orbitCamera type, then invoke gocloser or goFarther, otherwise invoke the moveForward function of FreeCamera.

## Summary

In this chapter, we discussed the most important aspects of 3D rendering: the view and projection matrices. We created our own camera class to compute the view matrix from the up, left, direction, and position vectors. We demonstrated that in a simple concept, that for each camera operation, such as moveForward, yaw, pitch, and roll, the orthogonal vectors are affected and the logic to adjust these vectors depends on the type of camera we implement. We demonstrated this fact by implementing the free and orbit cameras.

We also discussed the projection matrix and implemented a perspective camera.
In the next chapter, we will discuss animations. We will apply animations on our objects and also discuss the different algorithms to generate the movement trajectory of the objects. We will use our camera class as a first person camera to follow moving objects in our game scene.

## Applying Textures and Simple

 Animations to Our SceneUntil now, we have only added static objects to our scene, but in this chapter, we will animate our objects. We need simple animations in all our games. We will start by simulating a first-person camera and take it forward by giving weapons to our character in 5000 AD . We will introduce you to different animation techniques used in game engines. Then we will apply the most common animation techniques used in HTML based games. The topics we will cover are as follows:

- Architectural update: add textures to our scene
- Animation types in 3D games
- First-person camera
- Simple bullet action: linear animation
- Multiple bullets: how to reuse objects
- Grenade action: B-spline interpolation
- Explosion effect: texture animation


## Applying textures to our scene

We covered how to apply textures in Chapter 4, Applying Textures, but we need not apply any textures to our scene. We used diffuse colors to render objects in our scene. Our scene looked similar to the following screenshot:


We will now update our code to add textures to our scene objects so that it looks similar to the following screenshot:


Before we start making changes to the code, let's first revise a few concepts from Chapter 4, Applying Textures:

- To apply textures, we need another Vertex Buffer Object that holds the texture coordinates.
- Each texture coordinate for a 2D texture is represented by an $(\mathrm{s}, \mathrm{t})$ or $(\mathrm{u}, \mathrm{v})$ pair and is called a texel.
- We pass our texture to GPU memory, and then activate it using the following code:

```
gl.activeTexture(gl.TEXTURE0);
```

gl.bindTexture (gl.TEXTURE_2D,
stage.textures [stage.stageobjects[i].textureIndex].texture);
gl.uniform1i(gl.getUniformLocation(shaderProgram, "uSampler"),
0);

WebGL can handle up to 32 textures in a single drawElements call. In the previous code, we activate the first object and assign our texture data to that object. Then, we assign the bound texture to the uSampler uniform of our shader by referencing its index (TEXTURE $\rightarrow 0$ ).

- We read our texture data in our fragment shader using the shader function texture2D(uSampler, vec2(vTextureCoord.s, vTextureCoord.t)). vTextureCoord is a varying vector passed from the vertex shader to the fragment shader. The following line of code is taken from the vertex shader:
vTextureCoord = aTextureCoord;
We simply assign the texture coordinate from the vertex shader to the fragment shader. Okay, why don't we pass the value directly to the fragment shader if we are not manipulating its value in the vertex shader? Well, we pass them to the vertex shader since the texture coordinates are defined per vertex. We only pass data to fragment shader that are defined per primitive.
- The number of texture coordinates must be equal to the number of vertices of an object as each texture coordinate is mapped to a vertex and vice versa.
- The converted JSON file from an OBJ file has a uv array and a vertices array. The relation between them is encoded in the faces array. We used an algorithm (geometry.verticesFromFaceUvs) to create redundant vertices and texture coordinates so that the number of vertices is equal to the number of $u v$ coordinates.


## Applying a texture to the scene

Open the parseJSON.js file from the primitive folder of the code bundle in your favorite editor.

In this file, we add the following line of code to recreate the vertices and texture coordinates:

```
geometry.verticesFromFaceUvs(data.vertices,data.uvs,0) ;
```

We invoke this function just before creating the indices array from the faces array, because the previous function also reindexes the indices of vertices array.


The explanation to the previous function/code is in Chapter 4, Applying Textures, in the Parsing UV coordinates from the JSON file section.

Let's first understand the basic strategy that we will follow. Most designers would prefer to create a single texture that will contain the textures of multiple objects. In our case, we have the terrain_1024.jpg file from the model $\backslash \mathrm{obj}$ folder of the code bundle, as shown in the following screenshot:


The preceding screenshot has a diffuse map of four objects: terrain, railing, lamp, and dump. Why do we do this? Basically, we know that the texture file has to be in a size of power of 2 , for example, $128 \times 128,128 \times 64,256 \times 256,256 \times 128$, and $512 \times 512$. If we create all files in the mentioned sizes, then we might waste precious memory space because you might have to keep empty areas in the files. Hence, in order to reduce the memory footprint of textures, we generally use this technique. Also, we can have only 32 active texture objects. For this reason as well, if we have many objects in our game, we generally create packed texture files.

We know one thing that multiple objects can have a single texture file, and we do not want to allocate space for the same texture for each object. Hence, we hold references to these textures in our Stage object and not the individual stageObject. Open the Stage.js file from the primitive folder of the code bundle in your favorite text editor.

We have added a simple array that holds references to the texture objects using the following code:

```
this.textures=new Object();
```

We also added a new function to add the loaded texture to the stage object, as shown in the following code:

```
addTexture:function(index, name,img) {
var texture=new Object();
texture.fileName=name;
texture.img=img;
texture.index=index;
texture.texture=this.gl.createTexture();
this.gl.bindTexture(this.gl.TEXTURE_2D, texture.texture);
this.gl.texImage2D(this.gl.TEXTURE_2D, 0, this.gl.RGBA, this.gl.RGBA,
this.gl.UNSIGNED_BYTE, img);
this.gl.texParameteri(this.gl.TEXTURE_2D, this.gl.TEXTURE_MAG_FILTER,
this.gl.NEAREST);
this.gl.texParameteri(this.gl.TEXTURE_2D, this.gl.TEXTURE_MIN_FILTER,
this.gl.NEAREST);
this.gl.bindTexture(this.gl.TEXTURE_2D, null);
this.textures[index]=texture;
    }
```

The preceding function takes three parameters which are as follows:

- index: This is a key to index the texture
- fileName: This is the name of the file from which the texture was loaded
- img: This is the pixel data of the loaded texture

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In this function, we initialize our texture object and set the texture parameters. We make a new texture object as the active texture by using the bindTexture API call, and then load the pixel data in the img variable to that texture object by using the texImage2D function. Then, we set our filter mode to Nearest-neighbor interpolation using the texParameteri function. Refer to Chapter 4, Applying Textures, for an in-depth understanding of the functions that have just been mentioned. Lastly, we add our new texture object at the provided key (index) to the textures array.

- Open the StageObject.js file from the primitive folder of the code bundle. The individual stage object will hold the index (key) to the textures array defined in the StageObject class, as shown in the following code:

```
this.textureIndex=0;
```

We also added two new class variables to the StageObject class. The materialFile class variable holds the name of the texture file and verticesTextureBuffer holds the reference to the vertex buffer which holds the texture coordinates. The following code defines the variables explained previously:

```
StageObject=function() {
this.verticesTextureBuffer=null;
this.materialFile=null;
};
```

After we parse our JSON data, we check whether the texture name is present in our JSON data. If present, we assign the filename to the materialFile property as shown in the following code:

```
StageObject.prototype.loadObject= function (data){
this.geometry=parseJSON(data);
    this.name=data.metadata.sourceFile.split(".")[0];
if(this.geometry.materials.length>0){
if(!(this.geometry.materials[0].mapDiffuse===undefined)){
this.materialFile=this.geometry.materials[0].mapDiffuse;
    }
    }
}
```

There may be cases when no texture file is present for an object. In such cases, we use a diffuse color to render objects.

In the stageObject class, earlier we created two Vertex Buffer Objects (vertices and normals) and one Index Buffer Object (indices). Now, we will create another Vertex Buffer Object for UV coordinates (this.verticesTextureBuffer) as shown in the following code:

```
StageObject.prototype.createBuffers=function(gl) {
if(this.materialFile!=null){
this.verticesTextureBuffer = gl.createBuffer();
gl.bindBuffer(gl.ARRAY_BUFFER, this.verticesTextureBuffer);
gl.bufferData(gl.ARRAY_BUFFER, new Float32Array(this.geometry.
uvs[0]),gl.STATIC_DRAW);
    }
    }
```

Open 06-Loading-Scene-With-Textures.html in your favorite text editor. First, we will understand the changes that we need to perform in shaders in order to support both diffuse color and textures for different types of objects.

## Implementing the vertex shader code

We have added three variables to our vertex shader: attribute (aTextureCoord) that references the texture coordinate array, varying (vTextureCoord) that passes these coordinates to fragment shader, and uniform (hasTexture) that sets the varying only if its value is true. Basically, the same vertex shader will be used for objects that use a texture as well as for objects that use only a diffuse color. We set the value of this uniform based on the value of the materialfile property of each StageObject as shown in the following code:

```
<script id="shader-vs" type="x-shader/x-vertex">
attribute vec2 aTextureCoord;
varying highp vec2 vTextureCoord;
uniform bool hasTexture;
void main(void) {
if(hasTexture) {
vTextureCoord = aTextureCoord;
    }
    }
</script>
```


## Implementing the fragment shader code

In the fragment shader, we add three variables: varying (vTextureCoord) to receive the texture coordinates from the vertex shader, uniform (hasTexture) to see whether the texture was associated with a primitive, and sampler (uSampler) which holds the reference to the then active texture. The important thing to note is that we perform our complete computation of ambient, diffuse, and specular color, but when we decide to have a texture, we do not use the material diffuse color in our computation of the iColor object (+uDirectionalColor* directionalLightWeighting+). If we do not have a texture, we use the material diffuse color (+uDirectionalColor *materialDiffuseColor * directionalLightWeighting+). We do not use the diffuse color of the object if the object has a texture associated with it.

Lastly, we calculate the color of the fragment (gl_FragColor) by multiplying iColor with the texture color obtained from the sampler object at the vTextureCoord coordinate using the texture2DESSL function, as shown in the following code:

```
<script id="shader-fs" type="x-shader/x-fragment">
uniform sampler2D uSampler;
varying highp vec2 vTextureCoord;
uniform bool hasTexture;
void main(void) {
if(hasTexture) {
vec3iColor = (uAmbientColor*materialAmbientColor)+ (uDirectionalColor*
directionalLightWeighting)+(uSpecularColor*materialSpecularColor*spec
ular);
gl_FragColor = vec4(iColor, 1.0)*texture2D(uSampler,
vec2(vTextureCoord.s, vTextureCoord.t));
    }
else{
vec3iColor = (uAmbientColor*materialAmbientColor)+(uDirectionalColor
*materialDiffuseColor * directionalLightWeighting)+(uSpecularColor*mat
erialSpecularColor*specular);
gl_FragColor = vec4(iColor, 1.0);
    }
    }
</script>
```


## Working with the control code

In our main control code, the first change we did was to rename addStageObject to loadStageObject and add a new addStageObject function. This was done to improve the readability of the code, and we also moved the adding of stageobject to the addStageObject function.

Let's refer to our basic strategy once again. When we load our JSON model and if the model has an associated texture file, then we first check to see whether that file has already been loaded. If it has, then we simply get its key and assign it to the textureIndex property of stageObject and if not, then we load it, assign a unique key to it, and then associate it with the stageobject.

To implement this strategy, we have created a vartextureList= [] ; array. The key of the element in the array will be the name of the texture file, and the value would be the unique key to the texture object in the array (textures) of the stage class. The following code loads the model and then its corresponding texture and assigns a texture index for the texture:

```
function loadStageObject (url,location,rotationX,rotationY,rotationZ){
    $.getJSON(url,function(data) {
Var stageObject=new StageObject();
stageObject.loadObject(data);
if(stageObject.materialFile!=null){
if((textureList[stageObject.materialFile.trim()]===undefined)){
var currentDate=new Date();
var textureIndex=currentDate.getMilliseconds();
stageObject.textureIndex=textureIndex;
textureList[stageObject.materialFile.trim()]=textureIndex;
initTextures(stageObject.materialFile.trim(),textureIndex);
    }
else{
                stageObject.textureIndex=textureList [stageObject.
materialFile.trim()];
                            }
            }
addStageObject(stageObject,location,rotationX,rotationY,rotationZ);
    });
    }
```

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The preceding function, loadObject, loads the JSON object, and then parses it in loadObject of the StageObject class (stageObject.loadObject (data) ;). If the materialFile variable is not null (stageObject.materialFile!=null), denoting that the object has an associated texture, we generate a simple, unique index using the currentDate.getMilliseconds (); function of the JavaScript Date object, store it in the textureList object (textureList [stageObject. materialFile.trim()] =textureIndex;), and invoke initTextures. The key in the textureList object that references the texture object is the name of the file loaded. However, before doing this, we make sure that the key is not already defined (textureList [stageObject.materialFile.trim()]===undefined), denoting that the file is not already loaded. If it is, then we simply assign the key (index) to the StageObject (stageObject.textureIndex=textureList [stageObject. materialFile.trim()]) object.

```
function initTextures(fileName,textureCount){
var image = new Image();
image.onload = function() { stage.addTexture(textureCount,fileName,im
age); }
image.src = "model/obj/"+fileName;
    }
```

The inittextures function in the preceding code loads the image and passes the data to the stage. addTexture function that initializes the texture data and sets the filter mode.

```
function addStageObject (stageObject,location,rotationX,rotationY,rot
ationZ){
cloneObjects(stageObject);
stageObject.location=location;
stageObject.rotationX=rotationX;
stageObject.rotationY=rotationY;
stageObject.rotationZ=rotationZ;
stage.addModel(stageObject)
    }
```

The addStageObject function in the preceding code simply sets the transformation information of the model and initializes the buffers for the object in its addModel function.

Next, we obtain a reference of our variables (aTextureCoord and hasTexture) defined in the shaders in the initShaders () function as shown in the following code:

```
function initShaders() {
shaderProgram.textureCoordAttribute = gl.getAttribLocation(shaderProgr
am, "aTextureCoord");
```

```
gl.enableVertexAttribArray(shaderProgram.textureCoordAttribute);
shaderProgram.hasTexture = gl.getUniformLocation(shaderProgram,
"hasTexture");
...
    }
```

Finally, we modified our drawScene function to initialize the variables (hasTexture, uSampler and textureCoordAttribute) to be passed to the shaders, as shown in the following code:

```
function drawScene() {
for(var i=0;i<stage.stageObjects.length;++i){
if(stage.stageObjects[i].materialFile!=null){
gl.uniform1i(shaderProgram.hasTexture,1);
try{
gl.activeTexture(gl.TEXTURE0);
gl.bindTexture(gl.TEXTURE_2D, stage.textures[stage.stageObjects[i].
textureIndex].texture);
gl.uniform1i(gl.getUniformLocation(shaderProgram, "uSampler"), 0);
gl.bindBuffer(gl.ARRAY_BUFFER, stage.stageObjects[i].
verticesTextureBuffer);
gl.vertexAttribPointer(shaderProgram.textureCoordAttribute, 2,
gl.FLOAT, false, 0, 0);
    }
catch(e){
console.log("Could not initialize texture buffer.");
    }
    }
else{
gl.uniform1i(shaderProgram.hasTexture,0);
            }
        }
    }
```

The preceding code iterates over all the objects, and if the materialFile class variable is defined from an object, then it sets the value of hasTexture to 1 (true). For active textures, we use a very simple strategy. As an object uses a single texture, we activate only one texture in the GPU (gl.activeTexture ( $g 1$. TEXTUREO) ;). Then we assign the texture from the textures array of the stage class to the active texture buffer. The texture object is retrieved from the stage textures array using the textureIndex variable. The class variable texture Index is initialized for each StageObject that is to be drawn (stage.textures [stage. stageObjects [i]. textureIndex] .texture) ;). This texture object is bound to the active texture 0 using the gl. bindTexture API call. Then, we finally assign the active texture indexed at 0 to the uniform (uSampler).

Well, this is all the update we need to add textures to our scene. Now let's move on to animations.

## Understanding the animation types in 3D games

Animation is about adding something dynamic to our game scene, like moving objects. Until now, in all our examples, the objects were static. We simply moved our camera to have a different perspective of the scene, but the objects' location did not change over time with respect to each other. In this chapter, we will now move objects at different timings or user-generated events. We will also learn about chained animations. But before we go ahead, let's learn some basics.

In game development, the most common animation techniques are time-based animation, tweens (interpolation), and skinned animation using rigged models.

## Understanding time-based animation

We will demonstrate a way of running animation and game logic at a constant speed independent of the effective frame rate. But first, let's understand what frame rate or frame-based animation is.

## Understanding frame-based animation

Frame-based animation is a system in which the game world is updated, one iteration each frame. This is the easiest system to implement and we used it in our previous chapters, but it has several drawbacks. The speed of your game is effectively tied to the frame rate, which means it will run more slowly (chronologically) on older computers and faster on newer ones. This is not what is expected. So, let's go over what we did earlier.

Open the webgl-utils.js file from the $j$ s folder in your editor. The function that we have used the most in our code is listed in the following code:

```
window.requestAnimFrame = (function() {
returnwindow.requestAnimationFrame ||
window.webkitRequestAnimationFrame ||
window.mozRequestAnimationFrame ||
window.oRequestAnimationFrame ||
window.msRequestAnimationFrame ||
function(/* function FrameRequestCallback */ callback, /* DOMElement
Element */ element) {
window.setTimeout(callback, 1000/300);
    };
}) ();
```

The preceding code heavily relies on the requestAnimationFrame function. Let's read the definition of the function from the following link: http://msdn.microsoft.com/ en-us/library/windows/apps/hh453391. aspx. It states the following:

The RequestAnimationFrame method registers a function to call when the system is ready to update (repaint) the display. This provides smoother animations and optimal power efficiency by allowing the system to determine when the animation occurs. The visibility of the web application and the display refresh rate are used to determine the appropriate speed of the animations for example, the number of frames per second supported by the system.

In a nutshell, the speed at which it will fire will vary from system to system. Now, let's look at how we implemented it:

```
function initScene(){
tick();
}
function tick(){
requestAnimFrame(tick);
drawScene();
    }
```

We invoke tick when the page loads, and tick invokes drawScene and invokes itself when the system is ready to update. Now, let's understand from the viewpoint of a multiplayer game where two users are in the same scene. You fire a bullet and you expect to hit because your system is fast but the other guy has not even reached the hit point (visually) as his system is slow; the scene is being drawn at a constant frame rate which varies from system to system. Even in a single user game, the timing of two events is very important. We want more of a time-based animation not frame-based, which means that if your system is slow, you should reach the hit point by dropping frames.

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To put it another way, in our code, if we are updating/moving an object along the perimeter of a circle, then on all systems, the time it takes to complete the defined path should be the same. This is what we mean when we say time-based animations.

## Implementing time-based animation

Open 06-Bullet-Action.html in your text editor. In the following code, we first invoke tick, which in turn invokes animate, and animate invokes drawScene. Basically, animate covers for the lost time in slow systems (dropping frames/ rendering them quickly). A faster frame rate does not invoke drawScene.

```
var rate=300;
var MINIMUM_FRAME_RATE=30;
var lastFrameTime = (new Date).getTime();
var cyclesLeftOver;
var currentTime;
var elapsedTime;
    function tick(){
requestAnimFrame(tick);
animate();
    }
function animate() {
currentTime = (new Date).getTime();
elapsedTime = currentTime - lastFrameTime;
if (elapsedTime< rate) return;
var updateIterations = Math.floor(elapsedTime / MINIMUM_FRAME_RATE);
while(updateIterations> 0) {
drawScene();
updateIterations -= 1;
    }
lastFrameTime = (new Date).getTime();
    }
```

The animate function is fairly straightforward. We first define rate and MINIMUM_FRAME_RATE and capture the time the page was loaded in lastFrameTime. We then calculate the difference since the last time animate was invoked and capture the result in elapsedTime. If elapsedTime is less than rate, we do not render the scene to accommodate for very fast systems. If the time is more, we calculate how many times the drawscene function was expected to be invoked during that time period by calculating updateIterations (elapsedTime / MINIMUM_FRAME_RATE). Now, we invoke drawScene as many times as it was supposed to be invoked during that time period.

The preceding approach is not perfect as it invokes
drawScene multiple times in a single frame, which is not ideal. We should just update our position (state) variables and invoke drawScene once. We will follow the updated approach in the subsequent chapters.

## Comprehending interpolation

We have discussed when to update our scene, but not what to update it to, or how to update it. In most basic animations, we generally move a complete object and in this chapter, we will stick to that. So, our objective would be to move objects along a defined path, on user-generated events.

The path is defined by an equation such as $\mathrm{y}=\mathrm{f}(\mathrm{x})$ and some discrete points, for example, if the path is along a line, then we have the equation of the line and two points: $\operatorname{start}(\mathrm{x}, \mathrm{y})$ and end $(\mathrm{x} 1, \mathrm{y} 1)$. Now, we need to calculate all the points along the path, which is called interpolation. So, interpolation is a method of constructing new data points within the range of a discrete set of known data points. Hence, if we have three data points such as $(0,1),(1,2),(2,3)$, calculating the value of $x$ which is equal to 2.5 from the mentioned set of values is called interpolation.

## Linear interpolation

Linear interpolation (sometimes known as lerp) is a method of curve fitting using linear polynomials. If the two known points are given by the coordinates, then the linear interpolant is the straight line between these points. For a value $x$ in the interval, the value $y$ along the straight line is given from the equation $(y-y 1)$ / $(x-x 1)=(y-y 2) /(x-x 2)$. However, this is not precise.

We will use linear interpolation in our code to define the path of a fired bullet in our example.

## Polynomial interpolation

Polynomial interpolation is a generalization of linear interpolation. Note that the linear interpolant is a linear function. We now replace this interpolant by a polynomial of a higher degree. The following equation is an example of a polynomial of degree 5 :

$$
f(x)=a x^{5}+b x^{4}+c x^{3}+d x^{2}+e x+f
$$

## Spline interpolation

Spline interpolation is a form of interpolation where the interpolant is a special type of piecewise polynomial called a spline. Spline interpolation is preferred over polynomial interpolation because the interpolation error can be minimized. Also, spline interpolation is better for a higher degree of polynomials because it avoids Runge's phenomenon (http://en.wikipedia.org/wiki/Runge's_phenomenon) found in polynomial interpolation. It is used when the function changes over the value of $x$. For example, if $x>0$, then $f(x)=x^{2}$, and if $x<0$, then $f(x)=1 / x^{2}$. Piecewise polynomial refers to a different function for ranges of $x$.

Spline interpolation and linear algebra are complex topics. Refer to the link http://www.vis.uni-stuttgart.de/~kraus/LiveGraphics3D/cagd/. This web page contains good Java applets (Chapter $8, B$-spline Curves on the web page) to understand spline interpolation.

We are not very interested in spline interpolation but very interested in its specific type called B-spline interpolation. This is the most used form of interpolation in tweening. Basically, when we want to generate a curved path, we can use this kind of interpolation.

B-spline or Basis spline is defined by its order, a set of weighted control points and a knot vector. The control points determine the shape of the curve. Typically, each point of the curve is computed by taking a weighted sum of a number of control points. However, the curve usually does not go through the control point.


In our example, we will use B-spline to generate the path of a grenade (06-GrenadeAction.html). We have added an implementation of B-spline interpolation in the BSplineIterpolation.js file from the primitive folder of the code bundle. We will not cover the code of its implementation, but we will discuss how to use the class.

```
var grenadeControlPoints=[[-1.5,-2,-10], [-1.5,10,-30], [-1.5,15,-40],
[-1.5,10,-60], [-1.5,0,-80]];
var splineInterpolation=new BSplineInterpolation(grenadeControlPoin
ts);
var grenadePositions=splineInterpolation.position;
```

In the first line of the preceding code, we defined a set of control points (grenadeControlPoints). Notice that for the control points, $x(-1.5)$ remains constant and $z(-10,-30,-40,-60,-80)$ decreases, while $y$ first increases $(-2,10,15)$ and then decreases $(10,0)$. So, we are simulating a throwing action. With the grenade being thrown in the $z$ direction, it first goes up and then comes down. The constructor of the class takes control points, interpolates all the positions between the control points, and stores the interpolated path in the position array of the class. We take all those positions and store them in our variable grenadePositions for future use.


In a nutshell, we interpolate positions between the given points, and then change our object's location as per these points over a period of time. This creates an effect of animation. To calculate these points, we can use any interpolation technique (linear, polynomial, and B-spline).

## A briefing on skinned animation

Skeletal animation is a technique in games in which a model is represented in two parts: mesh (vertices) and a hierarchical set of interconnected bones (called the skeleton or rig) that is used to animate (pose and keyframe) the mesh. Although this technique is often used for organic modeling, it only serves to make the animation process more intuitive, and the same technique can be used to control the deformation of any object - a door, a spoon, a building, or a galaxy. When we say hierarchical set, we mean that we move one parent bone, and then the subsequent child bones will also move.

We will also discuss inverse kinematics where we use the kinematics equations of a rigged model to determine the joint parameters that provide a desired position of the child bone. For example, if we have a rigged model of a human being and we move the backbone, kinematics will help us calculate the effect on each bone up to the fingers. We will discuss these animations in depth in Chapter 8, Skinning and Animations.

## Using first-person camera

Now is the time for action! Our core objective is to create two weapons in our game: bullets and a grenade. Although we are in 5000 AD, we are still medieval and simulate the same weapons we use today. However, first we need to move around in the scene, so we need to simulate the first-person camera. This is a simple simulation of how we see a scene if we were physically present there. For example, you are sitting in a room and have a camera on a remote-controlled vehicle on the moon, and you see the surface of the moon from that camera.

We start our animation implementation with the explanation of the first-person camera as we want our bullet and grenade animations to start from the player's position. Now, to simulate this in our game, we move the camera with us in the game. The camera would simulate your eyes, it should only see what your eyes see. So, if you look straight ahead, you would not see yourself. But we needed something to show that you are moving; so, we decided to keep our model in a weaver position with a hand gun. Hence, your right arm is at your shoulder height at all times (as in the following screenshot) and our eyes can only see our own hand (a very tiring posture but we think we can live with that in our game).


Now, we need to move the camera with our arm or move the arm with our camera. We will do the latter, which means that our arm should move as the camera moves. We took this approach as we have already implemented a free camera class in Chapter 5, Camera and User Interaction, and we already control it with our keys.

As discussed in Chapter 5, Camera and User Interaction, the camera transformation matrix is the same as any model matrix; so, if the camera was a model, then it would have the same transformation as the camera. We compute the view matrix using the mat $4.100 k a t$ function. We also discussed in Chapter 5, Camera and User Interaction, in the Converting between the camera matrix and view matrix section, that the model matrix (camera matrix) is the inverse of the view matrix, $\mathrm{M}=\mathrm{V}^{-1}$.

Hence, to get the position of our arm, all we need to do is compute the camera matrix and apply the transformation to the right-hand arm object, and that is it.

```
var mMatrix=mat4.clone(cam.viewMatrix);
mat4.invert(mMatrix,mMatrix);
```


## Adding the first-person camera

Open 06-Bullet-Action.html in your text editor.
The first change we do is load our right hand model as shown in the following code:

```
function start() {
loadStageObject("model/weapons/rightHand.json",[0.0,0.0,0.0],0.0,degTo
Radian(2),0.0);
}
```

We changed our drawScene function to apply different transformations for this model. For all other models, we will apply simple translation and rotation transformations to our ModelView matrix. But in this case, we will simply multiply the camera matrix to the ModelView matrix to position the arm exactly at the camera's location and orientation.

```
function drawScene() {
for(var i=0;i<stage.stageObjects.length;++i){
if(stage.stageObjects[i].name=="rightHand"){
var mMatrix=mat4.clone(cam.viewMatrix);
mat4.invert(mMatrix,mMatrix);
```

```
mat4.multiply(mvMatrix,mvMatrix,mMatrix);
    }
else{
mat4.translate(mvMatrix,mvMatrix, stage.stageObjects[i].location);
mat4.rotateX(mvMatrix,mvMatrix,stage.stageObjects[i].rotationX);
mat4.rotateY(mvMatrix,mvMatrix,stage.stageObjects[i].rotationY);
mat4.rotateZ(mvMatrix,mvMatrix,stage.stageObjects[i].rotationZ);
    }
}
}
```

We first compare if the object is rightHand, and then we clone the camera view matrix (var mMatrix=mat4.clone (cam.viewMatrix)). Then, we calculate the model matrix by calculating the inverse of the camera matrix (mat4. invert (mMatrix, mMatrix) ;). Then, we calculate our final ModelView matrix by multiplying it with the current mvMatrix.(mat4.multiply (mvMatrix, mvMatrix, mMatrix) ;). Now our arm is exactly placed at our camera's position and it should look similar to the following screenshot:


However, this is not what we want. We placed our right hand right in front of our eyes/camera. Actually, our right hand is placed to the right $(x=1)$, below $(y=-3)$, and behind $(\mathrm{z}=-8)$ the camera/screen. Therefore, we need to apply a translation as shown in the following code:

```
var mMatrix=mat4.clone(cam.viewMatrix);
mat4.invert(mMatrix,mMatrix);
mat4.translate(mMatrix,mMatrix, vec3.fromValues(1, -3,-8));
mat4.multiply(mvMatrix,mvMatrix,mMatrix);
```

Hence, we moved our hand to the right ( $x=1$ unit), below ( $y=-3$ units), and behind ( $\mathrm{z}=-8$ units) with respect to our camera.

Let's reiterate the steps that we need to perform to position any object with respect to our camera:

1. Get the camera view matrix.
2. Calculate the camera matrix by getting the inverse of the view matrix.
3. Apply transformations to the camera matrix to place the object with respect to the camera.
4. Multiply the transformed camera matrix to the ModelView matrix.

## Improving the first-person camera code

The preceding code is in the drawScene function. If we have to apply different types of transformations to every object in our scene, then our drawScene function would become very big, and this is not what we want. Hence, we decided to create another code update. We added two new functions to our StageObject class.

Open the StageObject.js file from the primitive folder of the code bundle in your text editor.

We defined a new variable modelmatrix to hold the object's model matrix, as shown in the following code:

```
this.modelMatrix=mat4.create();
```

Then, we added a new function StageObject.prototype . update. This function is invoked by drawscene to calculate the model matrix, as shown in the following code:

```
StageObject.prototype.update=function(steps){
mat4.identity(this.modelMatrix);
mat4.translate(this.modelMatrix,this.modelMatrix, this.location);
mat4.rotateX(this.modelMatrix,this.modelMatrix,this.rotationX);
mat4.rotateY(this.modelMatrix,this.modelMatrix,this.rotationY);
mat4.rotateZ(this.modelMatrix,this.modelMatrix,this.rotationZ);
    }
```

Applying Textures and Simple Animations to Our Scene
We also added a new function initialize to the StageObject class. In this particular class, it does nothing but will be overridden in the child classes.

```
StageObject.prototype.initialize=function(){
    //For implementation in child class
    }
```

We also added two new variables, this.visible and this.camera, to the class
Now let's look at our new drawScene functions. Open 06-Bullet-ActionComplete.html in your editor.

```
function drawScene() {
for(var i=0;i<stage.stageObjects.length;++i){
if(stage.stageObjects[i].visible==true){
stage.stageObjects[i].update();
mat4.multiply(mvMatrix,mvMatrix,stage.stageObjects[i].modelMatrix);
    }
    }
}
```

We iterate over our list of stageObjects and render only those whose visible property is set to true. We invoke the update function of each object to calculate the model matrix, and then multiply the model matrix with the view matrix.

We will now inherit our new stageObject class for every new dynamic object that we want to add to our scene. Each type of object can have different animations, and we will simply write different update functions for them.

Open the RightHand.js file from the primitive/game folder of the code bundle, in your editor. Our RightHand class inherits our StageObject class. We have overridden the update function of the StageObject class. In this function, we use the viewmatrix camera to calculate the model matrix. The camera object is inherited from the parent class. The following code shows our RightHand class derived from the StageObject class:

```
RightHand= inherit(StageObject, function (){
superc(this);
});
RightHand.prototype.update=function() {
var mMatrix=mat4.clone(this.camera.viewMatrix);
```

```
mat4.invert(mMatrix,mMatrix);
mat4.translate(this.modelMatrix,mMatrix, vec3.fromValues (1, - 3, - 8) );
}
```

Open 06-Bullet-Action-Complete.html in your editor again to accommodate our new RightHand class. We updated our loadStageObject function. Now in the function, we check the object name and create the corresponding object, like in our case, we wanted a child object for RightHand. We then assign a camera object to each stage object and then add an object to the Stage class.

```
function loadStageObject(url,location,rotationX,rotationY,rotationZ){
            $.getJSON(url,function(data){
Var nameOfObject=data.metadata.sourceFile.split(".")[0];
var stageObject=null;
if(nameOfObject== "rightHand") {
stageObject=new RightHand();
            }
else{
stageObject=new StageObject();
    }
stageObject.camera=cam;
stageObject.loadObject(data);
}
```


## Simple bullet action - linear animation

In this section, we will add another object to our scene, the bullet (Bullet.json), and we will move our bullet in a straight line, unlike Angelina Jolie's movie Wanted, where the guys curve bullets. We can do that by applying B-spline interpolation but we are still medieval and we will save it for our grenade.

The equation to move the bullet is simple: $f(x)=z$. We will simply change the $z$ value to move the bullet. However, this is awful because if we rotate ourselves (the camera and subsequently, our arm), the bullet should go in the arm's direction. To achieve this, we need to apply the camera transformation to the bullet. Each bullet will have the same defined set of points, let's say $(0,0,1),(0,0,2) \ldots(0,0,200)$, but when we apply these translations to the clone of the camera matrix, then each time we fire the bullet from a different angle or position, we will get different trajectories. Actually, these defined positions are with respect to the camera and not the scene. If we apply camera transformations to the bullet, then we will get different trajectories with respect to the scene.

[^0]We define positions (interpolated points) with respect to the camera, not the scene.
However, if we move our arm after firing the bullet, then the bullet should not change its initial trajectory, which means the bullet should use the initial camera matrix to calculate its transformation.

Open the Bullet.js file from the primitive/game folder in your editor.
We first inherit our StageObject to create the Bullet class. We have added three new variables in the class: positions to hold the calculated set of interpolated points for the animation trajectory, initialmodelmatrix to hold the initial camera matrix so that the bullet does not change the trajectory after firing, even if the camera changes its location/orientation, and lastly, counter to maintain the index of the current position once the bullet is fired. Also note that we have set the visible property of the bullet to false so that the bullet is initially not visible, as shown in the following code:

```
Bullet= inherit(StageObject, function (){
superc(this);
this.visible=false;
this.positions=[];
this.initialModelMatrix=mat4.create();
this.counter=0;
}) ;
```

We have implemented the initialize function of the StageObject class in the Bullet class. This function first clones the camera view matrix, and then stores the camera matrix in initialmodelmatrix. It initializes the position array by invoking calculatePositions for a set of 200 points, and sets counter to 0 and visible to true, as shown in the following code:

```
Bullet.prototype.initialize=function() {
var mMatrix=mat4.clone(this.camera.viewMatrix);
mat4.invert(this.initialModelMatrix,mMatrix);
var count=200;
this.positions=[] ;
for(var i=0;i<count;++i){
this.positions.push(this.calculatePosition(i*this.steps));
    }
this.counter=0;
this.visible=true;
}
```

The calculatePosition function calculates the position by varying the $z$ component. In the following code, our $f(z)$ is equal to $-16-z$. We added the constant to accommodate the length of the hand with respect to the camera. Also notice the negative sign. We want the bullets to go in the negative $z$ direction of the hand. If we rotate our hand in the world space by 180 degrees, then this value will automatically be positive with respect to the world space. The $x$ and $y$ remain constant with respect to the object space ( in our case, the right hand).

```
Bullet.prototype.calculatePosition=function(z){
Var newPosition = [ 0,-2,-16-z];
return vec3.fromValues(newPosition[0],newPosition[1],newPosition[2]);
}
```

Now, time for our update function of our bullet class. The update function is invoked from the drawScene function at a fixed time rate. Each time it is invoked, the bullet is rendered at a new position. We initialized our counter earlier. Hence, we run our bullet animation 200 for frames. The counter is checked against the length of the positions array. If the counter has exceeded the length, then we alter the visibility of our object to false and the drawScene function would stop rendering it. The integer counter also works as an index to the positions array. We retrieve a position and apply the translation to the initial model matrix to calculate our model matrix (mat4.translate (this.modelMatrix, this.initialModelMatrix , this.positions [this.counter]) ;). We then update our counter.

```
Bullet.prototype.update=function() {
if(this.counter<this.positions.length) {
mat4.translate(this.modelMatrix,this.initialModelMatrix,this.
positions[this.counter]);
this.counter=this.counter+1;
    }
else{
this.visible=false;
    }
mat4.scale(this.modelMatrix,this.modelMatrix,vec3.fromValues(5,5,5));
}
```

In the preceding code samples, we have used a constant scaling factor 5 and we have used similar constants throughout. These constant values are provided by the scene designer and we have implemented them as is in the scene.

Open 06-Bullet-Action-Complete.html in your editor.

We first load our bullet object (bullet.json) in our start function as shown in the following code:

```
loadStageObject("model/weapons/bullet.json", [0.0,0.0,0.0],0.0,0.0,0.0
) ;
```

We also modified our loadStageObject function to create the object of our Bullet class. Remember that all the objects are added to the stageObjects array of the Stage class. As each object inherits StageObject, the drawScene function invokes the update function of each object independent of its implementation.

```
function loadStageObject(url,location,rotationX,rotationY,rotationZ){
    $.getJSON(url,function(data){
    else if(nameOfObject==="bullet"){
stageObject=new Bullet();
bullet=stageObject;
    }
}
}
```

We have also added a handlekeys function to initialize the bullet each time the Space bar is hit. The initialize function toggles the visibility of the bullet, and then the drawScene function starts processing it.

```
function handleKeys(event) {
switch(event.keyCode) {//determine the key pressed
case 32:// Space Bar
bullet.initialize();
break;
    }
    }
```


## Reusing objects in multiple bullets

In this section, we would like to cover a very basic concept of reusing objects. In the preceding code, each time we hit the Space bar, the same bullet changes its location. What we would actually like is that we generate a new bullet each time the Space bar is hit. The scene should have multiple bullets. A simple strategy would have been to clone the bullet each time we hit the Space bar. However, using this way, we would have multiple objects initialized in the scene and we would have no way to track them. Hence, we initialize a pool of bullets, and then whenever we hit the Space bar, we pick a bullet from the pool based on its visibility. If the bullet is not visible, this means it is not in action and is not being rendered by the drawScene function. We can safely initialize an invisible bullet completely transparent to the end user.

Concepts like these actually make your game successful. This way, even if the game is being rendered for a long period of time without a pause, the game performance will not deteriorate.

Let's look at the implementation of the concept closely. Open 06-Multiple-BulletsAction.html in your editor.

We start with the definition of our variables, a bullets [] array that will hold the pool of bullets, and nextBullet Index that will hold the index of the next bullet to be used.

```
var bullets=[];
var nextBulletIndex=0;
```

We just added the loadStageObjects and addStageObjects functions here.
We discussed them earlier; we added them to make the flow more intuitive.
After each object is loaded in loadStageObject, it invokes addStageObject which in turn invokes cloneObjects. The cloneObjects function checks for the object type and then creates its corresponding clones by invoking the clone function of the object. For the bullet, it creates 24 clones (one was already loaded, in total 25) and then adds them to the bullets array. Each bullet also holds the reference to the cam object in its camera property.

```
function loadStageObject(url,location,rotationX,rotationY,rotationZ){
addStageObject(stageObject,location,rotationX,rotationY,rotationZ);
...
}
function addStageObject(stageObject,location,rotationX,rotationY, rota
tionZ){
cloneObjects(stageObject);
stageObject.location=location;
stageObject.rotationX=rotationX;
stageObject.rotationY=rotationY;
stageObject.rotationZ=rotationZ;
stage.addModel(stageObject);
    }
function cloneObjects(stageObject){
if(stageObject.name=="bullet") {
bullets.push(stageObject);
for(var j=0;j<24;++j){
var bullet=stageObject.clone();
bullet.camera=cam;
```

```
bullets.push(bullet);
stage.addModel(bullet);
    }
    }
}
```

In the handleKeys function, we simply pick a bullet from the array referenced by the nextBullet Index variable. The value of the variable is 0 initially. After that, we increment the next bullet index, and if the counter has exceeded the length of the bullets array, then we initialize it back to 0 .

```
function handleKeys(event) {
switch(event.keyCode) {//determine the key pressed
case 32://space key
bullets[nextBulletIndex].initialize();
nextBulletIndex++;
if(nextBulletIndex>=bullets.length) {
nextBulletIndex=0;
    }
break;
    }
    }
```

In the preceding code, we used a very simple algorithm to pick bullets from the pool. We only used the next index of the last active bullet. We could use simple logic currently because we know that by using the next index, we are actually using the bullet that was either never used or was the oldest one to be used (circular) as the life of each object is the same. In other games, we might have to use more complicated logic to re-use objects because the life of each object may vary.

## Using B-spline interpolation for grenade action

In this section, we will introduce the left hand. The left hand will be used to throw the grenade. So, first we will need to create a linear animation of the left hand. However, this time, we will not interpolate over position but over rotation. Then, we will chain animations. When the animation of the left hand ends, we will start the animation of the grenade.

## Using linear interpolation for left-hand rotation

We want to throw the grenade when the Enter key is pressed. Let's first go over the class to handle the animation of the left hand.


Open the LeftHand.js file from the primitive/game folder of the code bundle in your text editor.

The LeftHand class also inherits StageObject. We have defined some new properties (rotations, counter, and grenadeCallBack). The rotations array holds the angles that we need to interpolate on. The integer counter maintains number of times the update function has been invoked. The variable grenadeCallback, holds the reference to the function that has to be invoked once the animation has finished. The constructor initializes the rotations array with values from 90 to 75 degrees. The visible property has been initialized to false to avoid rendering of the left arm initially:

```
LeftHand= inherit(StageObject, function (){
superc(this);
this.rotations=[];
for(var j=90.0;j>=75.0;--j){
```

```
this.rotations.push((j*22/7)/180);
    }
this.visible=false;
this.counter=0;
this.grenadeCallback=null;
});
```

In the update function, we obtain the camera view matrix. Calculate the camera matrix, then translate the arm with respect to the camera using the matrix. Then, apply a rotation transformation along the $x$ axis with an angle from the rotations array. Note that in the case of the left arm, we use the latest value of the camera view matrix throughout the animation. This is done so that during the animation if you rotate or translate your camera, the arm moves with it. Also, when we have iterated over the complete set of rotations, it resets the counter, toggles visibility, and invokes the callback function.

```
LeftHand.prototype.update=function() {
if(this.counter<this.rotations.length) {
var mMatrix=mat4.clone(this.camera.viewMatrix);
mat4.invert(mMatrix,mMatrix);
mat4.translate(this.modelMatrix,mMatrix,vec3.fromValues(-1.5,-3,-6));
mat4.rotateX(this.modelMatrix,this.modelMatrix,this.rotations[this.
counter]);
this.counter=this.counter+1;
}else{
this.counter=0;
this.visible=false;
this.grenadeCallback();
    }
}
```

Open the grenade.js file from the primitive/game folder in your editor.
The Grenade class is very similar to the Bullet class except for one difference: we do not calculate the interpolates in the initialize function. We calculate it over the control points once the application is loaded in the main control code. Each time the animation is required to run, we pass the positions array from the main code as a parameter to the initialize function.

```
Grenade= inherit(StageObject, function (){
superc(this);
this.positions=[];
this.counter=0;
this.visible=false;
this.initialModelMatrix=mat4.create();
});
```

The initialize function of the class calculates the initialModelMatrix from the camera matrix, resets the counter and visibility, and initializes the positions array as shown in the following code:

```
Grenade.prototype.initialize=function(positions) {
var mMatrix=mat4.clone(this.camera.viewMatrix);
mat4.invert(this.initialModelMatrix,mMatrix) ;
this.counter=0;
this.visible=true;
this.positions=positions;
    //mat4.translate (this.modelMatrix,mMatrix,vec3.
fromValues(0,-3,-8));
}
```

The update function is exactly the same as the one in the Bullet class. It simply calculates the model matrix from intialModelmatrix and the current active position from the positions array on each update call from drawScene.

```
Grenade.prototype.update=function() {
if(this.counter<this.positions.length-1){
mat4.translate(this.modelMatrix,this.initialModelMatrix,this.
positions[this.counter]);
this.counter=this.counter+1;
    }
else{
this.visible=false;
    }
}
```

Open 06-Grenade-Action.html in your editor to understand the implementation of the preceding classes.

We start with the declaration of variables to hold the objects of the grenade and our left hand.

```
var leftHand=null;
var grenade=null;
```

Then, we define the control points to calculate interpolated values for the grenade animation and also define the grenadePositions array to store the interpolates. Note that these control points are in respect to the camera position.

```
var grenadeControlPoints=[[-1.5,-2,-10], [-1.5,10,-30], [-1.5, 15,-40],
[-1.5,10,-60], [-1.5,0,-80]];
var grenadePositions=[];
```

Applying Textures and Simple Animations to Our Scene
The start function initializes the BsplineInterpolation object, and it calculates the interpolates and stores them in its position array. In the next line, we simply copy its value to the grenadePositions array. Then, the start function loads the left hand and grenade JSON models.

```
function start() {
var splineInterpolation=new BSplineInterpolation(grenadeControlPoin
ts) ;
grenadePositions=splineInterpolation.position;
loadStageObject("model/weapons/leftHand.json", [0.0,20.0, -
150.0],0.0,0.0,0.0);
loadStageObject("model/weapons/grenade.json", [0.0,20.0,-
150.0],0.0,0.0,0.0);
}
```

The loadStageObject function checks the loaded object type, and then creates the objects for LeftHand and Grenade. The leftHand object's property grenadecallback is initialized with a reference of the initializeGrenade function of our main code. It is invoked once the hand animations have been executed.

```
function
loadStageObject(url,location,rotationX,rotationY,rotationZ){
else if(nameOfObject=="leftHand"){
stageObject=new LeftHand();
leftHand=stageObject;
leftHand.grenadeCallback=initializeGrenade;
    }
else if(nameOfObject=="grenade"){
stageObject=new Grenade();
grenade=stageObject;
    }
}
```

The initializeGrenade function is invoked from the update function of the LeftHand class once the animation has been executed. It invokes the initialize function of the Grenade class and passes the grenadePositions array calculated in the start function. Note that these interpolates are calculated in reference to the camera and not the world space. We calculate each position in world space by translating them with the camera matrix in the update function of the Grenade class.

```
function initializeGrenade(){
grenade.initialize(grenadePositions);
    }
```

Our handlekeys function simply toggles the visibility of the left hand when the Enter key is pressed. Once the object is marked visible, the drawScene function starts invoking its update function and subsequently leads to its rendering. Once the hand animation ends, it invokes the grenade animation from the callback function.

```
function handleKeys(event) {
switch(event.keyCode) {//determine the key pressed
case 13://Press Enter for grenade action
leftHand.visible=true;
break;
    }
    }
```


## Using texture animation for an explosion effect

In the last section of this chapter, we will create an animation effect with textures. We want the grenade to explode once its animation ends. Although explosions in games are created using particle physics, for simple explosions, we chose to confine ourselves to texture animation. So let's first understand what we mean by texture animation.

Until now, we were updating an object's location or rotation in our update function. In short, we were manipulating the ModelView matrix. Now, we will change the texture in our update function.

Let's slide back to the start of the chapter where we said that the stage class holds the reference to all initialized textures and each stageObject holds the textureIndex, the index to the initialized texture. Now, if we change the value of the textureIndex property in the update call, it will render each time with a different texture, giving an illusion of the animation.

Let's look at textures, shown in the following screenshot, which we have created to simulate an explosion:


We will apply these textures to an explosion object (explosion.json from the model \weapons folder of the code bundle).

So, first let's understand our explosion.js file from the primitive/game folder of the code bundle.

The Explosion class has a new textureIndices [] variable in the place of the positions array. This array holds the indices of textures defined in the primary Stage class.

```
Explosion= inherit(StageObject, function (){
superc(this);
this.textureIndices=[];
this.counter=0;
this.visible=false;
});
```

The initialize function takes the modelMatrix of the grenade as a parameter. The objective is simple: the explosion has to occur at the same location and orientation of the grenade in its last frame. Hence, we clone the received model matrix and simply assign it to the model matrix of the Explosion object. We also initialize the texture Index class variable to the first element of the texture array.

```
Explosion.prototype.initialize=function(modelMatrix) {
this.modelMatrix=mat4.clone(modelMatrix);
this.counter=0;
this.textureIndex=this.textureIndices[0];
this.visible=true;
this.frames=0;
}
```

The update function increments the counter and assigns the index of the next texture in the textureIndices array. Once the animation has finished, we toggle the visibility of the texture.

```
Explosion.prototype.update=function() {
if(this.counter<this.textureIndices.length){
this.textureIndex=this.textureIndices[this.counter];
this.counter-++;
    }
else{
this.visible=false;
this.counter=0;
    }
}
```

We also need to do a small change in the Grenade.js file from the primitive/game folder of the code bundle.

We need to add a callback function (explosionCallBack) to the Grenade class so that we can pass the model matrix of the grenade in the last frame and initialize our explosion.

```
Grenade= inherit(StageObject, function (){
this.explosionCallBack=null;
});
```

Applying Textures and Simple Animations to Our Scene
When the Grenade animation finishes, it invokes the explosionCallBack function and passes its modelmatrix as shown in the following code:

```
Grenade.prototype.update=function() {
if(this.counter<this.positions.length-1){
    }
else{
...
if(this.explosionCallBack!=null){
this.explosionCallBack(this.modelMatrix);
    }
    }
}
```

Let's walk through the implementation of the preceding classes in 06-Grenade-Action-Blast.html.

We have added a new variable to hold the explosion object, as shown in the following code:

```
var explosion=null;
```

In the loadStageObject function, after the grenade object is created, we assign the name of the callback function (initializeExplosion) to the explosionCallBack property of the grenade object. It is invoked once its animation has finished. After the explosion object is created, we invoke initExplosionTextures to load all the textures shown previously.

```
function
loadStageObject(url,location,rotationX,rotationY,rotationZ){
else if(nameOfObject=="grenade"){
stageObject=new Grenade();
grenade=stageObject;
grenade.explosionCallBack=initializeExplosion;
}else if(nameOfObject=="explosion"){
stageObject=new Explosion();
explosion=stageObject;
initExplosionTextures();
    }
}
```

The textures are named blast_1.png, blast_2.png, blast_3.png, all the way to blast_15.png. We iterate over the names and load the textures. We create a unique key (vartextureIndex=currentDate.getMilliseconds () $+\mathrm{j}-$; ) to create a reference to the texture object in the Stageclass'textures object. Each unique key of the texture is pushed to the explosion.textureIndices array and the texture object is initialized and stored via the stage. addtexture function.

```
function initExplosionTextures(){
for(var j=1;j<=15;++j){
var fileName="blast_"+j+".png";
var currentDate=new Date();
var textureIndex=currentDate.getMilliseconds()+j*2000;
explosion.textureIndices.push(textureIndex);
textureList[fileName]=textureIndex;
var image = new Image();
image.onload = function() { stage.addTexture(textureIndex,fileName,
image); }
image.src = "model/textures/"+fileName;
    }
    }
```

In our last change in code, the initializeExplosion function is assigned to the grenade object. When the grenade animation finishes, it invokes this function to create a chained animation of the explosion. It also takes the modelMatrix of the grenade object as a parameter. This function in turn invokes the initialize function of the explosion object.

```
function initializeExplosion(matrix){
explosion.initialize(matrix);
    }
```


## Summary

This chapter was most likely our entry point to creating games using WebGL. It covered very basic but important concepts of game development. We started this chapter with architectural updates to apply textures in our objects in the scene. We then covered the primary concept of timing of animations in game development. The basic techniques of creating animations using interpolates will be useful in creating many complex animations. Although we implemented only linear and B-spline interpolations, the core concept of using interpolation techniques was covered.

The key concept we touched upon was how simple animations have become. We plan them in reference to one object and then apply a transformation with respect to the scene. In our examples, our reference object was the first-person camera. The interpolation points that we used were constant, but when we applied the camera matrix, we produced different trajectories for the same points. This is the most important concept that we need to understand when creating animations. We finished our chapter with texture animation.

In the next chapter, we will use concepts such as collision detection to intercept the path of these animations.

## 7

## Physics and Terrains

In a game, we generally do not like to control our animations, typically in a case where a bullet or a grenade is involved. We want force, impulse, and gravity to control the motion in a game. This is what this chapter is about - physics simulation. We will discuss how physics engines control component trajectories as well as work with collision detection in a game. However, before we dive deep into physics, we want to extend the terrain (ground) of our game scene. We will cover the following topics in this chapter:

- A simple terrain: plane geometry
- JavaScript 3D physics engines: JigLibJS
- Adding gravity and a rigid body to the game scene
- Forces, impulse, and collision detection: grenade and bullet animation revisited
- Extending our terrain with physics


## Understanding a simple terrain - plane geometry

In all our previous examples, we have used a JSON file (model/obj/terrain.json) as our terrain or ground base, where we have added all our objects. This approach is generally not used in games where the scene is a complete city or world. In a game, terrains are endless. The terrain should appear to meet the sky. If we clone the OBJ file multiple times to achieve the effect, then we might make the rendering slower; the same effect can be achieved with fewer polygons rendered. This is why most graphic libraries come with functionalities to create basic geometries such as a plane, sphere, octahedron, and others. In this chapter, we will focus on a plane geometry.

A plane geometry is mostly used to create terrains. However, we will first discuss the structure of a plane geometry. A plane geometry is made of vertices where the normal of each vertex is parallel to each other. The equation for a plane is commonly written as follows:

$$
A x+B y+C z+D=0
$$

In the following diagram, you will see that the plane geometry is made of segments. You should always have a higher number of segments. When the geometry is viewed from different camera angles, more segments lead to better resolution and minimum culling artifacts. We discussed earlier in Chapter 1, Getting Started with WebGL Game Development, primitive culling in the assembly/rasterization phase in the The fragment shader section. The primitives that fall partly outside the view frustum are culled or not passed to the fragment shader for processing. If you have a bigger segment size, then you might notice missing triangles around the corners of the terrain because the centroid of the triangle might fall outside the view area.


The preceding diagram of the plane geometry has three width segments and three height segments. To render the preceding geometry, we need to generate the following set of information:

- Vertices
- Vertex normals
- Indices to reduce vertex redundancy
- For the UV map, if we apply a texture to this geometry, we should have a texture coordinate per vertex.
- To generate vertices, we also need the width and height of the plane. Hence, to generate the information to render the geometry shown in the preceding diagram, we need the following:
- Plane width
- Plane height
- Width segments
- Height segments
$\left[\begin{array}{l}\text { Terrain is one of the most important components for most } \\ \text { games. The plane geometry computation logic is a very } \\ \text { standard algorithm that is implemented in most WebGL } \\ \text { libraries, and we have covered its implementation to } \\ \text { understand the topic height maps better. }\end{array}\right]$
- Also, for our formulas to generate the vertex information from the preceding data, we assume that the plane is placed at the world center and lies in the XY plane $(z=0)$. The preceding diagram also shows that for $n$ segments, we have $n+1$ vertices on each side and we certainly want our number of vertices to be even and in the power of 2 .
- Let's start with our first formula to generate vertices. Let's say that if the plane is a grid of $4 \times 4$ vertices and each side's width and height is 16 units and the image center is $(0,0)$, then the coordinates for vertices are shown in the following table:

| Vertices | Coordinates |
| :--- | :--- |
| $(0,0)$ | $(-32,32,0)$ |
|  | These coordinates are calculated as $(-32+64 * 0 / 3$, |
|  | $32-64 * 0 / 3,0)$ |
| $(1,0)$ | $(-32+64 / 3,32,0)$ |
| $(2,0)$ | $(-32+64 * 2 / 3,32,0)$ |
| $(3,0)$ | $(-32+64 * 3 / 3,32,0)$ |
| $(0,1)$ | $(-32+64 * 0 / 3,32-64 / 3,0)$ |
| $(1,1)$ | $(-32+64 * 1 / 3,32-64 / 3,0)$ |
| $(2,1)$ | $(-32+64 * 2 / 3,32-64 / 3,0)$ |
| $(3,1)$ | $(-32+64 * 3 / 3,32-64 / 3,0)$ |
| $(0,2)$ | $(-32+64 * 0 / 3,32-64 * 2 / 3,0)$ |

The rest of the vertices, $(1,2),(2,2),(3,2),(0,3),(1,3),(2,3)$, and $(3,3)$, are calculated in a similar manner.

Let's look at our code to generate vertices. Open the PlaneGeometry.js file from the primitive folder of the code files of this chapter in your favorite editor. The following code snippet is present in this file:

```
PlaneGeometry = inherit(Geometry, function (width, height,
    widthOfSegments, heightOfSegments)
{
    superc(this);
    this.width = width;
    this.height = height;
    this.widthOfSegments = widthOfSegments || 1;
    this.heightOfSegments = heightOfSegments || 1;
    var i, j;
    var widthHalf = width / 2;
    var heightHalf = height / 2;
    var gridX = this.widthOfSegments;
    var gridZ = this.heightOfSegments;
    var gridXN = gridX + 1;
    var gridZN = gridZ + 1;
    var segmentWidth = this.width / gridX;
    var segmentHeight = this.height / gridZ;
    var normal = vec3.fromValues( 0, 0, 1 );
    for ( i = 0; i<gridZN; i ++ ) {
        for ( j = 0; j <gridXN; j ++ ) {
            var x = j * segmentWidth - widthHalf;
            var y = i * segmentHeight - heightHalf;
            this.vertices.push(x)
            this.vertices.push(- y);
            this.vertices.push(0);
        }
    }
```

In the preceding code, first we calculate the number of vertices on each side (gridxn = gridX + 1; and gridZN = gridZ + 1;). The segmentWidth = this.width / gridx statement calculates the length of each segment, which in our case is $64 / 3$. Hence, if we look at the formula in the preceding code, var $\mathrm{x}=\mathrm{j}$ * segmentWidth - widthHalf, we get the following values:

| Values of $\mathbf{i}$ and $\mathbf{j}$ | $\mathbf{x}$ coordinate | $\mathbf{y}$ coordinate |
| :--- | :--- | :--- |
| For $\mathrm{i}=0$ and $\mathrm{j}=0$ | $\mathrm{x}=0 * 64 / 3-32$ | $\mathrm{y}=0 * 64 / 3-32$ |
| For $\mathrm{i}=0$ and $\mathrm{j}=1$ | $\mathrm{x}=1 * 64 / 3-32$ | $\mathrm{y}=0 * 64 / 3-32$ |


| Values of $\mathbf{i}$ and $j$ | $x$ coordinate | $y$ coordinate |
| :--- | :--- | :--- |
| For $i=0$ and $j=2$ | $x=2 * 64 / 3-32$ | $y=0 * 64 / 3-32$ |
| For $i=0$ and $j=3$ | $x=3 * 64 / 3-32$ | $y=0 * 64 / 3-32$ |
| For $i=1$ and $j=0$ | $x=0 * 64 / 3-32$ | $y=1 * 64 / 3-32$ |
| For $i=1$ and $j=1$ | $x=1 * 64 / 3-32$ | $y=1 * 64 / 3-32$ |
| For $i=1$ and $j=2$ | $x=2 * 64 / 3-32$ | $y=1 * 64 / 3-32$ |
| For $i=1$ and $j=3$ | $x=3 * 64 / 3-32$ | $y=1 * 64 / 3-32$ |

If you look at the preceding list, the value of y is $1 * 64 / 3-32$, which is negative of the derived value that we got. Hence, we push this negative value in the code using the this.vertices.push (- y) statement.

Notice that we have inherited our Geometry class, which means we have all the variables (this.vertices, this.faces) already defined. So, we simply push the calculated vertices on our vertices array.

Also, as our plane lies in the XY plane, the $z$ axis is our normal for each vertex. Hence, we have also defined our normal (var normal $=$ vec3.fromvalues ( $0,0,1$ ); .

Let's now calculate the indices that make our triangles.
If you see the order in which we push the vertices on our array, you will realize that we do it in the row-major order. Hence, $(0,0),(0,1),(0,2),(0,3)$ $\qquad$ $(0, n)$ are indexed as $(0,1,2,3, \ldots . . n)$. The following diagram shows the vertex to index mapping of the plane segments:


Hence, the indices for the square are:

- $(0,0)$ is $(0,4,5,1)$, the two triangles are $(0,4,1)$ and $(4,5,1)$
- $(0,1)$ is $(1,5,6,2)$, the two triangles are $(1,5,2)$ and $(5,6,2)$
- $(0,2)$ is $(2,6,7,3)$, the two triangles are $(2,6,3)$ and $(6,7,3)$
- $(1,0)$ is $(4,8,9,5)$, the two triangles are $(4,8,5)$ and $(8,9,5)$
- $(1,1)$ is $(5,9,10,6)$, the two triangles are $(5,9,6)$ and $(9,10,6)$
- $(1,2)$ is $(6,10,11,7)$, the two triangles are $(6,10,7)$ and $(10,11,7)$

For each square, the four vertices are denoted as ( $a, b, c, d$ ) and their values are calculated using the segment height index, segment width index, and number of vertices, then our formula for each vertex is as follows:

- For vertex a, the formula is $j+\operatorname{gridXN} * i$
- For vertex b, the formula is $j+\operatorname{gridXN} *(i+1)$
- For vertex c, the formula is $(j+1)+\operatorname{gridXN} *(i+1)$
- For vertex d , the formula is $(j+1)+g$ ridXN * $I$

Hence, the values for each vertex are shown in the following table:

| Coordinates | Vertices |
| :--- | :--- |
| $(0,0)$ | $\mathrm{a}=0+4^{*} 0=0$ |
| $\mathrm{~b}=0+4^{*}(0+1)=4$ |  |
| $\mathrm{c}=(0+1)+4^{*}(0+1)=5$ |  |
|  | $\mathrm{~d}=(0+1)+4^{*} 0=1$ |

Hence, the values for the vertices are $(0,4,5,1)$
(0,2)

$$
\begin{align*}
& a=1+4^{*} 0=1  \tag{0,1}\\
& b=1+4^{*}(0+1)=5 \\
& c=(1+1)+4^{*}(0+1)=6 \\
& d=(1+1)+4^{*} 0=2
\end{align*}
$$

Hence, the values for the vertices are $(1,5,6,2)$
$\mathrm{a}=2+4 * 0=2$
$\mathrm{b}=2+4 *(0+1)=6$
c $=(2+1)+4 *(0+1)=7$
$\mathrm{d}=(2+1)+4 * 0=3$
Hence, the values for the vertices are $(2,6,7,3)$

| Coordinates | Vertices |
| :--- | :--- |
| $(1,0)$ | $\mathrm{a}=3+4^{*} 0=3$ |
|  | $\mathrm{~b}=3+4^{*}(0+1)=7$ |
|  | $\mathrm{c}=(3+1)+4^{*}(0+1)=8$ |
|  | $\mathrm{~d}=(3+1)+4^{*} 0=4$ |

Hence, the values for the vertices are $(3,7,8,4)$
The formula to calculate UV maps for the corresponding vertices is as follows:

```
var uva = vec2.fromValues( j / gridX, 1 - i / gridZ );
var uvb = vec2.fromValues( j / gridx, 1 - ( i + 1 ) / gridz );
var uvc = vec2.fromValues( ( j + 1 ) / gridx, 1 - ( i + 1 ) /
    gridz );
var uvd = vec2.fromValues( ( j + 1 ) / gridX, 1 - i / gridz );
```

Let's now look at the complete code to generate the faces array, UV maps, and normal array.

We first iterate over all segments of our plane. For each segment, we have two faces and add them to our faces array. The following code calculates the indices and UV coordinates for the four vertices of the polygon using the formula derived earlier:

```
var faceUVIndex=0;
var faceIndex=0;
this.faceVertexUvs[0]=[];
var uvs=[[]];
uvs[0]=[];
for ( i = 0; i<gridZ; i ++ ) {
for ( j = 0; j <gridx; j ++ ) {
var a = j + gridXN * i;
var b = j + gridxN * ( i + 1 );
var c = ( j + 1 ) + gridxN * ( i + 1 );
var d = ( j + 1 ) + gridXN * i;
var uva = vec2.fromValues( j / gridX, 1 - i / gridZ );
var uvb = vec2.fromValues( j / gridX, 1 - ( i + 1 ) / gridz );
var uvc = vec2.fromValues( ( j + l ) / gridx, 1 - ( i + l ) / gridZ );
var uvd = vec2.fromValues( ( j + 1 ) / gridX, 1 - i / gridz );
```

The following code copies the generated UV coordinates to the uvs array of the Geometry class at the index 0 . It is the index of the first material. Also our geometry will use only one material:

```
uvs[0].push(uva[0]);
uvs [0].push(uva [1]);
uvs [0].push (uvb [0]) ;
uvs [0].push(uvb [1]) ;
uvs [0].push(uvc[0]) ;
uvs [0].push(uvc[1]);
uvs [0].push (uvd[0]) ;
uvs[0].push(uvd[1]);
```

In the following code, we create a face object and store the calculated indices in the corresponding face properties ( $a, b, d$ ). The normals of all vertices lie on the same plane. Hence, the normals are cloned from the normal object $(0,0,1)$ and copied to the vertexNormals array of the face object:

```
var face = new Face();
face.a=a;
face.b=b;
face.c=d;
face.vertexNormals=[];
face.vertexNormals["a"]=vec3.clone(normal);
face.vertexNormals["b"]=vec3.clone(normal);
face.vertexNormals["c"]=vec3.clone( normal);
this.faces.push( face );
```

In the following code, face Index maintains the count of the number of face objects stored in the faces array, and we store the UV indices at the corresponding faceIndex element in the faceVertexUvs array:

```
this.faceVertexUvs[0][faceIndex]=[];
this.faceVertexUvs[0][faceIndex]["a"]= faceUVIndex;
this.faceVertexUvs[0][faceIndex]["b"]= faceUVIndex+1;
this.faceVertexUvs[0][faceIndex]["c"]= faceUVIndex+3;
faceIndex=faceIndex+1;
```

In the following code, as there are two faces per segment, we repeat the process of creating and adding the second face to the faces array and store their corresponding UV indices in the faceVertexUvs array of the geometry:

```
face = new Face();
face.a=b;
face.b=c;
face.c=d;
face.vertexNormals=[];
face.vertexNormals["a"]=vec3.clone(normal);
```

```
face.vertexNormals["b"]=vec3.clone(normal);
face.vertexNormals["c"]=vec3.clone(normal);
this.faces.push( face );
this.faceVertexUvs[0] [faceIndex]= [] ;
this.faceVertexUvs[0] [faceIndex] ["a"]= faceUVIndex+1;
this.faceVertexUvs[0] [faceIndex]["b"]= faceUVIndex+2;
this.faceVertexUvs[0] [faceIndex] ["c"]= faceUVIndex+3;
faceIndex=faceIndex+1;
faceUVIndex=faceUVIndex+4;
```

In the following code, once our vertices and faces ( $a, b, c$, vertexNormals), uvs, and faceVertexUvs arrays of our Geometry class are computed, we invoke the verticesFromFaceUvs () function to make the number of vertices equal to the number of uvs (for vertex shaders). We also invoked the indicesFromFaces () function to copy the face attributes, $a, b$, and $c$, to the indices array of the Geometry class and invoke the morphedvertexNormalsFromobj () function to prepare our normals array of the Geometry class:

```
this.verticesFromFaceUvs(this.vertices,uvs,0);
this.indicesFromFaces();
this.morphedVertexNormalsFromObj();
```


## Rendering our plane geometry

The preceding code computes our vertices, indices, normals, and uvs arrays. We generally read these values from the JSON file and store them in their corresponding arrays. So, the rendering code of the geometry is similar to any other geometry.

Open the Plane.js file from primitive/game in your favorite text editor. The objective of the code is to initialize the PlaneGeometry object with the required parameters (width, height, widthofsegments, heightofsegments). The following is the code snippet from the Plane.js file:

```
Plane= inherit(StageObject, function (width, height,
    widthOfSegments, heightOfSegments,textureName){
    superc(this);
    this.geometry=null;
    this.width=width;
    this.height=height;
    this.ws=widthOfSegments;
    this.wh=heightOfSegments;
    this.geometry=new PlaneGeometry(width, height, widthOfSegments,
        heightOfSegments;
    this.materialFile=textureName;//"terrain_1024.jpg";
});
```

We also pass the name of the texture to be associated with the UV map of the geometry.

Open the 07-New-Terrain.html file in your favorite editor. In this code, we simply initialize our PlaneGeometry object and set the corresponding material file name:

```
function start() {
    var plane=new StageObject();
    plane.geometry=new PlaneGeometry(7500,7500,63,63,null);
    plane.materialFile="terrain_1024.jpg";
    loadTexture(plane, clampToEdge) ;
}
```

The function, loadTexture ( ), is another refactoring attempt. We have moved the code to load textures from the loadStage0bject function. This function is now invoked from the start () function as you saw in the preceding code and also from the loadStageObject () function:

```
function loadTexture(stageObject,clampToEdge){
    if(stageObject.materialFile!=null){
        if((textureList[stageObject.materialFile.trim()]===undefined))
        {
            var currentDate=new Date();
            var textureIndex=currentDate.getMilliseconds();
            stageObject.textureIndex=textureIndex;
            textureList[stageObject.materialFile.trim()]=textureIndex;
            initTextures(stageObject.materialFile.trim(),
                textureIndex,bool);
        }
        else{
            stageObject.textureIndex=textureList[stageObject.
                materialFile.trim()]
        }
    }
}
```

We have also modified our Stage.js file's code located in the primitive folder to accommodate a new parameter, clampToEdge. It is a Boolean value to decide whether the wrapping mode (this.gl. CLAMP_TO_EDGE) has to be set for this texture if the UV coordinates fall outside the range of 0 to 1 . For terrains, we want to make sure that if the UV map exceeds the range, then the texture is not repeated and it covers the geometry. The texture parameters have been explained in Chapter 4, Applying Textures.

Open the Stage.js file from the primitive folder in your favorite editor. The following code is present in this file:

```
addTexture:function(index, name,img,clampToEdge){
...
    if(clampToEdge) {
        this.gl.texParameteri(this.gl.TEXTURE_2D,
        this.gl.TEXTURE_WRAP_S, this.gl.CLAMP_TO_EDGE);
        this.gl.texParameteri(this.gl.TEXTURE_2D,
                this.gl.TEXTURE_WRAP_T, this.gl.CLAMP_TO_EDGE);
    }
;
```

We will now understand JavaScript physics engines and cover terrain physics in the last section of the chapter.

## Comparing JavaScript 3D physics engines

Let's start by looking at the most popular JavaScript physics engines. Most of them are still under development. The three most popular JavaScript physics libraries are Box2dweb, Ammo.js, and JigLibJS. We will give you a quick introduction to each one and then use JigLibJS in our code.

## Ammo.js

Ammo.js is directly ported from the Bullet physics engine (a C++ physics library) using Emscripten (https://github.com/kripken/emscripten). There is no human rewriting involved in the translation of the source code. The full form of Ammo is Avoided making my own. Ammo.js is a fully featured, rich physics library with a wide range of options for physics shapes. It supports all features such as collision detection, constraints, and vehicle systems.

The overview of Ammo.js is as follows:

- Performance: As Ammo.js is a direct port, the JavaScript code has not been optimized to run in the browser. It is powerful but performance can be an issue.
- Features: It is one of the most complete physics libraries available in any programming language. The Bullet physics engine has been used in many games such as Grand Theft Auto IV and Red Dead Redemption, and movies such as 2012 and Sherlock Holmes.
- Usability: The API can be confusing at times and the autogenerated documentation isn't of much help.
- Overall: If you are looking for a fully featured physics library, then Ammo.js will get the job done. It takes some time to become familiar with the parts of the library, but you can quickly develop complex scenes with rich interactions.


## Box2dweb

Box2dweb is a port of the famous 2D physics engine Box2D. Box2D is originally written in $\mathrm{C}++$. As the name suggests, you can only play with it in two dimensions. It has the most powerful constraint system and exists as joints classes. It has easy-to-configure options for complete scenes and individual objects.

The overview of Box2dweb is as follows:

- Performance: Box2dweb is very fast unless it is configured incorrectly or the graphics is heavy. The computations involved in a 2D engine are less compared to a 3D engine.
- Features: Box2D was not meant to do 3D. If you only need two dimensions, this library should have everything you need.
- Browser support: Chrome, FireFox, IE9, Safari, and Opera.


## JigLibJS

JigLibJS is a port of the powerful physics library, JigLib (https://github.com/ supereggbert/JigLibJS), and it was written originally in C++. The port is completely handwritten in JavaScript and is very well optimized to run in a browser. However, JigLibJS is not as feature-rich as Ammo.js or Box2Dweb. It offers three types of basic constraints:

- Point: This constraint helps in joining two objects.
- WordPoint: This constraint explains that an object is fixed to a position in the world.
- MaxDistance: This constraint limits the distance between two rigid bodies.

The other libraries offer very powerful constraint systems.

The overview of JigLibJS is as follows:

- Performance: It is customized and tuned for JavaScript. Hence, this gives high performance.
- Features: Although JigLibJS lacks some of the less common features that Ammo.js has, it still has enough to cover almost everything.
- Overall: We believe JigLibJS is able to fit most developer's needs without requiring users to have more powerful computers.
- Browser support: Chrome, Firefox, IE9, Safari, and Opera.


We chose JigLibJS for this book as it is a handwritten port.
We can read the code to understand and implement most concepts and even extend its functionalities as the library is well-structured.

## Comprehending the physics engine concepts

Broadly speaking, a physics engine provides three aspects of functionality:

- Moving items around according to a set of physical rules
- Checking for collisions between items
- Reacting to collisions between items

Physics can be applied to any element of a game scene such as characters, terrains, and particles. A physics engine for games is based around Newtonian mechanics, that is, the three simple rules of motion that we learned at school. These rules are used to construct differential equations, thereby describing the movement of our simulated items. The differential equations are then solved iteratively by the algorithms that are used in the libraries. This results in believable movements and interaction of the scene elements. Within the context of a game, the physics engine provides the motion of all of the elements of the game world; therefore, it needs to be able to move any item in the world.

The physics engine for a game tends to be a separate entity which links to the rest of the code through an interface. It does not care about the entities it is moving, it just cares about their physical size, weight, velocity, and other such properties. It is a module that is distinct to the game code, renderer code, audio code, and so on.

## Updating the simulation loop

A physics system typically operates by looping through every object in the game, updating the physical properties of each object (position, velocity, and so on), checking for collisions, and reacting to any collisions that are detected.

The simulation loop, which calls the physics engine for each object of interest, is kept as separate as possible from the rendering loop, which draws the graphical representation of the objects. Indeed the main loop of our game consists of just two lines of code: one calls the render update and the other line calls the simulation update. The simulation should be able to run without rendering anything to screen if the rendering and simulation aspects of the code are correctly decoupled. The part of the code which accesses the physics engine will typically run at a higher frame rate than the rest of the game, especially the renderer.

Let's now first use our JigLibJS to initialize our physics system and also plan when we want to update our physics objects. The following code snippet contains the jigLib. PhysicsSystem.getInstance() method:

```
var system = jigLib.PhysicsSystem.getInstance();
system.setCollisionSystem(); // CollisionSystemBrute
// system.setCollisionSystem(true); // CollisionSystemGrid
system.setSolverType("FAST");
// system.setSolverType("NORMAL");
//system.setSolverType("ACCUMULATED");
```

We first initialize our physics system (jigLib. PhysicsSystem. getInstance ()). Then, we set the type of collision system (brute/grid).

Brute force would store two lists of collision objects in a collision system. One list would be for dynamic objects and the other would include both dynamic and static objects (each dynamic object would be in both lists). For each frame, it would loop through the dynamic list and pass each object to the larger list and check for collisions.

Grid collision is a system that uses spatial hashing, in which we basically establish a grid. In a grid, we mark down what is in touch with each grid. Then, we later go through the relevant cells of the grid and check whether everything in each relevant cell is actually intersecting with anything else in the cell. The grid collision is related to the concept of space partition.

Physics engines are split into two major parts: collision detection and collision resolution. The solver is just responsible for the latter.

After your collision detection part determines which pairs of objects collide and where they collide, the solver is responsible for creating the correct physical response. Basically, the solver type defines the differential equations to be used. ACCUMULATED is the most accurate and slowest differential equation.

Once we have initialized our engine, we invoke it at every render. The following function checks and updates the object's properties:

```
system.integrate(elapsedTime / 1000 );
```

Clearly, if there are large numbers of game entities that require physical simulation, this can become computationally expensive. We try to reduce the number of objects simulated by the physics engine at any time. We can use techniques similar to the ones used in the graphics code to limit the number of objects submitted to the renderer. However, culling objects based on the viewing frustum is not a good way of deciding which objects receive a physics update. If objects' physical properties cease to be updated as soon as they are off camera, then no moving objects would enter the scene. Any objects leaving the scene would just pile up immediately outside the viewing frustum, which would look terribly messy when the camera pans around.

A more satisfactory approach is to update any object that may have an interaction with the player or which the player is likely to see on the screen, either now or in the near future.

Hence, we add and remove objects from the graphics system on different events in order to improve the speed of our game. We can add and remove objects with the following lines of code:

```
system.addBody(plane.rigidBody); //To add an object
system.removeBody(plane.rigidBody);//To remove an object
```


## Learning about objects in the physics system

Each item simulated by the physics engine requires some data representing the physical state of the item. This data consists of parameters that describe the item's position, orientation, and movement. Depending on the complexity and accuracy of the physical simulation required, the data and the way in which it is used becomes more detailed. The simpler the physical representation is, the cheaper the computational cost is, and therefore, the greater the number of items that can be simulated. The three main types of simulation are particles, rigid bodies, and soft bodies.

## Particles

The simplest representation of physical properties is achieved through the particles method. In this case, it is assumed by the physics engine that items consist of a single point in space (that is, a particle). The particle can move in space (that is, it has velocity), but it neither rotates nor does it have any volume. We use particles in games for effects such as explosions and smoke.

## Rigid bodies

The most common physical representation system is that of rigid bodies. In this case, items are defined by the physics engine as consisting of a shape in space (for example, a cube or a collection of spheres). The rigid body can move in space and can rotate in space, so it has both linear and angular velocity. It also has volume. This volume is represented by a fixed shape which does not change over time, hence the term rigid body. This approach is taken for practically everything in games where reasonable accuracy is required.

The rigid bodies that do not move are static bodies and the other are dynamic bodies. To define a rigid body as static, we use the set_movable (false) function. Terrains are the best examples of static rigid bodies.

JigLib, like other physics systems, has the RigidBody class. We are listing the most common properties of the class:

```
RigidBody.prototype._id=null;
RigidBody.prototype._skin=null;
RigidBody.prototype._type=null;
RigidBody.prototype._boundingSphere=null;
RigidBody.prototype._boundingBox=null;
RigidBody.prototype._currState=null;
RigidBody.prototype._oldState=null;
RigidBody.prototype._mass=null;
RigidBody.prototype._bodyInertia=null;
RigidBody.prototype._force=null;
RigidBody.prototype._torque=null;
RigidBody.prototype._activity=null;
RigidBody.prototype._movable=null;
RigidBody.prototype._doShockProcessing=null;
RigidBody.prototype._material=null;
RigidBody.prototype._nonCollidables=null;
RigidBody.prototype._constraints=null;
RigidBody.prototype.collisions=null;
RigidBody.prototype.isActive=null;
```

The _skin property is used to hold the transformations of the graphic element to which we want to attach the rigid body. The _currstate property has two components: _currState.position and _currState.get_orientation. The position vector in JigLib is defined by an array of the three elements. JigLib has its own JVector3DUtil to manipulate the 3D vectors. The _currState.get_orientation(). glmatrix statement returns an object of type mat3 (an older version of glMatrix). The collisions objects hold the collisions data.

The RigidBody class does not define the shape of the object in itself. The properties that hold the shape of the object are _boundingBox and _boundingSphere. The _boundingBox property is of the type JAABox. The JAABox class has functionalities to handle collision points defined by shapes such as box, sphere, and capsule.

## Soft bodies

Items that need to change shapes are often represented in the physics engine as soft bodies. A soft body simulates all the aspects of a rigid body (linear and angular velocity as well as volume) but with the additional feature of a changeable shape, that is, deformation. This approach is used for items such as clothing, hair, and wobbly alien jellyfish. It is considerably more expensive, both computationally and memory-wise, than the rigid body representation.

## Understanding the physics shapes

We have already discussed how the physics simulation should be decoupled as much as possible from the rendering loop. This also applies to the data structures and to the shapes and meshes of the game objects. The object which is rendered onto the screen can be of any shape and can be made up of many polygons. However, it is not practical to simulate large numbers of complexly shaped objects in the physics engine.

Almost every object that is simulated by the physics engine will be represented as a simple convex shape, such as a sphere or cuboid, or as a collection of such shapes. Calculating collisions and penetrations between objects can be a very expensive process. So simplifying the shapes that represent the simulated objects greatly improves the required computation. Hence, you will see that we use very simple objects and shapes to represent our 3D models in physics simulations.

JigLib has defined some useful physics shapes which we generally attach to our graphic geometries. JBox, JSphere, JCapsule, JPlain, JTerrain, and JTriangleMesh are the most commonly used objects that inherit the RigidBody class. They have some extra properties that define the shape, for example, JBox has width, height, depth, and JSphere has radius.

The JTerrain object takes the ITerrain interface's object as a parameter. The iTerrain interface's object holds data such as height, width, width segments, and height segments. We will discuss this object in detail in the section Extending our terrain with physics.

The JTrianglemesh object is another exciting object of the rigid body. It has the createMesh(this.vertices, this.indices) function that creates any geometry in the physics system. The vertices and indices define the shape of the 3D geometry. They are absolutely similar to our vertices and indices data. Each element of the vertices array represents the vertex $(x, y, z)$. Each triangle $[\mathrm{a}, \mathrm{b}, \mathrm{c}]$ of the mesh is stored as an element of the indices array. This object is computationally expensive to use as we have to check each polygon of the mesh for collisions while in other cases, we use a bounding box. We generally avoid using it.

## Adding gravity and a rigid body to the game scene

Well, it is time to add some physics to our game scene. In the example, we will simply load a JSON sphere and add it to the scene. The 3D object's motion will be controlled by the physics engine and gravity.

Open the Sphere.js file from primitive/game in your favorite editor. The sphere object inherits the StageObject class and has a new function, initializePhysics; we have also overridden the update function. The initializePhysics function is given in the following code snippet:

```
Sphere= inherit(StageObject, function (){
    superc(this);
    this.visible=false;
});
Sphere.prototype.initializePhysics=function(){
    var sphere = new jigLib.JSphere(null, 20);
    sphere.set_mass(50);
    this.rigidBody=sphere;
    this.rigidBody.moveTo(jigLib.Vector3DUtil.create(0,100,120));
    this.system.addBody(this.rigidBody);
}
```

The initializePhysics function initializes a physics shape, a sphere, by creating a jigLib. JSphere object. The object takes two parameters: the skin object and the radius of the sphere. The skin object is a reference to the object that holds the orientation of the geometric shape, which in our case is a sphere. We are not using a skin parameter in our code. We just pass the radius (20) to set up collision points. Then, we set the mass of our object so that gravity can accelerate the falling mass. Then, we set the location of the object in reference to the world space using the rigidBody.moveTo function. The location of the object in the physics world in JigLib is defined by an array of $[x, y, z]$ values, and the jigLib. Vector3DUtil. create $(0,100,120)$ function returns an array $[0,100,120]$. We then add the object to the physics system (this.system.addBody (this.rigidBody) ;). Note that unless the object is added to the physics system, the objects properties will not change. The class variables, rigidBody and system, are inherited from the stageObject class. The system variable holds the reference to j igLib. PhysicsSystem initialized in the main control code.

The following code connects to the physics system with the geometry - the last missing piece:

```
Sphere.prototype.update=function() {
    if(this.rigidBody){
        var pos = this.rigidBody.get_currentState().position;
        this.location=vec3.fromValues(pos[0], pos[1], pos[2]);
        mat4.identity(this.modelMatrix);
        mat4.translate(this.modelMatrix,this.modelMatrix,
                this.location);
        mat4.scale(this.modelMatrix,this.modelMatrix,vec3.
            fromValues(10,10,10));
    } else{
        mat4.identity(this.modelMatrix);
        mat4.translate(this.modelMatrix,this.modelMatrix,
            this.location);
        mat4.rotateX(this.modelMatrix,this.modelMatrix,
                this.rotationX);
        mat4.rotateY(this.modelMatrix,this.modelMatrix,
            this.rotationY);
        mat4.rotateZ(this.modelMatrix,this.modelMatrix,
            this.rotationz);
        mat4.scale(this.modelMatrix,this.modelMatrix,
            vec3.fromValues(10,10,10));
    }
}
```

We first check whether an active rigidBody variable is assigned to the geometry. If it is assigned, then we retrieve the position of the rigidBody variable using the this. rigidBody.get_currentState ().position function. We convert the position of rigidBody to the vec3 object and set the location property of the sphere. The modelMatrix parameter of the sphere is initialized to the identity matrix and then the sphere's modelMatrix is translated by the rigidBody variable's position.

So basically, we change the location of the sphere to the rigidBody variable's location, and if rigidBody for that object does not exist, then we use the object's location and rotational values.

Open the 07-Simple-Physics-Sphere-Falling.html file in your editor.
We initialize our physics engine in the init_jiglib() function. This function is invoked when the graphics library is initialized in the start () function:

```
function start() {
    init_jiglib();
}
function init_jiglib() {
    system = jigLib.PhysicsSystem.getInstance();
    system.setCollisionSystem(); // CollisionSystemBrute
    system.setSolverType("FAST");
    system.setGravity(jigLib.Vector3DUtil.create( 0, -9.8, 0, 0 )
        );
    var ground = new jigLib.JPlane();
    ground.set_y(0);
    ground.set_rotationX(90);
    ground.set_movable(false);
    system.addBody(ground);
}
```

In the init_jiglib() function, we first initialize our physics engine and then initialize our collision system using the brute force algorithm (each object is checked for collision) and set the solver type to FAST. Then, we initialize gravity in our system (system.setGravity(jigLib.Vector3DUtil.create ( $0,-9.8,0,0$ ) ) ;). As the physics system follows the upward direction along the $y$ axis, we set our gravity to a negative value.

Then, we initialize our first physics rigid body. We add a plane to our physics system. We instantiate the jigLib. Plane object, and set its location of $y$ to 0 . The important thing to understand is that the j igLib. Plane object by default is aligned to the XY plane. However, we want to align it to the XZ plane. Hence, we rotate our plane by 90 degrees around the $x$ axis. The jigLib. Plane rigid body has many applications but we want to use it as a terrain. Hence, we set it as a static body using the RigidBody class's function, set_movable (false), and then we add it to our physics system.

The animate () function is explained in the following code:

```
function animate(){
    var updateIterations = Math.floor(elapsedTime /
        MINIMUM_FRAME_RATE);
    system.integrate(elapsedTime / 1000 );
    while(updateIterations> 0){
        drawScene();
        updateIterations -= 1;
    }
}
```

We invoke the system.integrate () function from our animate () function along with the drawScene () function call. Basically, the system.integrate () function is our simulation update. It updates our physics system variables with the elapsed time (time-based update). The loadStageObject function is as follows:

```
function
    loadStageObject(url,location,rotationX,rotationY,rotationZ){
```



```
    else if(nameOfObject=="Sphere"){
        stageObject=new Sphere();
        stageObject.system=system;
        stageObject.initializePhysics();
        stageObject.visible=true;
        sphere=stageObject;
    }
}
```

Finally, we load our sphere's JSON object and instantiate our sphere class. We assign the physics system variable to the sphere's class variable before initializing the rigid body in the initializePhysics call.

When we view the result in the browser, the sphere will fall on the terrain and bounce on it. The bounce can be controlled by the restitution factor (cor) which is a property defined in the RigidBody class. The complete visual effect is because we update the position of our sphere geometry along the position of the rigid body.

If you notice, the physics update loop is completely decoupled from the render update. The physics simulation update method modifies all rigid body properties. It detects and responds to collision, like the sphere's properties in our case, such as position, orientation, and velocity, are updated after every system.integrate () function call. In our render call, we update our geometries' location and orientation using the rigid bodies' properties.

## Implementing forces, impulse, and collision detection

JigLibJS offers functions to add force and apply impulse to a rigid body. Let's walk through the list of available functions and how they work:

```
addBodyForce=function(f, p)
f: [x,y,z] magnitude of force along three axes.
p:[x,y,z] position of force
addWorldForce=function(f, p)
f: [x,y,z] magnitude of force along three axes.
p:[x,y,z] position of force
addWorldTorque=function(t)
t: [x,y,z] magnitude of torque along three axes.
addBodyTorque=function(t)
t: [x,y,z] magnitude of torque along three axes.
applyWorldImpulse=function(impulse, pos)
impulse: [x,y,z] magnitude of impulse(mass*velocity) along three
    axes.
pos:[x,y,z] position of force
applyBodyWorldImpulse=function(impulse, delta)
impulse: [x,y,z] magnitude of impulse(mass*velocity) along three
    axes.
pos:[x,y,z] position of force
```

We can apply "body force", "world force", "body torque", and "world torque" in JigLibJS. The only difference between applying the addBodyForce and addWorldForce functions is the coordinate system used for the force direction. The addBodyForce function applies the force based on the body's coordinates. So, if we apply a force in the forward direction, the force is directly forward from the orientation that the body is currently facing. If you want absolute coordinates, you should apply the force using the addWorldForce function. The force only affects the body that you apply it to but the coordinate system is that of the world. The direction of the force is independent of the direction in which the body is facing. The same is true for torques.

When applying forces, we also have the option to apply the force on any point on the object other than the center of mass. This is simply given as a position vector of the location, where the force is being applied from its center of mass. Torques, however, are always applied around the center of mass. To create a more complex torque, such as a wrench (force at one end and a connection at the other), you would need to apply a body force to a position on the end of the wrench with the other end attached to a constrained joint.

Impulses are instant changes in the velocity (or angular velocity) of the body. Rather than applying a force that accelerates a body from its initial velocity, applying an impulse immediately increases to the new velocity. This would be same as adding impulse/mass to the velocity of the body. Applying a "negative impulse" would be subtracting impulse/mass from the current velocity.

## Diving deep into collision detection

The RigidBody class has a collisions array. On every rigid body collision, a CollisionInfo object is added to the array. The CollisionInfo object has the following properties:

```
CollisionInfo.prototype.objInfo=null;
CollisionInfo.prototype.dirToBody=null;
CollisionInfo.prototype.pointInfo=null;
CollisionInfo.prototype.satisfied=null;
```

We would like to limit our discussion to the obj Info property. The obj Info property is of the CollDetectInfo type. The CollDetectInfo object has the following properties:

```
CollDetectInfo.prototype.body0=null;
CollDetectInfo.prototype.bodyl=null;
```

The variables, bodyo and body1, are of the RigidBody type. Hence, we can access information about both objects from the obj Info object. The sample code to access the collision information is as follows:

```
var collidingBody=this.rigidBody.collisions[0].objInfo.body1;
```

JigLib also offers events to detect collisions. The JCollisionEvent=function(body, impulse) is raised when a collision occurs.

The following code attaches an event handler to a rigid body and simply logs the event info. The body object holds the information of the other rigid body it collided with:

```
this.rigidBody.addEventListener(jigLib.JCollisionEvent.COLLISION,
    function(event){
    console.log(event);
    //event.collisionBody
    //event.collisionInfo
}) ;
```


## Revisiting the grenade and bullet actions

In this code packet, we will demonstrate how the grenade action should actually be implemented. In the earlier code packet, the grenade motion was controlled by a set of defined points transformed with the camera matrix. The solution is not perfect because the length of the animation is limited and does not simulate the real-world effect in instances such as when the object path was disrupted by another object.

So, let's first revisit our grenade code. Open the Grenade.js file from primitive/ game in your favorite editor. We will start with the initialization of the rigid body (sphere) in the Grenade class and then apply an impulse in a specific direction, as expressed in the following diagram:


The preceding diagram shows an impulse/force applied on the $y$ axis and in the $-Z$ direction at the centroid of the cube's rigid body.

In our grenade initialize function, we initialize our rigid body physics. We invoke the this.initializePhysics () function after we calculate our camera matrix. We still need our camera matrix for two things: the initial location of the grenade and the final orientation of the force/impulse applied on the grenade. Remember, we are using the first-person camera, and all initial values (location, force) will be with respect to our model (camera) space. Then, we will transform it to world space using the model matrix. Our grenade initialize function is defined as follows:

```
Grenade.prototype.initialize=function(positions) {
    var mMatrix=mat4.clone(this.camera.viewMatrix);
    mat4.invert(this.initialModelMatrix,mMatrix);
    this.initializePhysics();
    this.counter=0;
    this.visible=true;
}
```

In the upcoming initializePhysics function's code, we first use a simple geometry, jigLib.JSphere (null, 10), to present our grenade in the physics world with a radius of 10 . Then, we set its mass to 10 . The important thing is that the moment we add the sphere to the physics world, a force of 98 will be applied on it from the -Y direction, because of gravity (9.8), with instantaneous velocity of 0 . We position our rigidBody variable in the world using the coordinate, $[-1.5,-2,-10]$, with respect to the camera and convert it to world coordinates by multiplying it by the initialModelMatrix (jigLib. GLMatrix.multiplyVec3 (this.initialModelMatrix, $[-1.5,-2,-10]$ ) ;). We then move our rigid body to the calculated location (this.rigidBody.moveTo (newPos [0], newPos [1], newPos [2]) ;).

Now, we want to apply a force or impulse. Before we do that, let's evaluate our situation:

- We want the grenade to move along the $+Y$ and $-Z$ directions, so the force has to be greater than the $-Y$ force of gravity.
- We want the grenade to move in the direction of the camera. The initialModelMatrix has two components: orientation and position. We want the magnitude and direction of the force to be affected only by the orientation and not the position of the camera.
- We want to apply the force on the center of the rigid body.

To tackle the first point, we defined the force by the vector [0,300, -1200]; 300 will counter -98 of gravity, and -1200 will move the grenade in the -Z direction with respect to the camera space.

The second point requires some understanding of the camera matrix. In Chapter 5, Camera and User Interaction, we described the structure of a camera matrix:

| Right.x | Up.x | Look.x | O.Of |
| :--- | :--- | :--- | :--- |
| Right.y | Up.y | Look.y | $0.0 f$ |
| Right.z | Up.z | Look.z | O.Of |
| Positon.x | Positon.y | Positon.z | $1.0 f$ |

Hence, if we want to remove the position element from the camera matrix, we can set $m 30(12), m 31(13)$, and $m 32(14)$ to 0 . This is what the extractOrientation function does. It removes the position component from the camera matrix.

Now to get the final force applied with the correct direction, we transform the force vector with the orientation matrix (initialmodelmatrix with the 0 position, this.extractorientation(this.initialModelMatrix); var force= jigLib. GLMatrix.multiplyVec3 (this.initialModelMatrix, [0, 300, -1200]) ;).

The position of the force is the location of the rigid body in the world space (pos), and the function addWordlForce of the rigidBody class is used to apply force (this.rigidBody.addWorldForce (force, jigLib.Vector3DUtil.create (pos.x, pos.y,pos.z)) ;). The initializePhysics function is shown in the following code:

```
Grenade.prototype.initializePhysics=function(){
    var sphere = new jigLib.JSphere(null, 10);
    sphere.set_mass(10);
    this.rigidBody=sphere;
    var newPos=jigLib.GLMatrix.multiplyVec3(this.initialModelMatrix,
        [-1.5,-2, -10]);
    this.rigidBody.moveTo(jigLib.Vector3DUtil.create(newPos[0],
        newPos[1],newPos[2]));
    var pos = this.rigidBody.get_currentState().position;
    this.extractOrientation(this.initialModelMatrix) ;
    // var force=jigLib.GLMatrix.multiplyVec3
        (this.initialModelMatrix, [0,300,-1200]);
    var impulse=jigLib.GLMatrix.multiplyVec3
        (this.initialModelMatrix, [0,180, -800]) ;
    //this.rigidBody.addWorldForce(jigLib.Vector3DUtil.
        create (force [0], force [1], force[2]), jigLib.Vector3DUtil.
        create(pos.x,pos.y,pos.z));
```

```
    this.rigidBody.applyWorldImpulse(jigLib.Vector3DUtil.
    create(impulse[0],impulse[1],impulse[2]),jigLib.Vector3DUtil.
    create(pos.x,pos.y,pos.z));
    this.system.addBody(this.rigidBody);
    this.rigidBody.addEventListener(jigLib.JCollisionEvent.COLLISION,
    function(event){
    console.log(event);
    //event.collisionBody
    //event.collisionInfo
    });
}
```

In the preceding code, we showed both the impulse and the force application code examples. However, we have commented out the force code because for the grenade, we can use either force or impulse, but actually we need to give it just some initial velocity in the desired direction. Also, if you notice, we have added code to handle the collision event but just logged the event (this.rigidBody.addEventListener (jigLib.JCollisionEvent. COLLISION, function (event)). For this code, we chose to use the collisions array, which is explained later. The extractorientation function is shown in the following code:

```
Grenade.prototype.extractOrientation=function(matrix){
    matrix[12]=0;
    matrix[13]=0;
    matrix[14]=0;
}
```

Our update function invoked from the drawScene function is straightforward. It simply reads the position of the rigid body and translates the geometric shape of the grenade's modelMatrix with it.

We also check for the collisions array in our update function. If the length of the collisions array is greater than 0 , this denotes that a collision has occurred. We toggle the visibility of the grenade and remove it from the physics world (this. system. removeBody (this.rigidBody) ;). Remember, we need to remove objects that are not visible to the user from the physics world; otherwise, you will slow down the system. We then invoke the event handler (this.callBack (this. rigidBody, this.rigidBody.collisions) ;). The variable, this.callback, is declared in the parent class stageObject. We also clear our collisions array (this.rigidBody.collisions= [] ;). Our update function is as follows:

```
Grenade.prototype.update=function() {
    if(this.rigidBody) {
    var pos = this.rigidBody.get_currentState().position;
    mat4.identity(this.modelMatrix) ;
    this.location=vec3.fromValues(pos[0], pos[1], pos[2]);
```

```
    mat4.translate(this.modelMatrix,this.modelMatrix,
        this.location);
    mat4.scale(this.modelMatrix,this.modelMatrix,
    vec3.fromValues(5,5,5));
if(this.rigidBody.collisions.length>0){
    this.system.removeBody(this.rigidBody);
    console.log(this.rigidBody.collisions);
    if(this.callBack){
        this.callBack(this.rigidBody,this.rigidBody.collisions);
    }
    this.visible=false;
    this.rigidBody.collisions=[];
    }
}
```

Now, let's quickly look at the implementation of the preceding code. Open the 07-Grenade-Action-Blast-Physics.html file in your editor. The following code snippet is present in this file:

```
function loadStageObject(url,location,rotationX,rotationY,
    rotationZ){
...
    else if(nameOfObject=="grenade"){
        stageObject=new Grenade();
        grenade=stageObject;
        grenade.system=system;
        grenade.callBack=initializeExplosion;
    }
}
```

In our preceding code, we initialize our grenade object and assign the physics object and the collision callback function. The collision callBack function takes rigidBody as a parameter. We retrieve the position of rigidBody, create a modelMatrix parameter, and translate the model matrix to the rigidBody parameter's position. We then initialize our explosion with modelMatrix. The initializeExplosion function is given in the following code:

```
function initializeExplosion(rigidBody,collisions){
    var pos = rigidBody.get_currentState().position;
    var modelMatrix=mat4.create();
    mat4.identity(modelMatrix);
    var location=vec3.fromValues(pos[0], pos[1], pos[2]);
    mat4.translate(modelMatrix,modelMatrix,location);
    explosion.initialize(modelMatrix);
}
```


## Cheating in the bullet action

In this section, we will talk about cheating in the physics world. For simplicity, the code of the bullet should be similar to the grenade because all we need to do is to change the direction vector of the impulse/force. The following code demonstrates the application of impulse on our bullet object:

```
var impulse=jigLib.GLMatrix.multiplyVec3(this.initialModelMatrix,
    [0,0,-2000]);
this.rigidBody.applyWorldImpulse(jigLib.Vector3DUtil.create
    (impulse[0],impulse[1],impulse[2]),jigLib.Vector3DUtil.
    create(pos.x,pos.y,pos.z)) ;
```

We needed a strong impulse in the - Z direction, and that is it. However, most of the time in games, we do want physics collisions detection but do not want the physics engine to control the trajectory. So, let's visit a similar case. Open the Bullet.js file from primitive/game in your text editor.

The initialize function of the Bullet class is absolutely the same, except we check if the rigid body is initialized. We initialize its position and add the body to the physics system as follows:

```
Bullet.prototype.initialize=function() {
...
    this.positions=[];
    for(vari=0;i<count;++i){
        this.positions.push(this.calculatePosition(i*this.steps));
    }
    if(this.rigidBody){
        this.initializePosition();
        this.system.addBody(this.rigidBody);
    }
}
```

The initializePosition function takes an element from the positions array at the this. counter value, transforms that value using initialmodelmatrix from the camera, and moves rigidBody to the new calculated position. This is where the cheating happened. This function is also invoked from the update function. It simply moves the rigidBody parameter to a predefined value; we did not let physics control its motion/trajectory. Initially the counter is 0 to set the initial bullet location.

```
Bullet.prototype.initializePosition=function(){
    var mat=mat4.create();
    mat4.translate(mat,this.initialModelMatrix,this.
        positions[this.counter]);
    var newPos=jigLib.GLMatrix.multiplyVec3(mat, [0,0,-1]);
    this.rigidBody.moveTo(jigLib.Vector3DUtil.create(newPos[0],
        newPos[1],newPos[2]));
}
```

The update function increments the counter value. The rigidBody parameter updates its position by invoking the initializePosition function using the incremented counter value. After we are through with iterating over the positions array, we do not set the position of rigidBody and let the physics engine take over.

We translate modelMatrix by the new position of rigidBody. Note that for all cases, we read the rigidBody coordinate so that when the physics engine takes over, we move the geometry with rigidBody.

Earlier, we were toggling the visibility of the bullet when we had iterated over all values of the positions. However, in this case, we wait for the collision to occur, for example, when the bullet hits the ground.

We check the length of the collisions array to test the collision. Then, we remove the rigid body from the physics system and also toggle its visibility. The update function of the Bullet class is as follows:

```
Bullet.prototype.update=function() {
    if(this.rigidBody){
        if(this.counter<this.positions.length-1) {
            this.counter=this.counter+1;
            this.initializePosition();
        }
        var pos=this.rigidBody.get_currentState().position;
        mat4.identity(this.modelMatrix);
        mat4.translate(this.modelMatrix,this.modelMatrix,vec3.
            fromValues(pos[0],pos[1],pos[2]));
        if(this.rigidBody.collisions.length>0){
            this.visible=false;
            this.system.removeBody(this.rigidBody);
            this.rigidBody.collisions=[];
        }
        mat4.scale(this.modelMatrix,this.modelMatrix,vec3.
            fromValues(5,5,5));
    }else{
    }
}
```

Let's also walk through the bullet's implementation in the main code. Open the 07-Grenade-Action-Blast-Physics.html file in your editor.

For the bullet, we initialize a jigLib.JBox ( null, 3, 3, 3 ); object. We set its length, width, and height to 3 and then set its mass to 10 . We do that for all other bullets we initialized. This is done with the help of the following code snippet:

```
function addStageObject(stageObject,location,rotationX,rotationY,
    rotationZ){
    if(stageObject.name=="bullet") {
        var cube = new jigLib.JBox( null, 3, 3, 3 );
        cube.set_mass(10);
        stageObject.rigidBody = cube;
        stageObject.system=system;
        bullets.push(stageObject);
        for(var j=0;j<24;++j){
            var bullet=stageObject.clone();
            bullet.camera=cam;
            bullets.push(bullet);
            var cube = new jigLib.JBox( null, 3, 3, 3 );
            bullet.rigidBody = cube;
            cube.set_mass(10);
            cube.set_movable(true);
            bullet.system=system;
            stage.addModel(bullet);
        }
    }
}
```


## Extending our terrain with physics

In our existing code packets, we have a terrain which is a simple plain, with no bumps or plateaus or dips. Hence, we use an object of the jigLib. Plain class to represent it in our physics world. This section intends to end what we started with a true physics terrain. The following screenshot shows you the terrain that we will be targeting to initialize in the physics world. It has a bump that starts from the center of the terrain:


We can easily add this bump to the geometry, but it will take some effort to simulate it in our physics world. So, first we add this bump to our geometry. Open PlaneGeometry.js from the primitive folder in your text editor. In our previous code, we set the $z$ axis value to 0 as shown in the following code:

```
this.vertices.push(x) ;
this.vertices.push(- y) ;
this.vertices.push(0);
```

The preceding code simply denoted that the geometry had no bumps, and all segments had a height of 0 . However, now we simply add some logic to calculate the height for a particular segment. The following constructor takes a function name as a parameter; the function takes the $(x, y)$ coordinates as parameters and calculates the height for a particular segment. If the function name is not set (that is, it is null or undefined), then the $z$ value is set to 0 for all segments:

```
PlaneGeometry = inherit(Geometry, function (width, height,
    widthOfSegments, heightOfSegments,calculateHeight)
{
if(this.calculateHeight){
        this.vertices.push(this.calculateHeight(x,-y));
    }else{
    this.vertices.push(0);
    }
}
```

Open Plane.js from primitive/game in your text editor to see the sample implementation of calculateHeight. In the constructor of PlaneGeometry, we pass the modifyGeometry function of the Plane class as shown in the following code snippet:

```
Plane= inherit(StageObject, function (width, height,
    widthOfSegments, heightOfSegments,textureName,modifyHeight){
    if(modifyHeight)
        this.geometry=new PlaneGeometry(width, height,
        widthOfSegments, heightOfSegments,this.modifyGeometry);
    else
        this.geometry=new PlaneGeometry(width, height,
                widthOfSegments, heightOfSegments,null);
});
```

The modifyGeometry function is a straightforward function. It takes the $x$ and $y$ values based on the range of the x and y values and returns the $z$ value from 25 to 0 . Hence, the PlaneGeometry class uses this function to calculate the $z$ value of the vertices:

```
Plane.prototype.modifyGeometry=function(x,y) {
    if ((x>=0&&x<100)&&&(y>=0&&y<100)) {
        return 25;
    }
    else if((x>=100&&x<150)&&(y>=100&&Y<150)){
        return 20;
    }
    else if((x>=150&&x<200)&&(y>=150&&y<200)){
        return 15;
    }
    else if((x>=200&&x<250)&&&(y>=200&&y<250)){
        return 10;
    }
    else if((x>=250&&X<300)&&(y>=250&&Y<300)){
        return 5;
    }
    else{
        return 0;
    }
}
```

Modifying a geometry is pretty straightforward, but informing the physics engine of it is a bit of challenge. There is an existing class, jigLib. JTerrain; its constructor takes a parameter of the type ITerrain.

```
var Jterrain=function(tr)
```

The ITerrain interface is not implemented in JigLibJS; we will have to implement it. Basically, the implementation of ITerrain informs the JigLib collision detection code of the structure of the terrain. Let's first understand the ITerrain interface:

```
public interface ITerrain
    {
    //Min of coordinate horizontally;
    function get_minW():Number;
//Min of coordinate vertically;
    function get_minH() :Number;
    //Max of coordinate horizontally;
    function get_maxW() :Number;
    //Max of coordinate vertically;
    function get_maxH() :Number;
```

Physics and Terrains

```
    //The horizontal length of each segment;
    function get_dw():Number;
    //The vertical length of each segment;
    function get_dh():Number;
    //Number of segments horizontally.
    function get_sw():int;
    //Number of segments vertically
    function get_sh():int;
    //the heights of all vertices
    function get_heights(i,j):Array;
    function get_maxHeight():Number;
}
```

If you study the properties, the implementation returns the terrain properties such as minimum height, minimum width, number of segments, and length of segments. Our terrain already has these parameters defined. The most interesting function is get_heights ( $i, j$ ), which takes the vertical and horizontal index of the segment and returns its height. However, we do not have this parameter defined in our geometry. So, let's define it first. Open PlaneGeometry.js from the primitive folder in your text editor. In our constructor, we define a this.heights= [ [] ] ; variable:

```
PlaneGeometry = inherit(Geometry, function (width, height,
    widthOfSegments, heightOfSegments,calculateHeight)
{
this.heights=[[]];
    if(this.calculateHeight){
        this.heights[i][j]=this.calculateHeight (x,-y);
        this.vertices.push(this.heights[i][j]);
    }else{
        this.heights[i][j]=0;
        this.vertices.push(0);
    }
}
```

After we calculate the height for a vertex and a particular segment, we store its values in the heights array (this.heights [i] [j]=this.calculateHeight ( $x,-y$ ) ; ).

We also added a property to return the height of a particular segment (getHeights(i,j)):

```
PlaneGeometry.prototype.getHeights=function(i,j){
    returnthis.heights[i][j];
}
```

Now, time to see the implementation of the ITerrain interface. Open TerrainData. js from primitive/game in your editor. It takes nearly the same parameters as our PlaneGeometry object took (width, height, segmentsW, segmentsH, geometry), with one extra parameter: the object of the terrain, geometry. The constructor first calculates minW, minH, maxW, and maxH. They are the starting and ending coordinates of the terrain and are half the width and height in each direction. The this._dh and this._dw parameters return the length of each segment. The get_heights (i, j) function reads the height for a segment from the getHeight (i,j) geometry and returns its height. The following is the code snippet from the TerrainData.js file:

```
TerrainData = function (width,height,segmentsW,segmentsH,geometry) {
    var textureX= width / 2;
    var textureY = height / 2;
    //Min of coordinate horizontally;
    this._minW=-texturex;
    //Min of coordinate vertically;
    this._minH= -textureY;
    //Max of coordinate horizontally;
    this._maxW=texturex;
    //Max of coordinate vertically;
    this._maxH=textureY;
    //The horizontal length of each segment;
    this._dw=width / segmentsW;
    //The vertical length of each segment;
    this._dh=height / segmentsH;;
    //the heights of all vertices
    this._heights=[[]];
    this._segmentsW=segmentsW;
    this._segmentsH=segmentsH;
    this.geomtery=geometry;
        this._maxHeight=10;
}
TerrainData.prototype.get_minW=function() {
    return this._minW;
}
TerrainData.prototype.get_minH=function() {
    return this._minH;
}
TerrainData.prototype.get_maxW=function() {
    return this._maxW;
}
TerrainData.prototype.get_maxH=function() {
    return this._maxH;
}
TerrainData.prototype.get_dw=function() {
```

```
    return this._dw;
}
TerrainData.prototype.get_dh=function() {
    return this._dh;
}
TerrainData.prototype.get_sw=function() {
    return this._segmentsW;
}
TerrainData.prototype.get_sh=function() {
    return this._segmentsH;
}
TerrainData.prototype.get_heights=function(il,j1) {
    return this.geomtery.getHeights(il,j1);
}
TerrainData.prototype.get_maxHeight=function(){
    return this._maxHeight;
}
```

The preceding class holds the complete information of the terrain, height, width, segment information, and also the depth of each segment. We pass the TerrainData object to the physics engine and the engine checks for collisions with the provided information.

Open Plane.js from primitive/game to see the use of the TerrainData object. We have added a new function, initializeRigidBody. The following is a code snippet from the Plane.js file:

```
Plane= inherit(StageObject, function (width, height,
    widthOfSegments, heightOfSegments,textureName,modifyHeight){
...
    this.geometry=new PlaneGeometry(width, height, widthOfSegments,
        heightOfSegments,this.modifyGeometry);
});
The preceding code initializes the geometry, and it PlaneGeometry
constructor initializes the heights[[]] array.
Plane.prototype.initializeRigidBody=function(){
    var pos=jigLib.Vector3DUtil.create( 0, 0,0,0 );
    var matrix3D = new jigLib.Matrix3D();
    matrix3D.appendRotation(0, jigLib.Vector3DUtil.X_AXIS);
    var terrain=new TerrainData(this.width,
        this.height,this.ws,this.wh,this.geometry);
    this.rigidBody=new jigLib.JTerrain(terrain);
    this.rigidBody.moveTo(pos);
    this.rigidBody.setOrientation(matrix3D);
}
```

The preceding code initializes the TerrainData object with the same properties that we initialized the geometry with (new TerrainData(this.width, this. height, this.ws, this.wh, this.geometry) ;). Then, we create a new jigLib. JTerrain (terrain) ; object and assign it to the rigidBody object.

Now, when you run 07-Terrain-Physics-Modified.html in your browser and you fire bullets or drop grenades on the bump, you will find that it is an active physics static object.

## Implementing height maps

Our implementation to modify geometry is very simple (Plane.prototype. modifyGeometry), we just check the value of $x$ and $y$ and return a hard coded value of $z$, but this not how most implementations work. Our geometry can be modified using the following code snippet:

```
Plane.prototype.modifyGeometry=function (x,y) {
    else if((x>=100&&&x<150)&&(y>=100&&y<150)){
        return 20;
    }
}
```

The correct implementation is using height maps. A height map is a simple 2D grayscale image as shown in the following image. The image has shades of gray, one base color with light and dark areas. The dark areas denote heights and lighter areas denote dips:


The height map is not the same size as the terrain; however, we can always map a coordinate of the terrain to the height map:
$x$ coordinate on the height map $=$ width HM/ width Terrain * $x$ value terrain
y coordinate on the height map = height HM/ height Terrain * y value terrain After we get the corresponding coordinate on the height map, we can calculate the height at a location by retrieving the color value on the coordinate and multiplying it with the maximum height difference of the terrain:

$$
\begin{aligned}
\text { Height at a coordinate }=\underset{\text { (max_height-min_height) }}{\min } \text { (meight }+(\text { color value } /(\text { max_color }- \text { min_color }))
\end{aligned}
$$

So, you can modify the modifyGeometry code to read the height map and return the $z$ value for a particular segment.

## Summary

Realistic games are impossible to create without physics engines. This chapter introduced you to the most exciting areas in game development using WebGL and physics. We started our journey by creating terrain geometry and finished it by making the geometry an active physics static rigid body. We also covered how a physics engine is decoupled from the rendering code and demonstrated how 3D graphics objects are linked to the physics object. The concepts such as collisions, forces, and impulse are in the core of each game.

We used JigLib as a reference library to implement physics in our game.
In the next chapter, we will introduce you to your enemy Mr. Green and animate his body using bones and joints.

## Skinning and Animations

Our world in 5000 AD is incomplete without our mutated human being Mr. Green. Our Mr. Green is a rigged model, exported from Blender. All famous 3D games from Counter Strike to World of Warcraft use skinned models to give the most impressive real world model animations and kinematics. Hence, our learning has to now evolve to load Mr. Green and add the same quality of animation in our game.

We will start our study of character animation by discussing the skeleton, which is the base of the character animation, upon which a body and its motion is built. Then, we will learn about skinning, how the bones of the skeleton are attached to the vertices, and then understand its animations. In this chapter, we will cover:

- Basics of a character's skeleton
- Basics of skinning
- Loading a rigged JSON model
- Animating a rigged JSON model
- Exporting models from 3D software in JSON


## Understanding the basics of a character's skeleton

A character's skeleton is a posable framework of bones. These bones are connected by articulated joints, arranged in a hierarchical data structure. The skeleton is generally rendered and is used as an invisible armature to position and orient a character's skin.

The joints are used for relative movement within the skeleton. They are represented by a $4 \times 4$ linear transformation matrices (combination of rotation, translation, and scale). The character skeleton is set up using only simple rotational joints as they are sufficient to model the joints of real animals.

Every joint has limited degrees of freedom (DOFs). DOFs are the possible ranges of motion of an object. For instance, an elbow joint has one rotational DOF and a shoulder joint has three DOFs, as the shoulder can rotate along three perpendicular axes. Individual joints usually have one to six DOFs. Refer to the link http:// en.wikipedia.org/wiki/Six_degrees_of_freedom to understand different degrees of freedom.

A joint local matrix is constructed for each joint. This matrix defines the position and orientation of each joint and is relative to the joint above it in the hierarchy. The local matrices are used to compute the world space matrices of the joint, using the process of forward kinematics. The world space matrix is used to render the attached geometry and is also used for collision detection.

The digital character skeleton is analogous to the real-world skeleton of vertebrates. However, the bones of our digital human character do have to correspond to the actual bones. It will depend on the level of detail of the character you require. For example, you may or may not require cheek bones to animate facial expressions.

Skeletons are not just used to animate vertebrates but also mechanical parts such as doors or wheels.

## Comprehending the joint hierarchy

The topology of a skeleton is a tree or an open-directed graph. The joints are connected up in a hierarchical fashion to the selected root joint. The root joint has no parent of itself and is presented in the model JSON file with the parent value of -1 . All skeletons are kept as open trees without any closed loops. This restriction though does not prevent kinematic loops.

Each node of the tree represents a joint, also called bones. We use both terms interchangeably. For example, the shoulder is a joint, and the upper arm is a bone, but the transformation matrix of both objects is same. So mathematically, we would represent it as a single component with three DOFs. The amount of rotation of the shoulder joint will be reflected by the upper arm's bone.

The following figure shows simple robotic bone hierarchy:


## Understanding forward kinematics

Kinematics is a mathematical description of a motion without the underlying physical forces. Kinematics describes the position, velocity, and acceleration of an object. We use kinematics to calculate the position of an individual bone of the skeleton structure (skeleton pose). Hence, we will limit our study to position and orientation. The skeleton is purely a kinematic structure. Forward kinematics is used to compute the world space matrix of each bone from its DOF value. Inverse kinematics is used to calculate the DOF values from the position of the bone in the world.

Let's dive a little deeper into forward kinematics and study a simple case of bone hierarchy that starts from the shoulder, moves to the elbow, finally to the wrist. Each bone/joint has a local transformation matrix, this.modelMatrix. This local matrix is calculated from the bone's position and rotation. Let's say the model matrices of the wrist, elbow, and shoulder are this.modelMatrix wrist this.modelMatrix elbow $^{\prime}$ and this.modelMatrix shoulder respectively. The world matrix is the transformation matrix that will be used by shaders as the model matrix, as it denotes the position and rotation in world space.

The world matrix for a wrist will be:

$$
\text { this.worldMatrix }_{\text {wrist }}=\text { this.worldMatrix }_{\text {elbow }}{ }^{*} \text { this.modelMatrix } \text { wrist }
$$

The world matrix for an elbow will be:

$$
\text { this.worldMatrix }_{\text {elbow }}=\text { this.worldMatrix } \text { shoulder }{ }^{*} \text { this.modelMatrix } \text { elbow }
$$

If you look at the preceding equations, you will realize that to calculate the exact location of a wrist in the world space, we need to calculate the position of the elbow in the world space first. To calculate the position of the elbow, we first need to calculate the position of shoulder. We need to calculate the world space coordinate of the parent first in order to calculate that of its children. Hence, we use depth-first tree traversal to traverse the complete skeleton tree starting from its root node.


A depth-first traversal begins by calculating modelmatrix of the root node and traverses down through each of its children. A child node is visited and subsequently all of its children are traversed. After all the children are visited, the control is transferred to the parent of modelmatrix. We calculate the world matrix by concatenating the joint parent's world matrix and its local matrix. The computation of calculating a local matrix from DOF and then its world matrix from the parent's world matrix is defined as forward kinematics.

Let's now define some important terms that we will often use:

- Joint DOFs: A movable joint movement can generally be described by six DOFs (three for position and rotation each). DOF is a general term:

```
this.position = vec3.fromValues(x, y, z);
this.quaternion = quat.fromValues(x, y, z, w) ;
this.scale = vec3.fromValues(1, 1, 1);
```

We use quaternion rotations to store rotational transformations to avoid issues such as gimbal lock, as explained in Chapter 5, Camera and User Interaction. The quaternion holds the DOF values for rotation around the $x, y$, and $z$ values.

- Joint offset: Joints have a fixed offset position in the parent node's space. When we skin a joint, we change the position of each joint to match the mesh. This new fixed position acts as a pivot point for the joint movement. The pivot point of an elbow is at a fixed location relative to the shoulder joint. This position is denoted by a vector position in the joint local matrix and is stored in $m 31, m 32$, and $m 33$ indices of the matrix. The offset matrix also holds initial rotational values.


## Understanding the basics of skinning

The process of attaching a renderable skin to its articulated skeleton is called skinning. There are many skinning algorithms depending on the complexity of the task. However, for gaming, the most common algorithm is smooth skinning. Smooth skinning is also known as multi-matrix skinning, blended skinning, or linear blend skinning.

## Simple skinning

Binding is a term common in skinning. It refers to the initial assignment of vertices of a mesh to underlying joints and then assigning the relevant information to the vertices. By using simple skinning, we attach every vertex in our mesh to exactly one joint. When we change the orientation of any joint in the skeleton, or in other words, when the skeleton is posed, the vertices are transformed using the joint's world matrix. Hence, if the vertex is attached to a single joint, then it is transformed using the equation $v^{\prime}=v$. mjoint of the world space matrix.

Simple skinning is not adequate for complex models. It defines that a vertex is attached to exactly one joint. For example, a vertex at the elbow of your articulated arm is affected by two bones, the lower arm and the upper arm. The transformation of that vertex should be affected by the joint matrices of both bones.

## Smooth skinning

Smooth skinning is an extension of simple skinning. We can attach a vertex with more than one joint. Each attachment with a joint will be provided by a weight value. The key point is that the sum total of all weights affecting a vertex is 1 as shown in the following formula:
$\sum \mathrm{w}_{\mathrm{i}}=1, \mathrm{w}_{1}+\mathrm{w}_{2}+\mathrm{w}_{3}+\mathrm{w}_{4} \ldots \ldots \mathrm{w}_{\mathrm{n}}=1$

The final vertex's transformed position is the weighted average of the initial vertex position transformed by each of the attached joints. However, before deriving the formula for the vertex position, let's first understand the concept of the binding matrix. The $B_{i}$ matrix for the $i$ joint is a matrix of the transformation of the coordinate joint local space to skin local space. To transform a point from skin local space to joint local space, we use $\mathrm{B}^{-1}{ }_{\mathrm{i}}$, the inverse of the binding matrix.

## The binding matrix

Although, the binding matrix is a simple concept, sometimes it baffles the most intelligent of the minds. When we draw a mesh, each vertex is provided with a position relative to the model's center. It is like the model is centered at the origin of our world. During modeling, we create the skeleton along with the skin, each bone/joint at this point has a zero DOF value, we call this pose a zero pose. However, during the skinning process, we change the position of each joint to match the mesh. This pose is called the binding pose. Note that we change the DOF (position and angles) of each joint to match the vertices. The initial DOF values of the binding pose for each joint form the binding matrix or we can say, the initial joint matrix. This matrix is used to transform any position from joint local space to skin local space. Remember that each vertex is defined in skin local space. Hence, to transform a coordinate from skin local space to joint local space, we use inverse joint matrix $\mathrm{B}^{-1}{ }_{\mathrm{i}}$.

During animation, we change DOF values (position and rotations) of a joint, but these values are in joint local space. Hence, the final vertex is transformed using $\mathrm{M}_{\mathrm{i}}=\mathrm{B}^{-1} \mathrm{~W}_{\mathrm{i}}$ where $\mathrm{W}_{\mathrm{i}}$ is the joint matrix in the world space. Hence first, we transform a vertex from skin local space to joint local space and then, we transform it using the joint's world space matrix. For a pose or animation frame, we calculate the $M_{i}$ for all joints and then pass this final transformation matrix as a uniform to the shader so that we do not have to recalculate it for other vertices in the same joint, as shown in the following code snippet:

```
// compute the offset between the current and the original transform.
mat4.mul(offsetMatrix,this.bones[ b ].skinMatrix,
this.boneInverses[ b ]);
```


## The final vertex transformation

The final vertex transformation is the weighted average of the initial vertex position transformed by each of the attached joints, $v^{\prime}=\sum w_{i}{ }^{*} v^{*} M_{i^{\prime}}$ where $M i=B^{-1}{ }_{i} W i$ and $w i$ are the weight value of a joint for vertex.

In most cases, a vertex is shared between two bones and maximum of four bones. Hence for simplicity, our code only handles skinned models whose vertices are shared with a maximum of two joints.

```
vec4 skinVertex = vec4(aVertexPosition, 1.0);
vec4 skinned = boneMatX * skinVertex * skinWeight.x;
    skinned += boneMatY * skinVertex * skinWeight.y;
```

In the preceding code, bonemat $X$ is the offset matrix for bone $X$ with its contributing weight in skinWeight. $x$, and boneMaty is an offset matrix of the second bone with its contributing weight in skinweight. $y$.

The transformation computation is performed in the vertex shader.

## The final normal transformation

We would also need to transform our vertex normals as lighting calculation uses vertex normals. The normals are treated in a similar fashion to vertices, but as normals only specify direction and not position and are of unit length, we first calculate the weighted average and then multiply the normal with skinMatrix to avoid one extra multiplication step, as shown in the following code snippet:

```
mat4 skinMatrix = skinWeight.x * boneMatX;
skinMatrix += skinWeight.y * boneMatY;
vec4 skinnedNormal = skinMatrix * vec4( aVertexNormal, 0.0);
transformedNormal = vec3(nMatrix * skinnedNormal);
```


## Loading a rigged JSON model

We will first understand how the bone DOFs and skinning information is encoded in the three.js JSON file format (Version 3.1). Then we will modify our code to load the data. The JSON file is exported from Blender. We will learn how to export the JSON file in the Exporting models from 3D software in JSON section.

## Understanding JSON file encoding

The JSON file contains bone DOF values and their corresponding skinning information. Open model/obj/mrgreen.json in your favorite text editor. The file has now four new arrays: bones, skinIndices, skinweights, and animation. We will discuss the animation array in the Animating a rigged JSON model section.

The bones array contains the DOF information. It holds the binding matrix and its parent's information, as shown in the following code:

```
"bones" : [{"parent":-1, "name":"Back", "pos":[0.000000, -0.123622,
-0.149781], "rotq":[0,0,0,1]}, {}, {}.......];
```

Each element of the bones array holds the following four elements:

- parent: This element holds the hierarchical information of the skeleton. Each bone holds its parent's index. The root bone has a parent index of -1 , denoting it does not have any parent.
- name: This element holds the name of the bone.
- pos: This element is a vector and holds the position of each bone with respect to its parent.
- rotq: Each bone's rotation is expressed as a quaternion rotation $(x, y, z$, and $w$ ) with respect to its parent. Chapter 5, Camera and User Interaction, has a description of quaternion rotations.

For each $\operatorname{vertex}(x, y, z, x 1, y 1$, and $z 1)$ in the vertices array, there are two values defined in the skinIndices ( $a, b, a 1$, and $b 1$ ) and skinWeights ( $a, b, a 1$, and $b 1$ ) arrays. We had discussed earlier in the Understanding the basics of skinning section that we will use a smooth skinning algorithm to store weights and skinning information. The three.js JSON model (https://github.com/mrdoob/three.js/wiki/JSON-Model-format-3.1) allows only two attached bones per vertex. Hence for each vertex, we will have two corresponding skinIndices and skinweights defined. Although a vertex may be associated with more than two bones, it is not advisable or even not required in gaming. It would rarely happen that a vertex is affected by three bones simultaneously. The skinIndices array holds the index of the bone in the bones array.

```
vertices: [x,y,z,x1,y1, z1, x2,y2,z2............xn,yn,zn] ;
skinIndices: [a,b,a1,b1,a2,b2..........an,bn] ;
skinWeights: [z,w, z1,w1,z2,w2........zn,wn];
bones: []
```

The preceding arrays denote the following:

- The vertices $x, y$, and $z$ are attached to the bones[a] and bones[b] with weights z and w .
- The vertices $\mathrm{x} 1, \mathrm{y} 1$, and z 1 are attached to the bones[a1] and bones[b1] with weights $z 1$ and $w 1$.
- The vertices $\times 2, y 2$, and $z 2$ are attached to the bones[a2] and bones[b2] with weights $z 2$ and $w 2$.

A vertex might be associated with a single bone, but we will still have two skin indices ( a and b ) and two skin weights ( z and w ) associated with it. In this case, one of the skin weights ( z and w ) will be 1 and the other would be 0 , denoting that only one of the bones will affect the vertex.

## Loading the rigged model

We will first modify our parsing algorithm to accommodate our newly discovered arrays.

## Open primitive/parseJSON.js in your favorite text editor. We have added a new parseSkin function as follows:

```
function parseSkin(data, geometry) {
    var i, l, x, y, z, w, a, b, c, d;
    if ( data.skinWeights ) {
        for ( i = 0, l = data.skinWeights.length; i < l; i += 2 ) {
            x = data.skinWeights[ i ] ;
            Y = data.skinWeights[ i + 1 ];
            z = 0;
            w = 0;
            geometry.skinWeights.push(x) ;
            geometry.skinWeights.push(y) ;
            geometry.skinWeights.push(z) ;
            geometry.skinWeights.push(w) ;
        }
    }
    if ( data.skinIndices ) {
        for ( i = 0, l = data.skinIndices.length; i < l; i += 2 ) {
            a = data.skinIndices[ i ] ;
            b = data.skinIndices[ i + 1 ];
            c = 0;
            d = 0;
            geometry.skinIndices.push(a);
            geometry.skinIndices.push(b);
            geometry.skinIndices.push(c);
            geometry.skinIndices.push(d);
        }
    }
    geometry.bones = data.bones;
    geometry.animation = data.animation;
}
```

The function simply iterates over the skinIndices and skinWeights arrays in our data object and stores the four values for each vertex in the corresponding geometry arrays. Note that although our JSON array has two bones per vertex, we still store four values (the last two values as zero, $\{c=0 ; d=0 ;\}$ ), so that our geometry class can handle data with two to four bones per vertex.

We also save the data for bones and animation information in the geometry object.

## Enhancing the StageObject class

Our StageObject class had two shortcomings:

- It did not have any provision to handle child objects or tree hierarchy.
- We used the rotation matrix but we know that our bone object in the bones array uses quaternion rotations.

The following code shows the earlier use of modelmatrix to store rotations in the $x, y$, and $z$ axes:

```
StageObject.prototype.update=function(steps) {
    mat4.identity(this.modelMatrix);
    mat4.translate(this.modelMatrix, this.modelMatrix,
        this.location);
    mat4.rotateX(this.modelMatrix, this.modelMatrix,
        this.rotationX) ;
    mat4.rotateY(this.modelMatrix, this.modelMatrix,
        this.rotationY);
    mat4.rotateZ(this.modelMatrix, this.modelMatrix,
        this.rotationZ);
}
```

Let's walk through the changes we have made to overcome the shortcomings. Open primitive/StageObject.js in your editor, and take a look at the following code:

```
StageObject=function() {
...
    this.parent = undefined;
    this.children = [];
    this.up = vec3.fromValues( 0, 1, 0 );
    this.position = vec3.create();
    this.quaternion = quat.create();
    this.scale = vec3.fromValues(1,1,1 );
    this.matrixWorld = mat4.create();
```

```
    this.matrixAutoUpdate = true;
    this.matrixWorldNeedsUpdate = true;
    this.visible = true;
};
```

First, we added a few variables such as quaternion to hold the rotation DOF, location has been renamed to position, and new variables, scale and matrixWorld, have been added. If stageObject is the child object, then the final matrix, worldMatrix, is the concatenation of its parent, matrixWorld, and modelMatrix.

The parent object and the children array have been added to hold the parent and children information.

Two new variables, matrixAutoUpdate and matrixWorldNeedsUpdate, have been added to reduce the possible computation time. Basically in our previous code packets, we were calculating modelMatrix of each StageObject on every animation frame. However, now, we will only calculate the matrices if any of the DOFs (scale, quaternion, and position) change. On any DOF update, we will set the matrixAutoUpdate and matrixWorldNeedsUpdate values to false, then only modelMatrix and matrixWorld will be recalculated.

```
StageObject.prototype.rotate=function(radianX,radianY,radianZ) {
    quat.rotateX(this.quaternion,this.quaternion,radianX);
        quat.rotateY(this.quaternion,this.quaternion,radianY);
        quat.rotateZ(this.quaternion,this.quaternion,radianZ);
    }
    StageObject.prototype.setRotationFromAxisAngle=function ( axis,
angle) {
    // assumes axis is normalized
    quat.setAxisAngle(this.quaternion, axis, angle );
    }
    StageObject.prototype.setRotationFromMatrix= function ( m ) {
        // assumes the upper 3 x 3 of m is a pure rotation matrix
        (that is, unscaled)
        quat.fromMat3(this.quaternion, m );
    }
    StageObject.prototype.setRotationFromQuaternion=function ( q ) {
        // assumes q is normalized
        this.quaternion=quat.clone( q );
    }
    StageObject.prototype.rotateOnAxis= function(axis, angle) {
        // rotate object on axis in object space
        // axis is assumed to be normalized
        quat.setAxisAngle(this.quaternion, axis, angle );
    }
```

```
StageObject.prototype.rotateX= function (angle) {
    var v1 = vec3.fromValues( 1, 0, 0 );
        return this.rotateOnAxis( v1, angle );
}
StageObject.prototype.rotateY= function (angle) {
    var v1 = vec3.fromValues( 0, 1, 0 );
        return this.rotateOnAxis( v1, angle );
}
StageObject.prototype.rotateZ=function (angle) {
    var v1 = vec3.fromValues( 0, 0, 1 );
        return this.rotateOnAxis( v1, angle );
}
```

The preceding set of functions either initializes the quaternion or simply updates it with new values. The implementation of the preceding functions uses the quat class of the glmatrix library.

```
StageObject.prototype.translateOnAxis= function (axis, distance) {
    // translate object by distance along axis in object space
    // axis is assumed to be normalized
    var v1 = vec3.create();
    vec3.copy(v1, axis );
    vec3.transformQuat(v1, v1, this.quaternion);
    vec3.scale(v1, v1, distance);
    vec3.add(this.position, this.position, v1);
    return this;
}
StageObject.prototype.translateX= function () {
    var v1 = vec3.fromValues( 1, 0, 0 );
    return function ( distance ) {
        return this.translateOnAxis( v1, distance );
    };
}();
StageObject.prototype.translateY= function () {
    var v1 = vec3.fromValues( 0, 1, 0 );
    return function ( distance ) {
        return this.translateOnAxis( v1, distance );
    };
}();
StageObject.prototype.translateZ= function () {
    var v1 = vec3.fromValues( 0, 0, 1 );
    return function ( distance ) {
        return this.translateOnAxis( v1, distance );
    };
}();
```

The preceding set of functions translates StageObject along the given axis. The key function is translateOnAxis, and all other functions are dependent on it.

```
StageObject.prototype.localToWorld= function ( vector ) {
    var v1=vec3.create();
    vec3.transformQuat(v1,vector,this.matrixWorld );
    return v1;
};
StageObject.prototype.worldToLocal= function () {
    var m1 = mat4.create();
    return function ( vector ) {
        mat4.invert(ml,this.matrixWorld);
        var v1=vec3.create();
        vec3.transformQuat(v1,vector,m1 );
        return v1;
    };
}();
```

The preceding functions transform any vector from the world space to the object's local space and vice versa.

```
StageObject.prototype.add=function ( object ) {
    if ( object === this ) {
        return;
    }
    if ( object.parent !== undefined ) {
        object.parent.remove( object );
    }
    object.parent = this;
    //object.dispatchEvent( { type: 'added' } );
    this.children.push( object );
    // add to scene
};
StageObject.prototype.remove= function ( object ) {
    var index = this.children.indexOf( object );
    if ( index !== - 1 ) {
        object.parent = undefined;
        //object.dispatchEvent( { type: 'removed' } );
        this.children.splice( index, 1 );
    }
}
```

The add function pushes the object on its children array and sets its parent value to itself after verifying that the child object maintains an open-graph structure. It first checks if the object has a parent and then it removes the object from its parent's list by invoking the remove function of its parent.

The remove function unsets the parent of the object and deletes it from its children array.

```
StageObject.prototype.traverse= function ( callback ) {
    callback( this );
    for ( var i = 0, l = this.children.length; i < l; i ++ ) {
        this.children[ i ].traverse( callback );
    }
}
StageObject.prototype.getObjectById=function ( id, recursive ) {
    for ( var i = 0, l = this.children.length; i < l; i ++ ) {
        var child = this.children[ i ];
        if ( child.id === id ) {
            return child;
        }
        if ( recursive === true ) {
            child = child.getObjectById( id, recursive );
            if ( child !== undefined ) {
                return child;
            }
        }
    }
    return undefined;
}
StageObject.prototype.getObjectByName=
    function ( name, recursive ) {
    for ( var i = 0, l = this.children.length; i < l; i ++ ) {
        var child = this.children[ i ];
        if ( child.name === name ) {
            return child;
        }
        if ( recursive === true ) {
            child = child.getObjectByName( name, recursive );
            if ( child !== undefined ) {
                return child;
            }
        }
    }
    return undefined;
}
StageObject.prototype.getChildByName=
    function ( name, recursive ) {
```

```
    return this.getObjectByName( name, recursive );
}
StageObject.prototype.getDescendants=function ( array ) {
    if ( array === undefined ) array = [] ;
    Array.prototype.push.apply( array, this.children );
    for ( var i = 0, l = this.children.length; i < l; i ++ ) {
        this.children[ i ].getDescendants( array );
    }
    return array;
}
```

We have also added traversal functions to locate the child objects either by ID or by name. The key function is traverse; it calls itself recursively followed by the depth-first search algorithm.

```
StageObject.prototype.updateMatrix=function () {
    mat4.identity(this.modelMatrix);
    mat4.fromQuat(this.modelMatrix,this.quaternion);
    mat4.scale(this.modelMatrix,this.modelMatrix,this.scale);
    this.modelMatrix[12]=this.position[0] ;
    this.modelMatrix[13]=this.position[1] ;
    this.modelMatrix[14]=this.position[2] ;
    this.matrixWorldNeedsUpdate = true;
}
```

The preceding function is the most significant change we have done from the previous code. Earlier, we were using rotational matrices to compute the object's transformation matrix, but now we are using the quaternion to calculate the model matrix (mat4.fromQuat (this.modelMatrix, this.quaternion)). Then, we apply shear transformation and scale our object with the provided scale vector. Then we simply place the position vector in $m 31, m 32$, and $m 33$ of our transformation matrix.

```
StageObject.prototype.updateMatrixWorld=function ( force ) {
    if ( this.matrixAutoUpdate === true ) this.updateMatrix();
    if ( this.matrixWorldNeedsUpdate === true || force === true ) {
        if ( this.parent === undefined ) {
            this.matrixWorld.copy( this.modelMatrix );
        } else {
        mat4.mul(this.matrixWorld, this.parent.matrixWorld,
            this.modelMatrix);
        }
        this.matrixWorldNeedsUpdate = false;
        force = true;
    }
    // update children
    for ( var i = 0, l = this.children.length; i < l; i++ ) {
        this.children[ i ].updateMatrixWorld( force );
```

Skinning and Animations

```
    }
}
StageObject.prototype.update=function(steps) {
    this.updateMatrixWorld();
}
```

Another interesting function is the updateMatrixWorld function. It first invokes updateMatrix; if matrixAutoUpdate is true, the function then checks for the value of parent. If parent is not defined, then modelMatrix is copied to matrixWorld; otherwise, matrixWorld for that object is computed by concatenating the parent's matrixWorld matrix and the object's modelMatrix (mat4.mul (this. matrixWorld, this.parent.matrixWorld, this.modelMatrix)). Then, we iterate over all the children of the object to compute their new world matrix. We have also updated our update function. It invokes updateMatrixWorld when it is invoked from our main control code.

## Implementing the bone class

Though the bones are never rendered, we will treat them as stage objects, as all the transformations applied to stage objects are applied to the bones too. We do not add them to our stage but we surely inherit the stageobject class to achieve the desired functionality. Open primitive/Bone.js in your editor and examine the following code snippet:

```
Bone= inherit(StageObject, function (belongsToSkin ) {
    superc(this);
    var d = new Date();
    this.id ="id-"+d.getTime();
    this.skin = belongsToSkin;
    this.skinMatrix = mat4.create();
});
```

The Bone class inherits StageObject and has all its properties. We have added two more variables to the class, skin and skinMatrix. The skin variable holds the reference to the Geometry class, where the bone belongs to. The skinMatrix variable is very similar to matrixWorld, but it holds the world space transformation of the bone. These variables are updated using the following function:

```
Bone.prototype.update=function ( parentSkinMatrix, forceUpdate ) {
    // update local
    if ( this.matrixAutoUpdate ) {
        forceUpdate |= this.updateMatrix();
    }
    // update skin matrix
    if ( forceUpdate || this.matrixWorldNeedsUpdate ) {
```

```
    if( parentSkinMatrix ) {
        mat4.mul(this.skinMatrix, parentSkinMatrix,
            this.modelMatrix);
        //console.log(parentSkinMatrix);
        } else {
        mat4.copy(this.skinMatrix,this.modelMatrix );
        }
        this.matrixWorldNeedsUpdate = false;
        forceUpdate = true;
    }
    // update children
    var child, i, l = this.children.length;
    for ( i = 0; i < l; i ++ ) {
        this.children[ i ].update( this.skinMatrix, forceUpdate );
    }
}
```

We have added a new update function to the Bone class. It takes the parent object's skin matrix and concatenates it to modelMatrix to compute a bone's skinMatrix ( mat4.mul(this.skinMatrix, parentSkinMatrix, this.modelMatrix)). Then, it invokes the update functions of all its child bones with its skinMatrix as a parameter.


The update function is very similar to the updateMatrixWorld function of the StageObject class, except that it uses a different variable, skinMatrix, and not matrixWorld. We did this to differentiate a bone from other renderable objects(StageObject) and their properties.

## Implementing the RiggedMesh class

The Riggedmesh class is where the complete magic happens. It is a renderable object that inherits StageObject but has its children array populated with bones initialized from the JSON file.

Open primitive/RiggedMesh.js in your favorite editor.

```
RiggedMesh= inherit(StageObject, function (geometry) {
    superc(this);
    this.identityMatrix = mat4.create();
    this.bones = [];
    this.boneMatrices = [];
    this.skinIndexBuffer=null;
    this.skinWeightBuffer=null;
});
```

The Riggedmesh class has four new variables defined as follows:

- this.bones []: This array holds all the bone objects for that mesh.
- this.boneMatrices []: This array holds the transformation matrix of all bones flattened into a common array. For example, elements 0 to 15 will hold the transformation matrix of bone 0 , elements 16 to 31 will hold the transformation matrix of bone 1 , and so on.
- this.skinIndexBuffer: This variable holds the reference to the Vertex Buffer Object, which stores the skinIndices data.
- this.skinWeightBuffer: This variable holds the reference to the vertex buffer object, which stores the skinWeights data.

The loadObject function of the Riggedmesh class is defined as follows:

```
RiggedMesh.prototype.loadObject= function (data) {
...
    this.geometry=parseJSON(data);
    parseSkin(data,this.geometry);
...
...
    var b, bone, gbone, p, q, s;
    if ( this.geometry && this.geometry.bones !== undefined ) {
        for ( b = 0; b < this.geometry.bones.length; b ++ ) {
            gbone = this.geometry.bones[ b ];
            p = gbone.pos;
            q = gbone.rotq;
            s = gbone.scl;
            bone = this.addBone();
            bone.name = gbone.name;
            bone.position=vec3.fromValues( p[0], p[1], p[2] );
            bone.quaternion=quat.fromValues( q[0], q[1], q[2], q[3] );
            if ( s !== undefined ) {
                bone.scale=vec3.fromValues( s[0], s[1], s[2] );
            } else {
                bone.scale=vec3.fromValues( 1, 1, 1 );
            }
        }
        for ( b = 0; b < this.bones.length; b ++ ) {
            gbone = this.geometry.bones[ b ];
            bone = this.bones[ b ];
            if ( gbone.parent === -1 ) {
                this.add( bone );
            } else {
                this.bones[ gbone.parent ].add( bone );
```

```
        }
        }
        //
        var nBones = this.bones.length;
        this.boneMatrices = new Float32Array( 16 * nBones );
        this.pose();
    }
}
```

The loadobject function overrides the StageObject class' loadObject function. It does everything that StageObject does, such as it invokes parseJSON and it initializes materials. It also parses the skin and populates the geometry with the skinIndices and skinWeights data.

Then, it iterates over the bones array and initializes a bone object for each element of the array. It reads the position, quaternion and scale values from the bones array element and adds the newly created bone object to the bones array.

Then, it creates the tree hierarchy. It iterates over all bone elements and if the value of parent of the bone is -1 , it adds the bone as its child element; otherwise, it adds the bone to the corresponding bone's parent, (this.bones [ gbone. parent ].add ( bone ) ; ). The parent attribute of the bone element holds the indices of the bone. Hence, we first retrieve the parent bone object by using the this.bones [ gbone. parent] code and then add the bone to its parent.

It invokes the this.pose () function after initializing the bone objects, which in turn invokes updateMatrixWorld, which creates the initial world space matrix for each bone. The createBuffers function is defined as follows:

```
RiggedMesh.prototype.createBuffers=function(gl) {
    this.skinIndexBuffer = gl.createBuffer();
    gl.bindBuffer(gl.ARRAY_BUFFER, this.skinIndexBuffer);
    gl.bufferData(gl.ARRAY_BUFFER,
        new Float32Array(this.geometry.skinIndices), gl.STATIC_DRAW);
    this.skinIndexBuffer.itemSize = 4;
    this.skinIndexBuffer.numItems =
        this.geometry.skinIndices.length/4;
    this.skinWeightBuffer = gl.createBuffer();
    gl.bindBuffer(gl.ARRAY_BUFFER, this.skinWeightBuffer);
    gl.bufferData(gl.ARRAY_BUFFER, new
        Float32Array(this.geometry.skinWeights), gl.STATIC_DRAW);
    this.skinWeightBuffer.itemSize = 4;
    this.skinWeightBuffer.numItems =
        this.geometry.skinWeights.length/4;
}
```

The preceding function initializes the vertex buffer objects for skinIndices and skinWeights. It then loads the data in the GPU memory using the ESSL function, gl. bufferData. The addBone function is defined as follows:

```
RiggedMesh.prototype.addBone = function( bone ) {
    if ( bone === undefined ) {
        bone = new Bone( this );
    }
    this.bones.push( bone );
    return bone;
};
RiggedMesh.prototype.updateMatrixWorld = function () {
    var offsetMatrix = mat4.create();
    return function ( force ) {
        this.matrixAutoUpdate && this.updateMatrix();
        // update matrixWorld
            if ( this.matrixWorldNeedsUpdate || force ) {
            if ( this.parent ) {
                mat4.mul( this.matrixWorld,this.parent.matrixWorld,
                    this.modelMatrix );
            } else {
            mat4.copy(this.matrixWorld,this.modelMatrix );
            }
            this.matrixWorldNeedsUpdate = false;
            force = true;
        }
        // update children
        for ( var i = 0, len = this.children.length; i < len; i ++ ) {
            var child = this.children[ i ];
            if ( child instanceof Bone ) {
                child.update( this.identityMatrix, false );
            } else {
                child.updateMatrixWorld( true );
            }
        }
        // make a snapshot of the bones' rest position
        if ( this.boneInverses == undefined ) {
            this.boneInverses = [];
            for ( var b = 0, bl = this.bones.length; b < bl; b ++ ) {
                var inverse = mat4.create();
                mat4.invert(inverse, this.bones[ b ].skinMatrix );
                this.boneInverses.push( inverse );
            }
        }
```

```
        // flatten bone matrices to array
        for ( var b = 0, bl = this.bones.length; b < bl; b ++ ) {
            // compute the offset between the current and the original
                transform
            // was already representing the offset; however, this
                requires some
            // major changes to the animation system
            mat4.mul(offsetMatrix, this.bones[ b ].skinMatrix,
                this.boneInverses[ b ] );
            this.flattenToArrayOffset(offsetMatrix, this.boneMatrices,
                b * 16 );
        }
    };
}();
```

In the preceding code, UpdateWorldMatrix is the key function where all the computations happen. It performs the following steps:

1. It first computes its own modelmatrix and then updates its matrixWorld matrix (concatenates parentMatrix).
2. It iterates over the children array. If the child object is an instance of bone, then it invokes the update function to compute its skinMatrix. If the child object is an instance of StageObject, it invokes updateWorldMatrix of the child object to compute its matrixWorld matrix.

It then computes the offset matrix for each bone in the array. When the object of RiggedMesh is first initialized and updateWorldMatrix is invoked, it checks whether the bone Inverses array is created. If they don't exist, it computes the inverse of each bone's skinMatrix and stores it in the boneInverses array. The bone's initial matrix is the binding matrix. This initial call stores the inverse binding matrix. Then in subsequent calls of updateWorldMatrix, it does not calculate the boneInverses array (discussed in the The binding matrix section of this chapter). The inverse binding matrix is only calculated once. It then computes offsetMatrix $=\mathrm{B}^{-1}{ }_{\mathrm{i}}{ }^{*}$ skinMatrix. While animating bones, skinMatrix will change each time, but the initial inverse binding matrix is calculated only once and stored in the boneInverse variable. When we load the 08-Loading-Skinned-Models.html page in a browser, the character model maintains its starting pose. This happens because the initial skin matrix is multiplied by its own inverse. Hence the offset matrix for each bone becomes an identity matrix, so no vertex is transformed. During animation, a vertex is transformed from the skin local space to joint local space, and then we transform it using the joint's skinMatrix.

We iterate over the bones array and store the offsetMatrices values of each bone in a single flat array, boneMatrices (this.flattenToArrayoffset (offsetMatrix, this.boneMatrices, b * 16 )). The flat array would look like:

```
boneMatrices[]=[bone11, bone12, bone13, bone14, bone21, bone22,
bone23,
    bone24, bone31, bone32, bon33, bone34, bone41, bone42, bone43,
bone44,
    bone111, bone112, bone113, bone114, bone121, bone122, bone123,
    bone124, bone131, bone132, bone133, bone134, bone141, bone142,
    bone143, bone144, bone211, bone212, bone213, bone214, bone221,
    bone222, bone223, bone224, bone331, bone332, bone333, bone334,
    bone341, bone342, bone343, bone344,
boneN11, boneN12, boneN13, boneN14, boneN21, boneN22, boneN23,
boneN24,
    boneN31, boneN32, boneN33, boneN34, boneN41, boneN42, boneN43,
    boneN44,]
```

The flattenToArrayOffset function takes offsetMatrix of each bone and the boneMatrices array and copies offsetMatrix at the location $b * 16$. The flattenToArrayOffset function is defined as follows:

```
RiggedMesh.prototype.flattenToArrayOffset=function(mat, flat, offset )
{
    var te = mat;
    flat[ offset ] = te[0];
    flat[ offset + 1 ] = te[1];
    flat[ offset + 2 ] = te[2];
    flat[ offset + 3 ] = te[3];
    flat[ offset + 4 ] = te[4];
    flat[ offset + 5 ] = te[5];
    flat[ offset + 6 ] = te[6];
    flat[ offset + 7 ] = te[7];
    flat[ offset + 8 ] = te[8];
    flat[ offset + 9 ] = te[9];
    flat[ offset + 10 ] = te[10];
    flat[ offset + 11 ] = te[11];
    flat[ offset + 12 ] = te[12];
    flat[ offset + 13 ] = te[13];
    flat[ offset + 14 ] = te[14];
    flat[ offset + 15 ] = te[15];
    return flat;
}
RiggedMesh.prototype.pose = function () {
    this.updateMatrixWorld( true );
    this.normalizeSkinWeights();
};
```

This pose function is invoked whenever the DOF value of any bone is modified. It is invoked from animation handlers and initially invoked from the RiggedMesh constructor. The normalizeSkinWeights function is defined as follows:

```
RiggedMesh.prototype.normalizeSkinWeights = function () {
    for ( var i = 0; i < this.geometry.skinIndices.length; i ++ ) {
        var sw = this.geometry.skinWeights[ i ];
        vec4.normalize(sw,sw);
    }
};
```

This another very important function makes sure that the sum of all weights for a vertex is equal to 1 . If you open model/obj/mrgreen. json, you will notice skinWeights=[1,1 .....]. This simply means that vertex one in the vertices array is equally affected by both the bones in the skinIndices array. However, we need to normalize it before we pass them to the vertex shader. The matrixWorld matrix is updated as follows:

```
RiggedMesh.prototype.update=function(steps) {
    this.updateMatrixWorld(true);
    this.updateMatrix();
}
```

The preceding update function simply updates the matrixworld. The final step of cloning is done as follows:

```
RiggedMesh.prototype.clone = function ( object ) {
    if ( object === undefined ) {
        object = new RiggedMesh( this.geometry );
    }
    return object;
};
```


## Loading the skinned model

Our base classes are ready. Now, let's move on to see them in action. We will need to modify our shaders to compute the vertex transformations. Open 08 -Loading-Skinned-Models.html in your favorite editor.

This vertex shader will now take four extra parameters, which are as follows:

- useSkinning: This is a booluniform value that determines whether the passed vertex uses skinning or not.
- boneGlobalMatrices: This is a mat4 uniform value that holds all the offset matrices, passed as a flattened array from the main control code.
- SkinIndex: This is a vec4attribute value that holds the indices of the offset matrices (boneGlobalMatrices) affecting the vertex in question.
- skinweight: This is a vec4attribute value that holds the weights of the corresponding bones in the skinIndices array affecting the vertex.

The vertex shader code for loading the skinned model is as follows:

```
<script id="shader-vs" type="x-shader/x-vertex">
    const int MAX_BONES = 100;
    attribute vec3 aVertexPosition;
    attribute vec3 aVertexNormal;
    uniform mat4 mVMatrix;
    uniform mat4 pMatrix;
    uniform mat4 nMatrix;
...
    uniform bool useSkinning;
    uniform mat4 boneGlobalMatrices[ MAX_BONES ];
    attribute vec4 skinIndex;
    attribute vec4 skinWeight;
    mat4 getBoneMatrix( const in float i ) {
    mat4 bone = boneGlobalMatrices[ int(i) ];
    return bone;
}
void main(void) {
    if(useSkinning) {
        mat4 boneMatX = getBoneMatrix( skinIndex.x );
        mat4 boneMatY = getBoneMatrix( skinIndex.y );
        vec4 skinVertex = vec4(aVertexPosition, 1.0);
        vec4 skinned = boneMatX * skinVertex * skinWeight.x;
        skinned += boneMatY * skinVertex * skinWeight.y;
        skinned=mVMatrix *skinned;
        vertexPos = skinned.xyz;
        gl_Position= pMatrix*skinned;
        mat4 skinMatrix = skinWeight.x * boneMatX;
        skinMatrix += skinWeight.y * boneMatY;
        vec4 skinnedNormal = skinMatrix * vec4( aVertexNormal, 0.0 );
        transformedNormal = vec3(nMatrix * skinnedNormal);
    }else{
        gl_Position= pMatrix *vertexPos4;
    }
}
</script>
```

The getBonematrix function takes the bone index as a parameter and returns the corresponding matrix, (mat4 bone = boneGlobalMatrices[ int(i) ];).

In the code, we first check whether the vertex of a geometry uses skinning and get the $X$ and $Y$ bone matrices corresponding to the skinIndex variables, $x$ and $y$ (mat4 boneMatX = getBoneMatrix ( skinIndex.x )). It then converts the vertex from vec3 to vec4 object and stores it in the skinIndex object (vec4 skinVertex $=$ vec4 (aVertexPosition, 1.0)). Then, it transforms the vertex with the corresponding matrices along with the weight (calculates the weighted average) and transforms the skinned vertex with mvMatrix.

```
vec4 skinned = boneMatX * skinVertex * skinWeight.x;
skinned += boneMatY * skinVertex * skinWeight.y;
skinned = mVMatrix * skinned;
gl_Position = pMatrix * skinned;
```

We then transform the normal using the same algorithm and multiply it with the normal vertex.

```
mat4 skinMatrix = skinWeight.x * boneMatX;
skinMatrix += skinWeight.y * boneMatY;
vec4 skinnedNormal = skinMatrix * vec4( aVertexNormal, 0.0 );
transformedNormal = vec3(nMatrix * skinnedNormal);
```

In a nutshell, we first transform the vertex and the normal with the bone offset matrix and follow our normal course of transforming them to the ModelView matrix (mvMatrix) and projection matrix (pMatrix).

The main control code for loading the skinned model has some functions explained as follows:

- The start function loads the JSON model with skinning and creates a RiggedMesh object instead of StageObject if the JSON object has the bones array defined in it.

```
function start() {
    ...
    loadStageObject("model/obj/mrgreen.json",[600.0, 40.0,
                0.0], 0.0, 0.0, 0.0);
    }
function loadStageObject(url, location, rotationX,
    rotationY, rotationZ) {
    else {
```

```
        if(data.bones) {
        stageObject=new RiggedMesh();
        }
        else{
        stageObject=new StageObject();
        }
    }
}
```

- The initShaders function accesses the attributes (skinIndex and skinWeight) and stores their references in the shaderProgram object.

```
function initShaders() {
...
    shaderProgram.skinIndex =
        gl.getAttribLocation(shaderProgram, "skinIndex");
    shaderProgram.skinWeight =
        gl.getAttribLocation(shaderProgram, "skinWeight");
    shaderProgram.useSkinning =
        gl.getUniformLocation(shaderProgram, "useSkinning");
    shaderProgram.boneGlobalMatrices =
        gl.getUniformLocation(shaderProgram,
        "boneGlobalMatrices");
}
```

- The drawScene function iterates over visible stage objects and checks whether the instance is of the RiggedMesh type. If it is valid, it enables the skinIndex and skinWeight attributes ( gl .enableVertexAttribArray (sha derProgram.skinIndex) ), activates the buffer objects (gl.bindBuffer (gl. ARRAY_BUFFER, stage.stageObjects[i].skinIndexBuffer)), and assigns their memory buffers to their corresponding attributes ( gl. vertexAttribpo inter (shaderProgram.skinIndex, 4, gl.fLOAT, false, 0, 0)). Then, it also assigns the offset bone matrices to the uniform boneGlobalMatrices (gl.uniformMatrix4fv( shaderProgram.boneGlobalMatrices, false, stage.stageObjects[i].boneMatrices )). Note that we assign boneMatrices as matrices of floats.

```
If the object is not of the RiggedMesh type, we disable the attributes
(gl.disableVertexAttribArray(shaderProgram.skinIndex)).
function drawScene() {
    if(stage.stageObjects[i] instanceof RiggedMesh) {
        gl.uniform1i(shaderProgram.useSkinning,1);
        gl.enableVertexAttribArray(shaderProgram.skinIndex);
        gl.enableVertexAttribArray(shaderProgram.skinWeight);
        gl.uniformMatrix4fv( shaderProgram.boneGlobalMatrices,
            false, stage.stageObjects[i].boneMatrices );
        gl.bindBuffer(gl.ARRAY_BUFFER,
            stage.stageObjects[i].skinIndexBuffer);
        gl.vertexAttribPointer(shaderProgram.skinIndex, 4,
            gl.FLOAT, false, 0, 0);
        gl.bindBuffer(gl.ARRAY_BUFFER,
            stage.stageObjects[i].skinWeightBuffer);
        gl.vertexAttribPointer(shaderProgram.skinWeight, 4,
            gl.FLOAT, false, 0, 0);
    } else {
        gl.disableVertexAttribArray(shaderProgram.skinIndex);
        gl.disableVertexAttribArray(shaderProgram.skinWeight);
        gl.uniform1i(shaderProgram.useSkinning,0);
    }
}
```


## Animating a rigged JSON model

Well, we did not take much effort to load a static model, rather we took more effort to animate the model. Hence, let's first understand how animation data is encoded in a JSON file.

## JSON model - animation data

Open model/obj/mrgreen.json in your text editor. In the file, you will find an element animation. When the file is viewed in any JSON viewer, you will see name, fps , length, and hierarchy as the animation object's child elements. To understand our JSON file, we used an online viewer (http://jsonviewer.stack.hu/). We loaded our JSON file in the viewer as shown in the following screenshot:


The other child elements are obvious but the most interesting element is hierarchy. The hierarchy element is an array; the length of this array is equal to the length of bones. Each array element has animation data for the corresponding bone index. The hierarchy array element holds the keyframes (keys) element, which holds DOF (position, rotation, and scale) values for that frame, as shown in the following screenshot:
$\exists[]$ hierarchy
- \{\},
- parent:-1
$\boxminus[]$ keys
$\boxminus\} 0$
- time: 0
$\boxminus[]$ pos
- 0:0
- $1:-0.238009$
- $2:-0.149781$
$\boxminus[]$ rot
- 0:0
- $1: 0.130526$
- 2:0
- $3: 0.991445$
$\boxminus[] \mathrm{scl}$
- $0: 1$
- 1:1
- $2: 1$
$\boxplus\} 1$
$\pm\{ \}_{2}$
$\boxplus\} 3$
$\boxplus\} 4$
$\boxminus\left\}_{1}\right.$
- parent: 0
$\boxminus[]$ keys
$\oplus\} 0$
$\pm\{ \} 1$
$\boxplus\} 2$
$\pm\{ \} 3$
$\boxplus\} 4$
$\boxminus\} 2$
- parent:1
$\boxminus[]$ keys
$\pm\{ \} 0$
$\oplus\left\}_{1}\right.$
$\boxplus\} 2$

| $l$ |  |  |
| :--- | :--- | :--- |
|  |  |  |
|  | 5 Key Frames |  |
|  |  |  |

In the preceding screenshot, you will notice that the hierarchy element's first child (0) has a parent element ( $\mathbf{- 1}$ ) and a keys array. The keys array has five elements and each element has the time, pos, rot, and scl values. This shows that the animation has five frames. Similarly for all other bone elements, we will have the keys array with five elements. The time element defines the time at which the pose will be activated.

## Loading the animation data

We took the basic strategy to load the animation data from three.js (Animation and AnimationHandler). We modified its code to handle our objects. So, let's understand the basic strategy. AnimationHandler is a static class and does three functions:

- Maintain the list of active objects of Animation to play.
- Parse the animation data and store it in an array. The index of the array is the name of animation.
- Invoke the update function of active objects of Animation when invoked with elapse time.

Open primitive/AnimationHandler.js in your editor. The AnimationHandler class maintains three arrays:

- playing: This array contains the list of animation objects
- library: This array maintains the animation data
- that: This array is the static object with functions.

The update function iterates over the list of Animation objects and invokes their update function with deltaTimeMS, the time since the last update call as shown in the following code snippet:

```
AnimationHandler = (function() {
    var playing = [];
    var library = {};
    var that = {};
    //--- update ---
    that.update = function( deltaTimeMS ) {
        for( var i = 0; i < playing.length; i ++ )
            playing[ i ].update( deltaTimeMS );
    };
```

The addToUpdate and removeFromUpdate functions add and delete animation objects to and the from playing list, respectively, as shown in the following code snippet:

```
that.addToUpdate = function( animation ) {
    if ( playing.indexOf( animation ) === -1 )
        playing.push( animation );
};
that.removeFromUpdate = function( animation ) {
    var index = playing.indexOf( animation );
    if( index !== -1 )
        playing.splice( index, 1 );
};
```

The add function pushes the animation data on to the library array, with the key as the name of the animation data. It then invokes initData. The get function returns the animation data from the array. The add function is defined as follows:

```
that.add = function( data ) {
    library[ data.name ] = data;
    initData( data );
};
that.get = function( name ) {
    if ( typeof name === "string" ) {
        if ( library[ name ] ) {
            return library[ name ];
        } else {
            return null;
        }
    }
};
```

The parse function pushes all the bones of the Riggedmesh class to the hierarchy array. This function is invoked from the Animation class. The Animation class maintains the list of bones of the object. It updates the bones' properties (position, rotation, and scale) in its update function. The parse function is defined as follows:

```
that.parse = function( root ) {
    // setup hierarchy
    var hierarchy = [];
    if ( root instanceof RiggedMesh ) {
        for( var b = 0; b < root.bones.length; b++ ) {
            hierarchy.push( root.bones[ b ] );
        }
    }
    return hierarchy;
};
```

The initData function parses the animation object from the JSON file. The hierarchy object simply maintains the key frames (time, position, scale, and rotation) for each bone, eliminates any repeated animation data (key frames at the same time), and also updates the time to 0 if the time of the key frame is negative. Basically, it sanitizes the data and sees that it is not processed again using the initialized property.

```
    var initData = function( data ) {
        if( data.initialized === true )
            return;
        for( var h = 0; h < data.hierarchy.length; h ++ ) {
            for( var k = 0; k < data.hierarchy[ h ].keys.length;
            k ++ ) {
            // remove minus times
            if( data.hierarchy[ h ].keys[ k ].time < 0 )
                data.hierarchy[ h ].keys[ k ].time = 0;
            // create quaternions
            var quater = data.hierarchy[ h ].keys[ k ].rot;
            data.hierarchy[ h ].keys[ k ].rot = quat.fromValues(
                quater[0], quater[1], quater[2], quater[3] );
            }
            for ( var k = 1; k < data.hierarchy[ h ].keys.length;
            k ++ ) {
            if ( data.hierarchy[ h ].keys[ k ].time ===
                data.hierarchy[ h ].keys[ k - l ].time ) {
                data.hierarchy[ h ].keys.splice( k, l );
                k --;
            }
            }
            for ( var k = 0; k < data.hierarchy[ h ].keys.length;
            k ++ ) {
            data.hierarchy[ h ].keys[ k ].index = k;
            }
        }
        data.initialized = true;
};
    return that;
}());
```

Open primitive/Animation.js in your text editor.

The Animation class follows a very basic strategy. It maintains the previous and next key frame objects, takes the elapsed time, gets the frame in which the elapsed time falls, and then interpolates between the values of the frame using the elapsed time. For example, if the elapsed time is 0.5 , frame two has time stamp 0.4 , frame three has time stamp 0.6, the value of pos.x equals 10 in frame two and value of pos.x equals 20 in frame three; then, it sets the bone's position using the formula:
scale=(currentTime-prevKeyTime)/(nextKeytime-prevKeyTime)
pos.x=prevKey.x+(nextKey.x-prevKey.x)*scale
$=\sim 10+(20-10) *(0.5-.4) /(0.6-0.4)$
The preceding code is an example of linear interpolation as the value of $x$ is a direct function of time (scale).

The constructor of Animation takes two parameters, the name of the Riggedmesh object and the name of the animation data to play. It then retrieves the bone hierarchy using the parse function of AnimationHandler as well as the animation data using its get function.

```
Animation = function ( root, name) {
    this.root = root;
    this.data = AnimationHandler.get( name );
    this.hierarchy = AnimationHandler.parse( root );
    this.currentTime = 0;
    this.timeScale = 1;
    this.isPlaying = false;
    this.isPaused = true;
    this.loop = true;
};
```

The play function initializes parameters such as isPlaying to true and isPaused to false. It creates the animation cache that basically holds the nextKey and preyкey values for all bones in the mesh. It iterates over all bones and if the animation cache is not defined for the bone, it gets the data (pos, rot, and scale) from the first key (prevKey.pos = this.data.hierarchy [ h ].keys [ 0 ] ;) and the second key (nextKey.pos = this.getNextKeyWith ( "pos", h, 1 ) ;) from the animation data and stores its prevkey and nextKey variables. It then adds the Animation object itself to the playing list of the animation handler (AnimationHandler. addToupdate ( this ) ;) as shown in the following code snippet:

```
Animation.prototype.play = function ( loop, startTimeMS ) {
    if ( this.isPlaying === false ) {
        this.isPlaying = true;
        this.loop = loop !== undefined ? loop : true;
```

```
    this.currentTime = startTimeMS !==
            undefined ? startTimeMS : 0;
        // reset key cache
        var h, hl = this.hierarchy.length,object;
        for ( h = 0; h < hl; h ++ ) {
            object = this.hierarchy[ h ];
            object.matrixAutoUpdate = true;
            if ( object.animationCache === undefined ) {
                object.animationCache = {};
                object.animationCache.prevKey = { pos: 0, rot: 0,
                    scl: 0 };
                object.animationCache.nextKey = { pos: 0, rot: 0,
                    scl: 0 };
                object.animationCache.originalMatrix = object instanceof
                Bone ? object.skinMatrix : object.matrix;
            }
            var prevKey = object.animationCache.prevKey;
            var nextKey = object.animationCache.nextKey;
            prevKey.pos = this.data.hierarchy[ h ].keys[ 0 ];
            prevKey.rot = this.data.hierarchy[ h ].keys[ 0 ];
            prevKey.scl = this.data.hierarchy[ h ].keys[ 0 ];
            nextKey.pos = this.getNextKeyWith( "pos", h, 1 );
            nextKey.rot = this.getNextKeyWith( "rot", h, 1 );
            nextKey.scl = this.getNextKeyWith( "scl", h, 1 );
}
this.update( 0 );
}
this.isPaused = false;
    AnimationHandler.addToUpdate( this );
};
```

The update function is the heart of the animation system. The types array holds DOF names (pos, rot, and scl), which are indexed to get the key data. The update function takes the elapse time (deltaTimeMs) as a parameter. It is invoked from the AnimationHandler class's update function.

```
Animation.prototype.update = function ( deltaTimeMS ) {
    if ( this.isPlaying === false ) return;
    var types = [ "pos", "rot", "scl" ];
    var type;
    var scale;
    var vector;
    var prevXYZ, nextXYZ;
    var prevKey, nextKey;
    var object;
```

```
var animationCache;
var frame;
var currentTime, unloopedCurrentTime;
var currentPoint, forwardPoint, angle;
```

We first calculate the current time by adding the elapsed time to it as shown in the following code snippet:

```
this.currentTime += deltaTimeMS;
unloopedCurrentTime = this.currentTime;
```

The unloopedCurrent Time value is maintained to see if the current time does not exceed the total animation time. If it is not a looping animation, then this variable is checked to stop the animation. Then, we find the moduli of the current time to eliminate the natural number from the current time.
currentTime $=0.9$;
currentTime $(0.9)+$ elapsedTime $(0.2)=$ unloopedCurrentTime(1.1);
currentTime(1.1) \%1 = currentTime(0.1).
The unloopedCurrentTime value becomes greater than 1 . We remove the natural number from the current Time. At that time, the unloopedCurrent Time is not equal to current Time.

```
currentTime = this.currentTime =
    this.currentTime % this.data.length;
```

We then iterate over all bones as follows:

```
for ( var h = 0, hl = this.hierarchy.length; h < hl; h ++ ) {
    object = this.hierarchy[ h ];
    animationCache = object.animationCache;
```

Iterate over types to get the key information for types (pos, rot, and scl) shown as follows:

```
for ( var t = 0; t < 3; t ++ ) {
```

Get the current, previous, and next key frames for the bone and type from the animation cache.

```
type = types[ t ];
prevKey = animationCache.prevKey[ type ];
nextKey = animationCache.nextKey[ type ];
```

Check if the next frame's time is less than unloopedCurrentTime. This means it has to pick the next frame, otherwise use the same frame to set the DOF of the bone.

```
if ( nextKey.time <= unloopedCurrentTime ) {
```

The current Time value will always be equal to unloopedCurrent Time, but when the animation has run its complete cycle once, then the unloopedCurrentTime value will be greater than one and current Time will be less than it. This means the animation was run once. So, we have to pick the next frame only when this. loop is valid, otherwise we have to stop the animation.

```
if ( currentTime < unloopedCurrentTime ) {
```

If the loop is valid, then pick the first frame and second frame to set the prevkey and nextKey variables and loop until we do not find the correct nextKey, whose time is less than the current time. Stop the animation if looping is not enabled.

```
if ( this.loop ) {
    prevKey = this.data.hierarchy[ h ].keys[ 0 ];
    nextKey = this.getNextKeyWith( type, h, 1 );
    while( nextKey.time < currentTime ) {
            prevKey = nextKey;
            nextKey = this.getNextKeyWith( type, h,
                nextKey.index + 1 );
    }
} else {
    this.stop();
    return;
}
} else {
```

If current Time equals unloopedCurrent Time, then the animation has not completed once. Simply iterate over all keys until the value of current Time is less than that of nextKey. This will give us our new next and previous keys as shown in the following code snippet:

```
do {
    prevKey = nextKey;
    nextKey = this.getNextKeyWith( type, h,
            nextKey.index + 1 );
    } while( nextKey.time < currentTime )
}
```

Set the new prevKey and nextKey values to the animation cache.

```
    animationCache.prevKey[ type ] = prevKey;
    animationCache.nextKey[ type ] = nextKey;
}
```

Set the object's matrixWorldNeedsUpdate value to true so that updateWorldMatrix of the bone calculates our new skinMatrix.

```
object.matrixAutoUpdate = true;
object.matrixWorldNeedsUpdate = true;
```

Calculate scale to interpolate between the prevKey and nextKey values.

```
scale = ( currentTime - prevKey.time ) /
    ( nextKey.time - prevKey.time );
prevXYZ = prevKey[ type ];
nextXYZ = nextKey[ type ];
if ( scale < 0 || scale > 1 ) {
    scale = scale < 0 ? 0 : 1;
}
```

If the type value equals position, calculate the new position between the preykey and nextkey values and update the bones' position vector with the new interpolated value. Thus, we interpolate based on the value of scale. We use spherical linear interpolation to calculate the new quaternion between prevKey and nextKey.

```
            if ( type === "pos" ) {
                        vector = object.position;
                        vector.x = prevXYZ[ 0 ] +
                ( nextXYZ[ 0 ] - prevXYZ[ 0 ] ) * scale;
                        vector.y = prevXYZ[ 1 ] +
                ( nextXYZ[ 1 ] - prevXYZ[ 1 ] ) * scale;
            vector.z = prevXYZ[ 2 ] +
                ( nextXYZ[ 2 ] - prevXYZ[ 2 ] ) * scale;
                } else if ( type === "rot" ) {
                    quat.slerp(object.quaternion, prevXYZ, nextXYZ, scale );
                    } else if ( type === "scl" ) {
                        vector = object.scale;
                        vector.x = prevXYZ[ 0 ] +
                            ( nextXYZ[ 0 ] - prevXYZ[ 0 ] ) * scale;
                        vector.y = prevXYZ[ 1 ] +
                    ( nextXYZ[ 1 ] - prevXYZ[ 1 ] ) * scale;
            vector.z = prevXYZ[ 2 ] +
                    ( nextXYZ[ 2 ] - prevXYZ[ 2 ] ) * scale;
            }
        }
    }
};
```

The getNextKeyWith function is used extensively by the update function. It basically takes the bone index, type (pos, rot, and scl), and the keys array's index to get the next frame.

```
Animation.prototype.getNextKeyWith = function ( type, h, key ) {
    var keys = this.data.hierarchy[ h ].keys;
    key = key % keys.length;
    for ( ; key < keys.length; key++ ) {
        if ( keys[ key ][ type ] !== undefined ) {
            return keys[ key ];
        }
    }
    return this.data.hierarchy[ h ].keys[ 0 ];
};
```

Open 08-Loading-Skinned-Animatons.html to learn how to use the preceding classes.

After we initialize our RiggedMesh object, we check whether the name of the RiggedMesh object is mrgreen. We initialize our Animation object with the stage object and the name of animation to play. We also add the animation data from the geometry to the AnimationHandler.

```
function loadStageObject(url, location, rotationX, rotationY,
    rotationZ) {
    if(stageObject.name=="mrgreen") {
        AnimationHandler.add( stageObject.geometry.animation );
        animation = new Animation( stageObject, "ActionMrGreen" );
        animation.play( true );
        animation.update( 0 );
    }
}
```

The animate function on main code invokes the AnimationHandler class' update function. It passes the elapsed time as a parameter to the function. AnimationHandler class's update function in turn invokes the update function of RiggedMesh.

Hence, now our animate function does three things: updates the physical world, updates AnimationHandler, and then redraws the scene.

```
function animate() {
    currentTime = (new Date).getTime();
    elapsedTime = currentTime - lastFrameTime;
```

```
if (elapsedTime < rate) return;
AnimationHandler.update(elapsedTime/1000);
}
```

If you have your RiggedMesh class in place, animation data is simple to understand and work with.

## Exporting models from 3D software in JSON

In our code, we strictly follow the three.js JSON 3.1 format (https: //github.com/ mrdoob/three.js/wiki/JSON-Model-format-3.1). Hence, we can directly use three.js exporters to load 3D objects in our code.


Our code only handles models with a single material/texture file. Hence, if you use the code directly, make sure that you create models with a single texture.

## Exporting from Blender

We can download the Blender add-on from here https://github.com/mrdoob/ three.js/tree/master/utils/exporters/blender/2.65. We can install it in Blender using following simple steps:

1. Copy the add-on to the following path:

- Windows: C:\Users \USERNAME $\backslash$ AppData $\backslash$ Roaming $\backslash$ Blender Foundation $\backslash$ Blender $\backslash 2.6 \mathrm{X} \backslash$ scripts $\backslash$ addons
- Mac: /Applications/Blender/blender.app/Contents/ MacOS/2.6X/scripts/addons
- Linux: /home/USERNAME/.config/blender/2.6X/scripts/addons

2. In Blender preferences, in add-ons, look for option three.
3. Enable the checkbox next to Import-Export: three.js format.

Now, you can use the Export menu to export the JSON file.

## Converting FBX/Collada/3DS files to JSON

The conversion utility is placed in the code/model/convert_obj_three.py folder. You can simply fire the following command at the terminal or the DOS window:

```
python convert_obj_three.py sample.fbx sample.js -t
```

To use this utility, you must have Python installed on your system along with FBX Python bindings (http://usa.autodesk.com/fbx/).

Also, note that the utility does not export animation data.

## Loading MD5Mesh and MD5Anim files

MD5Mesh and MD5Anim are very popular 3D formats. They are lightweight and exporters are available for all major software like Blender, Maya, and 3ds Max.

We download a utility to convert MD5 files to the JSON format using JavaScript from http://oos.moxiecode.com/js_webgl/md5_converter/. We also modified its code and have added it to our code/js folder (code/js/MD5_converter.js). You may simply include this file in your code and use the following sample code to load the MD5 files:

```
function loadMD5() {
    var meshLoaded=false;
    var animLoaded=false;
    var mesh="";
    var anim="";
    $.get("model/md5/boblampclean.md5mesh",function(data) {
        meshLoaded=true;
        mesh=data;
        if(meshLoaded&&animLoaded) {
            processMD5(mesh,anim);
        }
    });
    $.get("model/md5/boblampclean.md5anim",function(data) {
        animLoaded=true;
        anim=data;
        if(meshLoaded&&animLoaded) {
            processMD5 (mesh,anim);
        }
    });
}
```

Once both the mesh and animation files are loaded, we invoke processMD5. The function basically invokes MD5_converter.process_md5anim and MD5_converter. process_md5mesh and stores the JSON string in meshData.string and the animation string in meshData.stringAnimationOnly. Then, we parse the string to convert it to a JSON object using the jQuery function, JSON. parse. Then, we create a RiggedMesh object and invoke its loadObject function to load the JSON model.

```
function processMD5(mesh,animation) {
    var animData = MD5_converter.process_md5anim( animation,
        "boblampclean.md5anim" );
    var meshData = MD5_converter.process_md5mesh( mesh,
            "boblampclean.md5mesh" );
    var model=JSON.parse(meshData.string);
    var animationData=JSON.parse(meshData.stringAnimationOnly);
    model.animation=animationData.animation;
    model.metadata.sourceFile="boblampclean.md5mesh";
    var stageObject=new RiggedMesh();
    stageObject.loadObject(model);
    loadTexture(stageObject,false);
    addStageObject(stageObject,[0.0,40.0,-50.0],0.0,0.0,0.0);
}
```


## Summary

This chapter was dedicated to loading and using skinned models. We covered the basics to help us understand how skinning data is stored in a JSON model file. We also explained the relation between the bones and the vertex transformations and used this knowledge to write our vertex shader. We implemented the smooth skinning algorithm to store our joint and skin data.

We then learned how animation data is encrypted in a JSON file. We evolved our classes to load the animation data and learned how to animate a model on framebased animation principles.

This chapter used matrix transformations, quaternion mathematics and linear interpolation to handle difficult concepts such as animating skinned models.

In the next chapter, we will cover concepts such as picking and post-processing effects. Picking is the core concept used in all 3D editing software. Through picking, we can select 3D objects on a 2D screen.

Post-processing helps us add effects to a scene. For example, we may want our game user to feel as if he is viewing our game scene through night vision goggles.

## Ray Casting and Filters

Collision detection is a powerful tool to calculate hits and the intersection of two or more objects in a game scene but not sufficient for most cases where we need to predict collision before it actually happens. This chapter will unveil a very powerful concept in game development called ray casting, to cover cases that cannot be handled by collision detection. We will use ray casting to implement another very interesting technique called picking, which is used by CAD software. Picking is useful for many interactive use cases, where we need to map a mouse click by the user (2D screen coordinates) to the local/world space of the objects in the scene.

Framebuffers is another very powerful concept used in game development. It has many useful use cases from the implementation of view caching to implementations of filters. We will cover the following topics in this chapter:

- Basic concepts of ray casting
- The basics of picking
- Implementing picking using ray casting
- Framebuffers
- Implementing filters using framebuffers


## Understanding the basic ray casting concepts

There are many use cases where collision detection is detected too late in a game. Let's consider a case, in a game, where we have a door and if the player approaches it, you want the door to open automatically. If we use collision detection for this case, then the player has to first collide with the door, in order to open it; or alternatively, you can create a bigger bounding box (a rigid body with more depth) so that when the user approaches the door a collision is detected earlier. However, this approach does not cover the use case of the player not facing the door. For instance, if the player has its back towards the door, then a collision would be detected and the door would open. Collision detection does not consider directions.

Ray casting is also used to build the basic AI of a non-playing character. A moving player might need to alter its direction or speed automatically when there is another existing object moving in the same direction. Collision is detected only after two objects have intersected, and often, we need to predict it. In such cases, ray casting is an effective concept to predict a collision.

Ray casting is used in many cases like:

- Determining the first object intersection by a ray
- Volume ray casting in a direct volume rendering method
- For hidden surface removal in finding the first intersection of a ray cast from the camera through each pixel of the image

In ray casting, geometric rays are traced from the position of the player to sample a light ray traveling in the direction of the player. If the traveling ray intersects any colliders (rigid bodies in our case), a hit is observed, and then we can take the desired action. The following diagram shows a simple ray casted from a player's position and its intersection with objects:


We will use the JigLib library to understand the implementation of a ray cast. JigLib provides us with two classes to implement ray casting: JRay and JSegment. The constructor of the JRay class is defined as follows:

```
JRay=function(_origin, _dir)
```

The constructor of this class takes two parameters, _origin and _dir. We will set the _origin parameter to the position of the character and the _dir parameter to the direction of the character. The position and direction can be easily derived from our matrixWorld matrix. The position will be derived from the $m 30, m 31$, and $m 32$ components of our matrix and the direction vector can be calculated by multiplying the forward vector with the rotation matrix (derived from this. quaternion of our Stageobject class) or retrieving the $m 03, m 13$, and $m 23$ components of our matrixWorld matrix. The JRay class is used internally by the Jsegment class. We will only interact with the JSegment class. The constructor of the JSegment class is defined as follows:

```
JSegment=function(_origin, _delta)
```

The JSegment class is similar to the JRay class except that it takes the _delta parameter instead of the _dir parameter. The _delta parameter is the length of the ray multiplied by the direction of the player. The JSegment class does not cast an infinite ray, and the intersecting objects in the vicinity of the ray are returned. Let's quickly take a peep into the implementation:

```
vec3.scale(directionVector,ray.directionVector,100)
var segment=new jigLib.JSegment(origin,directionVector);
var out={};
var cs=system.getCollisionSystem();
if(cs.segmentIntersect(out, segment, null)){
    returnout.rigidBody;
}
```

First, we scale our direction vector by 100 , which is the length of our ray in the example. Then, we create an object of the segment. We retrieve the object of our collision system from the physics system object. We then check for an intersecting object using the cs.segmentIntersect (out, segment, null) function. The last parameter (null) is for the outer body, the enclosing body, not necessarily the parent of the object. It can be a skybox or any similar object, which we will ignore for our calculations. In our case, we do not pass the enclosing body; hence, we pass null. If the function returns true, then the intersecting object is retrieved from the out variable, which we passed as the first parameter in the function call.

The returned out parameter holds information such as out.position, out. rigidbody, and out.frac:

- out. position: This variable holds the position of the collider at the time of intersection with the ray, in case the collider is moving.
- out.rigidBody: This variable holds the collider the ray intersected with.
- out.frac: This variable holds the probability of intersection of the object with the ray. This is used internally by the function to check the most probable object intersecting with the ray.


## Learning the basics of picking

All 3D platforms have a very basic problem to solve: what is under the mouse? This problem in the 3D world is referred to as picking. It is not simple and straightforward and involves nontrivial mathematics and some complex algorithms, but it is solvable once you understand the core concept. To solve the problem, there are two approaches in picking, based on an object color and ray casting.

## Picking based on an object's color

Each object in the scene is assigned a unique diffuse color, and then the complete scene is rendered in an offscreen framebuffer. When the user clicks on the scene, we get the color from the texture in a framebuffer of the corresponding click coordinate. Then, we iterate through the list of objects and match the retrieved color with the object diffuse color. Let's look at the pseudo code:

```
createFrameBuffer(framebuffer);
//Function invoked at each tick;
function render() {
    assignDiffuseColorToEachObject();
    gl.bindFramebuffer(gl.FRAMEBUFFER, framebuffer);
    drawScene();
    assignActualTextureOrColorToEachObect();
    gl.bindFramebuffer(gl.FRAMEBUFFER, null);
    drawScene();
}
```

If you observe the preceding pseudo code, you will realize that we render the scene twice; once in the offscreen framebuffer with the assigned color code for each object and then on the onscreen buffer with the actual texture and the color data. The following two screenshots explain the concept; the first screenshot shows how the scene is rendered in the framebuffer and the second screenshot shows how the scene appears on the actual screen. When the user clicks on the scene, click coordinates are mapped to the offscreen buffer texture.

The disadvantage is that although the implementation is straightforward, it requires double rendering of the same scene, which makes the overall rendering process slow. Also, you cannot select a single triangle from a mesh. We can only select complete objects. The following screenshot is rendered in the framebuffer, each object with a unique color:


The following screenshot is rendered on the screen, each object with its actual texture:


Although we will discuss framebuffers in the Rendering offscreen using framebuffers section, we will not implement picking using the preceding technique in this book.

## Picking using ray casting

We have discussed ray casting in the previous section, Understanding the basic ray casting concepts. In that section, we discussed that a ray was generated from a player's position and direction to detect any object's intersection. Now, let's replace the player position with screen coordinates where the mouse was clicked and derive the direction from the camera direction (also called the eye vector). Hence, picking using ray casting is implemented by casting a ray from the camera's position and direction into the scene - the objects intersected by the ray are the user selected objects. This is shown in the following diagram:


Let's understand the power of this technique. Using this technique, we can select objects up to any level of detail, but there is always a tradeoff in precision versus performance. So, let's understand the possibilities:

- For $\mathrm{j} i g \mathrm{gLib}$. JBox colliders, if a scene object is associated with the JBox or JSphere collider, then you will only be able to select a complete object. The Jbox, JSphere, and JCapsule colliders are also known as bounding box colliders. They are the fastest colliders. They have minimum computation load as the exact shape of the 3D object is not considered but a simple geometry is checked against the intersection. We have already associated these colliders with our scene objects in Chapter 7, Physics and Terrains.
- For jigLib.JTrianglemesh colliders, if a scene object is associated with a JTriangleMesh collider, then you can select a triangle/polygon in a scene object. Let's look at the constructor of JTriangleMesh:

```
JTriangleMesh=function(skin, maxTrianglesPerCell,
    minCellSize)
this.jigLibObj=new jigLib.JTriangleMesh(null, 100, 0.1);
this.jigLibObj.createMesh(triangles.verts,
    triangles.faces);
```

The constructor of the JTrianglemesh collider takes a hint of the size of an object by taking maxTrianglesPerCell and mincellSize parameters. This class has a function called createMesh which takes triangles.verts and triangles.faces as parameters. These parameters refer to the vertices and indices in the mesh. So basically, a JTriangleMesh collider knows the exact shape and size of the scene object, but it is very slow. It basically checks each triangle in the mesh for collision. Even though it is precise, it certainly is computationally expensive. However, we can use the JTriangleMesh.prototype.segmentIntersect=function (out, seg, state) function of the class to get the exact triangle that our ray/segment intersected. This method of finding an intersection is precise but slow.

We can use any type of collider in our scene for picking, but remember that we have to choose between precision and performance.

## Implementing picking using ray casting

Let's now start implementing what we have discussed. The algorithm we will apply is as follows:

1. Create a rigid body for each scene object.
2. Calculate the click coordinates of the canvas, convert these coordinates to normalized device coordinates, and create a vector.
3. "Unproject" the vector using the camera projection matrix.
4. Create a ray segment using the vector.
5. Check for an intersection.
6. If an intersection is found, then change the color of the selected object.

## Using a rigid body (collider) for each scene object

Now, we will modify our Stageobject class again to create a bounding box. If we revisit the constructor of our jigLib. JBox class, then its constructor takes the width, depth, and height of the corresponding 3D model as follows:

```
var JBox=function(skin, width, depth, height)
```

When we add our 3D model to the stage, we do not know its height, width, and depth. Hence, we first need to create its bounding box in order to compute the preceding values.

A bounding box consists of the minimum and maximum values of the components $(x, y, z)$ of the vertices of a mesh. Note that it is not the minimum and maximum vertices but the minimum/maximum values of the components of a vertex. Open the StageObject.js file from the primitive folder in your editor. The following code snippet is present in this file:

```
StageObject.prototype.calculateBoundingBox=function (){
    if(this.geometry.vertices.length>0){
        var point=vec3.fromValues(this.geometry.vertices[0],
            this.geometry.vertices[1],this.geometry.vertices[2]);
        vec3.copy(this.min, point );
        vec3.copy(this.max, point );
        for ( var i = 3; i<this.geometry.vertices.length; i=i+3) {
            point=vec3.fromValues(this.geometry.vertices[i],
                this.geometry.vertices[i+1],this.geometry.vertices[i+2])
            if ( point[0] <this.min[0] ) {
            this.min[0] = point[0];
            } else if ( point[0] >this.max[0] ) {
                this.max[0] = point[0];
            }
            if ( point[1] <this.min[1] ) {
            this.min[1] = point[1];
            } else if ( point[1] >this.max[1] ) {
            this.max[1] = point[1];
            }
            if ( point[2] <this.min[2] ) {
            this.min[2] = point[2];
            } else if ( point[2] >this.max[2] ) {
                this.max[2] = point[2];
            }
        }
    }
}
```

In the preceding code, we first store the first vertex in the min and max class variables of the stageObject class. We then iterate over the list of vertices of our geometry, compare each component $(x, y, z)$ of a vertex with the min and max components, and store the minimum and maximum values in the corresponding components. You must have noticed that the min and max vectors are not actual vertices in the mesh, but they just hold the minimum and maximum values of $x, y$, and $z$.

The width of the 3D model is calculated using the following formula. Here, max [0] is the maximum value of $x$ and $\min [0]$ is the minimum value of $x$ :

$$
\text { Width }=\max [0]-\min [0]
$$

The height of the 3D model is calculated using the following formula. Here, max[1] is the maximum value of $y$ and $\min [1]$ is the minimum value of $y$ :

$$
\text { Height }=\max [1]-\min [1]
$$

The depth of the 3D model is calculated using the following formula. Here, max [2] is the maximum value of $z$ and $\min [2]$ is the minimum value of $z$ :

$$
\text { Depth }=\max [2]-\min [2]
$$

We create a collider which closely resembles the shape and real world physics of the 3D model. For example, JCapsule colliders are used for cylindrical objects which roll in a direction. For example, we have a ball, so we would not want its collider to be a box because a box collider would not roll. Hence, we also create a bounding sphere if the object resembles a sphere. The constructor of jigLib. JSphere=function (skin, r) takes the radius as an argument. Hence, we first need to compute its center to compute its radius. In the following code, we first compute the bounding box to calculate the center:

```
StageObject.prototype.calculateBoundingSphere=function (){
    this.calculateBoundingBox();
    this.center=this.calculateCenter();
    var squaredRadius=this.radius*this.radius;
    for ( var i = 0; i<this.geometry.vertices.length; i=i+3) {
        var point=vec3.fromValues(this.geometry.vertices[i],
            this.geometry.vertices[i+1],this.geometry.vertices[i+2]);
        squaredRadius=Math.max(squaredRadius,vec3.squaredDistance
            (this.center,point));
    }
    this.radius=Math.sqrt(squaredRadius);
}
StageObject.prototype.calculateCenter=function (){
    var center=vec3.create();
```

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```
    vec3.add(center,this.min,this.max);
    vec3.scale(center,center, 0.5);
    return center;
}
```

Then, we compute the center of the sphere. The computation of the center is simple:

$$
\text { center }=(\min +\max ) / 2
$$

The bounding box gives us the min and max values, and we calculate the sphere's center from it. Then, we iterate over the list of vertices to find the distance of each vertex from the center and store the maximum radius using the squaredRadius=Math. max (squaredRadius, vec3.squaredDistance(this.center, point)); statement.

Now, as our code to compute our bounding box is complete, we now need to initialize our rigid body using the initializePhysics function as follows:

```
StageObject.prototype.initializePhysics=function(sphere){
    if(sphere){
        this.calculateBoundingSphere();
        this.rigidBody= new jigLib.JSphere(null,this.radius);
        this.rigidBody.set_mass(this.radius*this.radius*this.radius);
    }else{
        this.calculateBoundingBox();
        var subVector=vec3.create();
        vec3.sub(subVector,this.max,this.min);
        this.rigidBody=new jigLib.JBox(null,Math.abs(subVector[0]),
                Math.abs(subVector[2]),Math.abs(subVector[1]));
        this.rigidBody.set_mass (Math.abs(subVector[0])
            *Math.abs(subVector[2])*Math.abs(subVector[1]));
    }
    this.rigidBody.moveTo(jigLib.Vector3DUtil.
        create(this.position[0],this.position[1],this.position[2]));//
        Move the object to the location of the object.
    var matrix=mat4.create();
    mat4.fromQuat(matrix,this.quaternion);
    var orient=new jigLib.Matrix3D(matrix);
    this.rigidBody.setOrientation(orient);
        //Change orientation of the rigid body
    this.rigidBody.set_movable(false);
    this.system.addBody(this.rigidBody);
}
```

The preceding function, initializePhysics, takes a Boolean parameter sphere. If we pass sphere as true, then a JSphere collider is initialized; otherwise, a JBox collider is initialized. We set the mass of the object equivalent to its volume (radius for JSphere and width * depth * height for JBox). We then move the rigid body to the location of the StageObject class and also orient it in the StageObject class's direction. Note that we have declared all objects as static bodies (this.rigidBody. set_movable(false); ).

The last change is added to our updateMatrix function. The updateMatrix function now needs to set the orientation and position of the StageObject class to the position and orientation of the rigidBody object. The following code only considers the position and orientation values of the rigidBody object when the rigid body is dynamic; otherwise, it sets the values from the position and quaternion parameters of the class. Our updateMatrix function is as follows:

```
StageObject.prototype.updateMatrix=function () {
    if(this.rigidBody&&this.rigidBody.get_movable()) {
        var pos=this.rigidBody.get_currentState().position;
        this.position=vec3.fromValues(pos[0],pos [1],pos[2]) ;
        mat4.copy(this.modelMatrix,this.rigidBody.
            get_currentState()._orientation.glmatrix);
    }else{
        mat4.identity(this.modelMatrix);
        mat4.fromQuat(this.modelMatrix,this.quaternion);
    }
    mat4.scale(this.modelMatrix,this.modelMatrix,this.scale);
    this.modelMatrix[12]=this.position[0] ;
    this.modelMatrix[13]=this.position[1] ;
    this.modelMatrix[14]=this.position[2] ;
    this.matrixWorldNeedsUpdate = true;
}
```

Now, we need to initialize our rigidBody object. We initialize it when the object is added to the Stage class. Open the Stage.js file from the primitive folder and go to the addmodel function:

```
addModel:function(stageObject){
    if(!(this.gl===undefined)) {
        stageObject.createBuffers(this.gl);
    }
    var len= this.stageObjects.length;
    this.stageObjects.push(stageObject);
    if(stageObject.rigidBody){
        stageObject.rigidBody._id=len;
    }else{
```

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```
    stageObject.system=this.system;
    stageObject.initializePhysics(false);
    stageObject.rigidBody._id=len;
    this.system.addBody(stageObject.rigidBody);
    }
},
```

The addmodel function first checks whether rigidBody is already created. If it is already created, then we simply assign it an _id parameter. The _id parameter is the index of the stageObject in the stageObjects array. If rigidBody is not already created, it invokes the initializePhysics function of the Stageobject class and then assigns it an ID. It then adds the object to the physics system.

## Calculating the screen coordinates of a click

Getting the click coordinates on the canvas requires a little work. The property of the mouse click events, offsetX and offsety, gives us the coordinates relative to the parent container. However, they are not very useful as they are not available in some browsers such as Firefox.

We will use e.clientx/e.clienty. They are event attributes that give us the horizontal and vertical coordinates (according to the current window) of the mouse pointer. Hence, we need to first calculate the position of our canvas with respect to the document, add the page scroll, and then subtract that value from the e.clientx attribute. Open the 09-Picking-Using-Ray-Casting.html file in your editor. The following code snippet is present in this file:

```
var parent=document.getElementById('canvas');
parent.onmousedown=function(e) {
    var x, y, top = 0, left = 0;
    while (parent && parent.tagName !== 'BODY')
    {
        top =top+ parent.offsetTop;
        left =left+ parent.offsetLeft;
        parent= parent.offsetParent;
    }
    left += window.pageXOffset;
    top -= window.pageYOffset;
    x = e.clientX - left;
    y=(e.clientY - top);
    y = gl.viewportHeight - y;
    var rigidBody=rayCaster.pickObject(x,y,system);
};
```

In the preceding code, first we get the object of the canvas element and store it in the parent variable. The offsetTop and offsetLeft variables return the top and left values with respect to their parent. We then add the values to the top and left variables, and then we retrieve their parent using the offsetParent variable. We perform the preceding process until the parent variable becomes null or the parent variable is not the BODY tag. Hence, the top and left variables contain the sum of the offsetTop and offsetLeft variables of the canvas' parents. Then, we counter for the page scroll height (left += window.pageXOffset and top -= window. pageYoffset).

We subtract the canvas' location ( $\mathrm{x}=\mathrm{e} . \mathrm{clientx}$ - left; ) with respect to the client's view from the mouse click coordinate.
$\left[\begin{array}{l}\text { We calculate the } y \text { value after subtracting it from the height } \\ \text { of the canvas ( } \mathrm{gl} \text {. viewportHeight). We do so because } \\ \text { the WebGL coordinate system originates in the bottom left, } \\ \text { while the coordinate we calculated previously was taken } \\ \text { from the top right of the screen. }\end{array}\right]$

We then pass the computed click coordinates to our rayCaster. pickedobject function, where we convert these values to Normalized Device Coordinates (NDC). We calculate the click coordinates as follows:

```
var x1 = ( x / this.screen_width )*2 - 1;
var y1 = ( Y / this.screen_height)*2 - 1;
```

The following diagram shows how we represent our 3D scene on a 2D canvas. It shows that the origin of the world $(0,0,0)$ is marked as the center $(0,0)$ of the screen:


The NDC is a value that remains the same and is independent of the view size. It ranges from -1 to 1. Basically, the objective is that the coordinate that we want to convert to the world coordinate has to first be independent of the canvas size. Hence, we divide it by the height and width of the canvas. The conversion is shown in the following diagram:

```
Device Coordinate }\square\mathrm{ Normalized Device Coordinate }\longrightarrow\mathrm{ World Coordinate
```


## Unproject the vector

Our NDC vector's coordinates look something like this $(x 1, y 1,1)$. This means that it is one unit ahead of the eye vector $(x 1, y 1,0)$. Basically in this case, the eye vector is the click coordinate. Now, this NDC has to be converted to world coordinates.

Throughout the book, we have discussed this formula:

$$
\mathrm{v}^{\prime}=\mathrm{P} * \mathrm{M}^{*} \mathrm{v}
$$

Each vertex is rendered after multiplying it with the ModelView matrix and then with the projection matrix of the camera. The final values vector ( $v^{\prime}$ ) has three components $(x, y, z)$, where $x$ and $y$ denote the location on the screen and $z$ is for depth test. Now, we have a device coordinate, $v^{\prime}$, and we want to convert it to the world coordinate. So our formula should be as follows:

$$
\mathrm{v}=\mathrm{M}^{-1} * \mathrm{P}^{-1 *} \mathrm{v}^{\prime}
$$

This means that if we multiply the NDC with the inverse projection matrix, then with the inverse ModelView matrix of the camera, we convert the NDC to the world coordinate.

Our projection matrix and ModelView matrix are $4 \times 4$ matrices and our vector is a $1 \times 3$ vector. To multiply these matrices with our vector, we have to convert it to a $1 \times 4$ vector. Hence, we add a $w$ component, 1 . Now, our vec 3 vector becomes vec 4 $(x 1, y 1,1,1)$. After multiplication with the matrices, we get the $w$ component which might not be equal to 1 . We need to perform a perspective divide to normalize our coordinates. Hence, perspective divide is division of all four coordinates $(x, y, z, w)$ by $w$ in order to normalize the $w$ value to 1 .

So to unproject the vector and convert it from screen coordinates to world coordinates, we need to perform the following steps:

1. Multiply the vector by the inverse camera projection matrix.
2. Multiply the vector by the inverse camera ModelView matrix.
3. Perform perspective divide to normalize the $w$ component.

To perform the preceding operations, we have added a function, unProjectVector, to our camera class and a general purpose applyProjection function in utils.js. Open the utils.js file in your favorite editor. The following code snippet is present in this file:

```
function applyProjection(vector,m){
    var x = vector[0], y = vector[1], z = vector[2];
    var e = m;
    var d = 1 / ( e[3] * x + e[7] * y + e[11] * z + e[15] );
        // perspective divide
    var x1 = ( e[0] * x + e[4] * y + e[8] * z + e[12] ) * d;
    var yl = ( e[1] * x + e[5] * y + e[9] * z + e[13] ) * d;
    var z1 = (e[2] * x + e[6] * y + e[10] * z + e[14] ) * d;
    return vec3.fromValues(x1,y1,z1);
}
```

The preceding function, applyProjection, takes a vector (vec3) and matrix as parameters. It first calculates the $w$ component (var $d=1 /(e[3] * x+e[7]$ * $y+e[11]$ * $z+e[15]$ ) ;), then multiplies each component, $x 1, y 1$, and $z 1$, with it to get the normalized vector.

Open the camera.js file from the primitive folder in your editor to understand our new function, unProjectVector:

```
Camera.prototype.unProjectVector=function(vector) {
    var inverseProjection=mat4.create();
    mat4.invert(inverseProjection,this.projMatrix) ;
    var viewProjection=mat4.create();
    mat4.invert(viewProjection,this.viewMatrix);
    mat4.mul (viewProjection,viewProjection,inverseProjection)
    var vec=applyProjection(vector,viewProjection);
    return vec;
}
```

In the preceding code, we first calculate our inverse projection matrix inverseProjection. We then calculate our inverse ModelView matrix and multiply them to get our viewProjection matrix.

$$
\text { viewProjection }=\mathrm{M}-1 * \mathrm{P}-1
$$

Now we multiply our viewProjection matrix with the vector using our function applyProjection, which also performs the perspective divide.

## Creating a ray segment

To create a ray segment, we need two components, origin and direction. The origin is straightforward. The NDC $(x 1, y 1,1)$ converted world coordinate will become our origin, but the direction is tricky. We either use the direction of the camera or alternatively, we can create two vectors with a varying $z$ to calculate the direction.

In the following diagram, we have depicted two NDCs, originvector ( $\mathrm{x} 1, \mathrm{y} 1,-1$ ) and startVector ( $\mathrm{x} 1, \mathrm{y} 1,1$ ), lying on the light ray; one lying behind and the other ahead of the camera (eye vector). We subtract one vertex from another to get the direction:


Open the RayCaster.js file from primitive/game in your favorite editor. The following code snippet is present in this file:

```
RayCaster.prototype.makeRay=function(x,y) {
    var x1 = ( x / this.screen_width )*2 - 1;
    var y1 = ( y / this.screen_height)*2 - 1;
    var startVector=vec3.fromValues(x1,y1,1);
    var originVector=vec3.fromValues(x1,y1,-1);
    var directionVector=this.camera.unProjectVector(startVector);
    var origin=this.camera.unProjectVector(originVector);
    vec3.sub(directionVector,directionVector,origin);
    vec3.normalize(directionVector,directionVector);
    //vec3.scale(directionVector,directionVector,-1);
    return {origin: origin, directionVector: directionVector};;
}
```

The function takes the canvas click coordinates $(\mathrm{x}, \mathrm{y})$ as parameters. It converts them to NDC ( $\mathrm{x} 1, \mathrm{y} 1$ ) after dividing them with the height and width of the canvas. We create our two vectors: startVector ( $\mathrm{x} 1, \mathrm{y} 1,1$ ) and originvector ( $\mathrm{x} 1, \mathrm{y} 1,-1$ ). Then, we unproject both the vectors to convert them from NDC to world coordinates and store them in the origin and directionvector variables.

We calculate the direction vector after subtracting the origin from directionvector and storing the result in the direction vector (vec3.sub (directionVector, directionVector, origin) ;). As the direction vector is a unit vector, we normalize it (vec3.normalize (directionVector, directionVector) ;). We then return the origin and directionvector variables (return \{origin: origin, directionvector: directionVector\} ;) to the calling function.

## Checking for an intersection

Once we have created our ray, all we have to do is invoke the segment Intersect function of our collision system to get the intersecting object.

Open the RayCaster.js file from primitive/game in your favorite editor. The following code snippet is present in this file:

```
RayCaster=function(SCREEN_WIDTH,SCREEN_HEIGHT, camera) {
    this.camera=camera;
    this.screen_height=SCREEN_HEIGHT;
    this.screen_width=SCREEN_WIDTH;
    this.pickedObject=null;
};
RayCaster.prototype.pickObject=function(x,y,system) {
    var ray=this.makeRay(x,y);
    var directionVector=vec3.create();
    //The constant }100\mathrm{ is added to define the range of the ray. In
        our implementation, the ray is not infinite.
    vec3.scale(directionVector,ray.directionVector,100)
    var segment=new jigLib.JSegment(ray.origin,directionVector);
    var out={};
    var cs=system.getCollisionSystem();
    if(cs.segmentIntersectGame(out, segment, null)) {
        if(this.pickedObject){
                this.pickedObject.isPicked=false;
            }
        returnout.rigidBody;
    }
}
```

The constructor of the RayCaster class takes the width and height of the canvas and the camera object as parameters and stores them in the class variables.

The function, pick0bject, takes the x and y canvas click coordinates and the physics system object (system). It first invokes the makeray function of its class to get the computed origin and directionvector variables and stores them in the ray object (ray.origin, ray.directionVector). Then, it scales directionVector by 100 as the JSegment class takes the _origin and _delta (length and direction of the vector) parameters.

Then, we create a segment object and invoke cs.segment IntersectGame (out, segment, null). If the function returns true, we unselect the active picked object by setting its isPicked attribute to false and return the selected rigidBody object to the calling function. We have added another attribute, isPicked, to our stageObject class, so when a new object is picked, we can unselect the old one.

## Changing the color of the selected object

Now we are at the climax of the story. We will now walk through the complete implementation to understand the changes in our main code to change the color of our selected/picked object.

Open 09-Picking-Using-Ray-Casting.html in your editor.
We first create the object of our RayCaster class with the height and width of the canvas and the camera object as the attributes. The start () function is as follows:

```
function start() {
    rayCaster=new RayCaster(gl.viewportWidth,gl.viewportHeight,cam);
...
    var parent=document.getElementById('canvas');
    parent.onmousedown=function(e) {
        var x, y, top = 0, left = 0;
        while (parent&&parent.tagName !== 'BODY')
        {
            top += parent.offsetTop;
            left += parent.offsetLeft;
            parent = parent.offsetParent;
        }
        left += window.pageXOffset;
        top -= window.pageYOffset;
        x = e.clientX - left;
        y = gl.viewportHeight - (e.clientY - top);
        var rigidBody=rayCaster.pickObject(x,y,system);
```

```
        stage.stageObjects[rigidBody._id].isPicked=true;
        rayCaster.pickedObject=stage.stageObjects[rigidBody._id];
    };.............
}
```

We attach an onmousedown event to our canvas object. When the mouse is clicked, we calculate the mouse click's $x$ and $y$ coordinates using the sum of offsetLeft/ offsetTop of the canvas's parent objects. Then, we invoke the pickObject function of our rayCaster object and the pickObject function returns the object of the selected rigidBody object. The _id parameter of the rigidBody object is retrieved. This _id parameter is the index of the stageObject in the stageObjects array. We retrieve the selected stageObject and set its isPicked property to true (stage.stageObjects [rigidBody._id].isPicked=true;) and store the selected stageObject in the pickedobject attribute of the RayCaster class (rayCaster. pickedObject=stage.stageObjects [rigidBody._id] ;). The pickedObject attribute of the RayCaster class is used to unset the isPicked property of the object when a new object is selected.

Remember all stage objects have an associated rigidBody object, which is initialized when the addModel function of the Stage class is invoked with the stageobject as the parameter.

Our drawScene function is as follows:

```
function drawScene() {
    for(var i=0;i<stage.stageObjects.length;++i){
    if(stage.stageObjects[i].isPicked)
    {
            gl.uniform3f(shaderProgram.materialDiffuseColor,0,255,0);
    }
    else
    {
            gl.uniform3f(shaderProgram.materialDiffuseColor,
                stage.stageObjects[i].diffuseColor[0],
                stage.stageObjects[i].diffuseColor[1],
            stage.stageObjects[i].diffuseColor[2]);
    }
    if(stage.stageObjects[i].materialFile!=
        null&&!stage.stageObjects[i].isPicked){
    gl.uniform1i(shaderProgram.hasTexture,1);
    }
```

```
    else{
    gl.uniform1i(shaderProgram.hasTexture,0);
    gl.disableVertexAttribArray(shaderProgram.
            textureCoordAttribute);
    }
}
}
```

We have also modified our drawScene function to change the color of our picked object. While iterating over our array of stageObjects, if any object's isPicked attribute is true, we set our own diffuse color (gl .uniform3f (shaderProgram. materialDiffuseColor, $0,255,0$ ) ;). We do not use the diffuse color loaded from the JSON file. We apply a texture only if the isPicked property is false. Earlier, we only checked if the materialFile variable was associated with it, but now we also check for the isPicked property.


The j igLib. JSegment class was created only for ray casting and not picking. In many physics engines, you will see that in the picking code, the ray takes only the direction and not the length of the ray (infinite ray). Hence, when you test the picking, you will have to steer the camera close to the object using arrow keys to pick it.

## Offscreen rendering using framebuffers

WebGL games sometimes require the rendering of images without displaying them to the user or screen. For example, a game may want to draw the offline image and then cache it to save the reprocessing time. Offscreen rendering is also used to generate shadows of objects. Another example; our game might want to render an image and use it as a texture in a filter pass. For best performance, offscreen memories are managed by WebGL. When WebGL manages offscreen buffers, it allows us to avoid copying the pixel data back to our application.

WebGL has framebuffer objects. The framebuffers allow our game to capture a game scene in the GPU memory for further processing.

A framebuffer object (FBO) is a drawable object. It is a window-agnostic object that is defined in the WebGL standard. After we draw to a framebuffer object, we can read the pixel data to our game or use it as source data for other WebGL commands.

Framebuffer objects have a number of benefits. They are easy to set up, save memory, and are associated with a single WebGL context. We can use them for 2D pixel images and textures. The functions used to set up textures and images are different. The WebGL API for images uses renderbuffer objects. A renderbuffer image is simply a 2D pixel image. To explain this better, a texture has only the associated color value but a 2D pixel image has a color value and depth information.

We store the color data in a WebGL texture object but store the depth value in a renderbuffer object.

## Creating a texture object to store color information

In the following code, first we create a texture object. The texture object is bound to context for further processing. See Chapter 4, Applying Textures, to understand the parameters. Also, notice that the last parameter, null, is an API call gl.texImage2D. In this parameter, we generally pass the image data, but as we are creating the texture buffer for storing data, we pass null to just create memory. Also, the width and height are that of the canvas:

```
frametexture = gl.createTexture();
gl.bindTexture(gl.TEXTURE_2D, frametexture);
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MAG_FILTER,
    gl.NEAREST);
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_MIN_FILTER,
    gl.NEAREST);
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_WRAP_S,
    gl.CLAMP_TO_EDGE);
gl.texParameteri(gl.TEXTURE_2D, gl.TEXTURE_WRAP_T,
    gl.CLAMP_TO_EDGE);
gl.texImage2D(gl.TEXTURE_2D, 0, gl.RGBA, width, height, 0,
    gl.RGBA, gl.UNSIGNED_BYTE, null);
```


## Creating a renderbuffer for depth information

We create a renderbuffer and bind it to apply further functions on it. Then, we allocate the storage for the renderbuffer. It is of the same size as the texture, with 16-bit storage for the depth component. Other options are gl.DEPTH_COMPONENT8 and gl.DEPTH_COMPONENT24. The createRenderbuffer () function is as follows:

```
renderbuffer = gl.createRenderbuffer();
gl.bindRenderbuffer(gl.RENDERBUFFER,renderbuffer);
gl.renderbufferStorage(gl.RENDERBUFFER, gl.DEPTH_COMPONENT16,
    width, height);
```


## Associating a texture and a renderbuffer to framebuffers

We first create our framebuffer. We associate our texture using the framebufferTexture2D API call and then associate our renderbuffer with the framebufferRenderbuffer API call:

```
framebuffer = gl.createFramebuffer();
gl.bindFramebuffer(gl.FRAMEBUFFER, framebuffer);
gl.framebufferTexture2D(gl.FRAMEBUFFER, gl.COLOR_ATTACHMENT0,
    gl.TEXTURE_2D, frametexture, 0);
gl.framebufferRenderbuffer(gl.FRAMEBUFFER, gl.DEPTH_ATTACHMENT,
    gl.RENDERBUFFER, renderbuffer);
```

Then, we unbound the framebuffer and the renderbuffer as follows:

```
gl.bindTexture(gl.TEXTURE_2D, null);
gl.bindRenderbuffer(gl.RENDERBUFFER, null);
gl.bindFramebuffer(gl.FRAMEBUFFER, null);
```


## Rendering to framebuffers

If we want to render to the framebuffer, we simply make it the bound buffer object. Remember the user display also happens in the display framebuffer, which is the active bound buffer or default buffer. If we make any other buffer the active bound buffer, it becomes the rendering target and when we want to render to the screen, we simply unbind it and the default buffer becomes the active bound buffer. The bindFramebuffer function is as follows:

```
gl.bindFramebuffer(gl.FRAMEBUFFER, framebuffer);
drawScene();
gl.bindFramebuffer(gl.FRAMEBUFFER, null);
```


## Applying filters using framebuffers

Framebuffers are a very powerful extension to the WebGL API. A whole separate book can be written to explore its power, but we would like to confine ourselves to exploring it in a use case that is mostly used in game engines: post processing filters. So, let's understand what they are. Let's say that you want to render your game scene and give a user the perception that your game is being viewed using night vision goggles. Now, the night vision goggles give a perception of the green color all over the rendered scene. Let's say you want to give the perception of day and night in your game without creating static texture assets. There are many filter effects such as blur, glow, snow, and edge detection that we can apply.

In our example, to keep things simple, we add scan lines to our scene. We would like our scene to appear similar to the following screenshot:


If you notice in the preceding screenshot, we have rendered the scene without applying filters and another one with filters. The scene in the lower section of the preceding screenshot has a shade of green with alternate scan lines with dark and light green colors. We used a very simple algorithm to produce this effect so that our focus is on how we do it in WebGL and not in the shader algorithm. You can use many complex algorithms in shaders to produce this effect such as edge detection using the Sobel operator (http://en.wikipedia.org/wiki/Sobel_operator).

So, let's understand the algorithm of filters:

1. Create a vertex and fragment shader to process the image.
2. Create a framebuffer.
3. Render the scene in the framebuffer with the associated texture and renderbuffer.
4. Use the new shaders to render the image.
5. Render the processed image.

In the preceding steps, we never render the scene. In fact, we render only the processed image. Some might think that our click events and other things would not work because we are rendering the image, which is not true. Basically, we process or create the framebuffer on every frame and then display the processed texture.

Also note that the first step tells you to create new shaders. The new shaders are used only to render the image in a square primitive. Now, we will have two different shaders, one set of fragment and vertex shaders to render the scene in the framebuffer and a new shader to render the image.

We will add two very simple shaders in our code and also change our main control code to load and link these shaders.

## The vertex shader

The following vertex shader is pretty straightforward. It takes texture coordinates and the model vertices as attributes. We store the texture coordinate in a varying, vTextureCoord, to be processed by the fragment shader:

```
<script id="scanlines-vertex-shader" type="x-shader/x-vertex">
attribute vec3 aVertexPosition;
attribute vec2 aTextureCoord;
varying vec2 vTextureCoord;
void main(void) {
    vTextureCoord = aTextureCoord;
    gl_Position = vec4(aVertexPosition,1.0);
}
</script>
```


## The fragment shader

The fragment shader uses a simple algorithm to add scan lines. First, we read the color of the texture at the vTextureCoord location. Then, based on the $y$ value of the texture coordinate, we decide if we want to multiply our color value with a factor ( 0.80 ) or not. We play with the $y$ coordinate as we want horizontal scan lines. If we wanted vertical scan lines, we would have manipulated the color based on the $x$ coordinate. The following code is for the fragment shader:

```
<script id="scanlines-fragment-shader" type="x-shader/x-fragment">
precisionhighp float;
uniform sampler2D uSampler;
const float canvasHeight=650.0;
varying vec2 vTextureCoord;
void main(void)
{
    vec4 color = texture2D(uSampler, vTextureCoord);
    if(mod(vTextureCoord.y,(4.0/canvasHeight))>(1.0/canvasHeight))
    color.rgb*=0.80;
    color.rgb*=pow(1.0-length(vTextureCoord.xy-0.5),1.3);
    color.rgb*=vec3(0.93,1.0,0.93);
    gl_FragColor = vec4(color.rgb,1.0);
}
</script>
```

The fragment shader is where the post-processing happens. Let's understand how it works. In the following fragment shader, we are not manipulating the texture color. This would render the scene exactly the same. So basically, we pass the texture from the framebuffer as a uniform to the shader and the shader simply displays the texture as shown in the following code:

```
<script id="scanlines-fragment-shader" type="x-shader/x-fragment">
precisionhighp float;
uniform sampler2D uSampler;
varying vec2 vTextureCoord;
void main(void)
{
    vec4 color = texture2D(uSampler, vTextureCoord);
    gl_FragColor = vec4(color.rgb,1.0);
}
</script>
```

Now, in the following fragment shader, we simply reverse the color of the textures. We subtract each texture color component from 1 as shown in the following code:

```
<script id="scanlines-fragment-shader" type="x-shader/x-fragment">
precisionhighp float;
uniform sampler2D uSampler;
varying vec2 vTextureCoord;
void main(void)
{
    vec4 color = texture2D(uSampler, vTextureCoord);
    gl_FragColor = vec4(1-color.r,1-color.g,1-color.b,1.0);
}
</script>
```

So basically, the complete post-processing of the image happens in the fragment shader, although we can also preprocess an image in the main code by using the readPixels function of the WebGL API. However, this would add to the processing time as we would be iterating over the pixels of the image twice: once in the control code and the second time in the fragment shader. However, in some cases, it might be unavoidable.

## Loading and linking shaders

We have modified our code to load and link two shaders. We added a generic function which loads common attributes and uniforms, required for both shaders. The common attributes are aVertexPosition for vertex positions and aTextureCoord for texture coordinates. The common uniform is uSampler for the texture. The initShaderCommon function is as follows:

```
function initShaderCommon(vertexShaderID,fragmentShaderID,prg){
    var fragmentShader = getShader(gl,vertexShaderID );//"shader-fs"
    var vertexShader = getShader(gl, fragmentShaderID);//"shader-vs"
    gl.attachShader(prg, vertexShader);
    gl.attachShader(prg, fragmentShader);
    gl.linkProgram(prg);
    if (!gl.getProgramParameter(prg, gl.LINK_STATUS)) {
        alert("Could not initialiseshaders");
    }
    prg.vertexPositionAttribute = gl.getAttribLocation(prg,
        "aVertexPosition");
    prg.textureCoordAttribute = gl.getAttribLocation(prg, "aTex
        tureCoord");
}
```

The preceding function, initShaderCommon, takes three parameters: vertexShaderID, fragmentShaderID, and prg. The vertexShaderID and fragmentShaderID parameters are element IDs of the script tag, which are described in the following code:

```
<script id="scanlines-vertex-shader" type="x-shader/x-vertex">
</script>
<script id="scanlines-fragment-shader" type="x-shader/x-fragment">
</script>
```

Our two new shader programs are defined by IDs, "scanlines-fragment-shader" and "scanlines-vertex-shader". The prg object is the shader program object to hold the compiled program:

```
var shaderProgram;
var postProcessShaderProgram;
```

Hence, we have created two shader program objects for two different shader programs:

```
postProcessShaderProgram = gl.createProgram();
initShaderCommon("scanlines-vertex-shader","scanlines-fragment-
    shader",postProcessShaderProgram) ;
shaderProgram = gl.createProgram();
initShaderCommon("shader-vs", "shader-vs",shaderProgram)
}
```

We have two shader programs. We initialize them, link them, and attach attributes to them. Note that we do not use either of them for rendering. We only use them for rendering when we say gl. useProgram (postProcessShaderProgram). What we are trying to emphasize is a very useful concept in powerful game engines. A good game engine has many shaders. They compile some shaders and link them, but use those shaders as and when required.

In our case, we are using one shader to render the complete scene to the framebuffer (shaderProgram) and the other shader to render the texture (postProcessShaderProgram). Big games use different shaders to render different objects in the scene. In our render loop, when we iterate over the list of stageObjects, we can use different shaders for each object by invoking the gl . useProgram function.

## Understanding the square geometry code

We have added a new geometry, a square. This geometry will be used to render our texture. Open SquareGeometry.js from the primitive folder in your editor.

The SquareGeometry class defines four corner vertices and four UV coordinates. Then we declare our two faces of two triangles. The indices of the two triangles for each face are $[0,1,2]$ and $[2,1,3]$ :

```
SquareGeometry = inherit(Geometry, function ()
{
    superc(this);
    this.vertices=[
        -1.0,-1.0,0.0,//0
        1.0,-1.0,0.0,//1
        -1.0, 1.0,0.0,//2
        1.0, 1.0,0.0//3
    ];
    var uvs=[ 0.0, 0.0,
        1.0, 0.0,
        0.0, 1.0,1.0,1.0];
    var face = new Face();
    face.a=0;
    face.b=1;
    face.c=2;
    this.faces.push( face );
    var face = new Face();
    face.a=2;
    face.b=1;
    face.c=3;
    this.uvs[0]=uvs;
    this.indicesFromFaces();
});
```

The other class we have added is Square which inherits the StageObject class. Open Square.js from the primitive folder in your editor. We just added this class to keep the architecture intact and also to reuse the buffer creation code:

```
Square= inherit(StageObject, function (){
    superc(this);
    this.geometry=new SquareGeometry();
    this.materialFile="framebuffer";
}) ;
```


## Implementing the filter

Let's put all the pieces together. Open 09-Filters-FrameBuffer-Scan-Lines.html in your editor.

We first declare all our variables as follows:

```
var shaderProgram;
var postProcessShaderProgram;
var frametexture = null;
var framebuffer = null;
var renderbuffer = null;
var square=null;
```

The first two variables are used to hold shader program objects while the next three variables are used to hold the texture, framebuffer, and renderbuffer objects.

The bindPostProcessShaderAttributes() function is as follows:

```
function bindPostProcessShaderAttributes(){
    postProcessShaderProgram = gl.createProgram();
    initShaderCommon("scanlines-vertex-shader","scanlines-fragment-
        shader",postProcessShaderProgram);
    square=new Square();
    square.createBuffers(gl);
    createFrameBuffer();
}
```

The preceding function initializes the shader program and initializes the SquareGeometry class. We also invoke our createFrameBuffer () function. The createFrameBuffer () function does exactly as expressed in section Offscreen rendering using framebuffers. The only important section of the code has been listed here. The gl.texImage2D function is invoked with the null parameter because memory is being allocated. We create a renderbuffer and also create memory to hold texture depth using the API call renderbufferStorage. We then associate the renderbuffer and texture to our framebuffer object.

The important thing to note is that the frametexture and renderbuffer variables take the size (height, width) of the viewport:

```
functioncreateFrameBuffer(){
    var width=gl.viewportWidth;
    var height=gl.viewportHeight;
    frametexture = gl.createTexture();
//...
```

Ray Casting and Filters

```
    gl.texImage2D(gl.TEXTURE_2D, 0, gl.RGBA, width, height, 0,
    gl.RGBA, gl.UNSIGNED_BYTE, null);
    renderbuffer = gl.createRenderbuffer();
// ...
    gl.renderbufferStorage(gl.RENDERBUFFER, gl.DEPTH_COMPONENT16,
        width, height);
    framebuffer = gl.createFramebuffer();
    gl.bindFramebuffer(gl.FRAMEBUFFER, framebuffer);
    gl.framebufferTexture2D(gl.FRAMEBUFFER, gl.COLOR_ATTACHMENT0,
        gl.TEXTURE_2D, frametexture, 0);
    gl.framebufferRenderbuffer(gl.FRAMEBUFFER, gl.DEPTH_ATTACHMENT,
        gl.RENDERBUFFER, renderbuffer);
}
```

The start () function initializes the shaders and invokes the bindPostProcessShaderAttributes() function:

```
function start() {
...
    initShaders("shader-vs","shader-fs");
    bindPostProcessShaderAttributes();
}
```

The last part is the rendering logic. We changed our animate function to invoke the draw () function instead of the drawScene () function:

```
function animate(){
    draw();
}
```

The draw () function now does two things:

- Makes our framebuffer the active bound buffer so that the scene can render offscreen and then invokes drawScene () to render the scene.
- Unbinds the framebuffer to use the default display framebuffer and then invokes drawScenePostProcess (). Now the texture is drawn on the screen.

The draw () function is defined as follows:

```
function draw(){
    // resizeSize();
    gl.bindFramebuffer(gl.FRAMEBUFFER, framebuffer);
    drawScene();
```

```
    gl.bindFramebuffer(gl.FRAMEBUFFER, null);
    //Postprocessing
    drawScenePostProcess();
}
```

The drawScene () function is modified to use the shaderProgram parameter to render the scene:

```
functiondrawScene() {
    gl.useProgram(shaderProgram);
}
```

The drawScenePostProcess () function scene basically prepares attributes and uniforms to render the texture on the square. It also switches to the new shader using gl.useProgram:

```
function drawScenePostProcess() {
    gl.useProgram(postProcessShaderProgram);
    gl.enableVertexAttribArray(postProcessShaderProgram.
        vertexPositionAttribute);
    gl.bindBuffer(gl.ARRAY_BUFFER, square.vbo);
    gl.vertexAttribPointer(postProcessShaderProgram.
        vertexPositionAttribute, square.vbo.itemSize, gl.FLOAT, false,
        0, 0);
    gl.enableVertexAttribArray(postProcessShaderProgram.
        textureCoordAttribute);
    gl.activeTexture(gl.TEXTUREO);
    gl.bindTexture(gl.TEXTURE_2D, frametexture);
    gl.uniform1i(gl.getUniformLocation(postProcessShaderProgram,
        "uSampler"), 0);
    gl.bindBuffer(gl.ARRAY_BUFFER, square.verticesTextureBuffer);
    gl.vertexAttribPointer(postProcessShaderProgram.
        textureCoordAttribute, 2, gl.FLOAT, false, 0, 0);
    gl.bindBuffer(gl.ELEMENT_ARRAY_BUFFER, square.ibo);
    gl.drawElements(gl.TRIANGLES, square.geometry.indices.length,
        gl.UNSIGNED_SHORT,0);
}
```

The preceding function informs WebGL to use the new shader program. It then activates the vertex buffer object and index buffer object of the square object and associates the indices and vertices to the buffers to be processed by the shader. It also uploads the frameTexture object to the zeroth texture location. The zeroth location is associated with the uSampler uniform to be processed in the shader. Note that the frameTexture object is associated with the framebuffer object which in turn is populated in the drawScene () call.

## Summary

In this chapter, we covered four very frequently used concepts in game development. The first part of the chapter covered two concepts, picking and ray casting. Ray casting is the most widely used concept for game AI and collision detection. Picking is mostly used by CAD software but is a very powerful tool to build user preference screens in games. For instance, you use picking to let users pick car parts in a car racing game where you can actually display parts in 3D.

The next two concepts we covered were the use of framebuffers to apply filters in games and the use of multiple shaders in a game. Both concepts are very powerful to help you build high performance games. In games, we generally have a generic shader to render objects. In some cases, we might need specific shaders to render an object such as a shader to render the main character or add particle effects in a game. Like in our case, we have added one more shader for filters/post processing.

In the next chapter, we will discuss the 2D canvas and how it is helpful to create sprite labels in a game. We will also touch upon multiplayer games.

## 10

## 2D Canvas and Multiplayer Games

In all our previous chapters, we have discussed 3D rendering in-depth but have not discussed 2D rendering. In this chapter, we will discuss the canvas 2D context, which is a very important aspect of game development. The canvas 2D context offers a very powerful drawing API.

We will also discuss the concepts of HTML-based multiplayer games. We will then discuss Node.js and the Socket.IO API to implement a spectator player who can see what is happening in the game. In this chapter, we will cover:

- Canvas 2D basics and the drawing API
- 2D sprites for model labels and game scores
- Real-time communication: HTTP long polling and WebSockets
- Node.js: Socket.IO
- Sample implementation of the multiplayer game: a spectator player


## Understanding canvas 2D basics and the drawing API

The 2D context provides objects, methods, and properties to draw and manipulate graphics on the drawing surface of a canvas. Refer to the link http: //www. w3schools.com/html/html5_canvas.asp to learn more about canvas 2D. The following is some example code for the canvas element:

```
<html>
<canvas id="canvasElement"></canvas>
</html>
```

```
<script>
this.canvas = document.getElementById("canvasElement");
this.ctx = this.canvas.getContext('2d');
</script>
```

The canvas element has no drawing properties in itself and we use a script to draw graphics. The getcontext method returns the object, which provides methods to draw text, lines, shapes, and graphics on the canvas.

The following code walks you through the methods of the 2D context object returned from the getContext method:

```
var c=document.getElementById("myCanvas");
var ctx=c.getContext("2d");
ctx.fillStyle="#FF0000";
ctx.fillRect(0,0,10,10);
```

The fillstyle property will fill the rectangle with the red color. The following code gets an image object and fills rect $(0,0,100,100)$ with the image:

```
var img=document.getElementById("ball");
var patttern=ctx.createPattern(img,"repeat");
ctx.rect(0,0,100,100);
ctx.fillStyle=patttern;//fill pattern image
ctx.fill();
```

The following code sets fill color and text alignment and then draws the text at the given coordinates, textX and texty. The ctx.measureText (txt) .width function is a text metrics function. It will give you the width of the text at the specified font style and font size:

```
ctx.fillStyle = #FF0000; // This determines the text color, it can
    take a hex value or rgba value (e.g. rgba(255,0,0,0.5))
ctx.textAlign = "center"; // This determines the alignment of
    text, e.g. left, center, right
ctx.textBaseline = "middle";
ctx.font="14px Georgia";
var txt="My width";
ctx.fillText(txt+ctx.measureText(txt).width, textX, textY);
```

The following code introduces another powerful concept of transforms in the drawing API. The ctx.transform () function sets the transformation matrix before the next drawing API call:

```
var c=document.getElementById("myCanvas");
var ctx=c.getContext("2d");
ctx.fillStyle="green";
```

```
ctx.fillRect(0,0,250,100)
ctx.save();//Saves the state
ctx.transform(1,0.5,-0.5,1,30,10);
ctx.fillstyle="black";
ctx.fillRect(0,0,250,100);
ctx.restore();// restores the state
```

The transformation matrix of a 2D object is denoted by a $3 \times 3$ matrix, which is shown as follows:

| Scale Horizontally (a) | Skew Vertically (c) | Moves Horizontally (e) |
| :---: | :---: | :---: |
| Skew Horizontally (b) | Scale Vertically (d) | Moves Vertically (f) |
| 0 | 0 | 1 |

The preceding matrix describes the parameters of the transform () function call. Also, the canvas 2D object is a state machine. The next transform() function call will act upon the previous transformation. Hence, we use the ctx.save () function to store the current state and make our transform call and then invoke the ctx. restore () function to revert to the previous state. The store function call does not just store the transformations but also other state values such as the fill color.

For further understanding of the 2D context, refer to http://www. whatwg.org/specs/ web-apps/current-work/multipage/the-canvas-element.html\#2dcontext.

## Using canvas 2D for textures

Canvas 2D can be used for many 2D HTML games. If a canvas 2D object is not a part of the WebGL specification, then why are we discussing it?

This is because a canvas 2D object can be directly passed as a texture to the WebGL texture API call. In the following code, if you notice in the gl.texImage2D WebGL API call, we pass the canvas object as the image data parameter (document. getElem entById("canvasElement")):

```
<html>
<canvas id="canvasElement"></canvas>
</html>
var texture=this.gl.createTexture();
this.gl.bindTexture(this.gl.TEXTURE_2D, texture);
this.gl.texImage2D(this.gl.TEXTURE_2D, 0, this.gl.RGBA,
    this.gl.RGBA, this.gl.UNSIGNED_BȲTE,document.getElementById("canvas
Element"));
this.gl.generateMipmap(this.gl.TEXTURE_2D);
this.gl.texParameteri(this.gl.TEXTURE_2D,
    this.gl.TEXTURE_MAG_FILTER, this.gl.LINEAR);
```

```
this.gl.texParameteri(this.gl.TEXTURE_2D,
    this.gl.TEXTURE_MIN_FILTER, this.gl.LINEAR_MIPMAP_NEAREST);
this.gl.bindTexture(this.gl.TEXTURE_2D, null);
```

Canvas 2D offers a very powerful drawing API, which can be used to generate dynamic textures in our game. It has numerous utilities such as manipulating images to drawing 2D text in our 3D game. WebGL does not directly offer us functions to draw text or manipulate pixel data in an image, hence the canvas 2D API comes in handy.

We will use the canvas 2D API to draw game stats and model labels in our code.

## Adding 2D textures as model labels

In this section, we will discuss how we use dynamic textures to add labels to players in a game. In a multiplayer game environment, you may need to label your players with their usernames. Also, if you want to add stats overlay to your game, you can do it using two methods; either we use CSS overlays over our game canvas or use texture sprites and render it inside the canvas. If we plan to use the second method, we need a texture with text. Let's take a look at the following screenshot:


In the preceding screenshot, we have a label Mr. Red placed on top of our model and a red bar denoting the remaining power in the model (game stats). Now, the sprite that displays this information is a quad/square geometry with a dynamic texture. Also, the sprite faces the camera after it has been rotated. Hence, the sprite class should have the following features:

- It should be placed at a defined delta distance from the model and should move with the model.
- It should rotate when the camera rotates.

So to achieve the preceding features, we need three things: a quad geometry, a dynamic texture (canvas object), and a sprite class that inherits the Stageobject class and binds the geometry to the texture.

## Using the sprite texture

We will start our learning with evolving the sprite texture, which writes the text (model name) and generates the power bar.

We will try to build a generic class that can handle the following:

- The multiline text, if the text exceeds the maximum width
- Calculates the dynamic height and width of the sprite (canvas), based on font style, font size, and length of the text

Open the SpriteTexture.js file from client/primitive in the code files of this chapter in your text editor. The constructor takes the canvas element, elemId, as the parameter to render the text in:

```
SpriteTexture = function (elemId) {
    this.canvas = document.getElementById(elemId);
    this.ctx = this.canvas.getContext('2d');
    this.textSize=56;
    this.maxWidth=256;
    this.backgroundColor="#ffffff";
    this.color="#333333";
    this.powerColor="#FF0000";
    this.power=7;
    this.fullPower=10;
    this.squareTexture=false;
}
```

It first gets the object of the canvas element and then gets the reference to its context object. The default values of backgroundColor, color (text color), and powerColor are defined in the constructor. Also, the maxWidth value of the sprite is defined, in case the text is very long. The this. power variable holds the relative strength value with maximum being 10 (this.fullPower).

Then, we define two functions, SpriteTexture. prototype.createMultilineText and SpriteTexture.prototype.measureText. The measureText function is shown in the following code snippet:

```
SpriteTexture.prototype.measureText=function(textToMeasure) {
    return this.ctx.measureText(textToMeasure).width;
}
```

The measureText function is straightforward. It uses the ctx.measureText function of the canvas 2D API to get the width of the text.

The createMultilineText function is shown in the following code snippet:

```
/*
text is an array that holds the split multiline text.
TextData holds the text data to be split.
*/
SpriteTexture.prototype.createMultilineText=function(textData,text
    ) {
    textData = textData.replace("\n"," ");
    var currentText = textData;
    var newText;
    var subWidth = 0;
    var maxLineWidth = 0;
    var wordArray = textData.split(" ");
    var wordsInCurrent, wordArrayLength;
    wordsInCurrent = wordArrayLength = wordArray.length;
    while(this.measureText (currentText)
        >this.maxWidth&&wordsInCurrent> 1) {
        wordsInCurrent--;
        var linebreak = false;
        currentText = newText = "";
        //currentText holds the string that fits in max width
        //newText holds the string left.
        // The loop iterates over the words to copy the words to
        current text or new text
        for(var i = 0; i<wordArrayLength; i++) {
            if (i<wordsInCurrent) {
                    currentText += wordArray[i];
```

```
                if (i+1 <wordsInCurrent) { currentText += " "; }
                }
            else {
                    newText += wordArray[i];
                    if( i+1 <wordArrayLength) { newText += " "; }
            }
        }
    }
    text.push(currentText);
    maxLineWidth = this.measureText(currentText);
    if(newText) {
        subWidth = this.createMultilineText(newText,text);
        if (subWidth>maxLineWidth) {
            maxLineWidth = subWidth;
        }
    }
    return maxLineWidth;
}
```

The preceding function, createMultilineText, performs two tasks:

- Stores split lines of text in the text array
- Returns the maximum width of the string with the text array

The function first replaces the newline $(\backslash n)$ characters with spaces and then splits the text into words and stores them in the wordArray array.

The while loop iterates until the length of the current Text variable is not less than the maxwidth variable. Basically, the code in the loop first concatenates the wordsInCurrent (which is 1 subtracted from the value of wordArrayLength) words in the currentText variable and concatenates the rest of the words in the newText variable. It then checks the length of current Text, if it is still greater than the value of maxWidth. Then, it copies words InCurrent (which is 2 subtracted from the value of wordArrayLength) to see if it fits. It continues to copy one word less to currentText until the width of the text is less than the value of maxwidth. Then, it invokes itself recursively with the newText variable (concatenated words greater than the value of maxWidth), which holds the rest of the words after storing the current Text variable in the text array. It also compares the length of the returned subwidth variable with maxLineWidth, to get the width of the longest string in the text array.

We also added a powerOftwo function to calculate the width of canvas:

```
SpriteTexture.prototype.powerOfTwo=function(textWidth, width) {
    var width = width || 1;
    while(width<textWidth) {
        width *= 2;
    }
    return width;
}
```

This function is important as most WebGL implementations require that the texture dimensions must be in the power of two. Now if the width of our text becomes 150, then our canvas size has to be 256 . If the width is 100 , then the width of the canvas has to be 128. The width of the canvas is equal to the size of texture. This function sets the width to 1 and multiplies it by 2 until the width is greater than the passed textWidth variable.

The complete drawing happens in the createTexture function, which is defined as follows:

```
SpriteTexture.prototype.createTexture=function(textData) {
    var text=[];
    var width=0;
    var canvasX=0;
    var canvasY=0;
    //Sets the font size
    this.ctx.font=this.textSize +"px Georgia";
```

If the text width is greater than the value of maxwidth, then we invoke the createMultilineText function to store the split text in the text array; otherwise, we store the string in the text array. Basically, the text array stores the string lines to be rendered. For the multiline text, we use the width returned by the createMultilineText function, otherwise we use the width of the passed string using the canvas API's measureText function. We pass the calculated width to the powerOfTwo function to calculate the appropriate width. The following code snippet explains the working of the the createTexture function:

```
// If the text width is greater than maxWidth, then call
    multiline, else, store the string in text array.
if (this.maxWidth&this.measureText(textData) >this.maxWidth ) {
    width = this.createMultilineText(textData,text);
    canvasX = this.powerOfTwo(width);
} else {
    text.push(textData);
    canvasX = this.powerOfTwo(this.ctx.measureText(textData).width);
}
```

We calculate canvasY with the font size (this.textSize), multiplied by the length of the text array plus one. We also add another 30 units, to add more length of the power bar:

```
canvasY = this.powerOfTwo(this.textSize*(text.length+1)+30);
    //+30 for power stats
```

Sometimes, we may require a square texture. In that case, we set the height or width to the greater of the two:

```
if(this.sqaureTexture) {
    (canvasX>canvasY) ? canvasY = canvasX : canvasX = canvasY;
        //For squaring the texture
}
this.canvas.width = canvasX;
this.canvas.height = canvasY;
```

We calculate the location of the text. Note that we set the $x$ location of the text to the half of the width of the canvas. This is because we set the text alignment to center using the following code:

```
var textX = canvasX/2;
var textY = canvasY/2;
this.ctx.textAlign = "center";
    // Sets the alignment of text, e.g. left, center, right
this.ctx.textBaseline = "middle";
```

We paint the background of the canvas using the ctx.fillRect API call:

```
this.ctx.fillStyle = this.backgroundColor;
this.ctx.fillRect(0, 0, this.ctx.canvas.width,
    this.ctx.canvas.height);
```

We set the font color using the following code:

```
this.ctx.fillStyle = this.color; // Sets the text color, it can
    take a hex value or rgba value (e.g. rgba(255,0,0,0.5))
```

We draw each line of the text by iterating over the text array and we calculate texty for each string line using the following code:

```
this.ctx.font=this.textSize +"px Georgia";
var offset = (canvasY - this.textSize*(text.length+1)) * 0.5;
for(var i = 0; i<text.length; i++) {
    if(text.length> 1) {
        textY = (i+1)*this.textSize + offset;
    }
    this.ctx.fillText(text[i], textX, textY);
}
```

Then, we draw our power bar based on the value of power using the following code:

```
this.ctx.fillStyle = this.powerColor;
this.ctx.fillRect(0, this.canvas.height-60,
    this.power*this.ctx.canvas.width/this.fullPower, 30);
```


## Using a square geometry

We will use the same class, SquareGeometry, that we created in Chapter 9, Ray Casting and Filters. Let's quickly refresh our memory. Open the SquareGeomtery.js file from client/primitive. The following code snippet is present in this file:

```
SquareGeometry = inherit(Geometry, function ()
{
    superc(this);
    this.vertices=[
        -1.0,-1.0,0.0,//0
        1.0,-1.0,0.0,//1
        -1.0, 1.0,0.0,//2
        1.0, 1.0,0.0//3
    ];
    var uvs=[ 0.0, 0.0,
                        1.0, 0.0,
                        0.0, 1.0,1.0,1.0];
    var normal = vec3.fromValues( 0, 0, 1 );
    var face = new Face();
    face.a=0;
    face.b=1;
    face.c=2;
    //...
    var face = new Face();
    face.a=2;
    face.b=1;
    face.c=3;
    // ...
});
```

The class first defines four vertices and four texture coordinates. Then, it creates two faces (triangles) using vertex indices $(0,1,2)$ for the first triangle and indices $(2,1,3)$ for the second triangle.

## Implementing the Sprite class

In the sprite class, we initialize our SquareGeometry and spriteTexture classes. Open the Sprite.js file from client/primitive/game in your editor.

The Sprite class is a general class and inherits the StageObject class:

```
Sprite= inherit(StageObject, function (){
    superc(this);
    this.geometry=new SquareGeometry();
```

It uses the date function to create the unique textureIndex and canvasId variables:

```
var currentDate=new Date();
this.textureIndex=currentDate.getMilliseconds();
this.materialFile=this.textureIndex;
this.canvasId="c_"+this.textureIndex;
```

For each sprite object, we create a new canvas element and add it to our HTML body. Then, we initialize our SpriteTexture class by passing the ID for our newly created canvas element. Also, note that we have set the style attribute of the canvas element to display: none so that it is not visible to the user, using the following code:

```
jQuery("body").append("<canvas id='"+this.canvasId+"'
    style='display:none'></canvas>");
this.spriteTexture=new SpriteTexture(this.canvasId);
this.backgroundColor="#ffffff";
this.color="#333333";
```

Also, as the default scale is $(1,1,1)$, we increased the size for our sprite by scaling it using the following line of code:
this.scale=vec3.fromValues (10,10,10);
\}) ;
The following function, drawText, in turn invokes the createTexture function of the SpriteTexture class:

```
Sprite.prototype.drawText=function(text){
    this.spriteTexture.backgroundColor=this.backgroundColor;
    this.spriteTexture.color=this.color;
    this.spriteTexture.createTexture(text);
}
```


## Implementing the ModelSprite class

This class inherits the sprite class. The objective of the class is twofold:

- Set the position of the sprite at a delta distance from the model so that it moves with the model
- Set the orientation of the sprite to face the camera

Open the ModelSprite.js file from client/primitive/game in your editor. The constructor takes two parameters: the model object (the sprite has to be associated with) and the camera object:

```
ModelSprite= inherit(Sprite, function (model,cam){
    superc(this);
    this.model=model;
    this.camera=cam;
    this.scale=vec3.fromValues(8,8,8) ;
    //The relative values to the model position
```

The delta distance from the model is initialized to zero as shown in the following code snippet:

```
    this.deltaX=0;
    this.deltaY=0;
    this.deltaZ=0;
}) ;
```

We have overridden the update function of the StageObject class:

```
ModelSprite.prototype.update=function(){
```

We have discussed on numerous occasions that the model matrix is the inverse of the camera matrix. Hence, we set this.matrixworld to the inverse of the camera matrix, as shown in the following line of code:

```
mat4.invert(this.matrixWorld,this.camera.viewMatrix);
```

Then, we scale our transformation matrix, this.matrixWorld, as shown in the following line of code:

```
mat4.scale(this.matrixWorld,this.matrixWorld,this.scale);
```

We then set the position of the sprite by setting the values of $m 30, m 31$, and $m 32$ indices of the this.matrixWorld array to the values got from adding the model positions and the delta values on the three axes, as shown in the following code:

```
this.matrixWorld[12]=this.model.position[0]+this.deltaX;
this.matrixWorld[13]=this.model.position[1]+this.deltaY;
this.matrixWorld[14]=this.model.position[2]+this.deltaZ;
}
```


## Understanding the main flow code

Open the 10-2D-Sprites-And-Text.html file from the client folder in your favorite editor.

We have only changed our loadStageObject function to add our Modelsprite class. Once our RiggedMesh class is loaded, we initialize our ModelSprite class with our RiggedMesh class' object and the camera class' object. We set deltay to render the sprite of 16 units above the model. We then add the texture to the texture array in the stage object.

Remember that we store textures and stageobject in the main stage object. The textures are mapped to stageObject with textureIndex. We did this so that if multiple objects use the same texture, then we do not load them multiple times, as explained in Chapter 6, Applying Textures and Simple Animations to Our Scene. The following code explains the loadStageObject function:

```
function loadStageObject(url,location,rotationX,rotationY,
    rotationZ ){
    //The relevant code changes
    if(data.bones){
        stageObject=new RiggedMesh();
        var sprite=new ModelSprite(stageObject,cam);
        sprite.deltaY=16;
        sprite.drawText("Mr. Red");
        stage.addTexture(sprite.textureIndex,sprite.canvasId,
            document.getElementById(sprite.canvasId),true,true);
        stage.addModel(sprite);
    }
    //The relevant code changes...
}
```


## Communicating in real time

Real-time communication is a problem that web developers have been trying to solve for a very long time. The problem is that the client can ping the web server, but the server cannot contact the client. The reason is that the client requests a web page, the server sends the response and the socket is closed. Although the HTTP 1.1 uses persistent connections for multiple requests response, it times out after a specified time. The directive behind a persistent connection is HTTP keep-alive.

This posed a problem in solving real-time communication issues using web servers and HTTP protocols. For example, in a multiplayer game, the information related to the user moving its character needs to be broadcast to all users playing the game. Earlier when we posted the game state to our web server, there was no robust and scalable solution to communicate this information to the other clients in the game room. Numerous techniques evolved to solve this problem. The most obvious solution was that we can write a JavaScript code to request the latest information from the server, using Ajax each second or once in two seconds, which is called polling. However, polling is not a scalable solution as it can swamp the web server with an unlimited number of requests. Even if the server did not have any information to offer, the server was pinged continuously by browsers. The only scalable solution was a server push. In this book, we will briefly discuss the two most widely used solutions that can be implemented with most web servers, and they are as follows:

- Long polling
- A new W3C standard - WebSockets


## Understanding Ajax long polling

Ajax long polling is the most prominent solution for real-time communication. Let's understand how long polling works:

- After a browser opens a web page, it has a JavaScript code that sends a request to the server.
- The server does not respond immediately and waits until it has some new information to give.
- When the new information is available, the server sends it over a keep-alive session.
- The moment the client receives the information, it sends another request.
- The important point to note is that in HTTP long polling, if the web page wants to request other information, then it opens another connection and does not use the same persistent connection. So, at any time, a maximum of two connections are opened.

The most prominent implementation is in the XMPP protocol in Bidirectional-streams Over Synchronous HTTP (BOSH), used for chatting over HTTP. The following screenshot demonstrates long polling in a chat system.

The following screenshot shows two HTTP requests. One lasted for 38.08 seconds. Don't worry, the server is not slow but whenever the server had new information, the request was completed. If the server did not have new information, the second request was in the pending state.

| The HTTP request lasted for 38.08s until the | ser | ad new | inform | tion to give. | $\begin{array}{r} \text { (from cache) } \\ 392 \mathrm{~B} \end{array}$ | $\begin{array}{r} 2 \mathrm{~ms} \\ 914 \mathrm{~ms} \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\square$ http-bind/ | POST | 200 | text/xml | isjac.is?138513007... | 516 B | 38.08 s |
| $\square 2$ | GET | 304 | text/html | iquery.min. 5713808 ... | 2078 | 1.04 s |
| $\square$ jquery.min.js 21380807488 | GET | 200 | applicatio... | 2:39 | (from cache) | 0 ms |
| $\square$ website.css71386146099 | GET | 200 | text/css | $2: 36$ | (from cache) | 0 ms |
| $\square$ css7family-Roboto:400,400italic | GET |  | text/css | 2:17 | (from cache) | 0 ms |
| $\square$ load-image.min.js71380807489 | GET | 200 | applicatio... | 2:18 | (from cache) | 4 ms |
| $\square$ jquery.autosize-min.js71380807488 | GET | 200 | applicatio... | 2.65 | (from cache) | 0 ms |
| $\square$ json2.js71380807488 | GET |  | applicatio... | 2:20 | (from cache) | 5 ms |
| $\square$ jquery.form.js71380807488 | CET | 200 | applicatio.. | ? 212 | (from cache) | 0 ms |
| $\square$ ajax-loader.gif | CET |  | image/gif | 2:343 | (from cache) | 0 ms |
| $\square$ CryjSncjrRCnOpdgVQsnFowDin1pK8aktelpez5c0A.woff | GET |  | font/woff | 2:18 | (from cache) | 0 ms |
| $\square$ 1po9eUAp8pSF8VnRTP3xnnYMubSpve47ee6xR_80Hnw.woff | GET | 200 | font/woff | 2:18 | (from cache) | 0 ms |
| $\square$ actor-regular-webfontwoff | GET |  | applicatio. | 2:18 | (from cache) | 0 ms |
| The HTTP request is still in pending state, lo | ng | g bec | use th | server has no | new in | nati |
| $\square$ savestatus | post | 200 | text/html | iquerv.min. ${ }^{\text {s }}$ /13808... | 395 B | 1.13 s |
| $\square \mathrm{http}$-bind/ | POST | (pending) | Pending | isjac.is?138513007... | 13 B | Pending |

## Understanding WebSockets

WebSocket is a new HTML5 feature for clients to communicate without the overhead of the HTTP protocol. The latest version is RFC 6455 (http://tools.ietf.org/ html/rfc 6455 ). It provides us with full duplex bidirectional communication between the server and the client, without using any HTTP methods. It has its own protocol specification and has its own API. It offers the most reliable, robust, scalable, high-performance solution. The beauty is that the communication can happen over the same port as HTTP. A WebSocket server can coexist with an HTTP server on the same port.

Before the communication starts, the client needs to perform a handshake with the server. The client sends a handshake request. The following sample request is an HTTP handshake request for an upgrade to the WebSocket protocol. Remember that the WebSocket server is set up on the same port as the HTTP server; hence, an upgrade request is important. The following is the sample request:

```
GET /chat HTTP/1.1
Host: server.multiplayergame.com
Upgrade: WebSocket
Connection: Upgrade
Sec-WebSocket-Key: lIHhbXBsZSBub25jZQ==
Origin: http://multiplayergame.com
Sec-WebSocket-Protocol: game
Sec-WebSocket-Version: 13
```

The following is the response from the server:

```
HTTP/1.1 101 Switching Protocols
Upgrade: WebSocket
Connection: Upgrade
Sec-WebSocket-Accept: s3pPLMBiTxaQ9kYGzzhZRbK+xOo=
Sec-WebSocket-Protocol: game
```

If you have noticed, the server switched protocols from HTTP to WebSocket.

## Understanding the WebSocket API

We want to introduce some WebSocket API functions implemented by most browsers. The following code opens a connection over a nonsecure port:

```
var connection = new WebSocket('ws://mygame.org:4000/game')
```

The wss protocol is for secure communication:

```
var connection = new WebSocket('wss://mygame.org:4000/game');
```

The second parameter, ['game '] , is a subprotocol to inform the server about the use of the connection:

```
var connection = new
    WebSocket('wss://mygame.org:4000/game',['game']);
```

The response handler when the connection is opened is shown in the following code snippet:

```
connection.onopen = function(){
    console.log('Congrats Connection opened!!!');
}
```

The response handler when the connection is closed is shown in the following code snippet:

```
connection.onclose = function(){
    console.log('Sorry Connection closed!!!');
}
```

To explicitly close the connection, use the following line of code:

```
connection.close();
```

The handler to handle any errors in connection is shown in the following code snippet:

```
connection.onerror = function(error){
    console.log('Shit something went bad: ' + error);
}
```

API calls to send and receive messages are shown in the following code snippet:

```
connection.send('Hey?');
connection.onmessage = function(e){
    var data = e.data;
    console.log(data);
}
```

Sending JSON messages are shown in the following code snippet:

```
var message = {
    'username': 'sumeet2k06',
    'comment': 'Trying to tell something about WebSockets'
};
connection.send(JSON.stringify(message));
```


## Understanding the WebSockets server

A regular HTTP server cannot handle WebSockets requests. We need to install libraries or some external servers to handle requests. There are many WebSocket servers. Two of them are listed as follows:

- phpwebsocket (https://code.google.com/p/phpwebsocket/) for PHP
- Socket.IO (http: //socket.io/) for Node.js

As our book uses JavaScript throughout, we would like to work with Node.js and Socket.IO. Also, Socket.IO offers a very powerful client-side JavaScript library, which works even if the browser does not support WebSockets.

## Using Node.js and Socket.IO for multiplayer games

Node.js is based on the event-based programming style, where the flow of the application is determined by the events. It is a new generation style of writing a scalable server-side code. Unfortunately, this book is not on Node.js; hence, we would like to completely keep our focus on Node.js-based HTTP servers and Socket. IO. For further reading, you can refer to the following links:

- Installing Node.js (http://howtonode.org/how-to-install-nodejs)
- Loading node modules (http://nodejs.org/api/modules.html)
- Emitter pattern (http://nodejs.org/api/all.html\#all_events)
- Stream (http://nodejs.org/api/all.html\#all_stream)

Our focus in this book is to discuss two modules of Node.js: HTTP and Socket.IO.

## Implementing the HTTP server using Node.js

Node.js comes with a built-in HTTP module. The following sample code listing explains how to work with a node HTTP server.


The first line will import an http module and can also be used to load the module installed by NPM.

Open the server.js file in your editor. It contains the following line of code:

```
var http = require('http');
```

The http module with the createServer function creates a server object:

```
var httpserver = http.createServer();
```

Node.js is completely event-based and an event defines the flow of code. It is basically asynchronous by design. When we start the server, it first creates the HTTP server object and waits for incoming HTTP requests. When it receives a request, the on event handler is invoked with the request (req) and response(res) as the parameters:

```
httpserver.on('request', function(req, res) {
```

After receiving the request, the server sets the HTTP header status code to 200 and sets the content type to plain text:

```
res.writeHead(200, {'Content-Type': 'text/plain'});
```

Then, it writes a string to the response objects:

```
res.write('Hello Game World!');
```

It then flushes the response buffer by invoking the end method:

```
res.end(); });
```

The server is set to start at port 4000 by the following line of code:

```
server.listen(4000);
```

Execute the following command to start the server:
node server.js
Let's walk through another sample code, which reads a file and sends its contents as a response:

```
var fs = require('fs');
var http=require('http')
var server=http.createServer(handler);
server.listen(4000);
function handler(req, res) {
    res.writeHead(200, {'Content-Type': 'video/mp4'});
    var rs = fs.createReadStream('test.mp4');
    rs.pipe(res);
}
```

The preceding code uses another powerful node module, $\mathrm{f} s$, which stands for filesystem. The fs module offers a wide variety of functions to read and write to file using streams.

The preceding code requests the $f s$ module object. It helps us create the file read stream. Then, when the server receives a request, it sets a response header content type to 'video/mp4'. Node.js offers a very powerful function, pipe. This function avoids the slow client problem. If the client is slow, we do not want to fill up our memory with unflushed buffers. So, we pause the read stream and when the consumer has finished reading the data, we resume. We do not want to manage the resuming and pausing of the buffers/streams. Hence, the pipe function manages it for you. It is a function of readable stream interface and takes the destination writable stream interfaces as an argument and manages the complete read/write cycle. In our case, the read stream (rs) is our file and the write stream is our response (res) object (rs.pipe(res) ;).

## Understanding Socket.IO

Socket.IO is available as a separate NPM module. It can be installed using the following command:

```
npm install socket.io
```

Socket.IO implements a socket server and also provides a unified client library that does not distinguish between clients, using WebSockets or any other type of mechanism such as flash sockets. It provides a unified API that abstracts away the implementation details of WebSockets.

Let's look at the basic socket server implementation:

```
var io = require('socket.io').listen(400);
io.sockets.on('connection', function (socket) {
    socket.on('any event', function(data) {
        console.log(data);
    });
});
```

The preceding code initializes a basic socket server and waits for requests at port number 4000 . The primary event handler is attached to the connection event. Once the server receives a connection request, it creates a socket object. The socket defines an event on the arbitrary label, any event. When the client emits an event with the any event label, this handler (function (socket)) is invoked. The label is just created to differentiate different kinds of messages that a client sends.

Let's look at a basic Socket.IO client's code:

```
<html>
<head>
<title>Socket.IO example application</title>
<scriptsrc="http://localhost:400/js/socket.io.js"></script>
<script>
    var socket = io.connect('http://localhost:4000');
    socket.emit('any event', 'Hello Game world.');
</script>
</head>
<body></body>
</html>
```

In the preceding code, we have included js/socket.io.js. In the code, we first open a connection by invoking the io. connect function and then invoke the socket. emit function with the any event label. Note that we have not used any WebSocket API calls in the client code as the Socket.IO client library abstracts the complete implementation.

Let's say that the preceding code was saved in index. html, but when we simply double-click on the file, our code might not run as the WebSocket API can generate security issues with local files. Hence, we would want this file to be rendered by our web server. So, let's combine our WebServer and socket server to handle both types of requests with the help of the following code:

```
var httpd = require('http').createServer(httphandler);
var io = require('socket.io').listen(httpd);
var fs = require('fs');
httpd.listen(400);
```

```
function httphandler(req, res) {
    fs.readFile(__dirname + '/index.html', function(err, data) {
        if (err) {
            res.writeHead(500);
            return res.end('Error loading File');
        }
        res.writeHead(200);
            res.end(data);
        }
    );
}
io.sockets.on('connection', function (socket) {
    socket.on('clientData', function(data) {
        socket.emit('serverData', data);
        socket.broadcast.emit('serverData', socket.id +content);
    });
});
```

The preceding code first creates an HTTP server object. It then creates a socket server object and binds itself to the HTTP server port (require ('socket.io'). listen (httpd) ;). Now, the socket and web servers are listening at the same port number.

The HTTP server defines a request handler, httphandler, and reads the file index.html. If an error occurs while reading, then it sets the HTTP response status header to 500 and sets response content to an error message. If no error occurs, it writes the file content to the response.

The socket server implementation introduces us to a new server-side function, socket.broadcast.emit('serverData', socket.id +content). This server-side function sends the data to all the clients connected to the socket server (except the socket it is fired on) with the client event, serverData. Let's just understand the sequence of events.

The following client code defines the client handler function for the server event, serverData. It simply logs the received data. When the Enter key is pressed, it sends the data to the socket with the clientData event:

```
var socket = io.connect('http://localhost:400');
    socket.on('serverData', function(content) {
    console.log(content);
}
var inputElement = document.getElementById('input');
inputElement.onkeydown = function(keyboardEvent) {
    if (keyboardEvent.keyCode === 13) {
```

```
    socket.emit('clientData, inputElement.value);
    inputElement.value = '';
    return false;
    } else {
return true;
    }
};
```

The corresponding server handler function for the client event, clientData, on invocation, sends the data back to the client and broadcasts the message. Then, the code line sends the data back to the client and invokes its serverData event. This code broadcasts the message to all the clients connected to the socket server except the socket it is fired on. As we can see in the following code listing, we first emit the serverData event on the calling socket and then broadcast serverMessage to all sockets:

```
io.sockets.on('connection', function (socket) {
    socket.on('clientData', function(data) {
        socket.emit('serverData', data);
        socket.broadcast.emit('serverMessage', socket.id +content);
    });
});
```

As you can see in the preceding code, the client and server both use the emit function to invoke each other's events. The other important aspect is socket.id, which is a unique key that identifies each client. The complete implementation of socket.id is managed by the Socket.IO library.

## Learning the Socket.IO API

The Socket.IO API consists of server-side functions and client-side functions. The API has a list of reserved events. The API defines two objects on the server side: io. sockets and socket. They are explained as follows:

- io. sockets: This has only one reserved event connection.
io.sockets.on('connection', function(socket) \{\})
The preceding event is generated when a new connection is requested from the client side.
- socket: This offers two reserved events, message and disconnect.

The message event is fired when the send function of the socket object is used to emit events.

The client code is as follows:

```
<script>
var socket = io.connect('http://localhost/');
socket.on('connect', function () {
    socket.send('hi');
    socket.on('message', function (msg) {
        });
    });
</script>
```

The server code is as follows:

```
var io = require('socket.io').listen(80);
io.sockets.on('connection', function (socket) {
    socket.on('message', function () { });
    socket.on('disconnect', function () { });
});
```

In the preceding server code, we handle two events, message and disconnect. The disconnect event is fired when the client-server connection is closed.

## The client socket's reserved events

The client socket has many reserved events defined. Refer to the following list:

- connect: This is emitted when the socket connection is successful.
- connecting: This is emitted when the socket is attempting to connect with the server.
- disconnect: This is emitted when the socket is disconnected.
- connect_failed: This is emitted when Socket.IO fails to establish a connection to the server and has no other transport to fallback on.
- error: This is emitted when an error occurs and it cannot be handled by the other event types.
- message: This is emitted when a message sent with the socket. send function is received.
- reconnect_failed: This is emitted when Socket.IO fails to reestablish a working connection after the connection was dropped.
- reconnect: This is emitted when Socket.IO has successfully reconnected to the server.
- reconnecting: This is emitted when the socket is attempting to reconnect with the server.


## Understanding Socket.IO rooms

Rooms allow us to partition the connected clients. Rooms allow events to be emitted to subsets of the connected client list.

## Leaving and joining

A user can simply leave or join the room by invoking the following socket functions:

```
socket.join('room')
socket.leave('room')
```

If the room does not exist, a new user joins the room, and the room is created. When the last user leaves the room, then the room is automatically pruned. You do not need to leave the room at a disconnected event.

## Broadcasting an event in the room

The following are the two ways to broadcast a message to all room participants:

- We have a socket object of one of the clients in the room:
socket.broadcast.to('room').emit('event_name', data)
This function will not send the data back to the emitting client/socket.
- We can also use the io. sockets object directly:
io.sockets.in('room').emit('event_name', data)
This will emit an event, event_name, to all participants in the room.


## Getting the room's information

Socket.IO provides us with a powerful set of functions to get the room's information. They are as follows:

- io.sockets.manager.rooms: This is used to get the list of rooms and socket IDs. It returns a hash with the name of the room as the key and the list of socket IDs as value.
- io.sockets.clients('room'): This will return the array of sockets of the connected client.
- io.sockets.manager.roomClients [socket.id]: This returns the dictionary of rooms that a particular client socket has joined.

The name of the room that is returned from all the preceding API calls has a leading / appended to it. It is used by Socket.IO internally, which we should eliminate.

## Storing user data on the server side

There are many cases where we need to store the user data for a session. We will lose the data once the user disconnects. The following code uses Socket.IO API's get and set functions of the server socket class to store and retrieve the user data:

```
var io = require('socket.io').listen(80);
io.sockets.on('connection', function (socket) {
    socket.on('set nickname', function (name) {
        socket.set('username', name, function () {
            socket.emit('ready');
        });
    });
    socket.on('msg', function () {
        socket.get('username', function (err, name) {
            console.log('Chat message by ', name);
        });
    });
});
```

The following code sets the username variable:

```
// Sets the username variable.
socket.set('username', name);
```

The following code retrieves the stored username variable:

```
socket.get('username', function (err, name) {
    console.log('Chat message by ', name);
        });
```


## Implementing a multiplayer game

The objective of this section is to implement what we have learned in the previous sections. We simply want to implement a spectator player, a player who simply launches our game can only view it. This simple implementation is a good start for the complete multiplayer game implementation.

Let's first understand the data that we need to communicate to our spectator client. In our game, currently we have nearly all static assets, except camera, bullets, and grenade. Also, the location/direction of bullet and grenade are derived from the camera location. So, all we need to communicate to the other client is:

- Camera position, direction, left and up vectors
- The bullet fire event and the bullet index that was fired
- The grenade fire event

As we develop the complete game, we will need to communicate more information such as dynamic model locations and scores. However, for the purpose of learning, we will stick to the preceding information.

Also in Socket.IO, we only transfer the string data from the client to the server.
Hence, we will use JSON strings for communication. Let's take a look at the structure of JSON objects we will use to communicate between clients.

In the following screenshot, we have described the information we need to transfer in the form of a JSON object:

```
Camera Object
(Position,direction,up,left)
{} JSON
    | username : "you"
    | roomname : "ourgame"
\Xi{} message
    G{} left
        | 0:-1
        | 1:0
        | 2:0
    G{}up
        \square0:0
        \square 1:0.9695636630058289
        | 2: -0.24483931064605713
    {} dir
        | 0:0
        | 1:-0.24483931064605713
        | 2:-0.9695636630058289
    {} position
        | 0:290
        | 1:25
        | 2:100
    @ type : "camera"
```


## Understanding events and the code flow

In the preceding section, we have described the data that we need to transfer and in this section, we will list the custom events that we will emit for the preceding communication and also list the reserved events. We describe in the form of an algorithm for both the client and server sides. The sequence defines the event flow from the server to the client and vice versa. The following steps are basic initialization steps. They describe the sequence from the user connect request until the user room join event:

- The server creates a client socket and emits a login event using the following line of code:

```
socket.emit('login');
```

- The client handles .on('login', handler) and emits the server login custom event and sends its username using the following line of code:
socket.emit('login', "player");
- The server handles .on('login', handler), saves the username in private user data and sends the client the confirmation that the user has logged in by emitting the loggedin event. It broadcasts the event with the actual username to all clients and emits with the username you to the emitting client, using the following lines of code:

```
socket.broadcast.emit('loggedIn', JSON.stringify(message));
message.username="you";
socket.emit('loggedIn', JSON.stringify(message));
```

- The client handles the loggedIn custom event. In our code, we are not listing all users but we can use it to create a list of connected users. In our case, if the emitted username is you, then the socket emits the join event to join the ourgame room, using the following line of code:
socket.emit('join', "ourgame");
- The server handles the join event by adding the emitting socket to the room using the following line of code:

```
socket.join(room);
```

Then, it emits the emitting socket and the roomJoined event to all users in the room by using the following line of code:

```
socket.emit('roomJoined', JSON.stringify(message));
socket.broadcast.to(room).emit('roomJoined',
    JSON.stringify(message));
```

- The client handles the roomJoined event. We can use it to update the user in the room list.
Once the user has joined the room, the next steps are iterative. This means that both the server and client wait until a player performs an action such as move or fire a grenade. The following steps explain the event flow post the user performs any key or mouse event.
- The client user moves the camera or fires a bullet or grenade. The code generates the respective JSON object and emits a clientMessage event.
- The server handles the clientMessage event, creates a new JSON object with username, room name, and populates the message with the received JSON object and emits the serverMessage event with the data back to all users in the room and emitting client with the username you.
- The client handles the serverMessage event, updates the camera location, or fires the bullet/grenade only if the username is not you. We send the message back to the emitting client with the username you, even though no action has to be taken as an acknowledgment of the emitted clientMessage event.


## The code walkthrough

Now let's dive deep into the code and understand the complete client-server communication.


We have moved our complete JavaScript, HTML, and CSS in the client folder inside the code files of this chapter to be rendered using the web server.

## The server code

Open the serverhttp.js file in your editor. The server code starts with initialization of the web server to render the client code, and we also attach our socket server to the HTTP server, as follows:

```
var http = require('http').createServer(handler),
url = require('url'),
path = require('path'),
fs = require('fs');
var io = require('socket.io').listen(http);
```

We list the mime types as follows:

```
var mimeTypes = {
    "html": "text/html",
    "jpeg": "image/jpeg",
    "jpg": "image/jpeg",
    "png": "image/png",
    "js": "text/javascript",
    "json": "text/javascript",
    "css": "text/css"};
```

The HTTP request handler reads the request URL (for example, http://127.0.0.1/10-Multiple-Player-Programming-Spectator.html) and retrieves the path name (for example, 10 -Multiple-Player-ProgrammingSpectator.html). To retrieve the physical path, it appends the path to the physical path (process.cwd ()) concatenated with the /client folder. We concatenate the /client folder name as we want to render only files of that folder. We use path modules function, join, to generate the physical path and use the reader stream pipe function to render the file. We also set the content type based on the file extension and retrieve the corresponding mime type from the mimeTypes array. The following code is of the handler function:

```
function handler(req, res) {
    var uri = url.parse(req.url).pathname;
    var filename = path.join(process.cwd(),'/client', uri);
    path.exists(filename, function(exists) {
        if(!exists) {
            console.log("not exists: " + filename);
            res.writeHead(200, {'Content-Type': 'text/plain'});
            res.write('404 Not Found\n');
            res.end();
            return;
        }
        var mimeType = mimeTypes
            [path.extname(filename).split(".") [1]];
        res.writeHead(200, {'Content-Type':mimeType});
        var fileStream = fs.createReadStream(filename);
        fileStream.pipe(res);
    }); //end path.exists
}
http.listen(80);
```

The socket server waits for the client request:

```
io.sockets.on('connection', function (socket) {
```

On a completed client request, it emits a login event to emit the client:

```
socket.emit('login');
```

On a login request from the client, it stores the username in the username session variable using the socket API function set and emits the loggedin event to all users and the emitting client with the username you, as shown in the following code:

```
socket.on('login', function(username) { socket.set('username',
    username, function(err) {
    if (err) { throw err; }
    var message={};
    //message.key="logged";
    message.username=username;
    socket.broadcast.emit('loggedIn', JSON.stringify(message));
    message.username="you";
    socket.emit('loggedIn', JSON.stringify(message));
});
});
```

On the join request, it sets the user session variable, room, with a room name so that it can be used later. In case the user wants to join another room, we save the room name to remove the user from the existing room. Hence, we first remove the user from the existing room and add it to the new room. Then, the code emits the roomuoined event to all users of the room and the emitting client, as shown in the following code:

```
socket.on('join', function(room) { socket.get('room',
    function(err, oldRoom) {
    if (err) { throw err; }
    socket.set('room', room, function(err) {
        if (err) { throw err; }
        socket.join(room); if (oldRoom) {
            socket.leave(oldRoom);
        }
        socket.get('username', function(err, username) {
            if (! username) {
                username = socket.id;
            }
            var message={};
            //message.key="join";
            message.username=username;
            socket.emit('roomJoined', JSON.stringify(message));
            socket.broadcast.to(room).emit('roomJoined',
                JSON.stringify(message));
        }) ;
```

```
    });
});
});
```

On the clientMessage event, the handler first retrieves the username variable. In case username cannot be retrieved, it sets socket.id as the username variable. Then, it creates a new JSON object message and assigns username, room name, and received JSON object to the message property. It emits serverMessage to the emitting client as well as all users in the room, as shown in the following code:

```
socket.on('clientMessage', function(content) {
    socket.get('username', function(err, username) { if (! username)
    {
        username = socket.id;
    }
    socket.get('room', function(err, room) {
        if (err) {
            throw err;
        }
    var broadcast = socket.broadcast;
    if (room) {
        broadcast.to(room);
    }
    var message={};
    message.username=username;
    message.roomname=room;
    message.message=JSON.parse(content);
    broadcast.emit('serverMessage', JSON.stringify(message));
    message.username="you";
    socket.emit('serverMessage', JSON.stringify(message)); });
});
});
});
```


## The client code

Now, we will walk through the client code. Open 10-Multiple-PlayerProgramming.html from the client folder in your editor. The client code connects to the server on the page load. This following code is present in this file:

```
<script type="text/javascript">
var socket = io.connect('http://127.0.0.1');
```

When the connection is created, the server emits a login event. The client responds to the server with the username player for the playing user, and the username spectator for the other user, as shown in the following code:

```
socket.on('login', function() {
    socket.emit('login', "player");
});
```

The client responds to the logged-in server event and emits the join event with the room name ourgame as a parameter, as shown in the following code:

```
socket.on('loggedIn', function(content) {
    console.log(content);
    var messageObj=JSON.parse (content);
    if(messageObj.username=="you")
    socket.emit('join', "ourgame");
});
socket.on('roomJoined', function(content) {
    console.log(content);
});
```

On serverMessage, the client invokes the applyData function. The applyData function parses the response and checks the messageobj . username parameter. If the value is not you, it updates the game state. Depending on the messageObj .message. type value, it performs the desired action. If the value is camera, then it updates the cam object with received values. The applyData function is explained in the following code:

```
socket.on('serverMessage', function(content) {
    applyData(content);
});
function applyData(message) {
    try{
            console.log(message);
            var messageObj=JSON.parse(message);
            if(messageObj.username!="you") {
            switch(messageObj.message.type)
            {
                    case "camera": cam.left=vec3.fromValues
                        (parseInt(messageObj.message.left[0]),
                        parseInt(messageObj.message.left[1]),
                        parseInt(messageObj.message.left[2]));
            cam.up=vec3.fromValues(parseInt(messageObj.message.up[0]),
                    parseInt(messageObj.message.up [1]),
                        parseInt(messageObj.message.up[2]));
```

```
                cam.dir=vec3.fromValues(parseInt(messageObj.message.
                        dir[0]),parseInt(messageObj.message.dir[1]),
                        parseInt(messageObj.message.dir[2]));
                cam.pos=vec3.fromValues(
                        parseInt(messageObj.message.position[0]),
                        parseInt(messageObj.message.position[1]),
                        parseInt(messageObj.message.position[2]));
                break;
                case "grenade":
                        leftHand.visible=true;
                break;
                case "bullet":
                        bullets[parseInt(messageObj.message.bulletIndex)].
                        initialize();
                break;
            }
        }else{
            console.log(messageObj.message.type);
        }catch(e){
        console.log(e);
    }
    console.log(message);
}
```

The following sendRoomMessage function is invoked from different sections of our application, whenever we want to update the game state:

```
function sendRoomMessage(message) {
    socket.emit('clientMessage', message);
}
</script>
```

Now, let's look at other modifications in the code to update the game state. The first modification is in the start function. The start function assigns a cameraChangedCallBack handler function in keyboardInteractor. The following callback function is invoked when the camera location is changed:

```
function start() {
    keyboardInteractor.cameraChangedCallBack=cameraLocationChanged;
}
```

The following callback function, cameraLocationChanged, receives the camera location and sets the message type to "camera". It then invokes the sendRoomMessage function:

```
function cameraLocationChanged(cameraLocationStatus){
    cameraLocationStatus.type="camera";
    sendRoomMessage(JSON.stringify(cameraLocationStatus));
}
```

The following handlekeys function invokes the sendRoomMessage function on both events of throwing the grenade and firing a bullet with the corresponding message. type value:

```
function handleKeys(event) {
    switch(event.keyCode) {//determine the key pressed
        case 13:
            leftHand.visible=true;
            var message={};
            message.type="grenade";
            sendRoomMessage(JSON.stringify(message));
        break;
        case 32://s key
            bullets[nextBulletIndex].initialize();
            var message={};
            message.type="bullet";
            message.bulletIndex=nextBulletIndex;
            sendRoomMessage(JSON.stringify(message));
        }
        break;
    }
}
```

Open KeyBoardInteractor.js from client/primitive in your editor. In this class, we have added a cameraChangedCallBack delegate to handle the call back when the location/direction of camera changes The KeyBoardInteractor function is as follows:

```
function KeyBoardInteractor(camera,canvas){
    this.cameraChanged=false;
    this.cameraChangedCallBack=null;
}
```

If the location of the camera changes, the handleKeys function updates the status variable cameraChanged to true, on each key event. We check whether the cameraChanged variable is true and whether the handler function has been assigned, then we create a camera status object with the up, left, position, and direction vectors. We then invoke the handler function and pass cameraStatus as a parameter. We also update the cameraChanged variable to false. The handleKeys function is as follows:

```
KeyBoardInteractor.prototype.handleKeys=function (event) {
    if(event.shiftKey) {
        switch(event.keyCode) {//determine the key pressed
            case 65://a key
                this.cam.roll(-Math.PI * 0.025);//tilt to the left
                this.cameraChanged=true;
            break;
    }
    ...
    if(this.cameraChanged==true&&this.cameraChangedCallBack!=null){
        var cameraStatus={};
        cameraStatus.left=this.cam.left;
        cameraStatus.up=this.cam.up;
        cameraStatus.dir=this.cam.dir;
        cameraStatus.position=this.cam.pos;
        this.cameraChangedCallBack(cameraStatus);
        this.cameraChanged=false;
    }
}
```


## Summary

In this chapter, we first covered the implementation of the canvas 2D context as texture in our game scene. This is a very powerful tool, not just limited to game development, but is also used in many 3D applications such as product customization tools. The canvas 2D API offers a very powerful list of functions to manipulate images using its pixel data. This gives us the ability to add dynamic textures to our game scene.

In the second section of the chapter, we introduced you to multiplayer games and used WebSockets to create a sample spectator client. We used the module Sockets.IO of Node.js, to implement our multiplayer game.

In this book, we have trained ourselves in topics such as rendering, animation, physics engines, collision detection, bone animations, and multiplayer games to evolve our world in 5000 A.D. Now, we leave it up to you to complete your world and add components that excite the users of your game.

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[^0]:    Scene Co-ordinates=Camera Matrix*Translation(Position)

